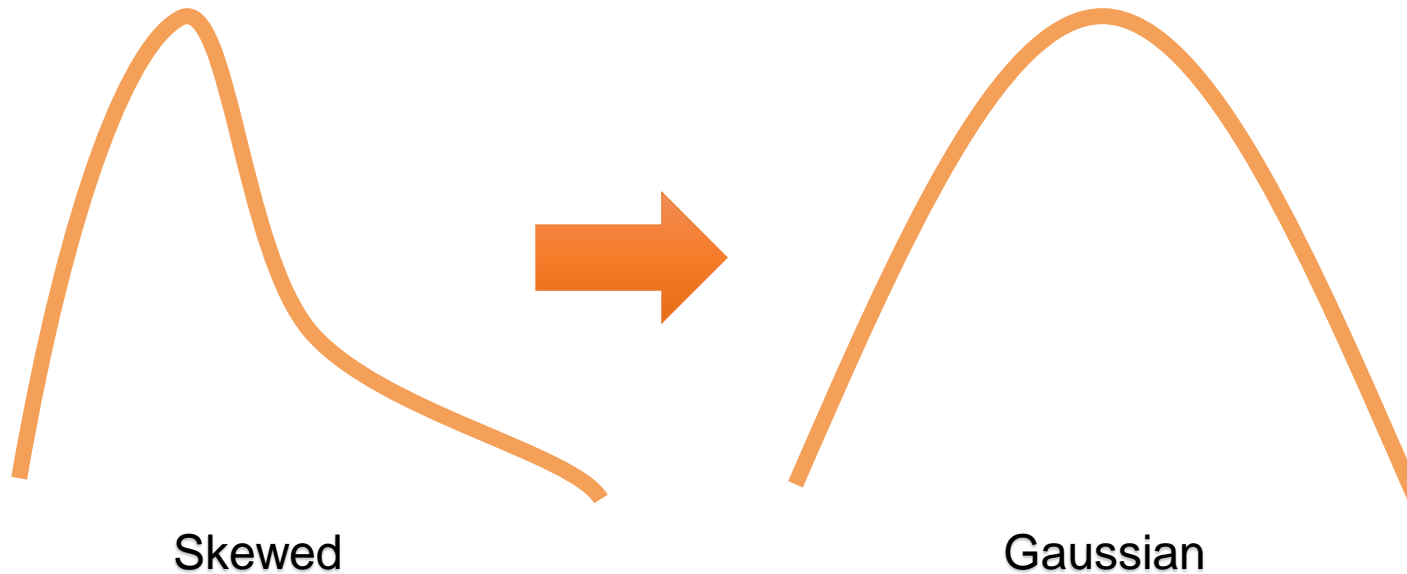




# Variable Transformation

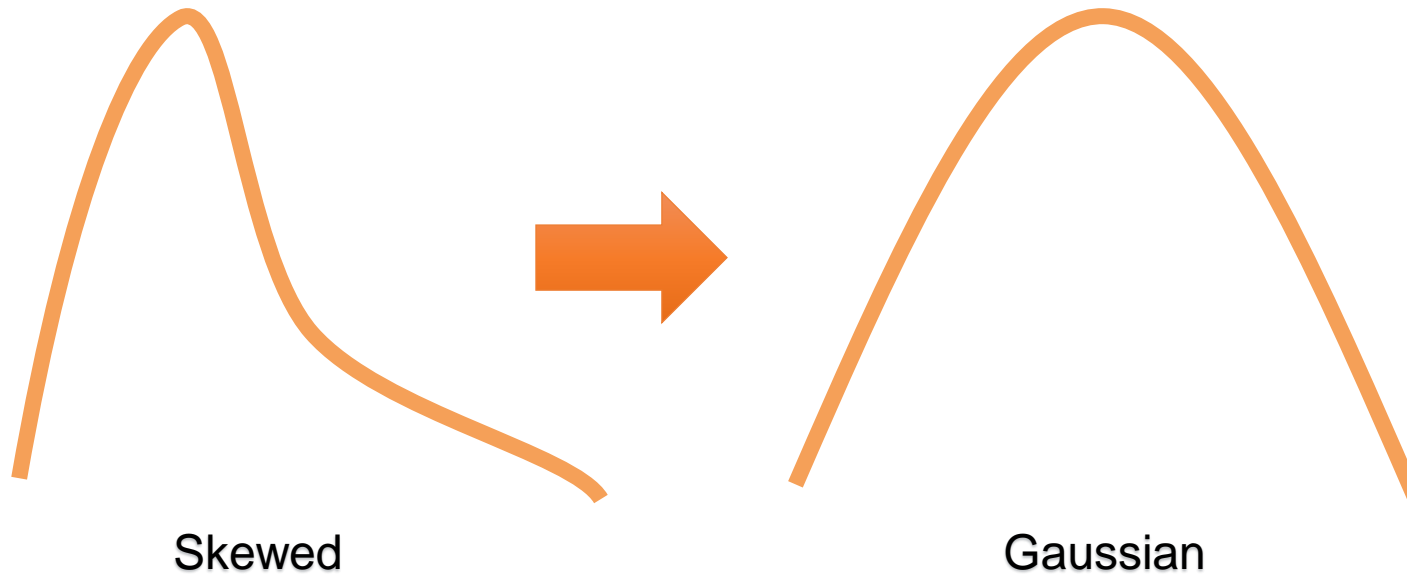
# Variable transformation



## Variable transformation

- Logarithmic
- Reciprocal
- Square-root
- Arcsin
- Power
