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SRM Institute of Science and Technology College of Engineering and Technology

Academic Year: 2023-2024 (EVEN)

SRM Nagar, Kattankulathur - 603203, Chengalpattu District, Tamilnadu

C2-Slot SET-A

Test: FT-IV

Course Code & Title: 21MAB203T-Probability and Stochastic Processes Year / Sem: II/IV

Date: 24/04/2024

Duration: 1 hr 40 Minutes.

Max. Marks: 50

	At the end of this course, learners will be able to:			Program Outcomes (PO)												
Cours	Course Outcomes (CO)		Outcomes (CO) Learning Bloom's Level		1	2	3	4	5	6	7	8	9	10	11	12
COI	Evaluate the characteristics of discrete and continuous random variables	4	3	3												
CO2	Explain the model and analyze systems using two-dimensional random variables	4	3	3												
CO3	Classify limit theorems and evaluate upper bounds using various inequalities	4	3	3												
CO4	Analyze the characteristics of random processes	4	3	3			81237		COLUMN TO							
CO5	Examine problems in spectral density functions and linear time-invariant systems	4	3	3												

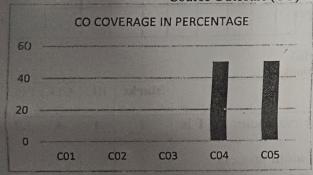
Part-A (1 x 4 = 4 Marks)

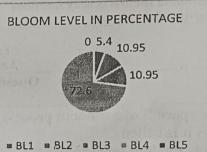
Q. No	Question	Marks	BL	CO	PO
1.	If the state space S of a random process is discrete and the parameter set T is continuous it is called	1	1	4	1,2
	(a) discrete random process (b) continuous random process				
	(c) continuous random sequence (d) discrete sequence				
2.	If the process $\{X(t)\}$ and $\{Y(t)\}$ are orthogonal then $R_{XY}(\tau) =$ (a) 0 (b) -1 (c) 1 (d) $R_{YX}(\tau)$	1	1	4	1,2
3.	If the input of the system is unit impulse then the output is (a) system weighting function (b) linear function	1	1	5	1,2
	(c) linear time invariant system (d) time invariant function				
4.	If a system is such that its input and output are related by a convolution integral then the system is	1	1	5	1,
	(a) unstable (b) transient				
	(c) linear time invariant (d) saturated				

	Part – B (8 x 2 = 16 Marks) Answer any two questions	-			
5.	If $\{X(t)\}\$ is a WSS process with autocorrelation function $R(\tau)=Ae^{-\alpha \tau }$ determine the second order moment of the random variable $X(5)-X(3)$.	8	2	4	1,2
6.	Given the PSD of a continuous process as $S_{XX'}(\omega) = \frac{\omega^2 + 2}{\omega^4 + 13\omega^2 + 36}$ find the mean square value of the process.	8	4	4	1,2
7(i).	Find the mean of the stationary process ({X(t)}) whose $R_{XX}(\tau) = 16 + \frac{9}{1 + 16\tau^2}$	4	3	5	1,2
7(ii).	If the impulse response to the system is given by $h(t)=e^{-t}$, $t \ge 0$ find its power transfer $H(\omega)$.	4	3	5	1,2

	Part – C (15 x 2 = 30 Marks) Answer any two question				
8.	Let two random processes {X(t)} and {Y(T)} be defined as	15	4	4	1,2
	$X(t)= A \cos \omega t + B \sin \omega t$, $Y(t)= B \cos \omega t - A \sin \omega t$ where A and B are random variables, ω is a constant. If $E(A)=E(B)=0$, $E(AB)=0$		1	1331	
	and $E(A^2)=E(B^2)$. Prove that $\{X(t)\}$ and $\{Y(t)\}$ are jointly WSS.			4	1,2
9.	If X(t) and Y(t) are uncorrelated random processes then find ACF	15	4	4	1,2
	of Z if $Z=X(t)+Y'(t)$. Using this ACF find $S_{ZZ}(\omega)$.	-	4	5	1,2
10(i).	The autocorrelation function for a stationary process is given by	8	4	3	-,-
	$RXX(\tau) = 9 + 2e^{- \tau }$. Find the mean value of the random				
	2 and the said line	Erren 21	400000		
	variable $Y(t) = \int X(t)dt$ and variance of $X(t)$.				
10(ii).	The cross power spectrum of a real random process X(t) and Y(t)	7	4	5	1,2
	is given by	and the	are insold		
	$S_{XY}(\omega) = \begin{cases} a + jb\omega & \omega < 1 \\ 0 & otherwise \end{cases}$ Find cross correlation function.	taring to best	base lass	ing of the	

Course Outcome (CO) and Bloom's level (BL) Coverage in Questions





Name of the Student:

Register No.:

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Evaluation Sheet

		Evaluation She	
		Part- A (4* 1= 4 Marks)	
Q. No	CO	Marks Obtained	Total
1	2		The second second second second
2	2		
3	3		
4	3		
		Part- B (8*2= 16 Marks)	
5	2		
6	3		
7(i)	2		
7(ii)	3	2011年1月1日 1月1日 1月1日 1月1日 1月1日 1月1日 1月1日 1月	
		Part- C (15*2= 30 Marks)	PARTIES AND
8	2		
9	3		The state of the s
10(i)	2		
10(ii)	3		

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CO	MIGH
	Marks Scored
CO4	
CO5	
Total	