```
1 % Abhilash Gudgunti
 2 % 1 November, 2024
 3 % ECE 202 Project 1: Phase 2
 4 % Power series expansion of function of form Acos(wt)
 6 clear %clear registers
 7 clf % clear figures
 8 format shortG
 9
10 % Defining arrays
11 n = (0:2:10)'; % values of n for the first 6 non-zero terms. (Increments of 2)
12 a_n = 12*(-1).^(n./2).*40.^n ./ factorial(n); % Array of values of a n
14 %Outputting a table of n and a n
15 varnames = {'n','Coefficients (a n)'};
16 T = table(n, a n, 'VariableNames', varnames)
17
18 % setting up array of time
19 tms = linspace(0,200,1000); % time between 0 - 200 ms
20 t = tms/100; % time in s to compute in functions
21
22 %Defining Functions
23 f1 = a n(1) * t.^n(1); % The first non zero term
24 f2 = f1 + a_n(2) * t.^n(2); % The second non zero term
25 f3 = f2 + a n(3) * t.^n(3); % The third non zero term
26 f4 = f3 + a n(4) * t.^n(4); % The fourth non zero term
27 f5 = f4 + a n(5) * t.^n(5); % The fifth non-zero term
28 f6 = f5 + a n(6) * t.^n(6); % The sixth non zero term
29
30 %Plotting the functions
31 plot([0,200], [0,0], 'k', 'LineWidth', 1) % x-axis (not shown in legend)
32 hold on
33
34 %Plotting the first five funcitons
35 p1 = plot(tms, f1, tms, f2, tms, f3, tms, f4, tms, f5, ...
      'LineWidth', 1.5);
37 hold on
38 p2 = plot (tms, f6, 'LineWidth', 3); %plotting the last function (f6)
39
40 %Setting legends for the figure
41 LegendText = "n = " + n;
42 legend([p1;p2], LegendText, Location='bestoutside')
43
44
45 % Figure components
46 ax = gca; ax.FontSize = 16;
47 title(sprintf(['ECE 202 Project 1 Phase 2:\nApproximation of ' ...
      'f(x) = 12\cos(40t) \setminus for 6 \text{ non-zero terms'}, "FontSize", 19)
49 xlabel('Time t (in ms)', 'FontSize', 17)
50 ylabel('f(t)', 'FontSize', 17)
51 \text{ ylim}([-15, 15])
52 \times lim([0,20])
53 ax = gca; ax.GridAlpha = 0.4; % making the grid darker
```

54 grid on 55 hold off >> ECE202_P1_Phase2

T =

6×2 table

n	Coefficients (a_n)
0	12
2	-9600
4	1.28e+06
6	-6.8267e+07
8	1.9505e+09
10	-3.4675e+10

>>

ECE 202 Project 1 Phase 2: Approximation of f(x) = 12cos(40t)

