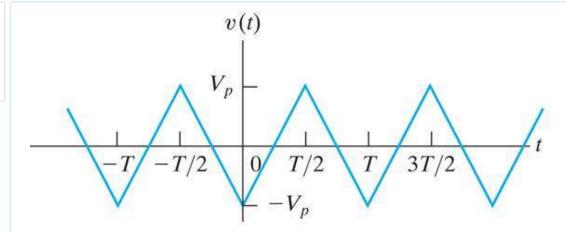
# Home ► My courses ► EEE117-2017S-Tatro ► Homework ► Homework 14 - Chapter 16

Started on	Sunday, 7 May 2017, 7:27 PM
State	Finished
Completed on	Sunday, 7 May 2017, 10:34 PM
Time taken	3 hours 6 mins
Grade	<b>100.00</b> out of 100.00

## Question 1

Correct

Mark 11.00 out of 11.00



P16.13b\_10ed

Use waveform symmetry and find the Fourier series coefficients for this periodic waveform.

Given over the time range zero to T/2.

a) Find a<sub>v</sub>.

$$a_v = \boxed{0}$$
 Volts

b) Find a<sub>k</sub>.

$$a_k = (-8) \sqrt{(k\pi)^2}$$
 Volts for k odd

c) Find b<sub>k</sub>.

$$b_k = 0$$
 for all k

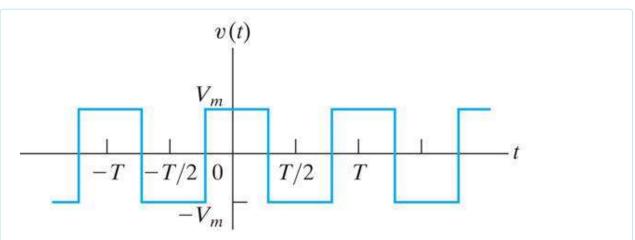
b) 
$$a_k = -8V_p /(k\pi)^2$$
 Volts for k odd

c) 
$$b_k = 0$$
 for all k

### Correct

Correct

Mark 11.00 out of 11.00



P16.13a\_10ed

Use waveform symmetry and find the Fourier series coefficients for this periodic waveform.

a) Find a<sub>v</sub>.

$$a_v = \boxed{0}$$
 Volts

b) Find a<sub>k</sub>.

$$a_k = (4 V_m/\pi) \sin(k\pi/2)$$
 Volts for k odd

c) Find b<sub>k</sub>.

$$b_k = \boxed{0}$$
 for all k

b) 
$$a_k = (4V_m/\pi) \sin(k\pi/2) \text{ Volts for k odd}$$

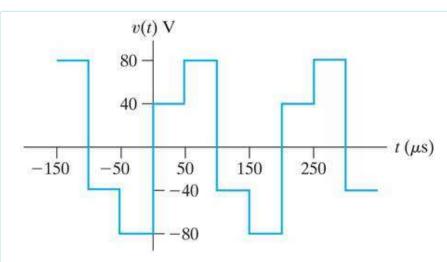
c) 
$$b_k = 0$$
 for all k

### Correct



Correct

Mark 11.00 out of 11.00



P16.19a\_9ed

Given:

$$v(t)\!=\!\tfrac{-80}{\pi}\!\sum_{n=1,3,5,\dots}^{\infty}\!\tfrac{1}{n}\!\sin\!\left(\tfrac{\pi n}{2}\right)\!\cos\!\left(n\,\omega_{\,0}t\right)\!+\!\tfrac{240}{\pi}\!\sum_{n=1,3,5,\dots}^{\infty}\!\tfrac{1}{n}\!\sin\!\left(n\,\omega_{\,0}t\right)$$

