

# **Artificial Intelligence for Games**

# Game AI

Game intelligence  $\neq$  intelligence

Game AI is the illusion of intelligence.

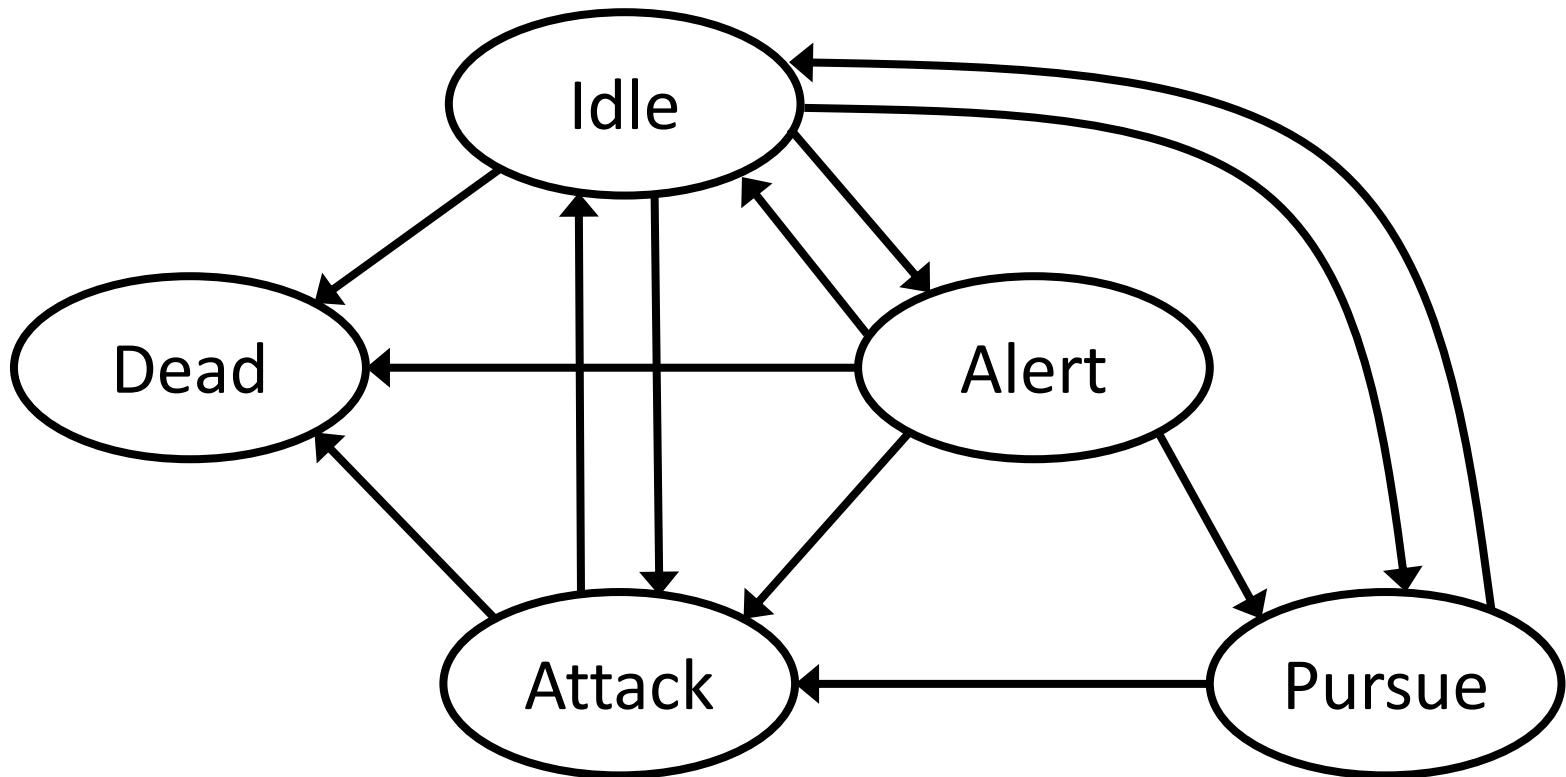
# Scientific AI

- Robust
- Domain independent
- Computationally expensive

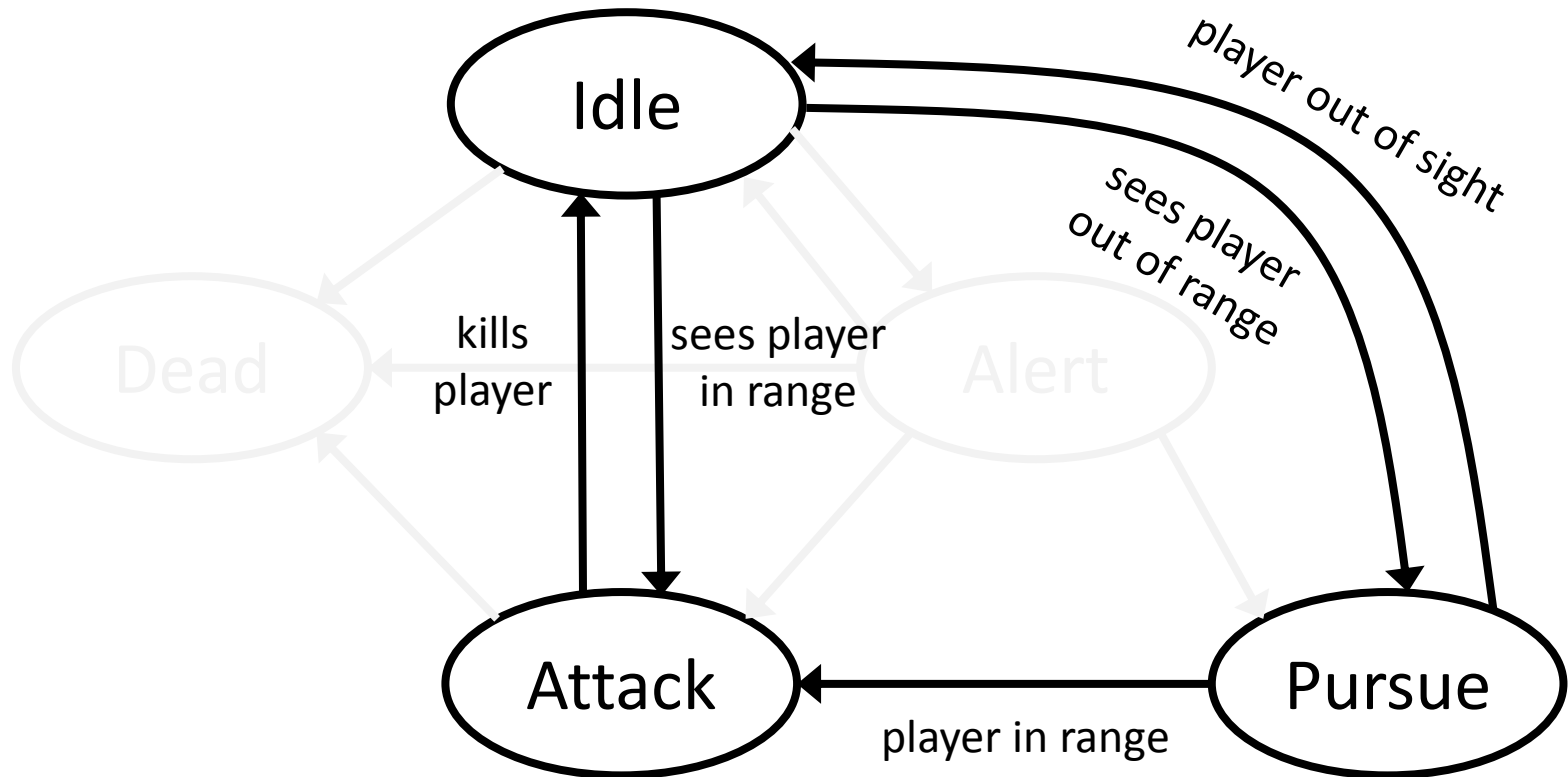
# Game AI

- Simple
- Game specific
- Low-order polynomial time only

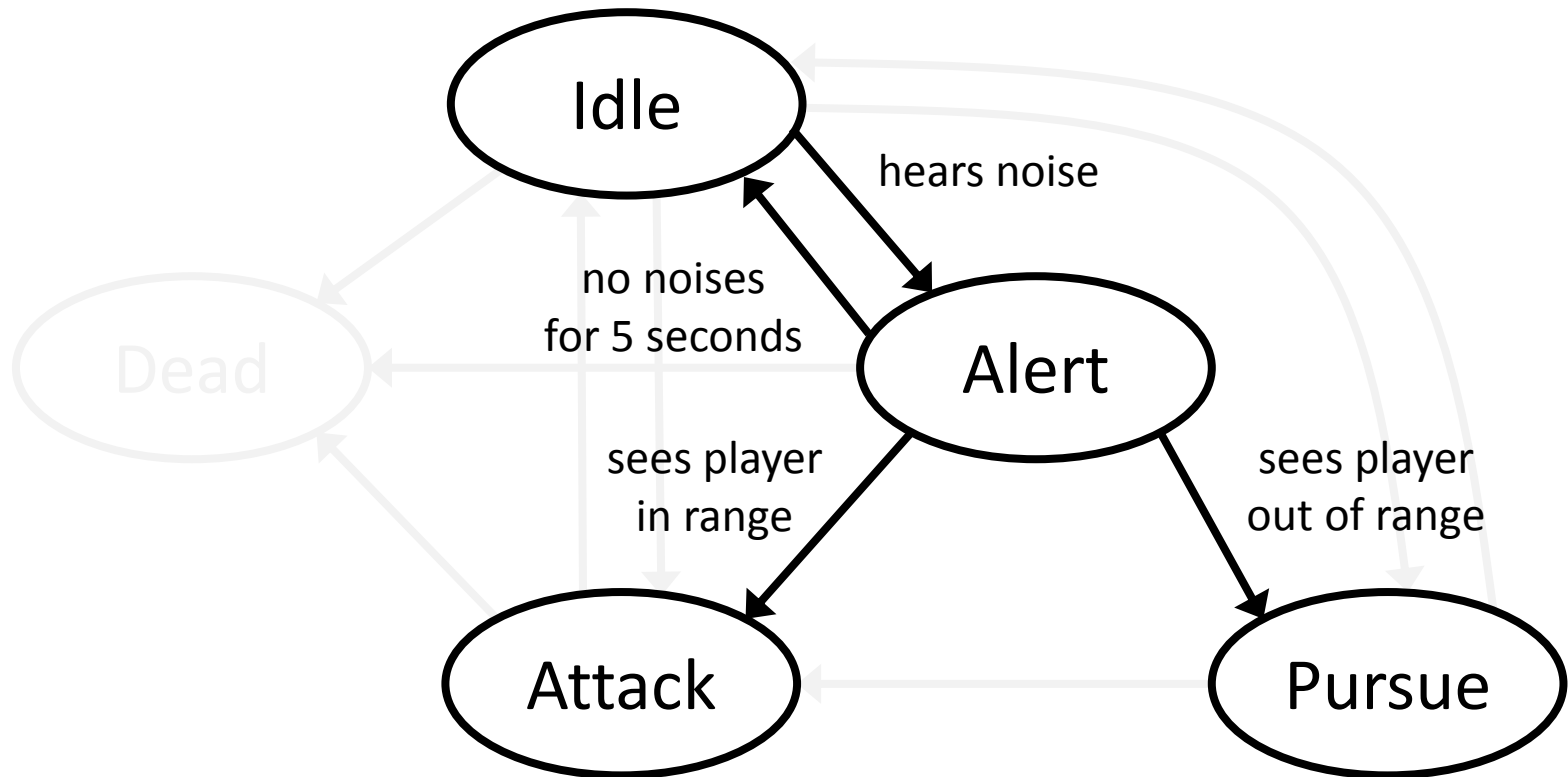