- Box-Cox
- Yeo-Johnson

# Variable transformation



## Variable transformation

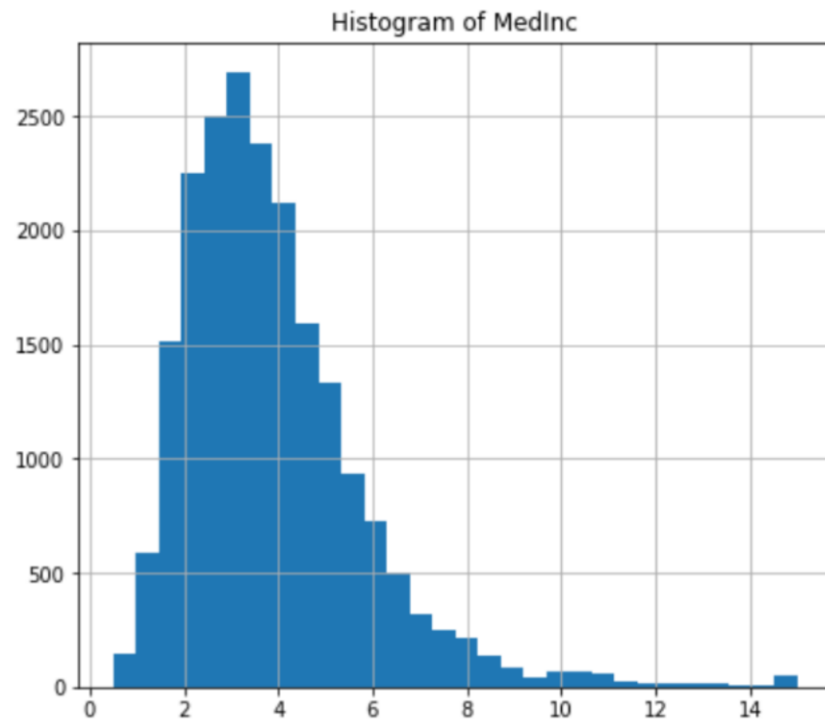
- **Logarithmic**
- **Reciprocal**
- **Square-root**
- **Arcsin**
- **Power**
- **Box-Cox**
- **Yeo-Johnson**

