Oz Given an array. Find max subsequence sum. arr [] = [4-32-5610] Oz Given an array. Find max subsequence sum. You are not allowed to pick adjacent clemente. All cloments are positive integer. Ex) arr [] =) 9, 4, 13] 1 22 Ex2 ax [] = [50 100 60] 988 [] = / 100 20 40 100] U -1 n-2. n-3 n-3 n-4 11-4 n - 5

Dement of Choice.

2) State

dp[i] \$\overline{\tau} \text{Maximum sum form (oth-ith)} \\
fun((i) \$\overline{\tau} \)

11

3) Recubbence Relation

dp[i] > max (aro[i]+dp[i-2])
dp[i-1]

 $f_{mc}(i) \neq max \left(ass[i] + f_{mc}(i-2), f_{mc}(i-1)\right)$

4) Base (se:

(mc (o) = arr [o]

(m((1) = max (ass [6], ass[1])

$$dp[n] = 4-13, \quad dp[0] = aoo[0], \quad dp[i] = max/aoo[n],$$
int max Sum (int i)
$$dp[i]! = -1$$

$$dp[i] = max \quad (max Sum (i-2) + aooli],$$

$$max Sum (i-1));$$

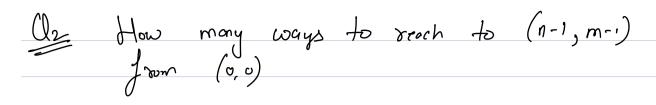
$$3$$

$$Tc: O(n)$$

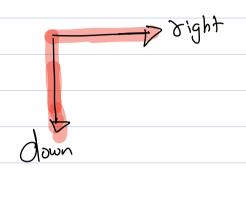
$$Sc: O(n)$$

$$Sc: O(1) \Rightarrow osing 2$$

$$Vaoiableg$$



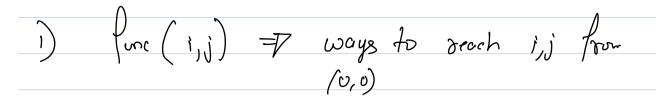
	0	1	2	3
0	1	1	7	7
1	1	7	3	4
2	1	3	S	0
3	1	I	P	So
4	1	り	15	25



Som
$$(i,j) = Som (i+1,j) + Som (i,j+1)$$

Sum
$$(i,j) = Sum (i-1,j) + Sum (i,j-1)$$

$$(3,3)$$
 $(4,2)$ $(2,3)$ $(3,2)$ $(3,2)$ $(4,1)$



$$\frac{1}{2} \int \frac{\partial S}{\partial s} \left(\frac{\partial S}{\partial s} \right) ds = 0$$

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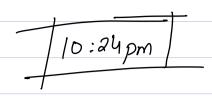
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Bottom Up: Tc: O(m*n)
Sc: O(min (m,n))



	O	1	2	3
0	1	1	1	1
1	1	0	1	0
2	0	1	1	ᅱ
3	1	0	1	1
H	1	1	1	1

$$\begin{cases}
 (mat [i][j] == 0) \\
 dp(i][i] == 0
\end{cases}$$

$$\begin{cases}
 dp(i)[i] == 0
\end{cases}$$

$$\begin{cases}
 dp(i)[i] == 0
\end{cases}$$

Oplialia = ways (i-1,i) + ways (i,i-1);

return de lil [i].

O Ø \bigcirc H

	O	1	2	3	
0	1	1	1	1	
1	1	0	1	0	
2	0	\bigcirc	1	4	
3	0	0	7	2	
H	\circ	0	1	3	

	O	1	2	3	4
0	2	1	3	7	3
ı	3	3	4	8	3
2	G	5	1	2	2
3	0	2	3	1	3
H	4	1	Ŋ	2	3

aplilli] > min (apli-illi)

dp[i][j-i])

+ arr[i][i]:

Path

Dungeon Poincess.