

I have completed this assignment individually, without support from anyone else. I hereby accept that only the below listed sources are approved to be used during this assignment:

- (i) course textbook
- (ii) all material that is made available to me by the professor
- (iii) notes taken by me during lectures

I have not used, accessed or taken any unpermitted information from any other source. Hence, all effort belongs to me.

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Node {
    Node next;
    double coeff;
    int power;
}

Node CreateNode (coeff, power) {
    new Node (coeff, power);
}

Node addNode (head, coeff, power) {
    if (no head) {
        new head;
    }
    else
        go to last node
        if (powers are same) add coeff;
        else new node (coeff, power);
    return head;
}

Node multiply (Node1, Node2) {
    Node3 = null;
    Node first;
    Node second;

    while (first != null)
        while (second != null)
            addNode (Node3, coeff1 * coeff2, power1 + power2);
            Second++;
            First++;
    topOrder (Node3);
    return Node3;
}

```

```

Node add (Node1, Node2) {
    Node first;
    Node second;
    Node3;

    while (first != null) {
        add first to 3;
    }
    while (second != null) {
        add second to 3;
    }
    topOrder (Node3);
    return Node3;
}

```

```

TopOrder (Node3)
Node first;
Node second;
while (1 != null)
    while (2 != null)
        if 2.power > 1.power
            swap
        Second++;
        First++;
    return Node3;

```

Time complexity

adding node is $O(n)$
 topOrder is $O(n)$
 Node is $O(n)$
 add is $O(n)$
 multiply is $n \cdot m = O(n^2)$
 so overall time complexity is $O(n^2)$

Space complexity

each node has double coeff, Node next and int power
 n nodes take $O(n)$ space. Multiplying takes n by m space. n is first polynomial, m is second polynomial. m needs. Addition takes $n + m = O(n)$ space. Node number is less than m and n . In topOrder, there are 4 variables which takes $O(n)$ space complexity. Overall space is $O(n^2)$