Q1) Initial State: $side1 = \{M,M,M,C,C,C\}$ $side2 = {}$ Goal-State: side1 = {} $side2 = \{M,M,M,C,C,C\}$

State-space:

- 1. Side1{M, M, M, C, C, C}, Side2{} (START STATE)
- 2. Side1{M, C}, Side2{M, M, C, C}
- 3. Side1{C, C}, Side2{M, M, M, C}
- 4. Side1{M, M, M, C}, Side2{C, C}
- 5. Side1{M, M, C, C}, Side2{M, C}
- 6. Side1{}, Side2{M, M, M, C, C, C} (GOAL STATE)

Actions: (from respective State)

- 1. Send (C, C) \Rightarrow goes to state 4, Send (M, C) \Rightarrow goes to state 5
- 2. Send $(M, C) \Rightarrow$ goes to state 6
- 3. Send (C, C) \Rightarrow goes to state 6
- 4. Send $(M, M) \Rightarrow$ goes to state 2
- 5. Send (M, C) => goes to state 2, Send <math>(M, M) => goes to state 3

Path-cost: Each action/move will have 1 unit cost

a)

In a graph search, we keep track of the nodes visited in an explored set, and do not visit or expand them again

In a tree search, we do not keep track of the nodes visited, and there is no explored set, hence the same node can be visited multiple times

b)

A state is a representation of a configuration, a node is a data structure that constitutes part of a search tree, and a node include state, parent, node, action, path cost, depth

C)

The explored set keeps track of the same nodes, the reason being there can be more than one path to the same node

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Q3a)
BFS as a graph search
1. frontier = [a] explored set = [] solution = []
2. frontier = [ab, ac] explored set = [a] solution = []
3. frontier = [ac, abd] explored_set = [b, a] solution = []
4. frontier = [abd] explored set = [c, b, a] solution = []
5. frontier = [abdx] explored set = [d, c, b, a] solution = []
6. frontier = [] explored_set = [x, d, c, b, a] solution = [abdx]
03b)
DFS as a graph search
1.frontier = [a] explored set = [] solution = []
2.frontier = [ac, ab] explored set = [a] solution = []
3.frontier = [acd, ab] explored set = [c, a] solution = []
4.frontier = [acdx, ab] explored set = [d, c, a] solution = []
5.frontier = [ab] explored_set = [x, d, c, a] solution = [acdx]
Q3c) a, b and d
Q3d) a, c, and d
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q4a)
1.frontier = [a] explored set = [] solution = []
2.frontier = [ab, ac] explored set = [a] solution = []
4.frontier = [ac, abd] explored set = [b, a] solution = []
5.frontier = [abd, ace, acf] explored set = [c, b, a] solution = []
6.frontier = [ace, acf, abdh, abdx] explored set = [d, c, b, a] solution = []
7.frontier = [acf, abdh, abdx, acei] explored set = [e, d, c, b, a] solution =
[]
8.frontier = [abdh, abdx, acei] explored set = [f, e, d, c, b, a] solution = []
9.frontier = [abdx, acei] explored set = [h, f, e, d, c, b, a] solution = []
10.frontier = [acei] explored set = [x, h, f, e, d, c, b, a] solution = [abdx]
q4b)
1.frontier = [a] explored set = []solution = []
2.frontier = [ac, ab] explored set = [a] solution = []
3.frontier = [acf, ace, ab] explored set = [c, a] solution = []
4.frontier = [acfi, ace, ab] explored set = [f, c, a] solution = []
5.frontier = [acfih, ace, ab] explored set = [i, f, c, a] solution = []
6.frontier = [acfihx, ace, ab] explored set = [h, i, f, c, a] solution = []
7.frontier = [ace, ab] explored set = [x, h, i, f, c, a] solution = [acfihx]
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q5a) Path cost in brackets
1. frontier = [a(0)] explored set = [] solution = []
2. frontier = [ac(3), ab(5)] explored set = [a] solution = []
3. frontier = [ab(5), acf(8), ace(153)] explored set = [c, a] solution = []
4. frontier = [acf(8), abd(55), ace(153)] explored_set = [b, c, a] solution =
5. frontier = [acfi(11), acfe(13), abd(55), ace(153)] explored set = [f, b, c,
a] solution = []
6. frontier = [acfe(13), acfih(14), abd(55), ace(153)] explored set = [i, f, b, f]
c, a] solution = []
7. frontier = [acfih(14), acfed(15), abd(55), ace(153)] explored set = [e, i, acfine (15), acfed(15), acfe
f, b, c, a] solution = []
8. frontier = [acfed(15), acfihx(24), abd(55), ace(153)] explored set = [h, e,
i, f, b, c, a] solution = []
9. frontier = [acfedx(16), acfihx(24), abd(55), ace(153)] explored set = [d, h, d]
e, i, f, b, c, a] solution = []
10. 9. frontier = [acfihx(24), abd(55), ace(153)] explored set = [x, d, h, e,
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i, f, b, c, a] solution = [acfedx(16)]