

CSC 411: Assignment #3

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Problem 1

The dataset contains headlines including the word “Trump”. The quality of the dataset is generally good since there is a large variety of vocabularies included.

By observing, we can see that the fake news’ headlines are generally longer than the real news’ headlines.

Except for “Donald” and “Trump”, the most frequent words are “to”, “for”, etc, but they do not mean a lot. The top meaningful words in total are “Clinton”, “election” and “president”. This infers that most news are regarding the 2017 presidential election and especially between Donald Trump and Hilary Clinton.

The statistics for the three words are generated through part1 in fake.py and the results are given below in Listing 1. We can see that although “Clinton” has the largest word count, most of them appear in the fake news. Reports that include “election” are more likely to be real news.

Listing 1: statistic results

```
[clinton]:
    real: 83
    fake: 132
    total: 215
[election]:
    real: 87
    fake: 74
    total: 161
[president]:
    real: 66
    fake: 64
    total: 130
```

Problem 2

The Naive Bayes algorithm is implemented in `naive_bayes` in `util.py`. To tune the parameters m and \hat{p} , we try using naive bayes on different value of m and \hat{p} and pick one that has the best performance on the validation set. The range of test values for m was from 1 to 10, and for \hat{p} was from 0.05 to 0.95. The returned optimum values were $m = 1$ and $\hat{p} = 0.05$.

To deal with small multiplication, a `small_product` function was implemented in `util.py`. It takes in a list of small values and uses the fact that $\prod_{i=1}^N a_i = \exp(\sum_{i=1}^N \log(a_i))$ to compute the value of $p(a_1, a_2, \dots, a_n) = p(a_1)p(a_2) \dots p(a_n)$

The performance on training set, validation set and test set is given below:

Listing 2: Performance

```
train performance = 0.954108391608
validation performance = 0.78936605317
test performance = 0.775051124744
```

Problem 3

1. The results are produced by part3 in fake.py and are listed below.

$$P(c|word) = \frac{P(word|c) \times P(c)}{P(words)} \text{ where}$$

$$P(c) = \frac{\text{count}(c)}{\text{count}(\text{total})}, P(word|c) = \frac{\text{count}(\text{word in } c)}{\text{count}(c)} \text{ and } P(word) = \frac{\text{count}(\text{word in } c)}{\text{count}(\text{total})}$$

$P(c|not \text{ word})$ follows with similar calculations.

The most important presence for predicting a class means $P(c|word)$ must be high and the most important absence for predicting a class means $P(c|not \text{ word})$ must be high.

2. After removing the stop words like “to”, “us”, “in”, and etc, we get the results in b.
3. The stop words are very likely to appear no matter what class the headline is, so including them will not mean a lot.

Listing 3: top results

```
a:
Real:
top 10 important presence:
    ['trump', 'donald', 'to', 'us', 'trumps', 'in', 'on',
     'of', 'says', 'for']
top 10 important absence:
    ['kommonsentsjane', 'lord', 'tired', 'miller', '270',
     'elegant', 'battleground', 'fingers', 'salbuch', 'cult']

Fake:
top 10 important presence:
    ['trump', 'to', 'the', 'donald', 'in', 'of', 'for', 'a', 'and', 'on']
top 10 important absence:
    ['hanging', 'marching', 'regional', 'hearin', 'piling',
     'jennett', 'loathing', 'deferred', 'decry', 'lgbt']

b:
Real:
top 10 important presence:
    ['trump', 'donald', 'trumps', 'says', 'election',
     'clinton', 'north', 'korea', 'ban', 'president']

Fake:
top 10 important presence:
    ['trump', 'donald', 'hillary', 'clinton', 'election',
     'just', 'new', 'president', 'obama', 'america']
```

Problem 4

The logistic regression is implemented in `logistic_regression.py`. The parameters α and λ are selected using the similar method as in Problem 2. The two parameters were assigned to various values and the optimum value is the pair where the validation set performs the best. The final $\alpha = 0.0001$ and $\lambda = 0.001$.

Using this pair of parameters, the final logistic regression model gives the learning curve as in Fig.1.

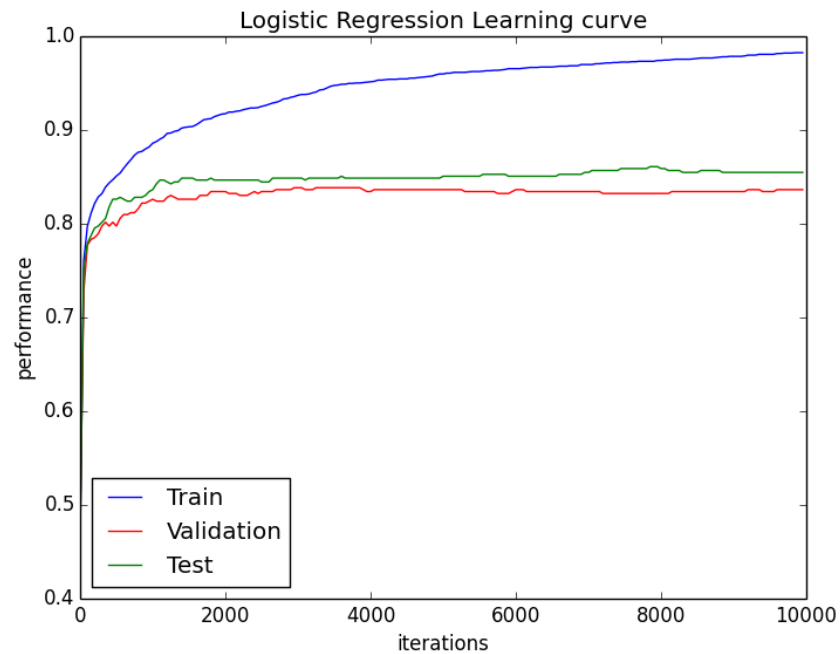


Figure 1: caption

Problem 5

For Naive Bayes, $\theta_0 = P(c)$, and $\theta_i = P(w_i, c)$ and $I_i(x) = \frac{1}{P(w_i)}$. The calculated result is $\frac{P(c|w_i)}{P(w_i)}$ but w_i does not matter here so when the calculated value is greater than a threshold, we can say that the word combination is likely to produce a real or fake headline.

For Logistic Regression, θ_i s are the weights in the network. I_i s are the identity function that indicates whether the word w_i is present. If the calculated output is greater than a specific threshold, then the output will be real.

Problem 6

Problem 7

Problem 8