# Example: Finite State Machines



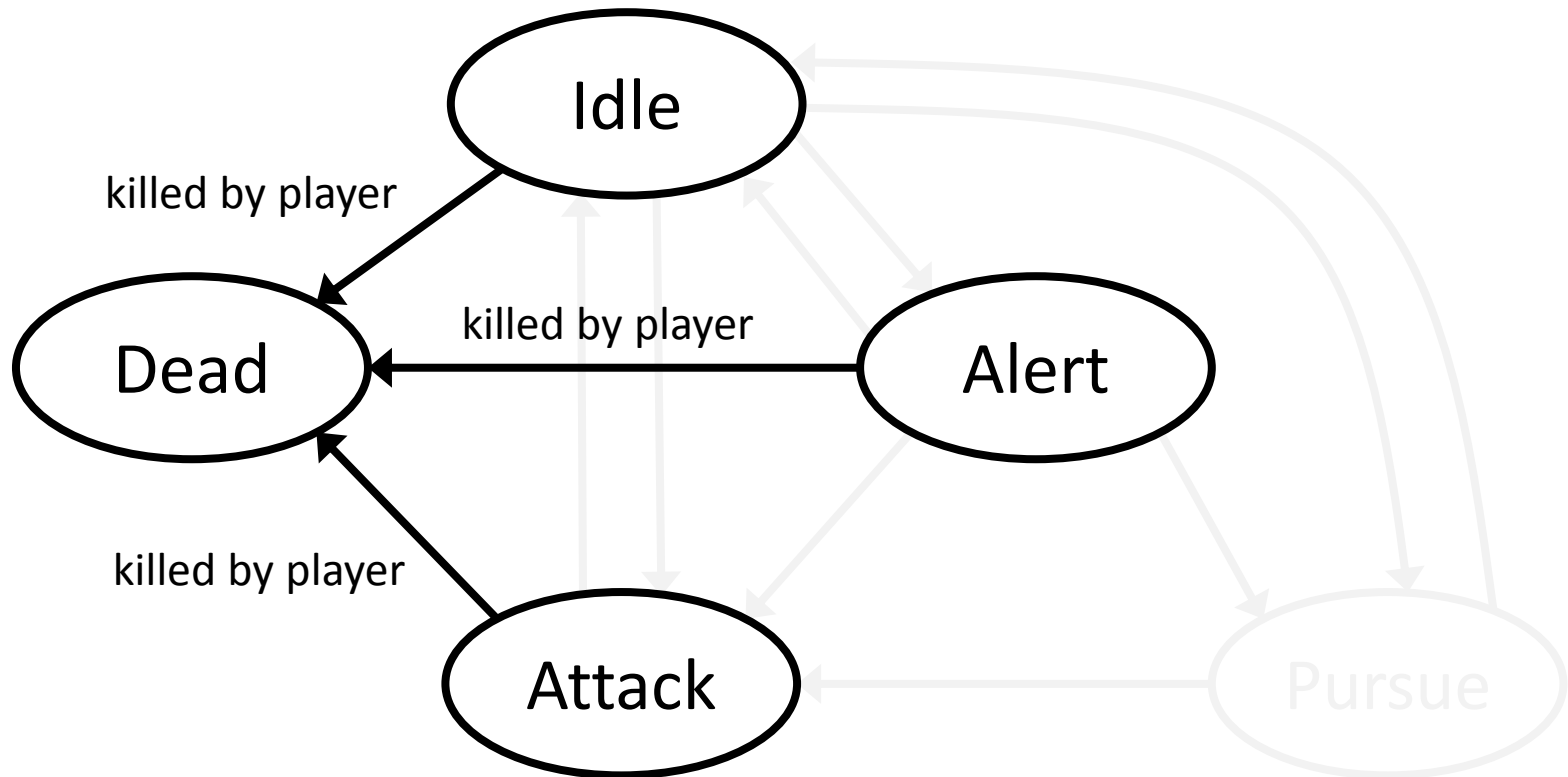
# Example: Finite State Machines



# Example: Finite State Machines



# Example: Finite State Machines



# Topics in Game AI

- A\* Pathfinding
- Behavior Trees
- Alpha-Beta Pruning

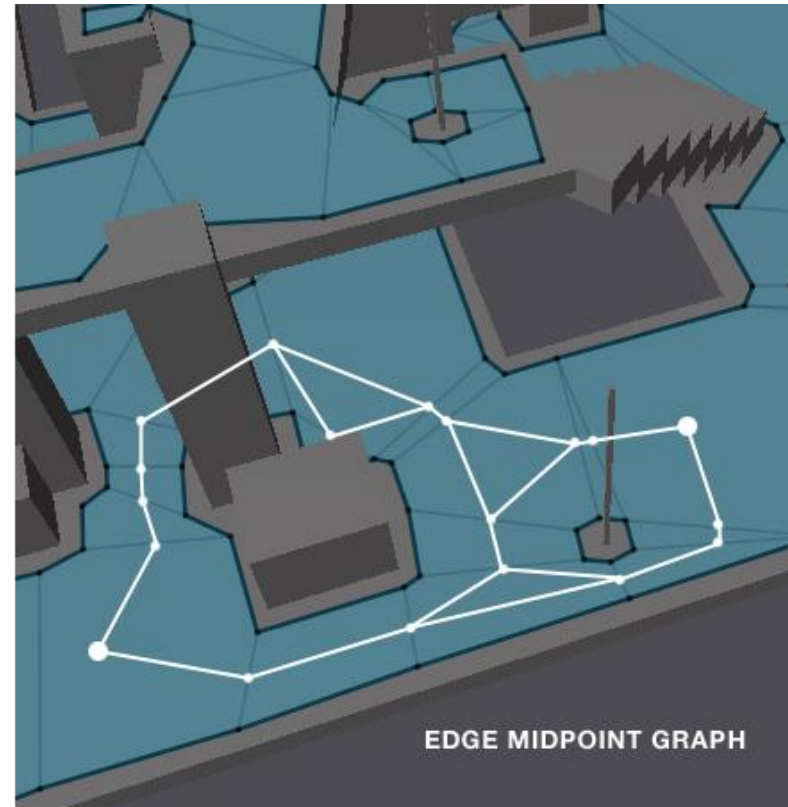
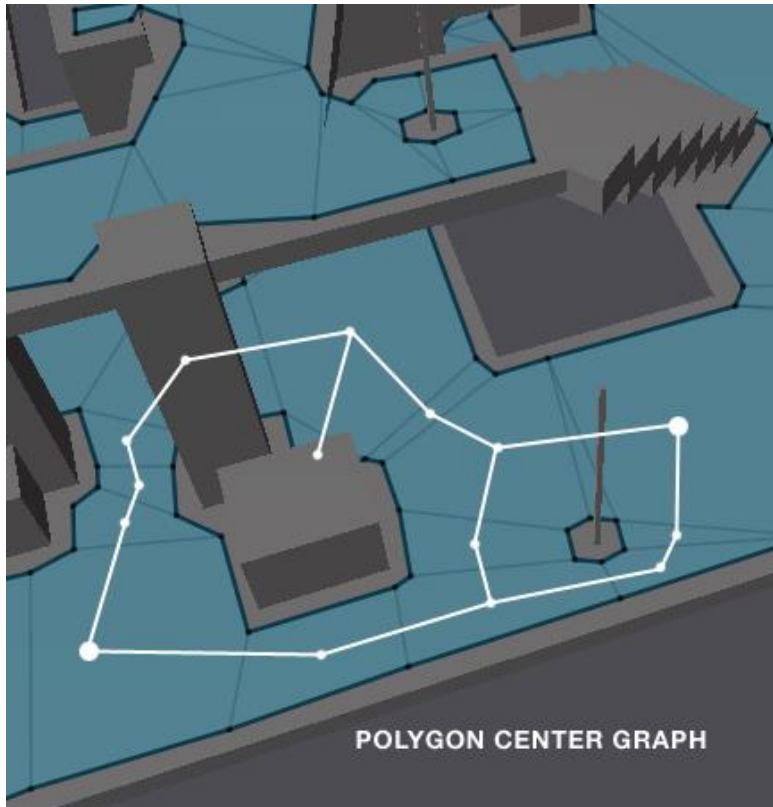




# Pathfinding

Given an origin, a destination, and a discretized physical space, find a route from the origin to the destination.

