# Chap13Yourname.java Objects of arrays

```
* With Deck.java
*/
import java.io.PrintStream;
public class Chap13 {
    public static void main(String[] args) {
       PrintStream out = System.out;
```

```
out.println("13.1 The Deck class");
//Create the deck class. Then create a standard Deck here.
Deck deck = new Deck();
```

```
With Chap 13
import java.util.Random;
public class Deck {
    public Card[] cards;
    private Random random = new Random();
```

```
public Deck() {
    this.cards = new Card[52];
    int index = 0;
    for (int suit = 0; suit <= 3; suit++) {
         for (int rank = 1; rank <= 13; rank++) {
              this.cards[index] = new Card(rank,suit);
              index++;
public Deck(int n) {
    this.cards = new Card[n];
//The value constructor creates arrays with n Card objects.
```

```
//Print the standard deck.
deck.print();
out.println();
```

```
public void print() {
    for (int i = 0; i < this.cards.length; i++) {
        System.out.println(this.cards[i]);
    }
}</pre>
```

```
//for each index i {
       randomInt: choose a random number between i and (length - 1);
//
       swapCards: swap the ith card and the randomly selected card.
//}
//The process of Writing pseudo code first and then writing methods
//to make it work is called top-down development.
//Write the randomInt(int low, int high) and swapCards(int n, int m)
//methods for Deck.java.
```

```
public int randomInt(int low, int high) {
   return
public void swapCards(int m, int n) {
```

```
public int randomInt(int low, int high) {
    return low + this.random.nextInt(high - low + 1);
}

public void swapCards(int m, int n) {
    Card temp = this.cards[m];
    this.cards[m] = this.cards[n];
    this.cards[n] = temp;
}
```

```
//Write the shuffle() method for Deck.java.
deck.shuffle();
deck.print();
out.println();
```

```
public void shuffle() {
}
```

```
public void shuffle() {
    for (int i = 0; i < this.cards.length; i++) {
        swapCards(i, randomInt(i, this.cards.length - 1));
    }
}</pre>
```

```
out.println("13.3 Selection sort");
//Put the messed-up deck back in order. We can use the selection sort
//algorithm.
//public void selectionSort() {
         for each index i {
                  lowestIndex: Find the lowest card at or to the right of i
                  swapCards: Swap the ith card and the lowest card found
deck.selectionSort();
deck.print();
out.println();
```

```
public void selectionSort() {
    for (int i = 0; i < this.cards.length; i++) {
        swapCards(i, indexLowest(i));
    }
}</pre>
```

```
public int indexLowest(int i) {
```

```
public int indexLowest(int i) {
    int indexLowest = i;
    for (int j = i + 1; j < this.cards.length; <math>j++) {
        if (this.cards[indexLowest].compareTo(this.cards[j]) > 0) {
            indexLowest = j;
    return indexLowest;
```

```
out.println("13.4 - 13.6 Merge sort");
deck.shuffle();
deck.print();
out.println();
//We can also use the merge sort algorithm:
```

```
//public void mergeSort() {

// If the deck has 0 or 1 cards, return itself.

// subdeck(): split the deck into two, d1 and d2.

// mergeSort(): sort the subdecks d1 and d2

// merge(Deck d1, Deck d2): compare the first card from each sorted

// subdeck and choose the lower one. Add it to the merged deck.

// Repeat until one of the subdecks is empty. Then take the

// remaining cards and add them to the merged deck.
```

```
//First, write subdeck(int low, int high) in Deck.java that returns a new //deck that contains the specified subset of the deck.
```

```
public Deck subdeck(int low, int high) {
    Deck sub = new Deck(high - low + 1);
    return sub;
}
```

```
//First, write subdeck(int low, int high) in Deck.java that returns a new //deck that contains the specified subset of the deck.
```

```
public Deck subdeck(int low, int high) {
    Deck sub = new Deck(high - low + 1);
    for (int i = 0; i < sub.cards.length; i++)
        sub.cards[i] = this.cards[low + i];
    return sub;
}</pre>
```

```
// public Deck merge(Deck d1, Deck d2) {
// // use the index i to keep track of where we are at in the first deck,
// // and the index j for the second deck
// int i = 0;
// int j = 0;
// // the index k traverses the resulting this deck
```

```
for (int k = 0; k < this.card.length; <math>k++) {
         //Compare the two cards d1.cards[i] and d2.cards[j], add the smaller
                   to this deck at position k
         //increment either i or j
         //If all cards of any subdeck have been added to this deck, add
                   all the remaining cards of the other deck to this deck.
//return this deck
```

```
public Deck merge(Deck d1, Deck d2) {
}
```

```
} else {
         if (j == d2.cards.length) {
               this.cards[k] = d1.cards[i];
               i++;
          } else {
               if (d1.cards[i].compareTo(d2.cards[j]) <= 0) {</pre>
                    this.cards[k] = d1.cards[i];
                    i++;
               } else {
                    this.cards[k] = d2.cards[j];
                    j++;
return this;
```

```
public Deck mergeSort() {
}
```

```
public Deck mergeSort() {
    if (this.cards.length <= 1) {
        return this;
    }
    Deck d1 = subdeck(0, (this.cards.length - 1) / 2);
    Deck d2 = subdeck((this.cards.length + 1) / 2, this.cards.length - 1);
    return merge(d1.mergeSort(), d2.mergeSort());
}</pre>
```

```
deck.mergeSort().print();
out.println();
```

## Asymptotic analysis of algorithms

```
//The running time of an algorithm on a particular input is the number of //primitive operations or "steps" executed. The worst-case running time //gives us an upper bound on the running time. We usually consider one //algorithm to be more efficient than another if its worst-case running //time has a lower order of growth. (CLRS 2.2)
```

## Asymptotic analysis of algorithms

```
//The selection sort is not very efficient. To sort n items, it has to
//traverse the array at most n-1 times. Each traversal takes an amount of time
//proportional to at most n. The total time is proportional to
//n * (n-1)
//We say that the selection sort has a worst-case running time of
//\Theta \left( n^{2}\right)
//(prounced "theta of n-squared").
//The merge sort is more efficient. It has a worst-case running time of
```

## Asymptotic analysis of algorithms

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//We say that the selection sort has a worst-case running time of
//\Theta \left( n^{2}\right)
//(prounced "theta of n-squared").
//The merge sort is more efficient. It has a worst-case running time of
//\Theta \left( n\log_{2}n\right)
```