# Logarithm

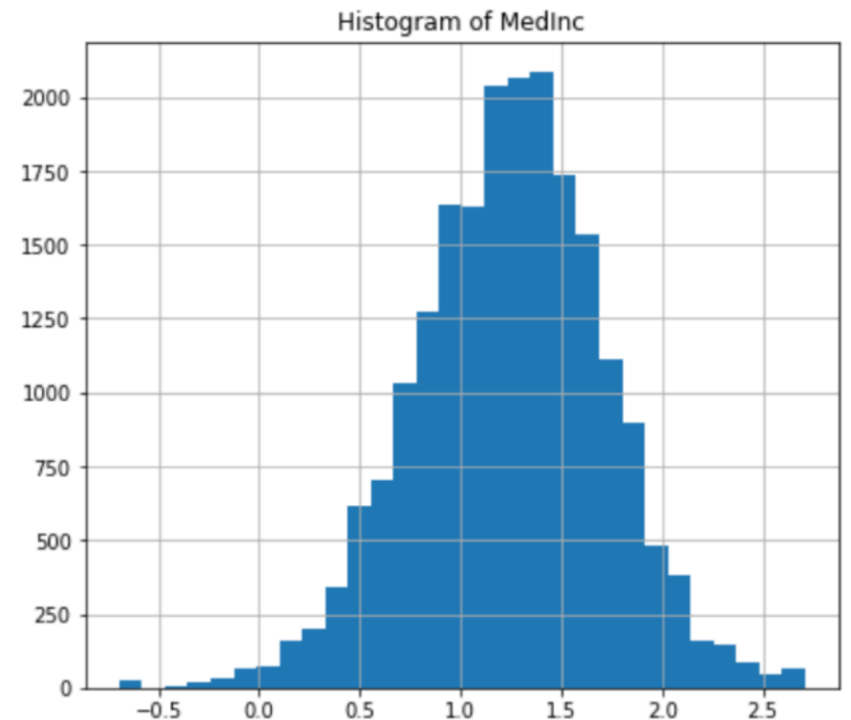
The logarithm deals with **positive data** with a **right-skewed distribution** (observations accumulate at lower values of the variable).

$$X_{\text{new}} = \log(X)$$

# Logarithm



$\text{Log}(\text{MedInc})$



California housing dataset.

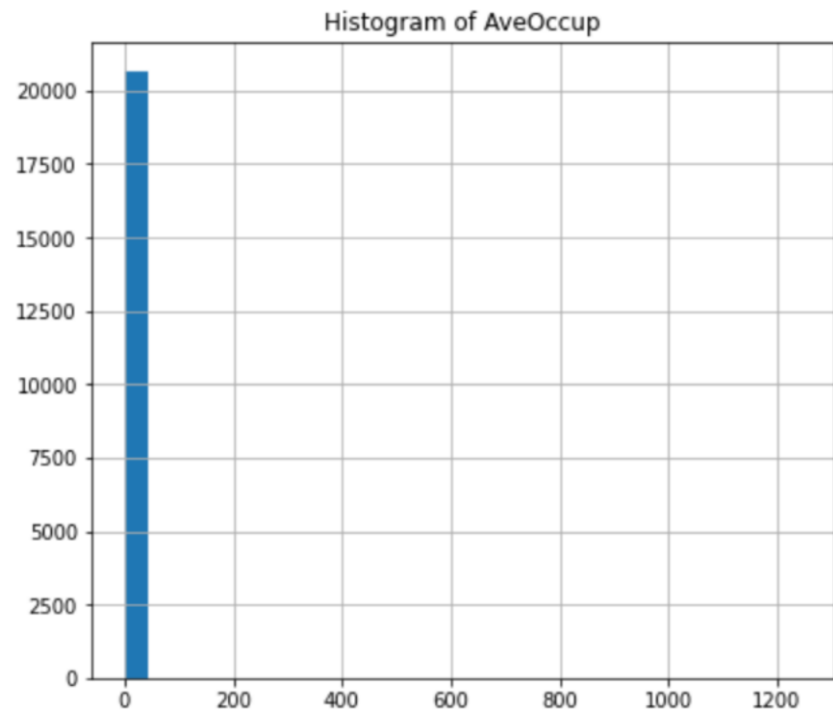
# Reciprocal

The reciprocal transformation is useful when we have **ratios**, that is, values resulting from the division of two variables.