# Navigation Meshes



# Review of Graph Search

Until the solution is found...

- **Depth First:** expand the longest path
- **Breadth First:** expand the shortest path
- **Greedy:** expand the path whose endpoint is closest to the destination
- **Best First:** expand the path whose total cost is lowest

# Heuristic

A function which efficiently estimates the distance between two locations.

An **admissible heuristic** never overestimates.

# A\* Algorithm

Let  $\text{value}(loc) = \text{distance}(loc) + h(loc, destination)$ .

Let  $\text{distance}(loc) = \infty$  for all locations.

Let  $\text{distance}(origin) = 0$ .

Mark *origin* as visited.

Until all paths are checked:

    Let *loc* be the unvisited location with lowest value.

    If  $loc = destination$ , return success.

    For every unvisited neighbor *n* of *loc*:

        Mark *n* as visited.

        Let  $\text{distance}(n) = \text{distance}(loc) + \text{cost}(loc \rightarrow n)$ .

        Calculate  $h(n, destination)$ .

Return failure.

# A\* Algorithm Implementation

Let  $MPQ$  be a min priority queue.

Let  $\text{distance}(loc) = \infty$  for all locations. Let  $\text{distance}(origin) = 0$ .

Mark  $origin$  as visited.

Add  $origin$  to  $MPQ$  with key  $h(origin, destination)$ .

Until  $MPQ$  is empty:

- Pop  $loc$  from  $MPQ$ .

- If  $loc = destination$ , return success.

- For every unvisited neighbor  $n$  of  $loc$ :

  - Mark  $n$  as visited.

  - Let  $\text{distance}(n) = \text{distance}(loc) + \text{cost}(loc \rightarrow n)$ .

  - Add  $n$  to  $MPQ$  with key  $\text{distance}(n) + h(n, destination)$ .

Return failure.

# Reconstructing the Path

Once we know that a path exists, how do we reconstruct it?

Keep a history array which, for some location, tells us the previous location visited.

Use this array to build the path backwards from the destination.

# A\* Pathfinding

Let  $MPQ$  be a min priority queue.

Let  $\text{distance}(loc) = \infty$  for all locations. Let  $\text{distance}(origin) = 0$ .

Mark  $origin$  as visited and add to  $MPQ$  with key  $h(origin, destination)$ .

Until  $MPQ$  is empty:

- Pop  $loc$  from  $MPQ$ .

- If  $loc = destination$ , return success.

- For every unvisited neighbor  $n$  of  $loc$ :

  - Mark  $n$  as visited.

  - Let  $\text{history}(n) = loc$ .

  - Let  $\text{distance}(n) = \text{distance}(loc) + \text{cost}(loc \rightarrow n)$ .

  - Add  $n$  to  $MPQ$  with key  $\text{distance}(n) + h(n, destination)$ .

Return failure.



# Reconstructing the Path

Given: the history array and knowledge that a path exists.

Let *path* be an empty list.

Call `walk(destination, path)`.

Function `walk(loc, path)`:

    If *loc* = *origin*, return.

    Let *previous* = `history(loc)`.

    Call `walk(previous, path)`.

    Add the edge *previous*  $\rightarrow$  *loc* to the end of *path*.

# A\* Paths

If an admissible heuristic is used, A\* will return a shortest path from the origin to the destination.

# Behavior Trees

A simple, reusable, graphical way to build complex behaviors from a set of simple ones.

# Node Types

Composite

Multiple children

Decorator

Exactly 1 child

Leaf

No children

# Arguments

Nodes can pass arguments to their children.

Unless explicitly stated otherwise, nodes pass the same argument they were passed on to their children.

In this exercise, we assume 1 or 0 arguments, which is always a Sprite (location on the grid).

# Node Types

## Composite

- Sequence / Random Sequence
- Selector / Random Selector

## Decorator

- Succeeder / Failer
- Inverter
- Iterator

## Leaf

- All pre-written behaviors

# Sequence (Composite)

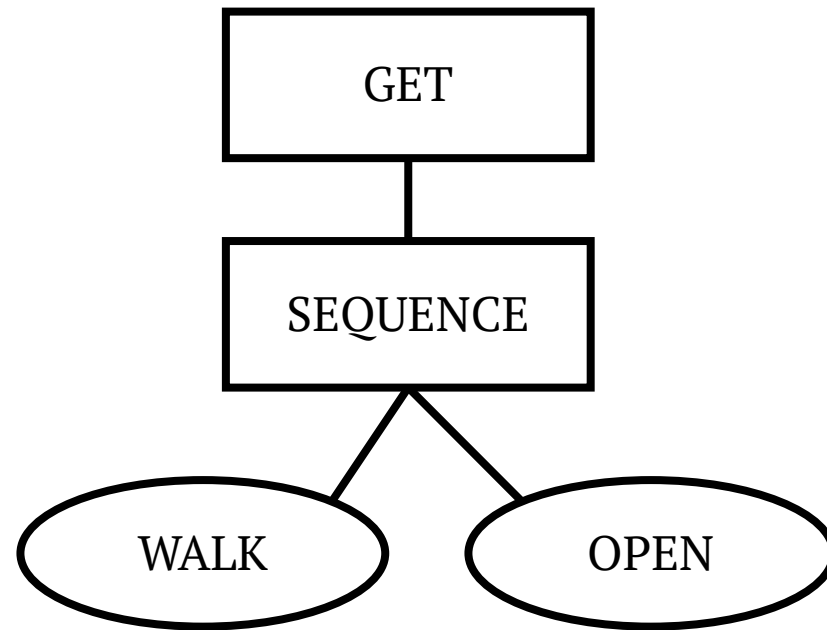
Call each child one at a time.

If a child fails, return false.

If all children succeed, return true.

“Do all these things until something goes wrong.”

# Sequence Example





# Selector (Composite)

Call each child one at a time.

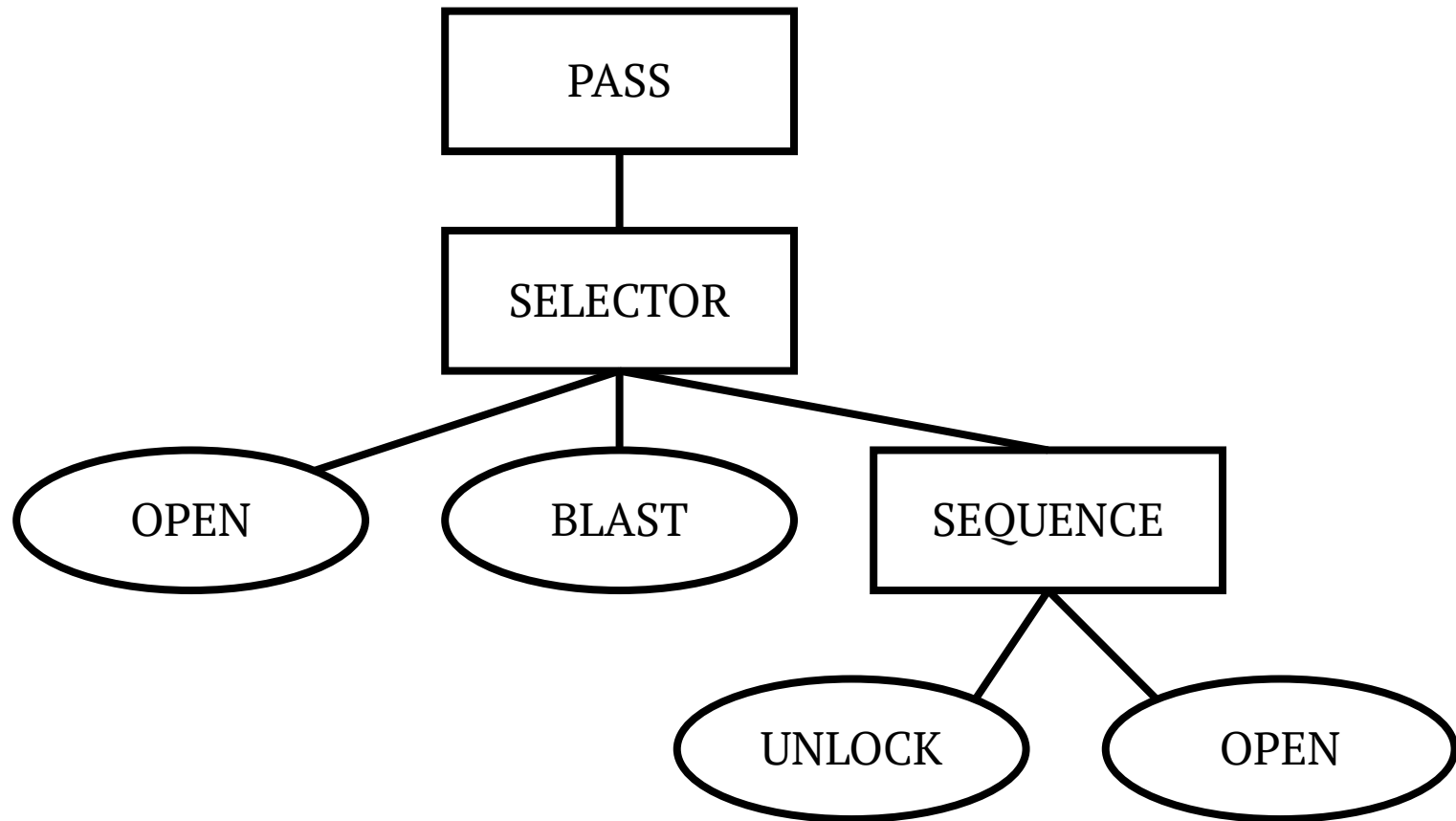
If a child succeeds, return true.

If all children fail, return false.

“Keep trying things until something works.”

