Started on Thursday, 10 November 2016, 1:05 PM

State Finished

Completed on Thursday, 10 November 2016, 1:05 PM

Time taken 6 secs

Grade 79.67 out of 100.00

Question 1

Correct

Mark 10.00 out of 10.00

P9.06 6ed

Use the concept of the phasor to combine the following sinusoidal functions into a single trigonometric express.

The time domain form is assumed to be similar to $x(t) = \cos(\omega t + \varphi^{\circ})$

a)
$$x(t) = 100 \cos(300 t + 45^\circ) + 500 \cos(300 t - 60^\circ)$$

$$x(t) = 483.86$$
 $\sqrt{\cos(300t + -48.49)}$

b)
$$y(t) = 250 \cos(377 t + 30^{\circ}) - 150 \sin(377 t + 140^{\circ})$$

$$y(t) = 120.5$$
 $\checkmark \cos (377 t + 4.8)$

c)
$$v(t) = 60 \cos(100 t + 60^{\circ}) - 120 \sin(100 t - 125^{\circ}) + 100 \cos(100 t + 90^{\circ})$$

$$v(t) = \begin{bmatrix} 152.88 & \checkmark & \cos(100 t + (32.94) & \checkmark & \circ \end{bmatrix}$$

d)
$$w(t) = 100 \cos(\omega t + 40^{\circ}) + 100 \cos(\omega t + 160^{\circ}) + 100 \cos(\omega t - 80^{\circ})$$

$$w(t) = \begin{bmatrix} 0 & \checkmark & \cos(\omega t + \delta) \end{bmatrix}$$

Numeric Answer

a)
$$x(t) = 483.858 \cos (300 t - 48.48^{\circ})$$

b)
$$y(t) = 120.512 \cos (377 t + 4.80^{\circ})$$

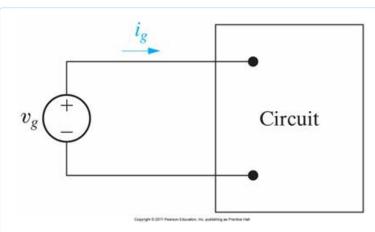
c)
$$v(t) = 152.877 \cos (100 t + 32.94^{\circ})$$

d)
$$w(t) = 0 \cos (\omega t + 0^{\circ})$$

Correct

Correct

Mark 10.00 out of 10.00



P9.12_9ed

The expressions for the steady-state voltage and current at the terminals of the circuit are

$$v_g = 300 \cos(5,000 \pi t + 78^\circ) V$$

 $i_g = 6 \sin(5,000 \pi t + 123^\circ) A$

a) What is the impedance seen by the source? Write in rectangular form.

$$Z = 35.36$$
 $\checkmark + j 35.36$ $\checkmark \Omega (Ohm)$

b) By how much time t in microseconds is the current out of phase with the voltage?

$$i_g$$
 lags v_g by 50 \checkmark μs (micro sec)

Numeric Answer

a)
$$Z = 35.355 + j 35.355 \Omega$$

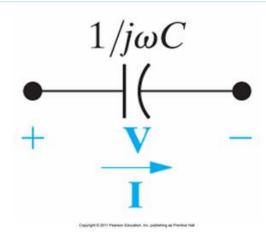
b)
$$t_{lag} = 50 \ \mu s$$

Correct

Question $\bf 3$

Correct

Mark 10.00 out of 10.00



AP9.04_9ed

The voltage across the terminals of the 5 μF (micro F) capacitor is 30 cos (4,000 t + 25°) V.

a) Calculate the capacitive reactance.

$$X_C = \boxed{-50}$$
 Ohms

b) Calculate the impedance of the capacitor.

$$Z_C = j$$
 -50 \checkmark Ohms

c) Calculate the phasor current I.

d) Write the steady-state expression for i(t).

$$i(t) = 0.6$$
 $\checkmark \cos (4000$ $\checkmark t + 115$ \checkmark °) Amps

Numeric Answer

a)
$$X_C = -50 \Omega$$
 (Ohm)

b)
$$Z_C = -j50 \Omega$$
 (Ohm)

