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Mittag-Leffler's theorem

Canonical name	MittagLefflersTheorem
Date of creation	2013-03-22 13:15:15
Last modified on	2013-03-22 13:15:15
Owner	Koro (127)
Last modified by	Koro (127)
Numerical id	4
Author	Koro (127)
Entry type	Theorem
Classification	msc 30D30
Related topic	WeierstrassFactorizationTheorem

Let G be an open subset of \mathbb{C} , let $\{a_k\}$ be a sequence of distinct points in G which has no limit point in G . For each k , let $A_{1k}, \dots, A_{m_k k}$ be arbitrary complex coefficients, and define

$$S_k(z) = \sum_{j=1}^{m_k} \frac{A_{jk}}{(z - a_k)^j}.$$

Then there exists a meromorphic function f on G whose poles are exactly the points $\{a_k\}$ and such that the singular part of f at a_k is $S_k(z)$, for each k .