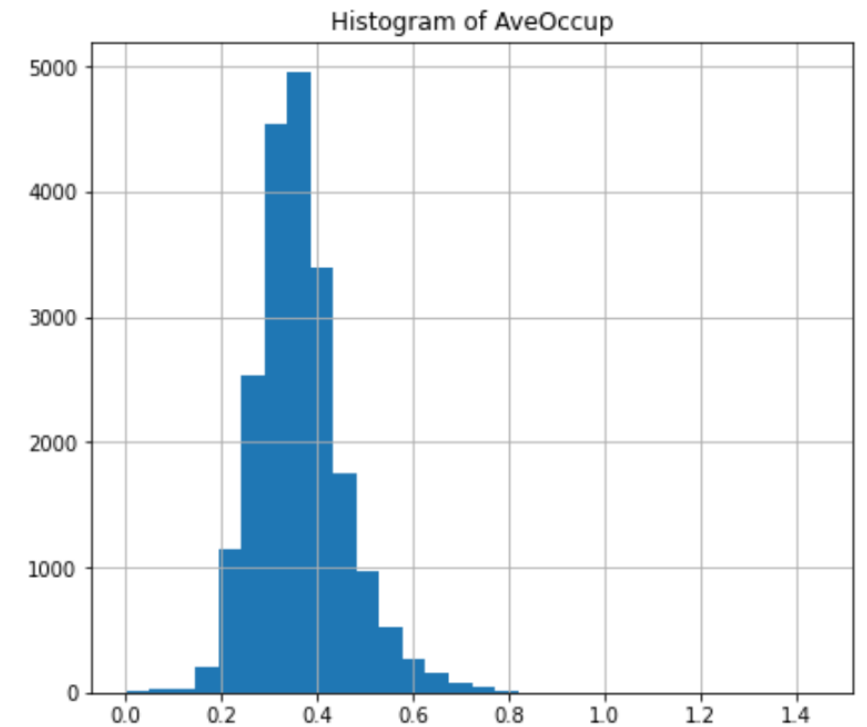
Classical examples are **population density**, that is, people per area, or **house occupancy**, that is, the number of occupants per house.

$$X_{\text{new}} = 1 / X$$

# Reciprocal



$1 / \text{AveOccup}$



California housing dataset.

# Square-root

The square root transformation is suitable for variables with a Poisson distribution **(counts)**. It transforms them into variables with an approximately standard Gaussian distribution.

The square root transformation is a form of **power transformation** where the exponent is  $1/2$  and is only defined for **positive values**.