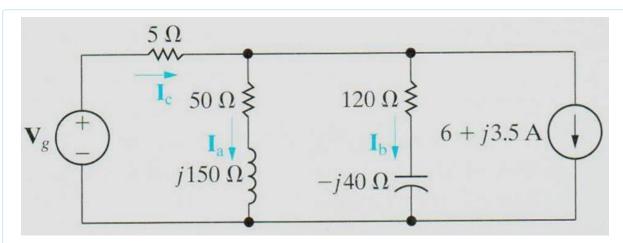
c)
$$I = 0.6D115^{\circ} \text{ Volts}$$

d)
$$i(t) = 0.6 \cos (4,000t + 115^{\circ}) \text{ Volts}$$

Correct

Partially correct

Mark 1.67 out of 10.00



P9.40_7ed

Given the phasor current $I_a = 2$ at angle 0° A (magnitude 2 with angle 0 degrees Amps).

Find the following phasor values:

$$I_b$$
 = Magnitude 2.5 with Angle -53.12 \times ° (Degrees) Amps I_c = Magnitude 9.61 \times with Angle 8.95 \times ° (Degrees) Amps V_g = Magnitude 427.51 \times with Angle -37.9 \times ° (Degrees) Volts

Numeric Answer

I_b = 2.5 at angle 90° A

I_c = 10.0 at angle 36.87° A

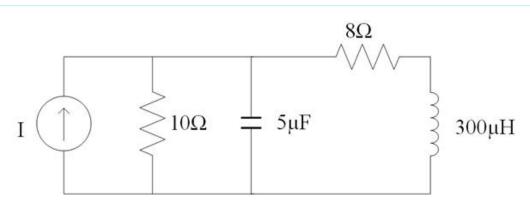
V_g = 358.469 at angle 67.01° V

Partially correct

Marks for this submission: 1.67/10.00. Accounting for previous tries, this gives 1.67/10.00.

Correct

Mark 10.00 out of 10.00



P9.16_9ed

Given: $I = 922 \cos(20,000 t + 30^\circ) A$.

What is the phasor voltage in polar form across the current source? Use the polarity of "top" equals positive voltage and "bottom" equals the reference node.

$$|V| = 5000.25$$
 V

Angle = 17.47 \checkmark (Degrees)

Numeric Answer

|V| = 5,000.25 V

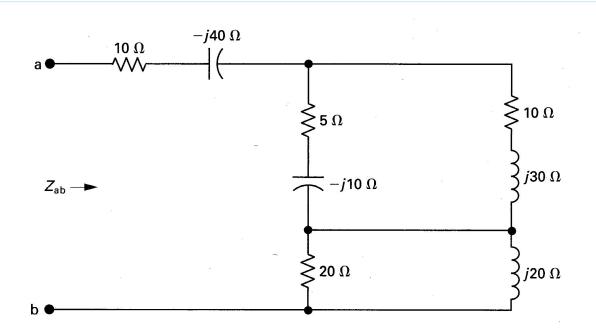
Angle = 17.47 Degrees

Correct

Question $\bf 6$

Correct

Mark 10.00 out of 10.00



P9.23_6ed

Find the impedance Zab in this circuit.

$$Zab = \boxed{30} \checkmark + j \boxed{-40} \checkmark \Omega \text{ (Ohms) in rectangular form}$$

$$Zab = Mag \boxed{50} \checkmark \text{ and Angle } \boxed{-53.15} \checkmark \circ \text{(Degrees) } \Omega \text{ (Ohms) in polar form}$$

Numeric Answer

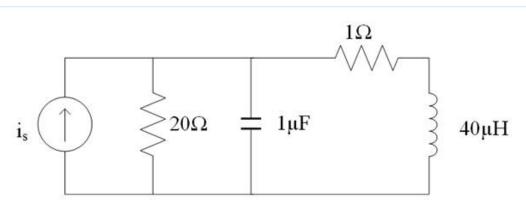
 $Zab = 30 - j 40 \Omega$ (Ohms) in rectangular form

Zab = 50 at angle -53.13° Ω (Ohms) in polar form

Correct

Correct

Mark 10.00 out of 10.00



P9.09_6ed

Given: $i_s = 20 \cos(50,000t - 20^\circ) A$.

