

# 3\_2\_Distributed control systems over Controller Area Network (CAN) communication bus

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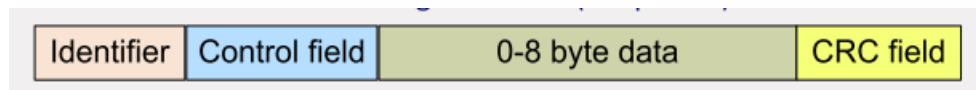
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## 1. CAN

### Introduction

- simple and robust broadcast bus
- speed up to 1 Mbit

### Message Frame



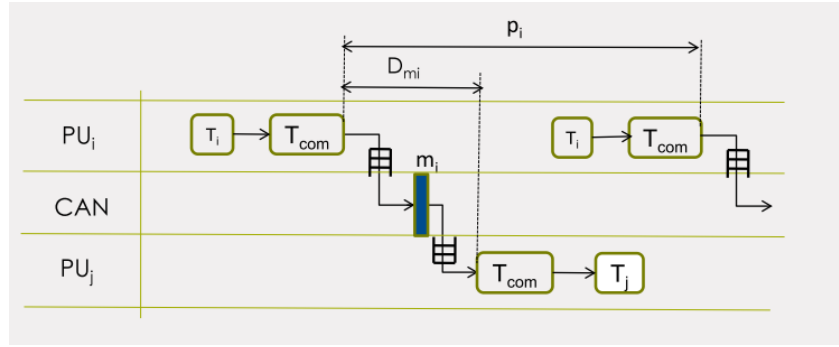
- Identifier indicates the priority of the message
- It helps the receiving PU to filter out the messages that they not interested in

### Arbitration Mechanism

- messages are sent as if **all the PUs on the network shared a single global priority-based queue**
- fixed priority non-preemptive scheduling

### Scheduling Model

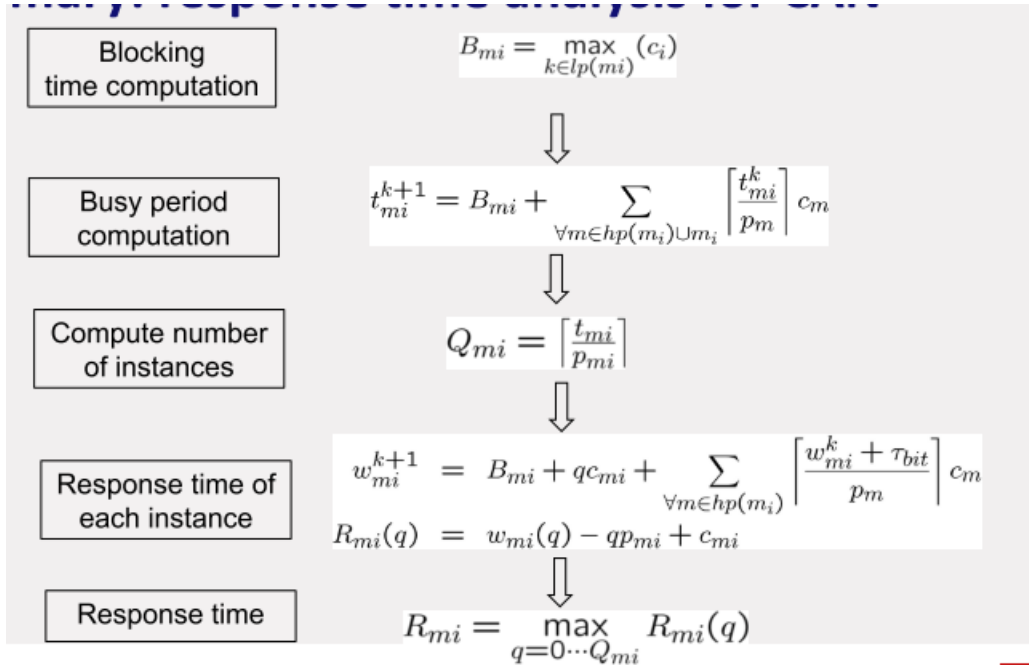
- message size  $s_i$ :  $c_i = s_i \tau_{bit}$
- period  $p_i$  with unique priority  $i$  and hard deadline  $D_{m_i}$



### Schedulability

- A message is said to be **schedulable** if and only if  $R_{mi} \leq D_{mi}$
- The system is **schedulable** if and only if all of the messages in the system are schedulable
- The timing behavior of the CAN messages is considered to be a same as **scheduling periodic non-preemptive tasks on uniprocessor**.
- The **worst-case scenario** for CAN message is the one arising at the critical instant when all the messages are generated simultaneously