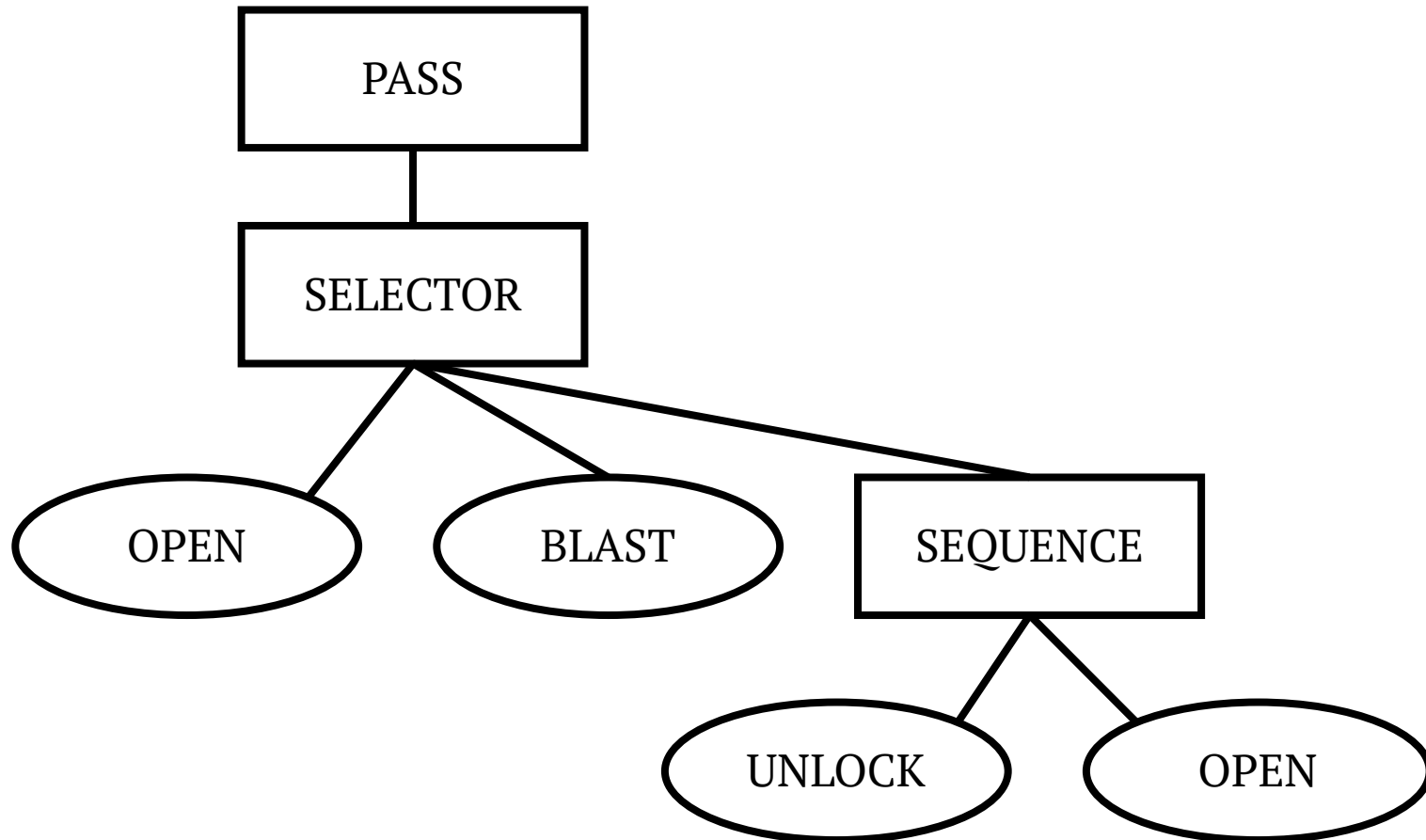
(The opposite of a sequence.)

# Selector Example



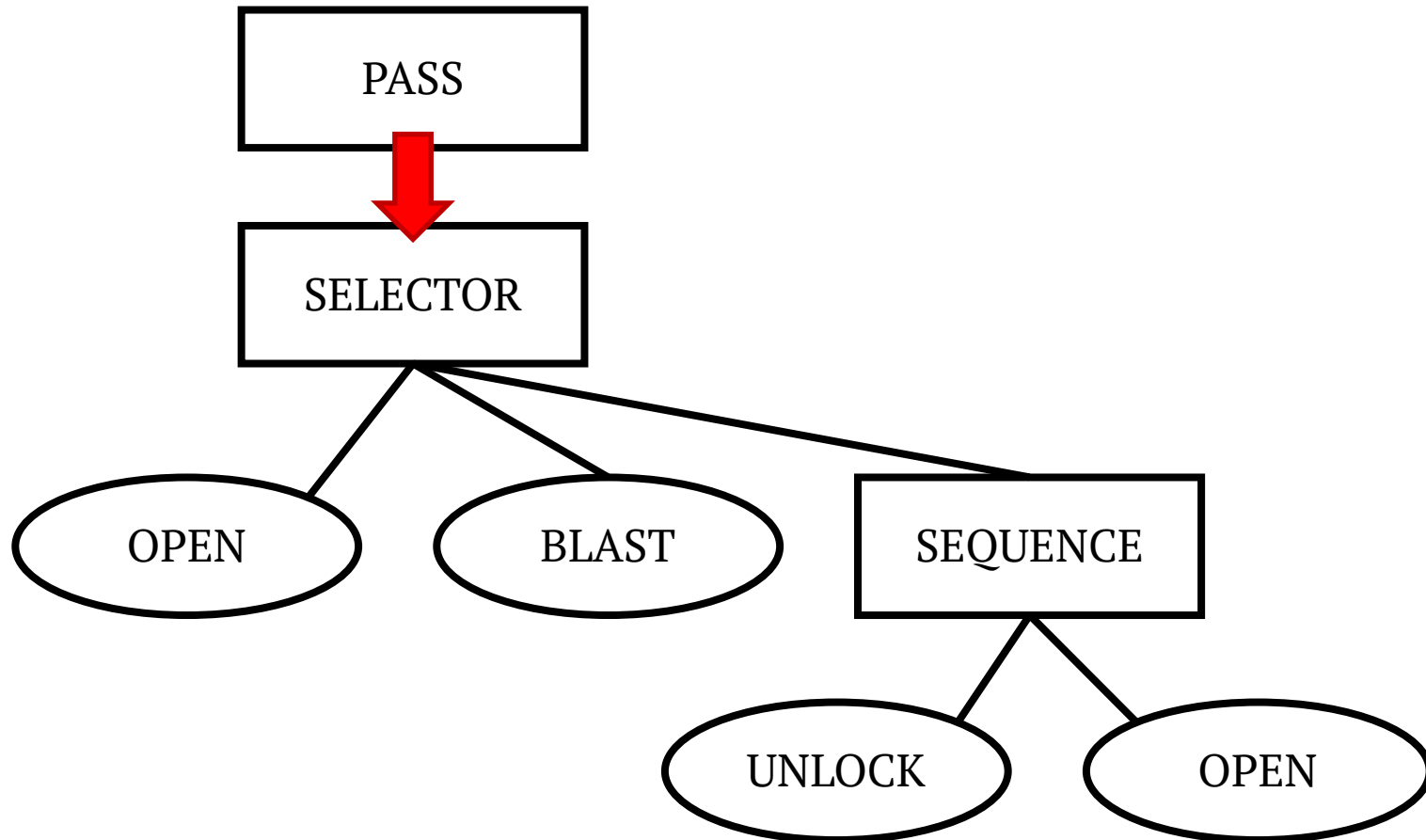
PASS LOCK AT [9,4]

# Execution



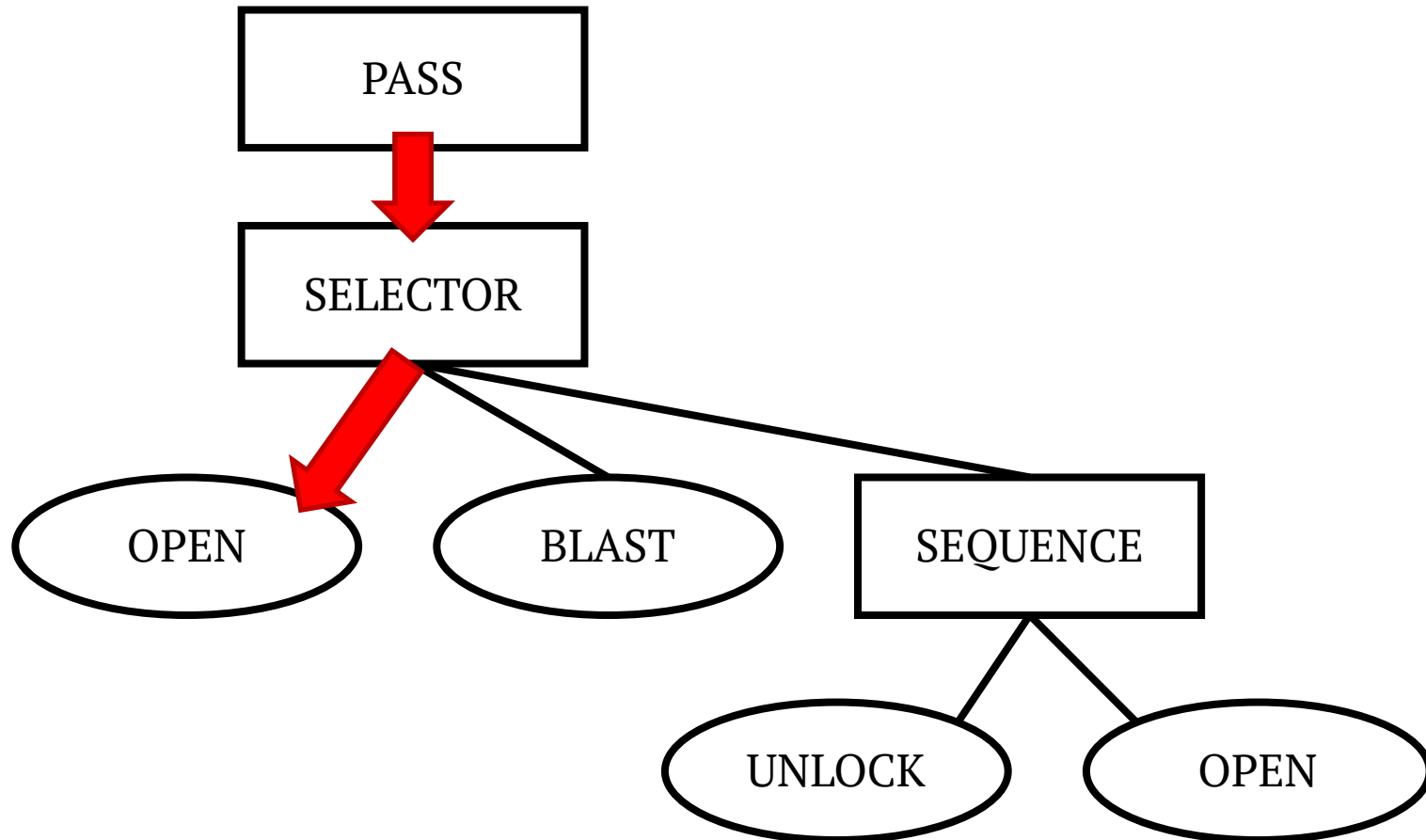
# Execution

PASS LOCK AT [9,4]  
| SELECTOR LOCK AT [9,4]



