

1. project goal:

Analyze and compare different algorithms presented in the paper “New Compression Schemes for Natural Number Sequences” , that use the Haar transform for data compression.

2. Introduction:

Data compression is the process of encoding, restructuring, or otherwise modifying data in order to reduce its size.  
In our Data compression research, we specified the Haar wavelet transform, which is a simple discrete transform.  
We compare the compression performance of two main Haar algorithms applied for lossless compression of integer sequences.  
*Haar Integer* and *Haar New Transform*.

3. Methods and Selected Approach :

The method to compare the efficiency of the algorithms was to measure the bit size compressed message.

| Algorithms:        | compression algorithms :           |
|--------------------|------------------------------------|
| Haar integer       | *Elias code $C\delta$              |
| Haar New Transform | * binary coding<br>* unary coding. |

All the implementations were made in C++

4. Haar Integer and Haar New Transform pseudo codes:

| Algorithm 1: <i>Integer-Haar</i>   | Algorithm 3: <i>New-Transform</i>   |
|--|---|
| $\text{INTEGER-HAAR}(k, a_1, \dots, a_{2^k})$<br>1 for $i \leftarrow 1$ to $2^{k-1}$ do<br>2 $b_{i+2^{k-1}} \leftarrow (a_{2i-1} - a_{2i}) \bmod 2$<br>3 $h_{i+2^{k-1}} \leftarrow \lfloor \frac{1}{2}(a_{2i-1} - a_{2i}) \rfloor$<br>4 $z_i \leftarrow \lfloor \frac{1}{2}(a_{2i-1} + a_{2i}) \rfloor$<br>5 if $k = 1$ then<br>6   return $(z_1, (b_1) h_1)$<br>else<br>7 $(y_1, \dots, y_{2^{k-1}}) \leftarrow \text{INTEGER-HAAR}(k-1, z_1, \dots, z_{2^{k-1}})$<br>8   return $(y_1, \dots, y_{2^{k-1}}, (b_{1+2^{k-1}}) h_{1+2^{k-1}}, \dots, (b_{2^k}) h_{2^k})$ | $\text{NEW-TRANSFORM}(k, a_1, \dots, a_{2^k})$<br>1 for $i \leftarrow 1$ to $2^{k-1}$ do<br>2 $d_i \leftarrow \lfloor \frac{1}{2}(a_{2i-1} - a_{2i}) \rfloor$<br>3 $z_i \leftarrow a_{2i-1} + a_{2i}$<br>4 if $k = 1$ then<br>5   return $(z_1, d_1)$<br>else<br>6 $(y_1, \dots, y_{2^{k-1}}) \leftarrow \text{NEW-TRANSFORM}(k-1, z_1, \dots, z_{2^{k-1}})$<br>7   return $(y_1, \dots, y_{2^{k-1}}, d_1, \dots, d_{2^{k-1}})$ |

5. Solution Description:

(1) Is a example of an array ,(2) is the changes that each haar algorithm performs on the array variables, (3) a table contain the size of the compressed massge for each algorithm ,(4) contain the result of the better Haar algorithm for each compression in a 100k random arrays

(1)-Array example:

1985 1931 1849 1797 1425 1419 1363 1360

(2)-Haar algorithms :

