

# Deep dive into ANOVA(Analysis of Variance) Test

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## Abstract

This paper will focus on explore one-way ANOVA, covering its core concepts, how to perform a test, and provide some practical applications. Through the conducted ANOVA test, we illustrate how ANOVA can be applied to solve real-world problems.

## 1 Introduction

Kickstarter is an online platform that enables creators to raise funds for their innovative projects from a community of supporters. The platform has become significantly popular among other crowdfunding platforms due to their user-friendly interface and dynamic ecosystem that fosters diverse creative campaigns. As someone who has backed several Kickstarter campaigns and found the experience satisfying, I at one point have considered launching some experimental project related to keyboards on the platform. Like other creators, the ultimate question is how to ensure their projects to be funded successfully. Given this question, we need to engage in a study to understand what factors can influence the success of a project. The objective for this course project is to analyze all Kickstarter project data to identify patterns in order to predict successful funding campaign. The motivation is to employ data science techniques to analyze and uncover actionable insights that can inform future crowdfunding strategies.

## 2 Methodology

The datasets used will be generated by <https://webrobots.io/kickstarter-datasets/> which a platform where they have a regular scraper robot that crawls all Kickstarter projects every once a month.

### 2.1 Data Exploration

Kickstarter does not provide any public API to retrieve data other than

<https://status.kickstarter.com/api/v2/summary.json>

which is used to look up the status of the platform. As a result, it is necessary to explore and investigate existing datasets from other platforms such as **Kaggle** to determine whether they are relevant or suitable to use. The selected dataset should be up-to-date and include all key factors required for an examination of funding trends and project success. I have attempted to scrape the data directly from the website but was not able to get all the sufficient data so I have decided to go with <https://webrobots.io/kickstarter-datasets/>. However to make sure that data is relevant and webrobots does not just patch missing data with wrong information, I have matched data I scraped with what currently provided by webrobots on 5-6 projects. **sample.json** is the data that I have pulled down to check for webrobots validity.

### 2.2 F-statistic calculation

We will use the sample data to compare different class type to evaluate how they affect the student exam scores using one-way ANOVA. All of the steps used in this paper used the guidance from (Thevapalan, 2024)

1. Define the hypothesis which are the Null Hypothesis ( $H_0$ ) and Alternative Hypothesis ( $H_1$ ) where

$$H_0 : \mu_{\text{hybrid}} = \mu_{\text{in-person}} = \mu_{\text{remote}}$$

$$H_1 : \text{At least one } \mu \text{ is different}$$

where  $\mu_{i...3}$  represent the means of different class type

2. Before getting into the calculation, we need to have these assumptions straightforward:
  - The student's score in one class type should be independent of the other class type

- The variance within each group is equal (we generated 100 data points for each of the class type category)
- The data within each group follow a normal distribution

If any of the above assumptions violated, the final result maybe invalid.

3. Next step, we will get all the calculation needed for ANOVA Below is the mean for each of the class type ( $A_i$ )

$$A_i = \frac{\sum_{\text{Group}} x}{n_{\text{Group}}}$$

$$A_{\text{hybrid}} = 52.96$$

$$A_{\text{in-person}} = 53.54$$

$$A_{\text{remote}} = 50.11$$

Then, we get the overall mean (G)

$$G = \frac{\sum x}{N}$$

$$G = 52.2$$

Finally, we calculate the sum of squares for each group

$$\begin{aligned} SS_{\text{Group}} &= \sum_{\text{Group}} (x - G)^2 \\ &= \sum_{\text{Group}} x^2 - \frac{(\sum_{\text{Group}} x)^2}{n_{\text{Group}}} \end{aligned}$$

$$SS_{\text{hybrid}} = 368700 - \frac{5296^2}{100} = 88223.84$$

$$SS_{\text{in-person}} = 379702 - \frac{5354^2}{100} = 93048.84$$

$$SS_{\text{remote}} = 332937 - \frac{5011^2}{100} = 81835.79$$

4. After the computation, we will fill out the values in the below table so we can refer to it later

$$SS_{\text{between}} = \sum_{\text{Groups}} n_i (A_i - G)^2$$

$$SS_{\text{between}} = 674.07$$

	Hybrid	In-person	Remote	Totals
Sum of X	5296	5354	5011	15661
Sum of square of X	368700	379702	332937	1081339
n	100	100	100	300
Mean	52.96	53.54	50.11	
SS mean	88223.84	93048.84	81835.79	