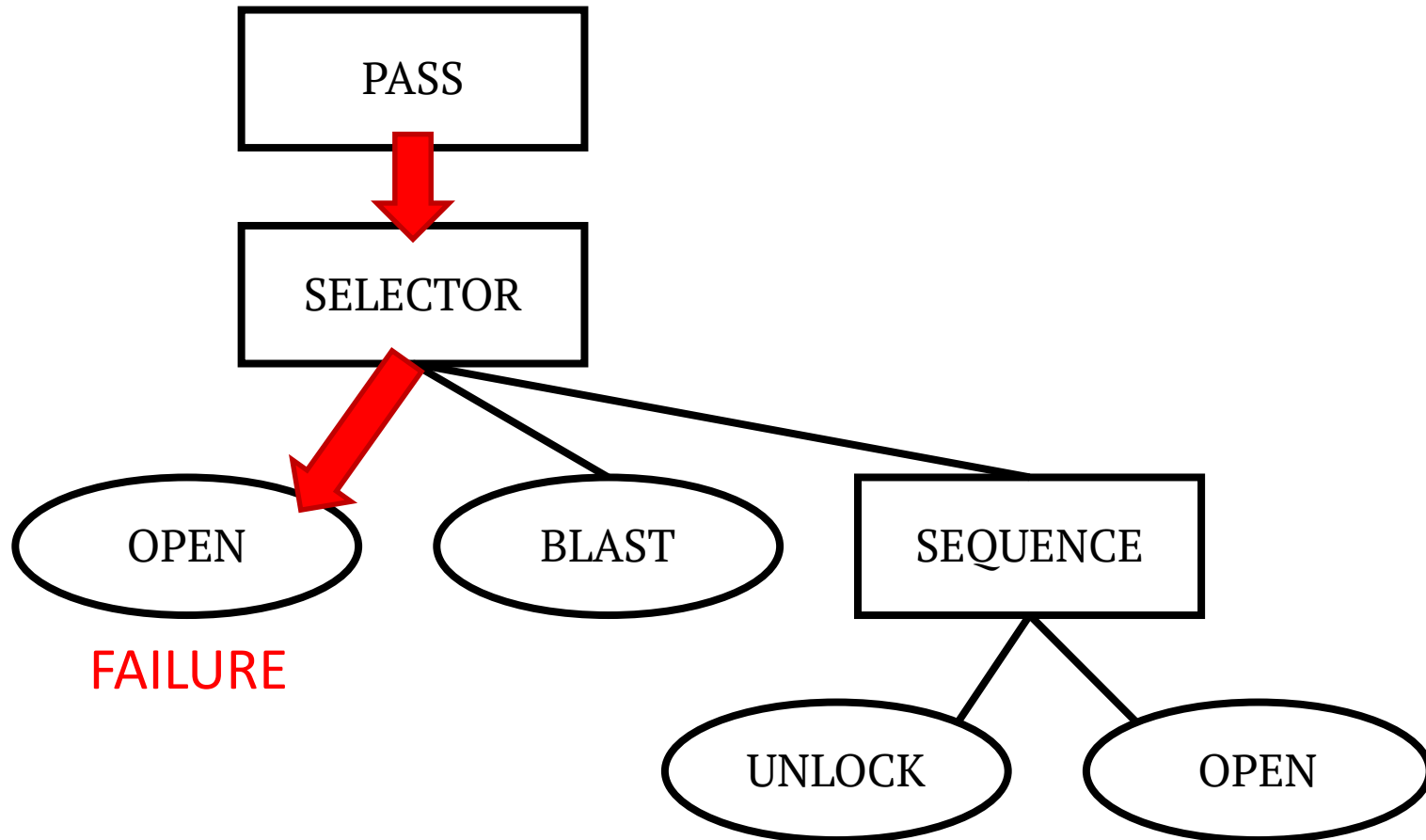
# Execution

PASS LOCK AT [9,4]  
| SELECTOR LOCK AT [9,4]  
| | OPEN:



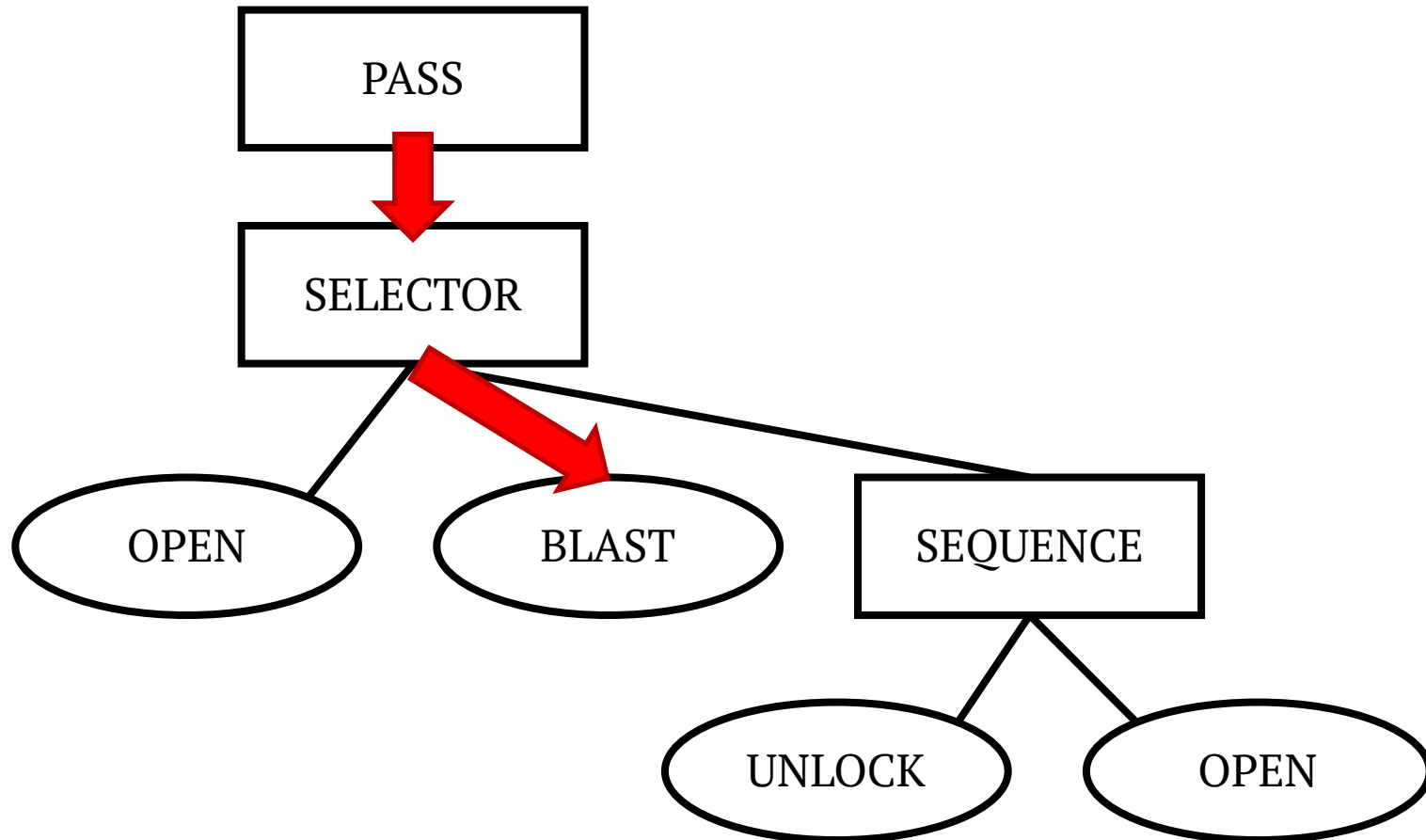
# Execution

```
PASS LOCK AT [9,4]  
| SELECTOR LOCK AT [9,4]  
| | OPEN: FAILURE
```