## 2. FPNP Policies



### Response Time Analysis

$$R_{mi} = w_{mi} + c_i$$

where

$w_{mi}$  is queuing delay

## Busy Period

### Block Time

The queuing delay  $w_{mi}$  includes blocking time  $B_{mi}$  due to lower priority messages which may be in the process of being transmitted when message  $m_i$  is queued:

$$B_{mi} = \max_{k \in lp(mi)} c_i$$

### Busy Period

$$t_{mi}^{k+1} = B_{mi} + \sum_{\forall m \in hp(mi) \cup m_i} \left\lceil \frac{t_{mi}^k}{p_{mi}} \right\rceil c_{mi}$$

- start as  $t_{mi}^0 = c_{mi}$
- stop when  $t_{mi}^{k+1} = t_{mi}^k$
- converge guaranteed when  $U_{mi} = \sum_{\forall m \in hp(mi) \cup m_i} \frac{c_{mi}}{p_{mi}} < 1$

## Response Time

$t_{mi} < p_i$ :

one instance the message  $m_i$  arrives at within busy period, the busy period will be the response time

$t_{mi} > p_i$ :

- multiple instance of the message arrives within the busy period

$$Q_{mi} = \left\lceil \frac{t_{mi}}{p_{mi}} \right\rceil$$

- In this case, the response time analysis should compute the response time all  $Q_{mi}$  instances, the response time of the message is the **longest** among them

$$w_{mi}^{k+1} = B_{mi} + q c_{mi} + \sum_{\forall m \in hp(mi)} \left\lceil \frac{w_{mi}^k(q) + \tau_{bit}}{p_{mi}} \right\rceil c_{mi}$$

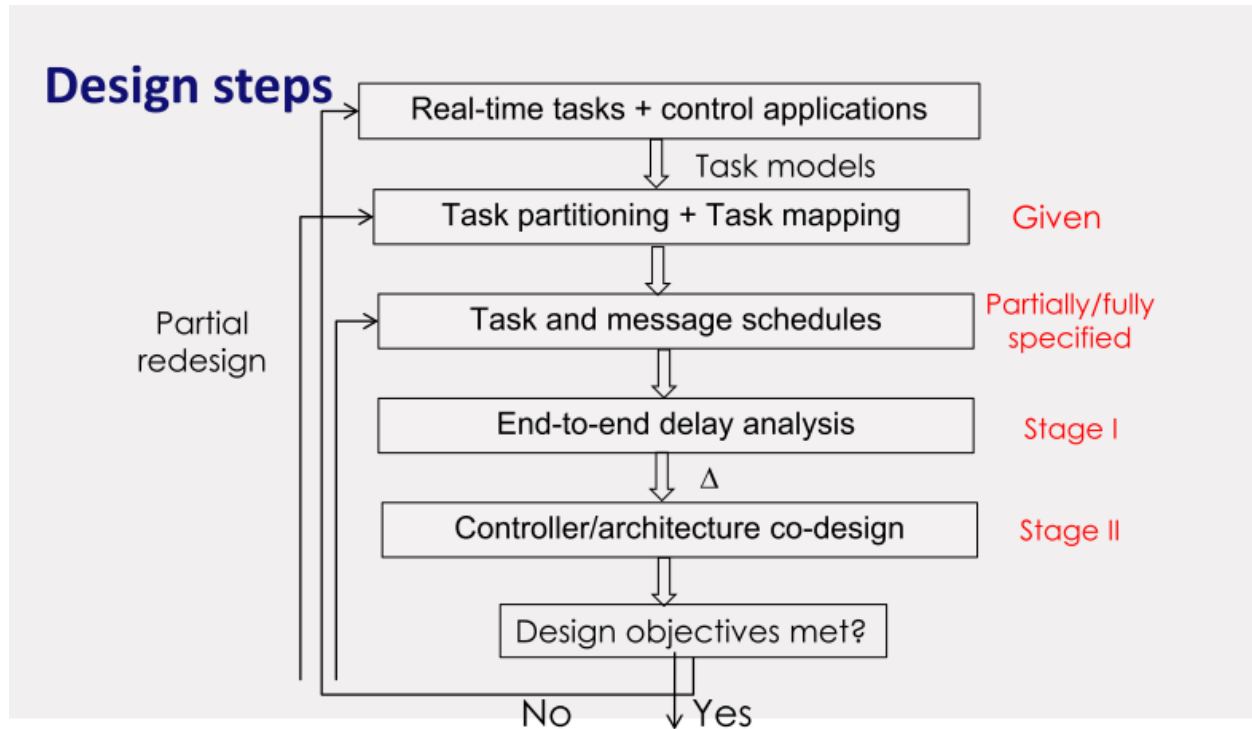
$$R_{mi}(q) = w_{mi}(q) - q p_{mi} + c_{mi}$$

initialization and termination:

$$w_{mi}^0(q) = B_{mi} + qc_{mi}$$

$$w_{mi}^{k+1}(q) = w_{mi}^k(q)$$

### 3. Distributed Embedded Controllers



### Design Example