Rewrite the Fourier Series for this waveform using the Alternative Trigonometric Form given by

$$f(t) = a_v + \sum_{n=1}^{\infty} A_n \cos(n\omega_0 t - \theta_n)$$

The alternate form is

For n = 1, 5, 9, ... 
$$A_n = 252.96$$
 /  $n\pi$ 

angle 
$$\theta_{\rm n} = \left[ -108.44 \right] \circ \text{(Degrees, CW from the origin)}$$

For n = 3, 7, 11,...
$$A_n = 252.98$$
  $\checkmark$  /  $n\pi$ 

and angle 
$$\theta_n = \boxed{-71.56}$$
  $\checkmark$  ° (Degrees, CW from the origin)

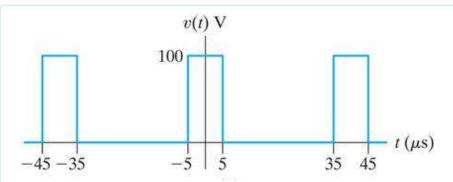
CW = Clock-wise

$$v(t)\!=\!\tfrac{-80}{\pi}\!\sum_{n=1,3,5,\ldots}^{\infty}\!\tfrac{1}{n}\!\sin\!\left(\tfrac{\pi n}{2}\right)\!\cos\!\left(n\,\omega_{\,0}t\right)\!+\!\tfrac{240}{\pi}\!\sum_{n=1,3,5,\ldots}^{\infty}\!\tfrac{1}{n}\!\sin\!\left(n\,\omega_{\,0}t\right)$$

Correct

Correct

Mark 11.00 out of 11.00



P16.19b 9ed

Given:

$$v(t) = 25 + \frac{200}{\pi} \sum_{n=1}^{\infty} \frac{1}{n} \sin\left(\frac{\pi n}{4}\right) \cos(n\omega_0 t) Volts$$

The Fourier Series for this waveform using the Alternative Trigonometric Form given by

$$f(t) = a_v + \sum_{n=1}^{\infty} A_n \cos(n\omega_0 t - \theta_n)$$

Determine:

The average value  $a_v = 25$  Volts

$$A_1 = 45.01$$
 Volts and  $\theta_1 = 0$  (Degrees)

$$A_2 = 31.83$$
  $\checkmark$  Volts and  $\theta_2 = 0$   $\checkmark$  ° (Degrees)

$$A_3 = \begin{bmatrix} 15 \end{bmatrix}$$
 Volts and  $\theta_3 = \begin{bmatrix} 0 \end{bmatrix}$  ° (Degrees)

$$A_4 = 0$$
 Volts and  $\theta_4 = 0$  • (Degrees)

$$A_5 = \begin{bmatrix} -9.003 \end{bmatrix}$$
 Volts and  $\theta_5 = \begin{bmatrix} 0 \end{bmatrix}$  ° (Degrees)

$$v(t) = 25 + \frac{200}{\pi} \sum_{n=1}^{\infty} \frac{1}{n} \sin\left(\frac{\pi n}{4}\right) \cos(n\omega_0 t - 0^\circ) Volts$$

$$A_1 = 45.0158 \text{ Volts} \quad \text{and} \quad \theta_1 = 0^{\circ}$$

$$A_2 = 31.8310 \text{ Volts} \quad \text{and} \quad \theta_2 = 0^{\circ}$$

$$A_3 = 15.0053 \text{ Volts} \text{ and } \theta_3 = 0^{\circ}$$

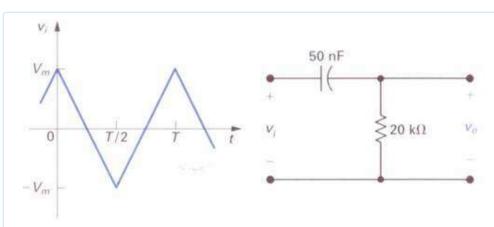
$$A_4 = 0$$
 (zero) Volts and  $\theta_4 = 0^{\circ}$ 

$$A_5 = -9.0032$$
 Volts and  $\theta_5 = 0^\circ$ 

Correct

Correct

Mark 11.00 out of 11.00



P16.23\_6ed

Given:  $v(t) = 450 \pi^2 \text{ mV (milli V)}$  with a period  $T = 2\pi \text{ ms (milli sec)}$   $(\pi = \text{pi})$ .