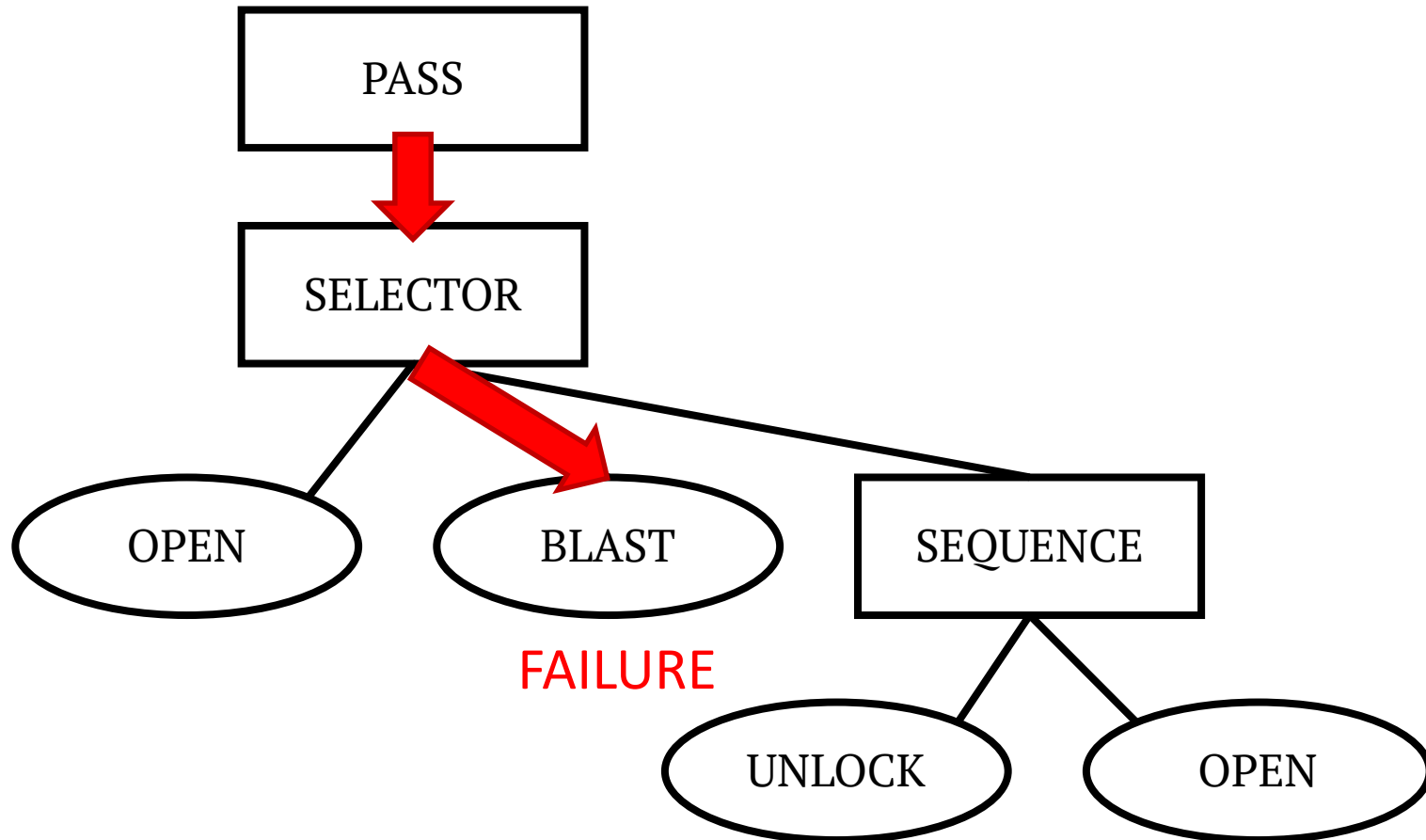
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST:
```



# Execution

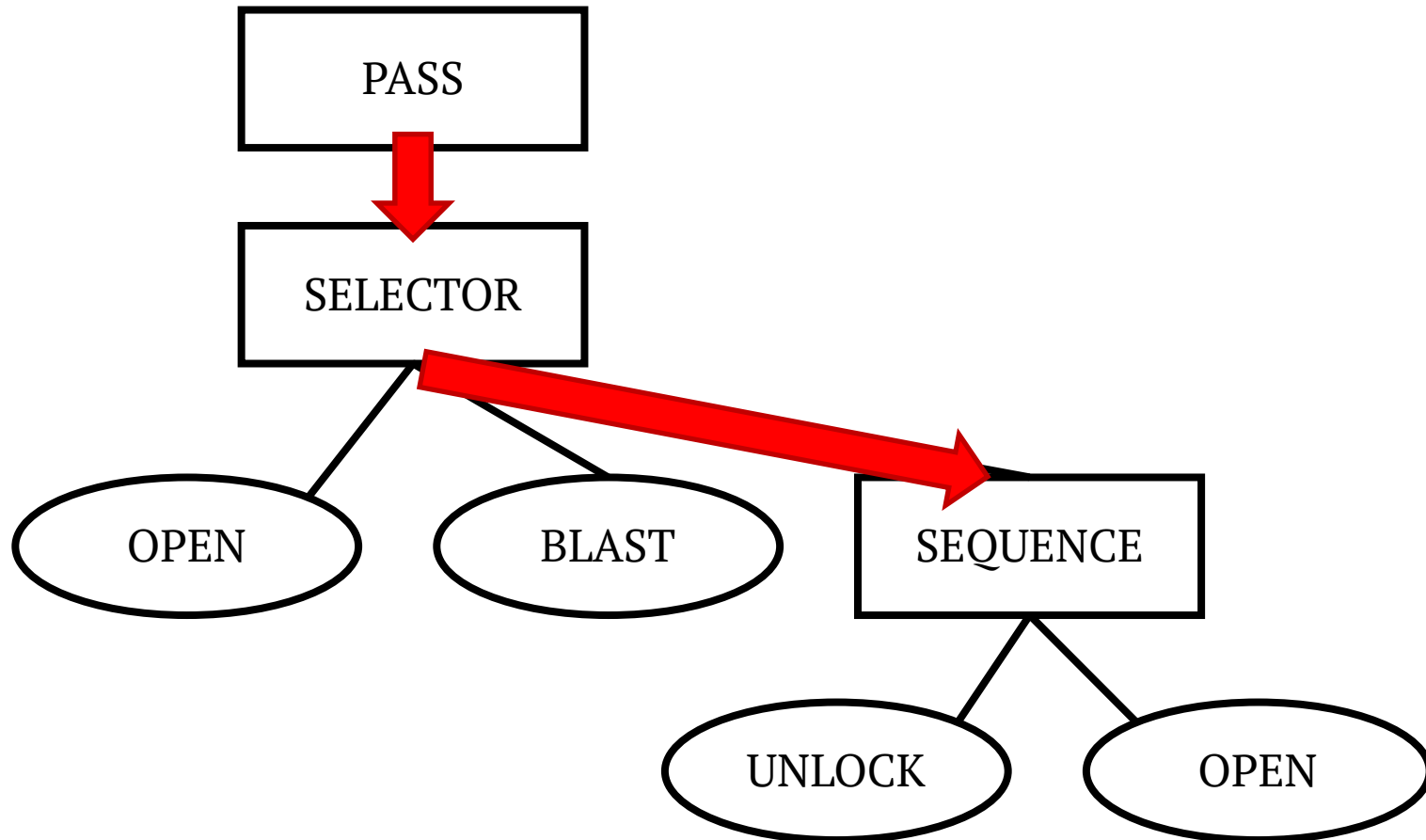
```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
```





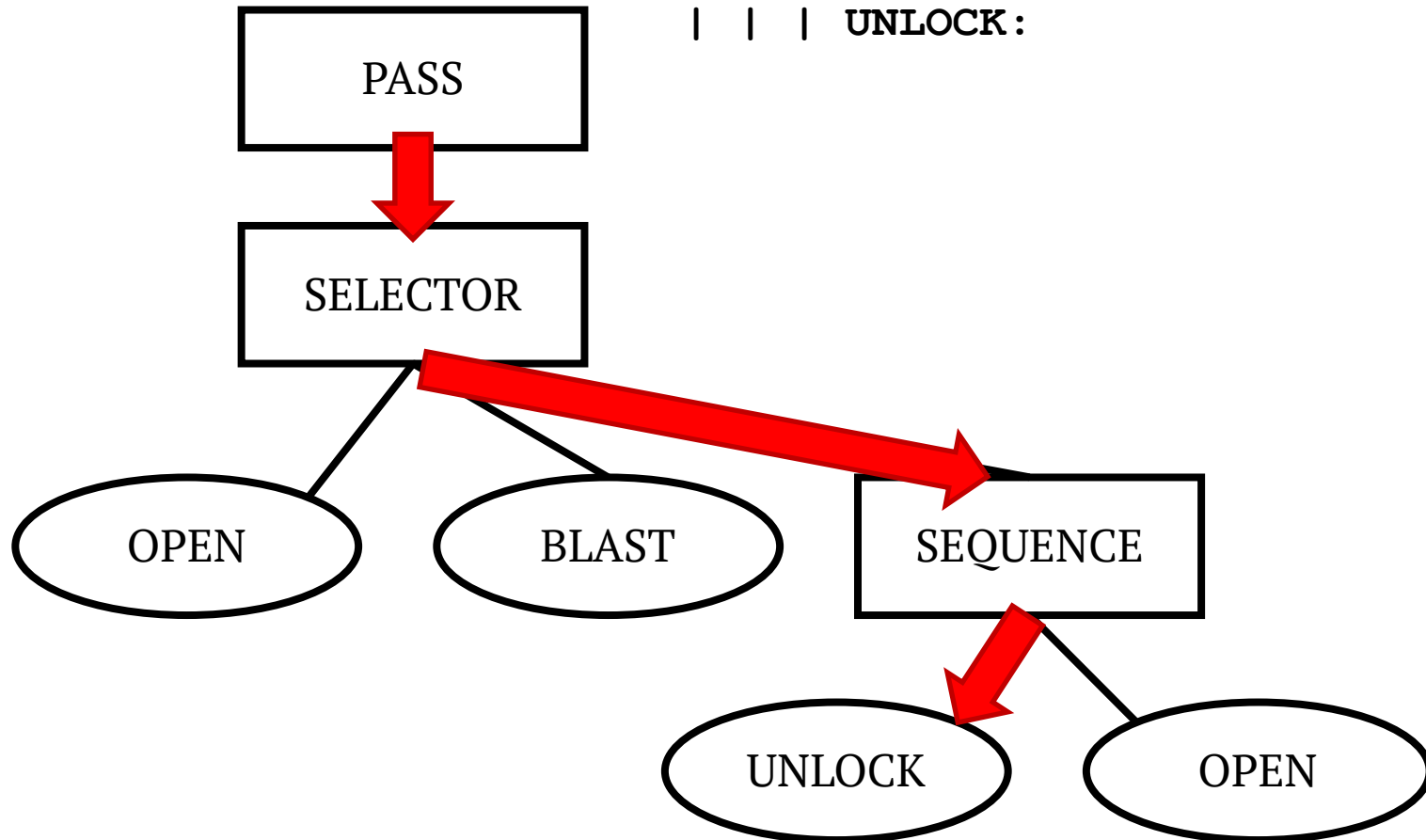
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
```



