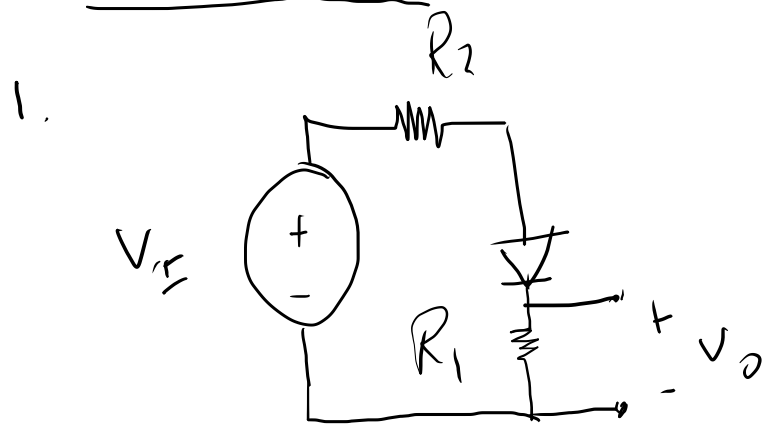


DIODES



Assume Ideal Diode

a)

Determine $v_o(v_I)$ - sketch it.

b) $v_I(t) = A \cos(\omega t + \phi)$

$v_o(t) = ?$ Plot $v_o(t)$

c) Compute output impedance
" input "

d) What happens if a capacitor is used as load?
Plot $v_o(t)$ in this case.

e) Compute $\frac{R_2}{R_1}$ so that the output ripple is $\frac{1}{10}$ of the input is.

Now Assume $i_D = I_S \left(e^{\frac{v_D}{2V_T}} - 1 \right) = I_D + i_d$

$$v_I = V_I + v_i$$

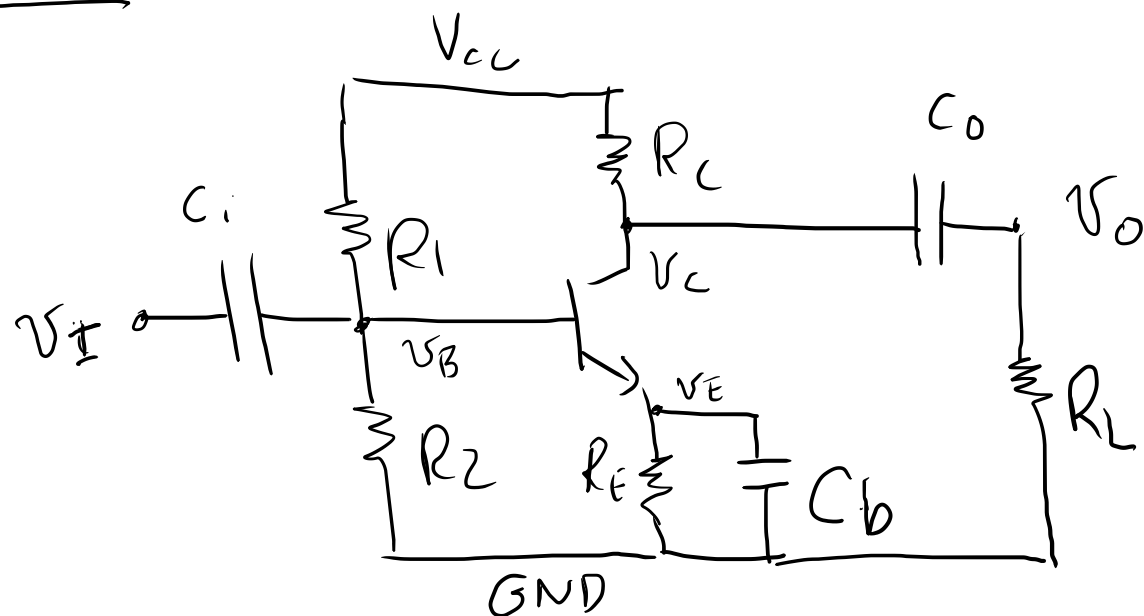
e) Compute V_I so that $I_D = 1 \text{ mA}$

f) Compute a linear diode model for $I_D = 1 \text{ mA}$



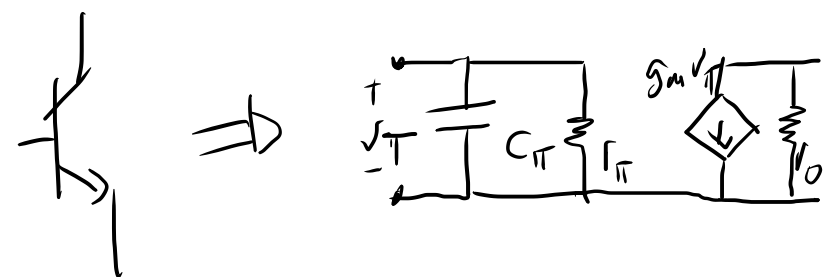
g) Compute a $\frac{|v_o|}{|v_i|}$ upper bound as a function of R_1, R_2 and R_{DON}
(relation between input and output ripple)

BJTs



$$V_A = \infty$$

$$\beta_F = 100, C_{\pi} = 2 \text{ pF}$$



$$v_K = V_K + v_k$$

⇒ Compute as a function of the circuit parameters

a) V_I, V_B, V_C, V_E, V_O (O.P.)