The periodic triangular –wave voltage is applied to the circuit shown.

Find the circuit's response  $v_0(t)$  by using the first three nonzero Fourier series terms.

You should be able to simplify the Fourier series to

$$v_{0,1}(t) = 2.545$$
  $\checkmark \cos(1000$   $\checkmark t + 45$   $\checkmark \circ)$  Volts  $v_{0,3}(t) = 38$   $\checkmark \cos(3000$   $\checkmark t + 18.43$   $\checkmark \circ)$  Volts  $v_{0,5}(t) = 141$   $\checkmark \cos(5000$   $\checkmark t + 11.31$   $\checkmark \circ)$  Volts

$$v_{0,1}(t) = 2.5456\cos(1,000t + 45.0^{\circ})$$

$$v_{0.3}(t) = 0.3795\cos(3,000t + 18.43^{\circ})$$
 Volts

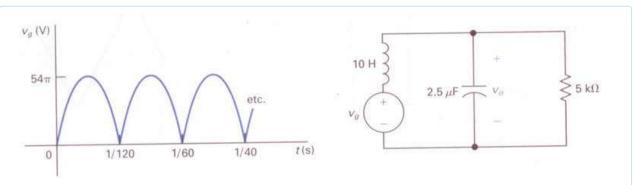
$$v_{0,5}(t) = 0.1412\cos(5,000t + 11.31^{\circ}) \text{ Volts}$$

$$v(t) = 2.5456\cos(1,000t + 45.0^{\circ}) + 0.3795\cos(3,000t + 18.43^{\circ}) + 0.1412\cos(5,000t + 11.31^{\circ})$$
 Volts

#### Correct

Correct

Mark 11.00 out of 11.00



P16.27\_6ed

The full-wave rectified sine-wave voltage is applied to the circuit shown.

Find the circuit's response  $\boldsymbol{v}_0(t)$  by using the first four nonzero Fourier series terms.

$$v_{0,avg}(t) = \begin{bmatrix} 108 & \checkmark & Volts \\ v_{0,1}(t) = \begin{bmatrix} 5.41 & \checkmark & cos(240 & \checkmark & \pi t + 6.51 & \checkmark & ^{\circ}) \text{ Volts} \\ v_{0,2}(t) = \begin{bmatrix} .2575 & \checkmark & cos(480 & \checkmark & \pi t + 3.08 & \checkmark & ^{\circ}) \text{ Volts} \\ v_{0,3}(t) = \begin{bmatrix} .049 & \checkmark & cos(720 & \checkmark & \pi t + 2 & \checkmark & ^{\circ}) \text{ Volts} \\ \end{bmatrix}$$

$$v_{0'avg}(t) = 108 \text{ Volts}$$

$$v_{0,1}(t) = 5.4143 \cos(240\pi t + 6.51^{\circ}) \text{ Volts}$$

$$v_{0.2}(t) = 0.2575 \cos(480\pi t + 3.09^{\circ}) \text{ Volts}$$

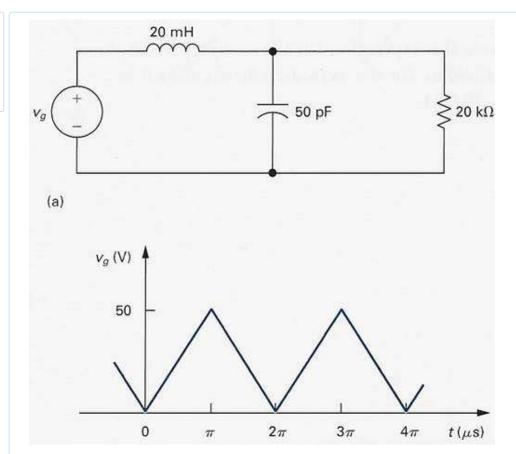
$$v_{0'3}(t) = 0.0486 \cos(720\pi t + 2.04^{\circ})$$
 Volts

$$v(t) = 108 + 5.4143 \, \cos(240\pi t + 6.51^\circ) + 0.2575 \, \cos(480\pi t + 3.09^\circ) + 0.0486 \, \cos(720\pi t + 2.04^\circ)$$
   
