Project #1: Spatial and Frequency Filtering Instructor: V. Paúl Pauca

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3 Spatial Filtering

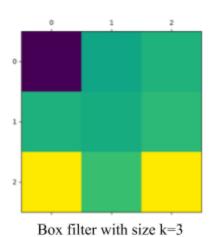
• 3.1 Implementation





Original image

Filtered image



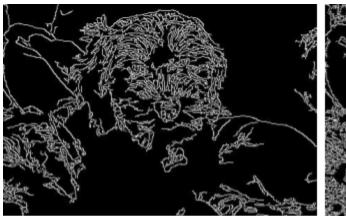
- 3.2 Smoothing, Denoising, and Edge Detection Filters
 - Smoothing and denoising

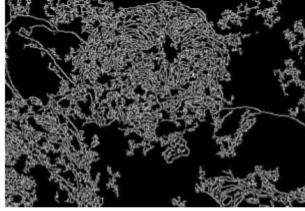


Based on the images above, we notice that as the size of filter increases, the original noisy image is denoised, but the resolution is correspondingly lowered. The Gaussian filter applies a linear operation on the noisy image so the image is smoothed and can be hard to identify the edges. The median filter is a non-linear operation. Since we replace the neighboring pixels with the median

values, the filtered image will appear to preserve the edge but lose some details of the original image.

• Edge detection



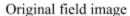


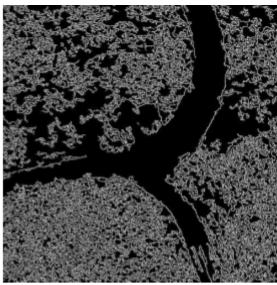
Canny edge detector on original image

Canny edge detector on noisy image

By comparing the original image and the noisy one, we cans see the noisy image has more random variations in color that make it unsmoothed. When they are filtered using Canny edge detector, the original one identifies a clearer sketch for the puppy's shape. Whereas the noisy image has more random edges that makes us harder to distinguish the shape of the puppy.







Canny edge detector image

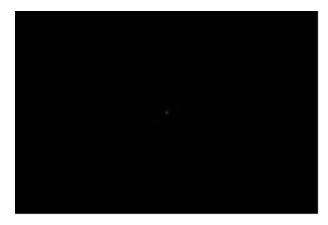
The field image has the trails of bright colors, thus the edges between the trail and forest are easily detected. However, since the forest has shadows and variations in the color of trees, Canny detects an excess of edges in the forest which do not exist. There can be some better ways to extract edges from the noisy data. For example, we can blur the noisy image a little bit first. This way some details of noise will be smoothed and not appear as potential edges. Then we can increase the brightness of the image to the point that causes the color of trails exceeding maximum. Thus the trail will be replaced with an identifiable dark color and the shadows in the forest will be not so obvious to be detected. Therefore, we get an image of better edge for the noisy data.

