

Table S3. Model Description

Equations:

$$\begin{aligned}
 d(ERG)/dt &= \frac{k15}{1+(DRG/J15)^2} - k16 * ERG & (1) \\
 d(DRG)/dt &= k17p * ERG + \frac{k17*(DRG/J17)^2}{1+(DRG/J17)^2} - K18 * DRG & (2) \\
 d(ppRB)/dt &= v29 + v30 + v43 - v44 & (3) \\
 d(E2F)/dt &= v29 + v45 + v47 - v46 - v48 + ke2f * E2F * mass - kde2fcdc20 * E2F * Cdc20A \\
 &\quad - kde2fcdh1 * E2F * Cdh1 & (4) \\
 d(pE2F)/dt &= v30 + v49 + v46 - v47 - v50 - kde2fcdc20 * pE2F * Cdc20A - kde2fcdh1 * pE2F * Cdh1 & (5) \\
 d(Rb)/dt &= v44 + v45 + v49 - v48 - v50 - v43 & (6) \\
 d(E2FRB)/dt &= v51 + v48 - v52 - v29 - v45 & (7) \\
 d(pE2FRB)/dt &= v52 + v50 - v51 - v30 - v49 & (8) \\
 d(actCycD)/dt &= k9 * DRG + Vdi * TriD + k24r * TriD - k24 * actCycD * freeCKI - k10 * actCycD & (9) \\
 d(TriD)/dt &= k24 * actCycD * freeCKI - k24r * TriD - Vdi * TriD - k10 * TriD & (10) \\
 d(actCycACdk1)/dt &= a1frac * ((ksap + ksapp * E2F + ksappp * TFAB) * mass * 2 + (Vdi + kdia) * TriA) \\
 &\quad - (Vda + kasa * freeCKI) * actCycACdk1 & (11) \\
 d(actCycACdk2)/dt &= (1 - a1frac) * ((ksap + ksapp * E2F + ksappp * TFAB) * mass * 2 + (Vdi + kdia) * TriA) \\
 &\quad - (Vda + kasa * freeCKI) * actCycACdk2 & (12) \\
 d(actCycB)/dt &= Vsb * mass * 2 + V25 * (cycB - actCycB) - (Vdb + Vwee) * actCycB & (13) \\
 d(actCycE)/dt &= (ksep + ksepp * E2F) * mass * 2 + (Vdi + kdie) * TriE - (Vde + kase * freeCKI) * actCycE & (14) \\
 d(cycA)/dt &= (ksap + ksapp * E2F + ksappp * TFAB) * mass * 2 - Vda * cycA & (15) \\
 d(cycB)/dt &= Vsb * mass * 2 - Vdb * cycB & (16) \\
 d(cycE)/dt &= (ksep + ksepp * E2F) * mass * 2 - Vde * cycE & (17) \\
 d(CKI)/dt &= Vsi - Vdi * CKI & (18) \\
 d(Cdh1)/dt &= \frac{(kah1p+kah1pp*Cdc20A)*(1-Cdh1)}{Jah1+1-Cdh1} - \frac{(kih1pp*(actCycACdk1+actCycACdk2)+kih1ppp*actCycB)*Cdh1}{Jih1+Cdh1} & (19) \\
 d(preMPF)/dt &= Vwee * (cycB - preMPF) - (V25 + Vdb) * preMPF & (21) \\
 d(TriA)/dt &= kasa * (cycA - TriA) * freeCKI - (kdia + Vda + Vdi) * TriA & (22) \\
 d(APCP)/dt &= \frac{kaAPC*actCycB*(1-APCP)}{JaAPC+1-APCP} - \frac{kiAPC*APCP}{JiAPC+APCP} & (23) \\
 d(Cdc20A)/dt &= \frac{ka20*APCP*(Cdc20T-Cdc20A)}{Ja20+Cdc20T-Cdc20A} - (\frac{ki20}{Ji20+Cdc20A} + kd20) * Cdc20A & (24) \\
 d(Cdc20T)/dt &= (ks20pp * actCycB)/(J20 + actCycB) - kd20 * Cdc20T & (25) \\
 d(mass)/dt &= u * mass & (26)
 \end{aligned}$$

Definitions:

$$\begin{aligned}
v29 &= E2FRB * (K20 * ((actCycD + TriD) * LD + LA * (actCycACdk1 + actCycACdk2) \\
&\quad + LB * actCycB + LE * actCycE)) \\
v30 &= pE2FRB * (K20 * (LD * (actCycD + TriD) + LA * (actCycACdk1 + actCycACdk2) \\
&\quad + LB * actCycB + LE * actCycE)) \\
v43 &= RB * (K20 * (LD * (actCycD + TriD) + LA * (actCycACdk1 + actCycACdk2) \\
&\quad LB * actCycB + LE * actCycE)) \\
v44 &= ppRB * (K19a * (PP1T - PP1A) + K19 * PP1A) \\
v45 &= K26R * E2FRB \\
v46 &= E2F * (K23a * (actCycACdk1 + actCycACdk2) + K23b * actCycB) \\
v47 &= K22 * pE2F \\
v48 &= K26 * E2F * RB \\
v49 &= K26R * pE2FRB \\
v50 &= K26 * RB * pE2F \\
v51 &= K22 * pE2FRB \\
v52 &= E2FRB * (K23a * (actCycACdk1 + actCycACdk2) + K23b * actCycB) \\
Vatf &= katfpp * (actCycACdk1 + actCycACdk2) + katfppp * actCycE + katfpppp * actCycD \\
Vde &= kdep + kdep * actCycE + kdep * (actCycACdk1 + actCycACdk2) + kdep * actCycB \\
Vda &= kdap + kdapp * Cdc20A + kacdh1 * Cdh1 \\
TFAB &= G(kafab * (actCycACdk1 + actCycACdk2), kifb, Jafb, Jifb) \\
Vsi &= ksip \\
Vsb &= ksbp + ksbpp * TFAB + ksbppp * actCycB + ksbppp * E2F \\
Vdb &= kdbp + kdbpp * Cdh1 + kdbppp * Cdc20A \\
Wee1 &= G(kawee, kiwee * (actCycACdk1 + actCycACdk2) + kiweeb * actCycB, Jawee, Jiwee) \\
Vwee &= kweep + kweep * Wee1 \\
Cdc25 &= G(ka25 * actCycB, ki25p, Ja25, Ji25) \\
V25 &= k25p + k25pp * Cdc25 \\
Vdi &= (kdip + kdipp * (actCycACdk1 + actCycACdk2) + kdipp * actCycB + kdipp * actCycE) \\
TriE &= cycE - actCycE \\
freeCKI &= CKI - TriA - TriE - TriD \\
CdkCycBCKI &= cycB - actCycB - preMPF \\
Cdk1PCycB &= cycB - actCycB \\
PP1A &= PP1T / K21 * (FE * (actCycACdk1 + actCycACdk2 + actCycE) + FB * actCycB + 1)
\end{aligned}$$

Where $G(\dots)$ is the Goldbeter-Koshland Function:

$$B(A_1, A_2, A_3, A_4) = A_2 - A_1 + A_3 * A_2 - A_4 * A_1$$

$$G(A_1, A_2, A_3, A_4) = \frac{2 * A_4 * A_1}{B(A_1, A_2, A_3, A_4) + \sqrt{B(A_1, A_2, A_3, A_4)^2 - 4 * (A_2 - A_1) * A_3 * A_1}}$$

Kinetic Rate Constants:

a1frac	=	0.081283	kah1p	=	155.8708	ksep	=	1.562461
FB	=	2	kah1pp	=	176350	ksepp	=	8.8175
FE	=	25	kasa	=	19733.57	ksip	=	390.9926
J15	=	0.1	kase	=	19733.57	kweep	=	234.8312
J17	=	0.3	katfpp	=	58.70692	kweepp	=	17635
J20	=	100	katfppp	=	97.80724	LA	=	30
Ja20	=	0.005	katfpppp	=	77.63932	LB	=	0.5
Ja25	=	0.005	kaweeep	=	13.8188	LD	=	3.3
JaAPC	=	0.01	kd20	=	17.635	LE	=	10
Jafb	=	0.01	kdap	=	0.516094	PP1T	=	1
Jah1	=	0.15	kdapp	=	2645.25	u	=	0.693937
Jatf	=	0.01	kdbp	=	0.853181			
Jawee	=	0.05	kdbpp	=	176.35			
Jaweeb	=	0.05	kdbppp	=	387.97			
Ji20	=	0.005	kde2fcdc20	=	881.75			
Ji25	=	0.031623	kde2fcdh1	=	1.7635			
JiAPC	=	0.001	kdep	=	1.961012			
Jifb	=	0.001	kdepp	=	1.973357			
Jih1	=	0.01	kdeppp	=	176.35			
Jitf	=	0.01	kdepppp	=	3527			
Jiwee	=	0.05	kdia	=	196.0783			
k10	=	88.175	kdie	=	196.0783			
k15	=	5.2905	kdip	=	196.0783			
k16	=	44.0875	kdipp	=	978.0688			
k17	=	2645.25	kdippp	=	1960.837			
k17p	=	2.64525	kdipppp	=	978.0688			
k18	=	176.35	ke2f	=	4.2324			
K19	=	35.27	ki20	=	17.635			
K19a	=	440.875	ki25p	=	35.27			
K20	=	176.35	kiAPC	=	3.862259			
K21	=	1	kifb	=	9.827456			
K22	=	3.527	kih1pp	=	17635			
K23a	=	0.17635	kih1ppp	=	1763.5			
K23b	=	1.7635	kitfp	=	48.96181			
k24	=	1763.5	kitfpp	=	19.60836			
k24r	=	176.35	kitfppp	=	19.60836			
k25p	=	61.474	kiwee	=	0.145			
k25pp	=	30515.96	kiweeb	=	5			
K26	=	17635	ks20pp	=	105.81			
K26R	=	35.27	ksap	=	16.75325			
k9	=	45.851	ksapp	=	0.10581			
ka20	=	292.669	ksappp	=	20.28025			
ka25	=	8.85277	ksbp	=	6.7013			
kaAPC	=	2.33401	ksbpp	=	15.8715			
kacdh1	=	264.525	ksbppp	=	1.7635			
kafab	=	0.296268	ksbpppp	=	0.617225			