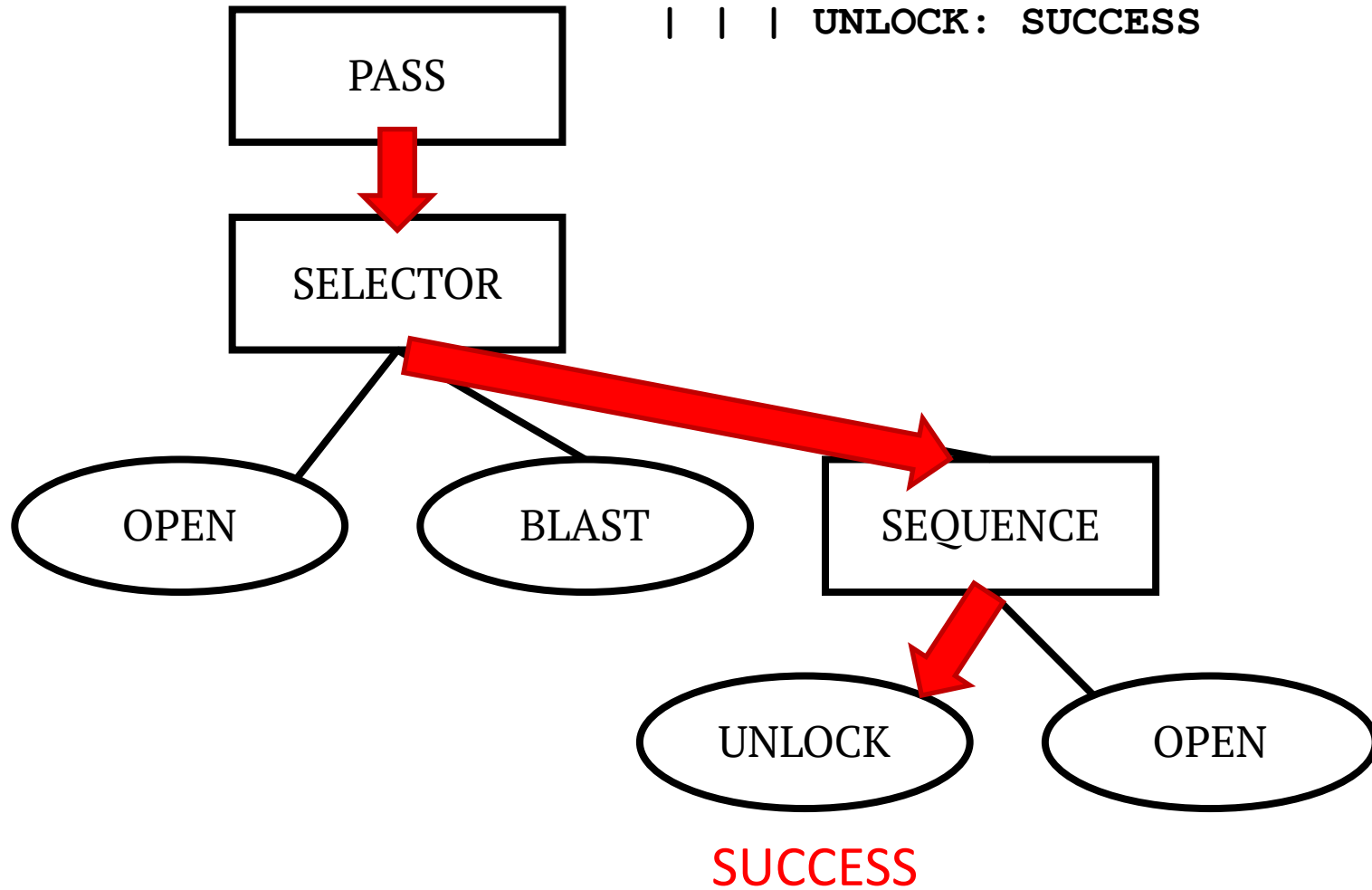
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK:
```



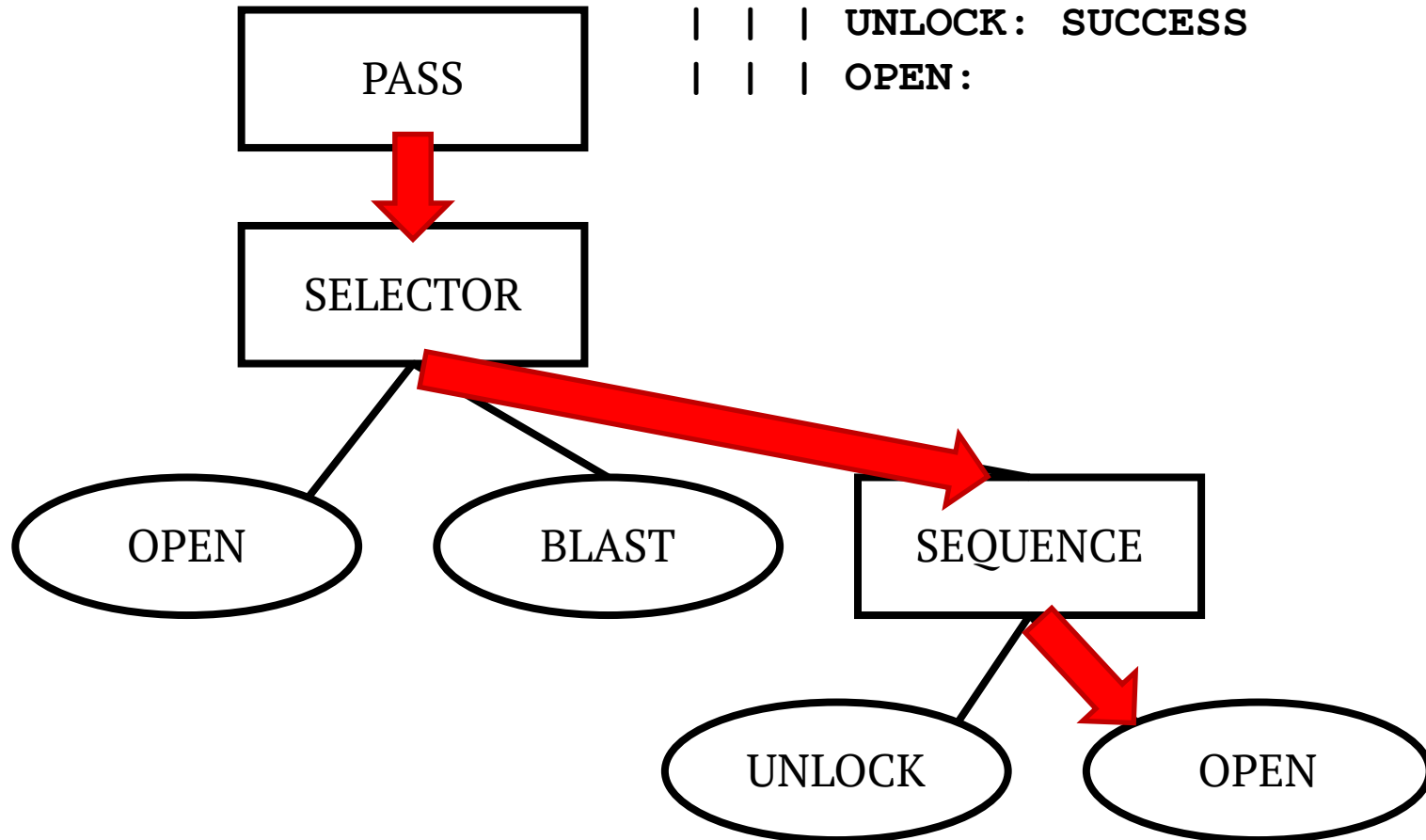
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK: SUCCESS
```