Table 1: Summary of student's performance by different class type

$$SS_w = \sum_{\text{Groups}} SS_i$$

$$SS_w = 263108.47$$

We then can use  $SS_{\text{total}}$  to verify if our calculation is correct or not by adding  $SS_{\text{between}}$  and  $SS_w$  to see if they are the same as the calculated  $SS_{\text{total}}$

$$\begin{aligned} SS_{\text{total}} &= \left( \sum x^2 \right)_{\text{total}} - \frac{((\sum x)_{\text{total}})^2}{N} \\ SS_{\text{total}} &= 263782.596 \end{aligned}$$

Next we calculate the mean square within class types and between class types

$$MS_{\text{between}} = \frac{SS_{\text{between}}}{df_{\text{between}}}$$

$$MS_{\text{between}} = \frac{674.07}{2} = 337$$

$$MS_w = \frac{SS_w}{df_w}$$

$$MS_w = \frac{263108.47}{297} = 885.88$$

$df_{\text{between}}$ : the number of class types minus one  $df_w$ : the number of class types subtract the total number of participants Lastly, we calculate the F-statistic and p-value

$$F = \frac{MS_{\text{between}}}{MS_w}$$

$$F = \frac{337}{885.88} = 0.3804$$

We can see that the number we got the same as the F-statistic value we got from `scipy.stats.f_oneway` (this can be found from the attached notebook), which mean the calculated p-value is going to be 0.684

5. The found F-statistic is quite small, normally a higher F-statistic represents a greater disparity between group means compared to randomness. The found p-value is greater than the predefined threshold (typically 0.05) which means that our null hypothesis is correct and we can conclude that at least one class type has more impact on the exam scores.

### 2.3 Post-hoc test

Even though, ANOVA tells you whether or not there is a disparity between group means, but it does not indicate which specific groups differ significantly. This is where post-hoc tests come in—they conduct pairwise comparisons to pinpoint the exact groups with significant differences. These tests are crucial when dealing with more than two groups and the ANOVA result is significant. For instance, after performing a one-way ANOVA on students' score across three class types (Hybrid, In-person, and Remote), the test identifies a somewhat difference but no other information about group differences significantly. With a post-hoc test, we can determine which class types differ in their impact on exam scores. Commonly used post-hoc tests include Tukey's Honestly Significant Difference (HSD) (Howell, 2010) and the Bonferroni Correction (Armstrong, 2014).

## 3 Conclusion

In this paper, we explored the fundamental concepts and applications of the Analysis of Variance (ANOVA) test, especially one-way ANOVA. ANOVA is a powerful statistical tool used to determine whether there are significant differences between the means of multiple groups. We discussed the core concepts, including getting all the assumptions required for valid results, and interpreted the final result (including whether or not the null hypothesis is accepted). Additionally, we emphasized the importance of post-hoc tests, such as Tukey's HSD and the Bonferroni Correction, in identifying specific group differences when the ANOVA results are significant. Overall, ANOVA remains an essential technique in experimental design and data analysis, providing researchers with a robust method for comparing group means and uncovering insights in diverse fields such as education, agriculture, and healthcare. By understanding its principles and limitations, practitioners can effectively apply ANOVA to real-world problems and make data-driven decisions.

## References

- Robert A. Armstrong. 2014. [When to use the bonferroni correction](#). *Ophthalmic and Physiological Optics*, 34(5):502–508.
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