 Volts

## Correct

Correct

Mark 11.00 out of 11.00



P16.38 6ed

The triangular-wave voltage source is applied to this circuit.

The equation for the function =  $50 \times 10^6 \text{ t/m}$  for  $0 \le \text{t} \le \text{m}$  µs (micro sec)

Estimate the average power delivered to the 20 k $\Omega$  (kilo (Ohm) resistor when the circuit is in steady-state operation.

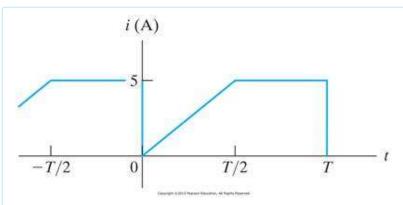
$$P_{20\Omega,\text{steady-state}} = \boxed{41.64} \quad \text{wW (milli W)}$$

 $P_{20\Omega}$ ,steady-state = 41.532 mW

Correct

Correct

Mark 11.00 out of 11.00



P16.33\_10ed

The periodic current waveform is applied to a 2.5 k $\Omega$  (kilo Ohm) resistor.

Given: 
$$i(t) = \frac{I_m}{T_m} t$$
 for  $0 \le t \le T/2$  and  $i(t) = I_m$  for  $T/2 \le t \le T$  where  $I_m = 5$  A

a) Use the first three nonzero terms in the Fourier Series representation of i(t) to estimate the average power dissipated in the 2.5 kW (kilo Ohm) resistor.

$$P_{2.5 \text{ kΩ,estimate}} = 40.4$$
 kW (kilo Watt)

b) Calculate the exact value of the average power dissipated in the 2.5 k $\Omega$  (kilo Ohm) resistor. Hint: You must use the rms integral for the current waveform.

$$P_{2.5 \text{ k}\Omega,\text{exact}} = 41.67$$
 kW (kilo Watt)

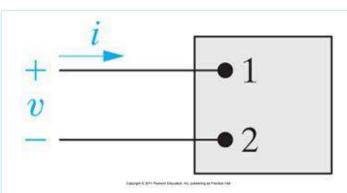
b) Calculate the exact value of the average power dissipated in the 2.5 k $\Omega$  (kilo Ohm) resistor.

- a)  $P_{2.5 \text{ kW,estimate}} = 40.3974 \text{ kW}$
- b)  $P_{2.5 \text{ kW,exact}} = 41.6667 \text{ kW}$
- c) % error = -3.046%

#### Correct

Correct

Mark 12.00 out of 12.00



P16.35\_6ed

The voltage and current at the terminals of this network are

$$v(t) = 80 + 200 \cos(500t + 45^{\circ}) + 60 \sin(1,500t)$$
 Volts

$$i(t) = 10 + 6 \sin(500t + 75^\circ) + 3 \cos(1,500t - 30^\circ)$$
 Amps

a) What is the average power at element's terminals?

$$P = \boxed{1145}$$
 W

b) What is the rms value of the voltage?

$$V_{\rm rms} = \begin{bmatrix} 167.93 & V_{\rm rms} \end{bmatrix}$$

c) What is the rms value of the current?

$$I_{rms} = \boxed{11.06} \qquad \checkmark \quad A_{rms}$$

b) 
$$V_{rms} = 167.9286 V_{rms}$$

c) 
$$I_{rms} = 11.0680 I_{rms}$$

#### Correct