

1) Given: $D = 6,750$ paper slicers/year
 $C_s = \$150$ / production run

$Ch = \$1$ / paper slicers/year
 $p = 125$ paper slicers/day

$d = 30$ paper slicers/year

a) $Q^* = \sqrt{\frac{2DC_s}{Ch(1-\frac{d}{p})}}$

$Q^* = \sqrt{\frac{2(6750)(150)}{1(1-\frac{30}{125})}}$

$Q^* = 1,633$ paper slicers/batch

b) $t = \frac{Q}{p}$

$t = \frac{1,633}{125}$

$t = 13$ days / production

c) $\frac{D}{Q} = \frac{6750}{1633}$

= 4.1 productions

= 5 productions run/year

d) $TC_T = TC_S + TC_h$

$TC_T = \frac{D}{Q} C_s + \frac{Q}{2} (1 - \frac{d}{p}) (Ch)$

$TC_T = \frac{6750}{1633} (150) + \frac{1633}{2} (1 - \frac{30}{125}) (1)$

$TC_T = 620.02 + 620.54$

$TC_T = \$1,240.56/\text{year}$ or $\$1,241/\text{year}$

2) Given: $D = 1400$ metal detectors

$I = 10\%$ or 0.10

$C_o = \$25$ / order

Discount Number	Unit Price (c)	Order Quantity (Q)	EOQ	Adjusted Q	Material Cost	Ordering Cost
1	\$400	200	$= \sqrt{\frac{2(1400)(25)}{0.10(400)}}$ = 30 metal detectors/order	200	$= \frac{1400}{200} (400)$ = \$560,000	$= \frac{1400}{200} (25)$ = \$175
2 (5%)	\$380	300	$= \sqrt{\frac{2(1400)(25)}{0.10(380)}}$ = 31 metal detectors/order	300	$= 1400 (380)$ = \$532,000	$= \frac{1400}{300} (25)$ = \$116.67

Holding Cost	Total Cost
$= \frac{200}{2} (0.10 \times 400)$ = \$8,000	$= 560,000 + 175 + 8,000$ = \$568,175
$= \frac{300}{2} (0.10)(380)$ = 11,400	$= 532,000 + 116.67 + 11,400$ = \$543,516.67

x Dorsey should take the discount number 2, with a unit price of \$380 and an Order quantity of 300 metal detectors. Since discount number 2 has the lowest total cost of them all/two.