Find the time domain voltage across the 20 Ω (Ohm) resistor.

$$v_{20\Omega}(t) = 46.5$$
 $< cos(50,000 t + 34.46)$ $< cos(50,000 t)$

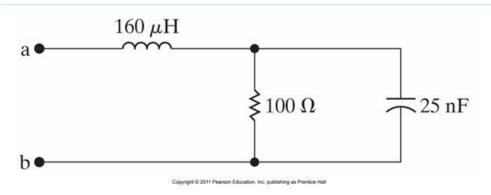
Numeric Answer

$$v_{20W}(t)| = 46.5 \cos(50,000 t + 34.46^{\circ}) \text{ Volts}$$

Correct

Correct

Mark 10.00 out of 10.00



P9.25_9ed

a) Find the frequency (in radians per second) at which the impedance Z_{ab} of this circuit appears purely resistive.

$$\omega$$
 (omega) = 300 \checkmark k rad/sec (kilo rad/sec)

b) Find the value of Z_{ab} at the frequency of a).

$$Z_{ab} = \begin{bmatrix} 64 & \sqrt{\Omega} & (Ohm) \end{bmatrix}$$

Numeric Answer

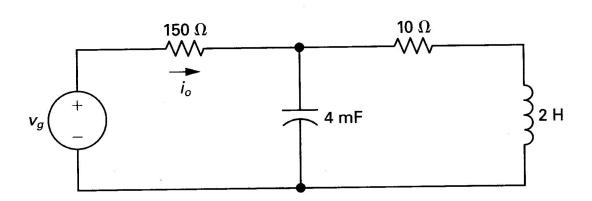
ω (omega) = 300 krad/sec (kilo rad/sec)

$$Z_{ab} = 64 \Omega \text{ (Ohm)}$$

Correct

Partially correct

Mark 8.00 out of 10.00



P9.16_6ed

Given: $v_g = 10 \cos(\omega t) V$.

The frequency ω (Omega) of the input voltage sinusoid is adjusted until the current i_0 is in phase with v_g .

a) Find this frequency in Hz.

$$f = \begin{bmatrix} 1.59 \end{bmatrix} \checkmark Hz$$

b) Find the equivalent impedance at this frequency.

$$Z_{Eq} = 50 \times \Omega \text{ (Ohm)}$$

c) Find the time domain current $i_0(t)$ at this frequency.

$$i_0(t) = 50$$
 $\checkmark \cos(10$ $\checkmark t + 0$ \checkmark °) mA (milli A)

Numeric Answer

a)
$$f = 1.592 \text{ Hz}$$

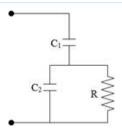
b)
$$Z_{Eq} = 200 \Omega \text{ (Ohm)}$$

c)
$$i_0(t) = 50 \cos(10 t) \text{ mA}$$

Partially correct

Incorrect

Mark 0.00 out of 10.00



Given:

$$C_1 = 2.5 \mu F \text{ (micro F)}$$
 $C_2 = 14.2 \mu F \text{ (micro F)}$ $R = 12.4 \Omega \text{ (Ohms)}$

The radian frequency of the driving source is 3,000 rad/sec

Find the equivalent impedance of this circuit.

$$Z_{Eq} = \begin{bmatrix} 12.35 & \times & j \\ -0.00015649452 & \times & \Omega \end{bmatrix}$$
 (Ohms)

Numeric Answer

Real $\{Z_{Eq}\}$ = 9.6948 Ω (Ohms)

 $Imag\{Z_{Eq}\} = \text{- j } 138.4545 \ \Omega \ (Ohms)$

Incorrect