4 Frequency Analysis

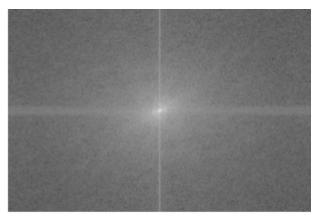
• 4.1 Implementation



Gray puppy image

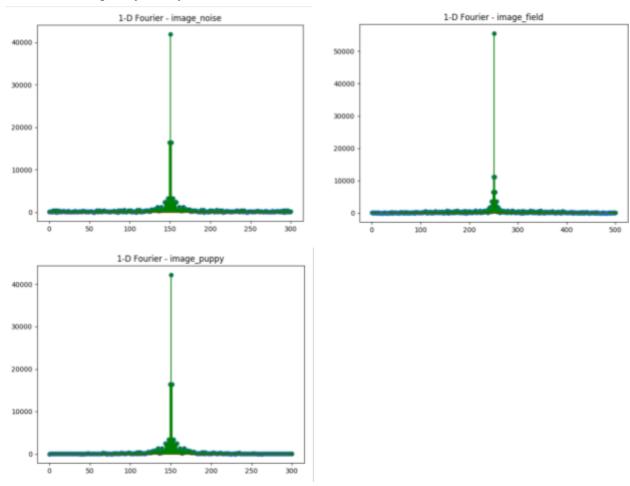


2D-DFT magnitude image



2D-DFT log(magnitude + 1) image

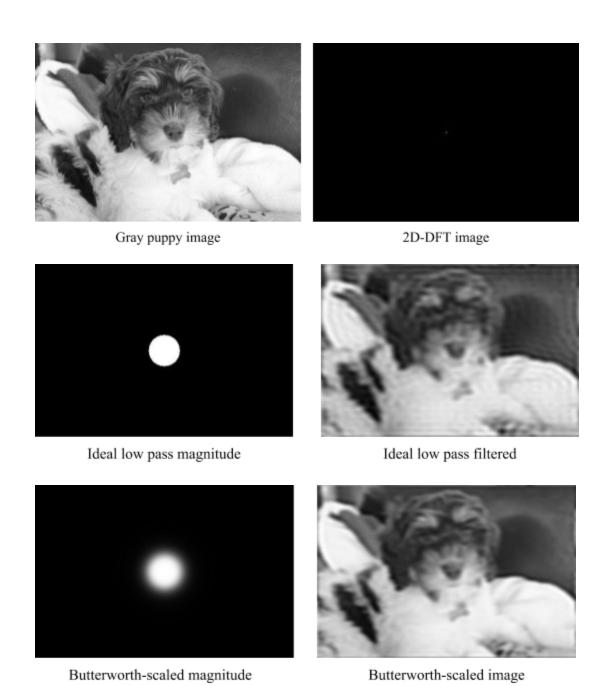
• 4.2 Frequency Analysis



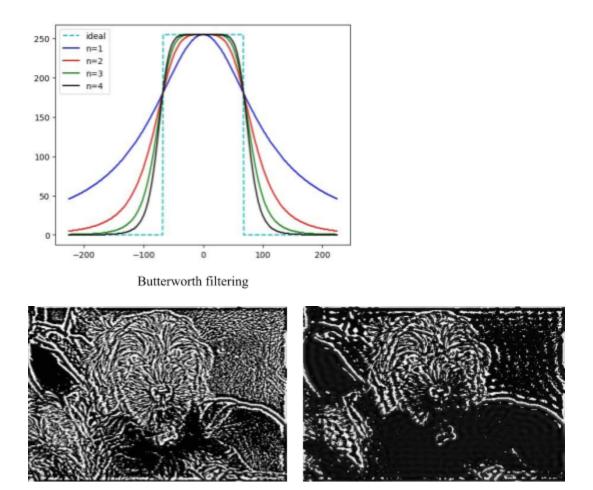
Based on the plots above, there is some correlation between the image content and the decay of the magnitude of the Fourier coefficients. The original puppy image and its noisy one are more similar than to the one with field image in Fourier coefficients. The decays from the middle zero both result about 17000 in frequency, whereas for field image it is about 10000. The effect of noise makes the Fourier coefficients more unsmoothed as well. There is some oscillation on the decay of magnitude.

5 Frequency Filtering

• 5.1 Implementation



• 5.2 Low-pass and High-pass Filtering



Based on the Butterworth filtering plot, we can see that low magnitude of Butterworth filtering is very similar to Gaussian which is symmetric and has a almost normal distribution. As the magnitudes increase, the curves become steeper, which are closely resembling the cylinder-shaped ideal low pass filter. Comparing the Butterworth-scaled and ideal high-pass filters, we see there are more low frequencies pass through the Butterworth filter and results a detail of puppy's hair (high frequencies) and different parts of puppy's body (low frequencies) in contrast to the ideal one which mainly captures the hair on the face of puppy.

Ideal high-pass filtered

Butterworth-scaled

High-pass magnitude