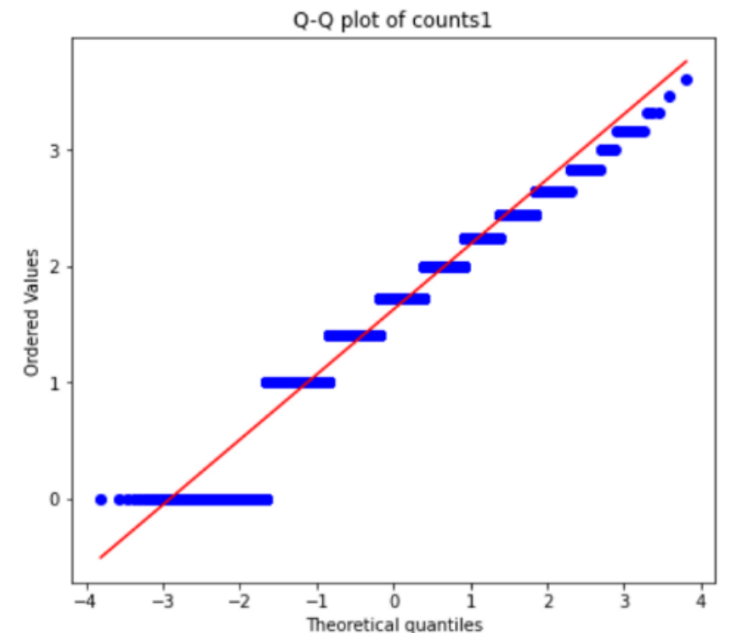
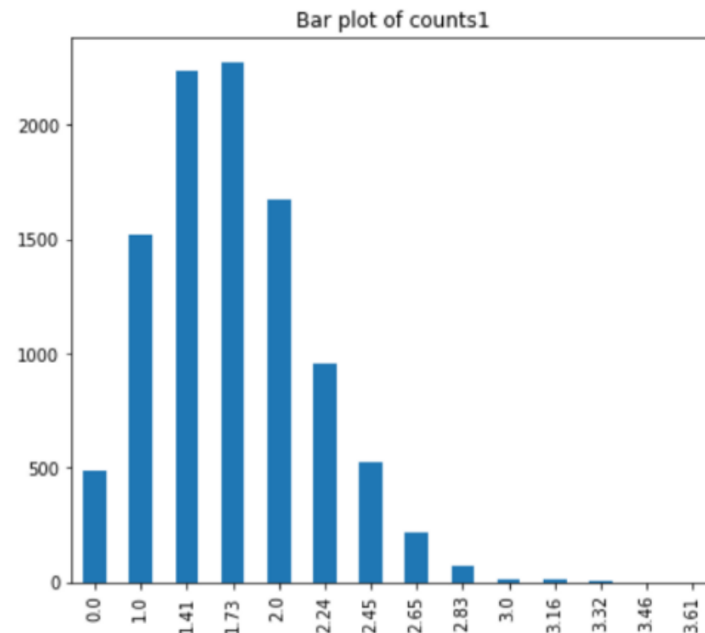
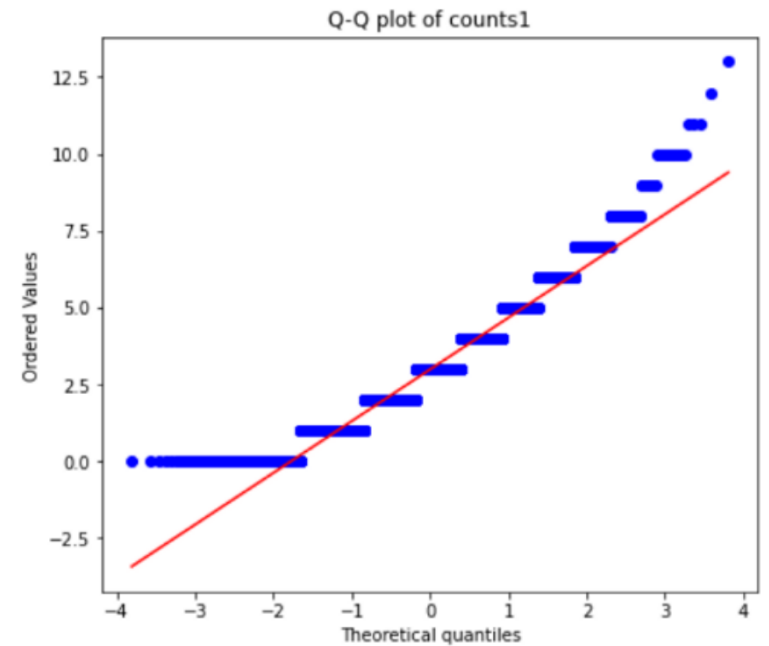
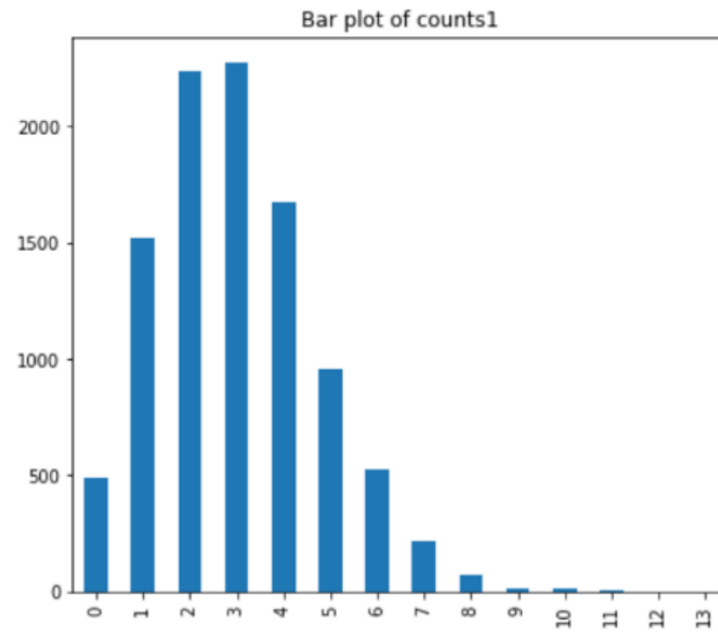
$$X_{\text{new}} = \sqrt{X}$$