I_B, I_C, I_E

b) g_m, r_{π}, r_o

(BJT's incremental parameters)

c) A_v, z_i, z_o for $R_L = \infty$

d) f_{low} assuming C_i and C_o can be neglected

e) f_{high}

f) Explain, quantitatively, the effect of R_L on A_v, z_i, z_o

g) Replace C_i with a short circuit. Find the minimum and maximum value of V_I that keeps the BJT in the F.A.R

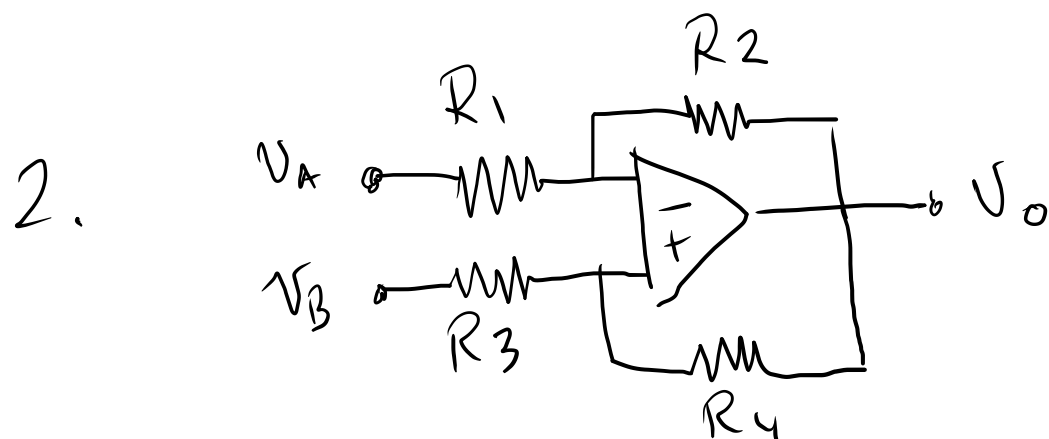
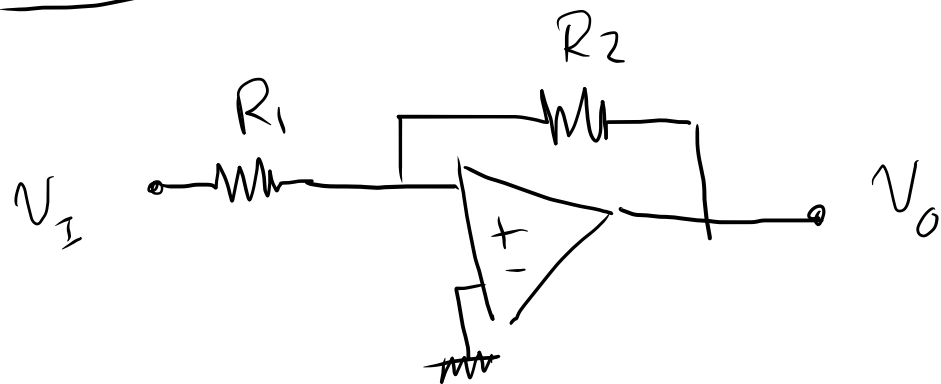
OP-AMPS

$$V_{CC} = 5V, V_{EE} = -5V$$

$$V_I = A \sin(\omega t)$$

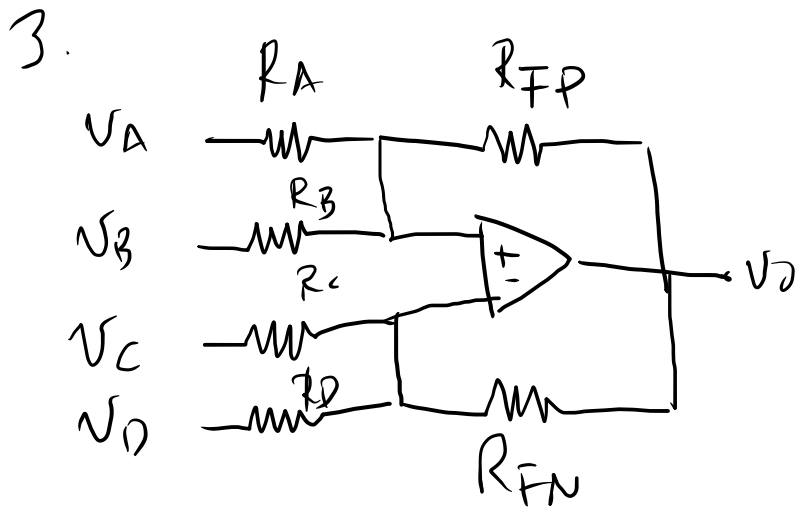
$$V_O(t) = ? \text{ Sketch the graph}$$

! Be careful \Rightarrow This problem is a trap!



Assume linear operation
(negative feedback stronger
than positive feedback)

Compute $V_O = V_O(V_A, V_B)$



Assume linear operation

a) $V_O(V_A, V_B, V_C, V_D) = ?$

b) Replace R_A with C_A (capacitor)

			L_A (inductor)
//		//	
//	R_C	//	C_C
//	//	//	L_C
//	R_{FP}	//	C_{FP}
//	//	//	L_{FP}
//	R_{FN}	//	C_{FN}
//	//	//	L_{FN}

and compute $V_O(V_A, V_B, V_C, V_D)$