# Week 13 Word Distributed Representation

#### Wang Maoquan

Department of Computer Science, East China Normal University

December 5, 2016

#### **Outline**

- Word Vector
- Distributional Representation
  - Distributional Semantic Models (Matrix Factorization)
  - Distributed Representation (Neural Netword)
- Measurement
- Conclusion



#### **Word Vector**

#### One-hot Representation

- without semantic information
- curse of dimensionality

#### Distributional Hypothesis

words that occur in the same contexts tend to have similar meanings (Harris, 1954)

#### **Distributed Representation**

Mapping words to K-dimensionality vector space Learning distributed representations of concepts [Hinton, 1986]



## Distributional Representation

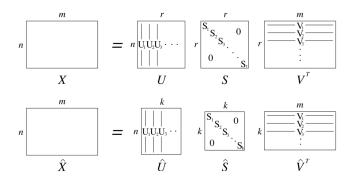
- Distributional Semantic Models (Matrix Factorization)
- Distributed Representation (Neural Netword)

## Window based Co-occurence Matrix

- I like deep learning.
- I like NLP.
- I enjoy flying.

counts	1	like	enjoy	deep	learning	NLP	flying	
1	0	2	1	0	0	0	0	0
like	2	0	0	1	0	1	0	0
enjoy	1	0	0	0	0	0	1	0
deep	0	1	0	0	1	0	0	0
learning	0	0	0	1	0	0	0	1
NLP	0	1	0	0	0	0	0	1
flying	0	0	1	0	0	0	0	1
	0	0	0	0	1	1	1	0

## **SVD** of Co-occurence Matrix



•  $\hat{X}$  is the best rank k approximation to X, in terms of least squares



## Distributional Semantic Models

- Choose of context (word-document, word-word, word-Ngram)
- element value of Matrix (The co-occurrence frequency)
- (optional) Matrix Factorization (SVD, NMF, CCA, HPCA)



## Language Model

#### Language Model Unified Definition

$$p(s) = p(w_1, w_2, ..., w_n) = \prod_{t=1}^{T} p(w_i | Context)$$
 (1)

n-gram

$$p(s) = \prod_{t=1}^{l} p(w_t | w_{t-1}, ..., w_{t-n+2}, w_{t-n+1})$$
 (2)

there n = 2, 3 (Bigram, Trigram)

n-pos

$$p(s) = p(s) = \prod_{t=1}^{T} p(w_t|c(w_{t-n+1}), c(w_{t-n+2}), ..., c(w_{t-1}))$$
(3)

## Language Model

$$p(w_i|w_{i-(n-1)},...,w_{i-1}) = \frac{count(w_{i-(n-1),...,w_{i-1},w_i})}{count(w_{i-(n-1),...,w_{i-1}})}$$
(4)

#### cons

- Choose of n
- 2 Long range dependent problem
- Oata Sparseness Problem → Smoothing

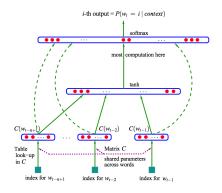
## **Distributed Representation**

#### Models

- Neural Network Language Model (NNLM) [Bengio, 2003]
- Log-Bilinear Language Model (LBL) [Hinton, 2007]
- Recurrent Neural Network Language Model (RNNLM) [Mikolov, 2012]
- C&W [Collobert and Weston, 2008]
- Word2Vec [Tomas, 2013]
- Sentiment Embeddings [Tangdy, 2014]



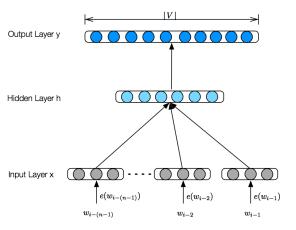
## Neural Network Language Model



$$y = b + Wx + Utanh(d + Hx)$$
 (5)

$$P(w_t|w_{t-1},...,w_{t-n+1}) = \frac{e^{y_{w_t}}}{\sum_i e^{y_{w_i}}}$$
 (6)

## Neural Network Language Model



$$P(w_i|w_{i-(n-1)},\ldots,w_{i-1}) = rac{e^{y(w_i)}}{\sum_{k=1}^{|V|} e^{y(v_k)}}$$

$$y = b^{(2)} + Wx + Uh$$

$$h = tanh(b^{(1)} + Hx)$$

$$x = [e(w_{i-(n-1)}); \dots; e(w_{i-2}); e(w_{i-1})]$$

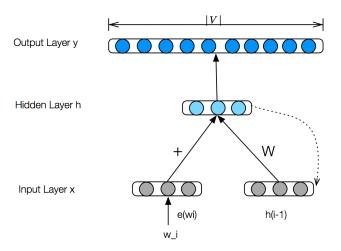
## Log-Bilinear Language Model

Three New Graphical Models for Statistical Language Modelling [Mnih,Hinton, 2007]

$$y(w_i) = b^2 + e(w_i)^T b^1 + e(w_i)^T H[e(w_{i-(n-1)}); ...; e(w_{i-2}); e(w_{i-1})]$$
 (7)

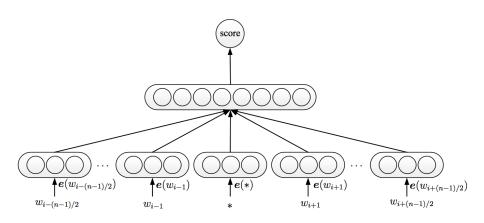
13 / 18

# Recurrent Neural Network based Language Model



$$h(i) = \phi(e(w_i) + Wh(i-1)) \tag{8}$$

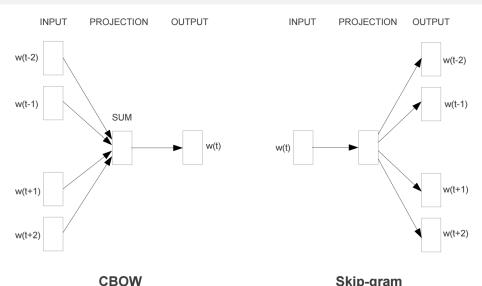
## C&W



(9)



## Word2Vec



Skip-gram

### Measurement

- linguistic characteristics (word similarity, tfl, sem, syn)
- use word vector as features (avg for classification, named entity recognition)
- input as other neural networks (CNN, RNN, LSTM, MNT)



## Conclusion

Model	Relation of w, c	Representation of c
Skip-gram	c predicts w	one of c
CBOW	c predicts w	average of c
Order	c predicts w	concatenation
LBL	c predicts w	compositionality
NNLM	c predicts w	compositionality
C&W	scores w, c	compositionality

