

Subject:

Year:

Month:

Date:

مضامین

۹۵۳۱۱.۷ سرور

$$\det \begin{bmatrix} 1 & 2 & 3 \\ 8 & 9 & 2 \\ 7 & 4 & 0 \end{bmatrix} \Rightarrow 1(40 - 24) - 2(80 - 28) + 3(41 - 42) = -41$$

$$\det \begin{bmatrix} 1+n & 2+n & 3+n \\ 8+n & 9+n & 2+n \\ 7+n & 4+n & 0+n \end{bmatrix} \Rightarrow \det \begin{bmatrix} 1 & 2 & 3 \\ 8 & 9 & 2 \\ 7 & 4 & 0 \end{bmatrix} + \det \begin{bmatrix} n & n & n \\ n & n & n \\ n & n & n \end{bmatrix}$$

$$\Rightarrow \det \begin{bmatrix} 1+n & 2+n & 3+n \\ 8+n & 9+n & 2+n \\ 7+n & 4+n & 0+n \end{bmatrix} = (1+n)(10) - (2+n)(8) + (3+n)(-14) = -12n - 41$$

$$\det \begin{bmatrix} n^1 & n^2 & n^3 \\ n^8 & n^9 & n^2 \\ n^7 & n^4 & n^0 \end{bmatrix} = n(n^{18} - n^{10}) - n^2(n^{14} - n^{11}) + n^3(n^{12} - n^{19}) = n^{10} - n^{11} - n^{12} + n^{13} + n^{14} - n^{19}$$

$$= (-n^1 + n^4 + n^2 - 1)n^{11}$$