$$X_{\text{new}} = X^{1/2}$$



# Square-root

Example with a toy variable with a Poisson distribution.





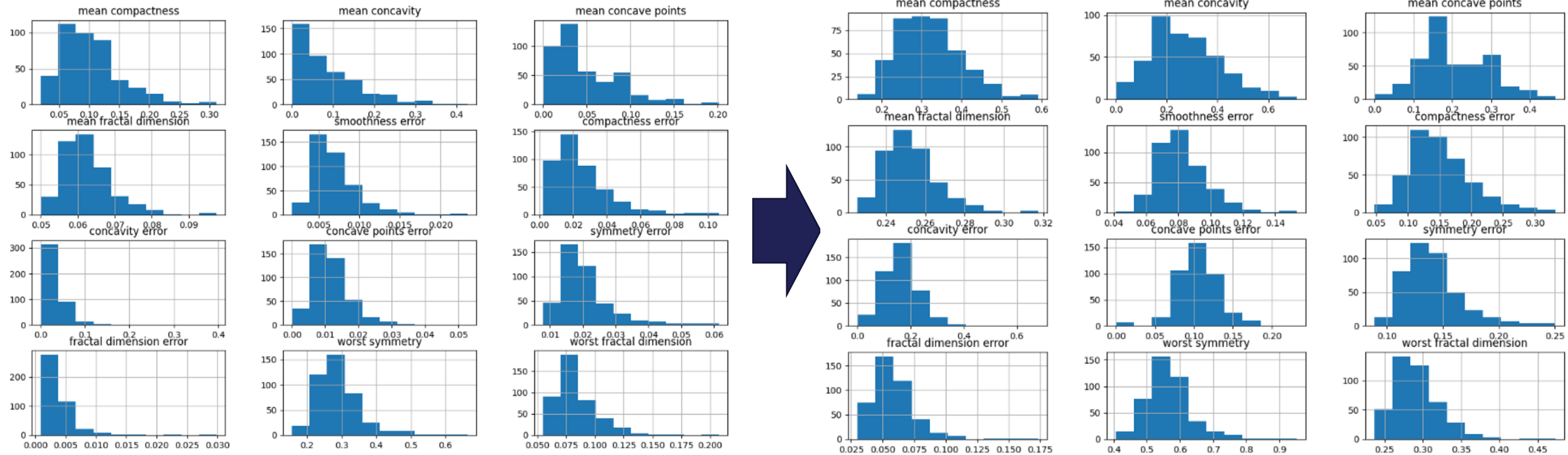
# Arcsin

The arcsin square root transformation helps in dealing with probabilities, percentages, and proportions.

The variable (X) varies between 0 and 1.

$$X_{\text{new}} = \arcsin(\sqrt{x})$$

# Arcsin



Breast cancer dataset.

# Power

$$X_{\text{new}} = X^{\text{lambda}}$$

Lambda needs to be optimized.

As general guidance:

- If data is right-skewed (i.e. more observations around lower values), use  $\text{lambda} < 1$ .
- If data is left-skewed (i.e. more observations around higher values), use  $\text{lambda} > 1$ .

# THANK YOU

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