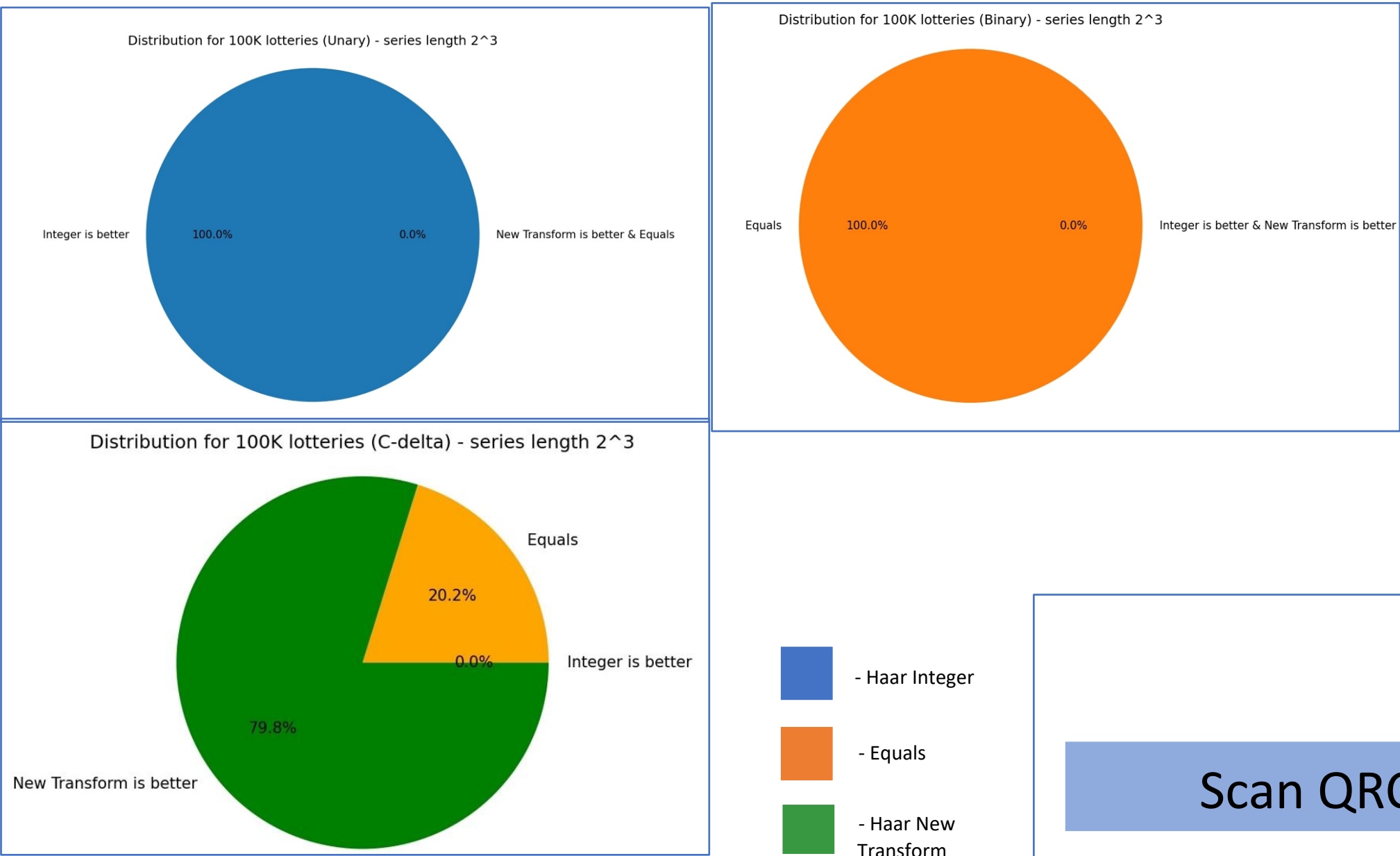
Integer-Haar:

|      |      |      |      |  |      |      |      |
|------|------|------|------|--|------|------|------|
| 1    | 2    | 3    | 4    | 5  | 6    | 7    | 8    |
| 1985 | 1931 | 1849 | 1797 | 1425                                     | 1419 | 1363 | 1360 |
| 1958 |      | 1823 |      | 1422                                     |      | 1361 |      |
| 1890 |      |      |      | 1391                                     |      |      |      |
|      |      |      |      | (1)249                                   |      |      |      |
| 1640 |      |      |      | (1)249                                   |      |      |      |
| 1640 |      |      |      | (1)249 (1)67 (1)30 (0)27 (0)26 (0)3 (1)1 |      |      |      |

Haar New Transform:

|        |      |       |      |                      |      |       |      |
|--------|------|-------|------|----------------------|------|-------|------|
| 1      | 2    | 3     | 4    | 5                    | 6    | 7     | 8    |
| 1985   | 1931 | 1849  | 1797 | 1425                 | 1419 | 1363  | 1360 |
| 3,916  |      | 3,646 |      | 2,844                |      | 2,723 |      |
| 7,565  |      |       |      | 5,567                |      |       |      |
|        |      |       |      | 135 60               |      |       |      |
|        |      |       |      | 13,132 999           |      |       |      |
| 13,132 |      |       |      | 999 135 60 27 26 3 1 |      |       |      |

(4)-100K Array(2^3 variables) bit size diagrams



(3)-bit size result table

| Compression algorithm        | Elias code $C\delta$ | binary coding | unary coding |
|------------------------------|----------------------|---------------|--------------|
| Haar algorithm               |                      |               |              |
| Haar integer: bit size       | 97                   | 51            | 2,062        |
| Haar New Transform: bit size | 87                   | 51            | 14,386       |

Scan QRCode for full Instructions(github)

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