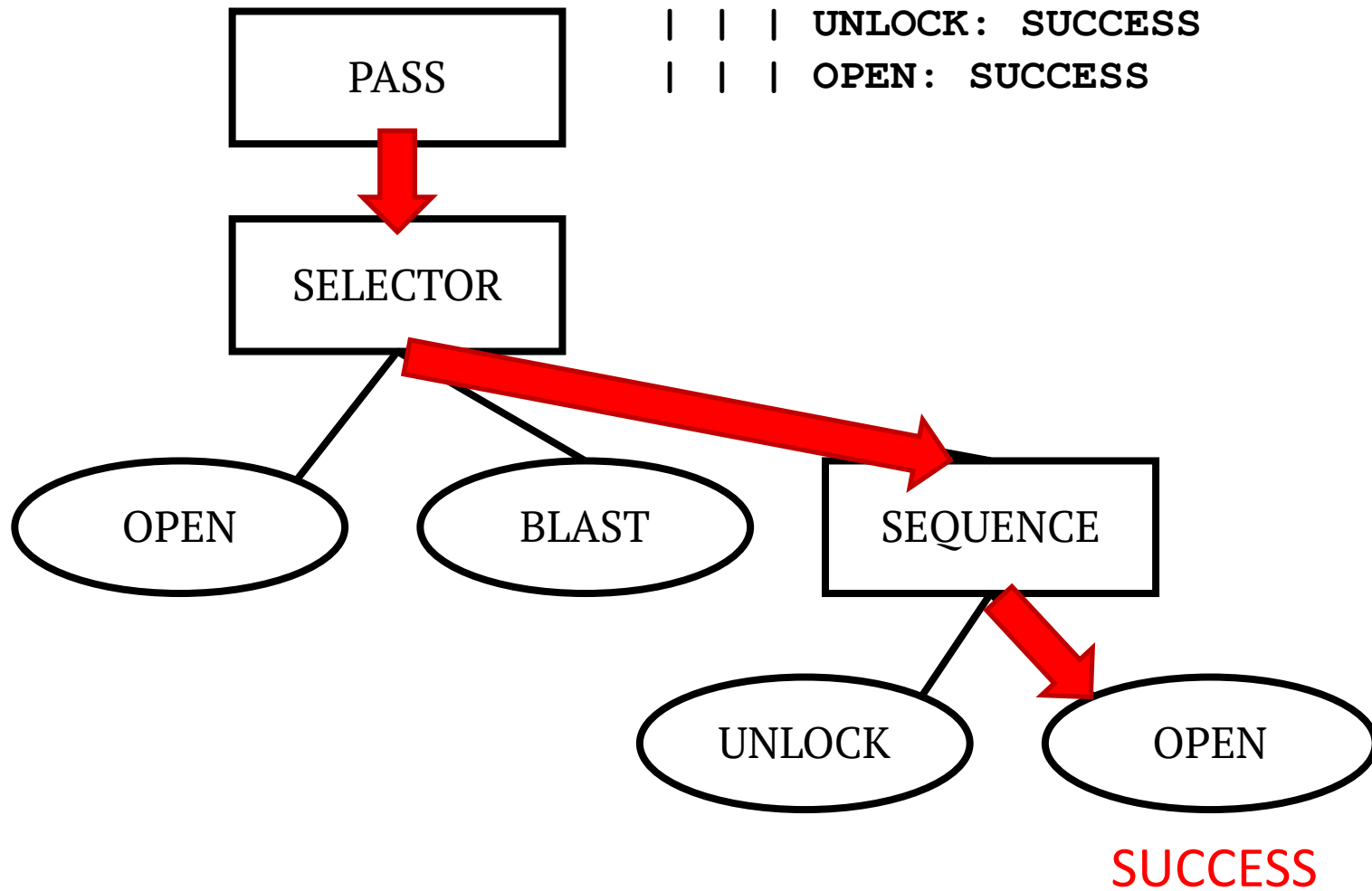
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK: SUCCESS
| | | OPEN:
```



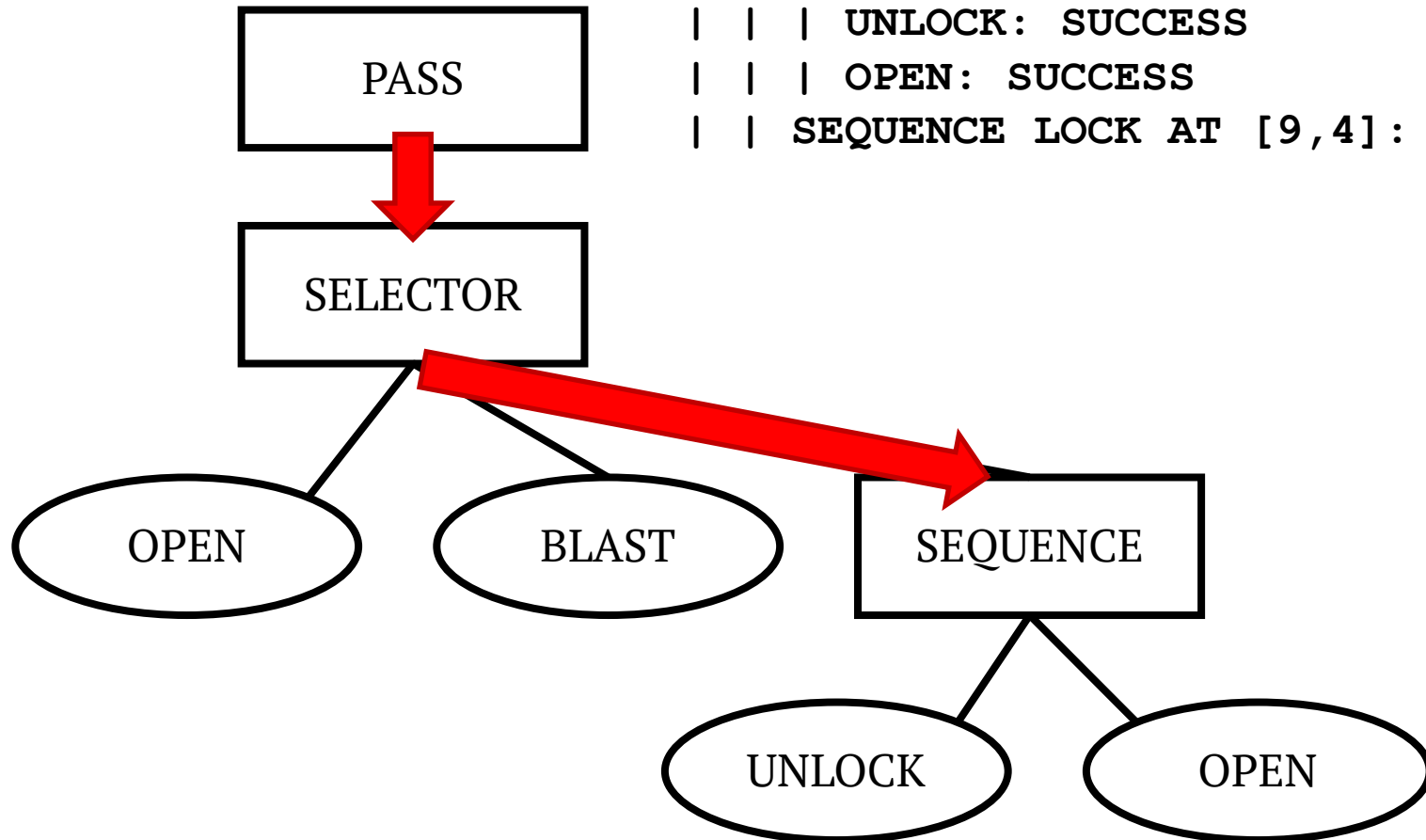
# Execution

```
PASS LOCK AT [9,4]
|  SELECTOR LOCK AT [9,4]
|  |  OPEN: FAILURE
|  |  BLAST: FAILURE
|  |  SEQUENCE LOCK AT [9,4]
|  |  |  UNLOCK: SUCCESS
|  |  |  OPEN: SUCCESS
```



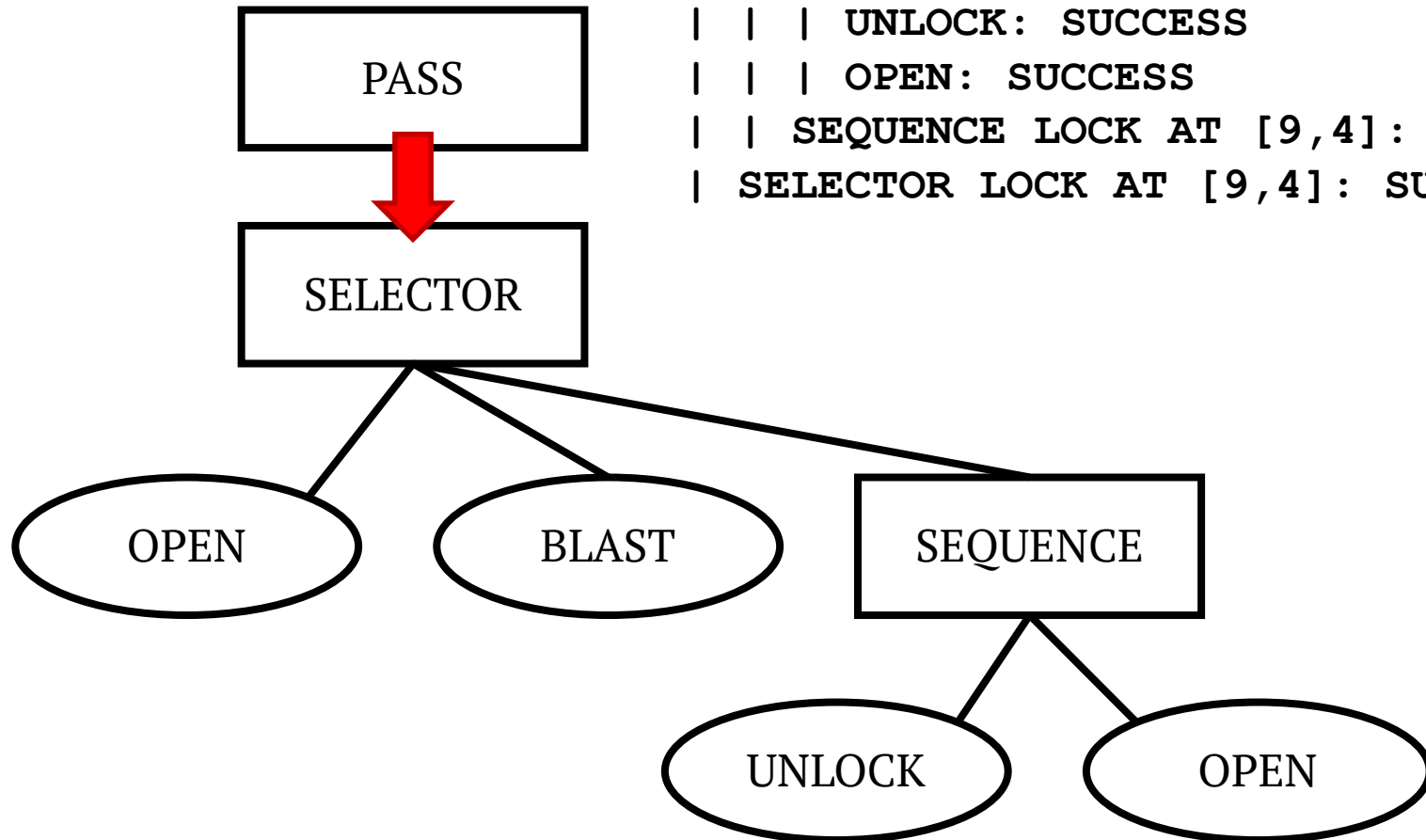
# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK: SUCCESS
| | | OPEN: SUCCESS
| | SEQUENCE LOCK AT [9,4]: SUCCESS
```

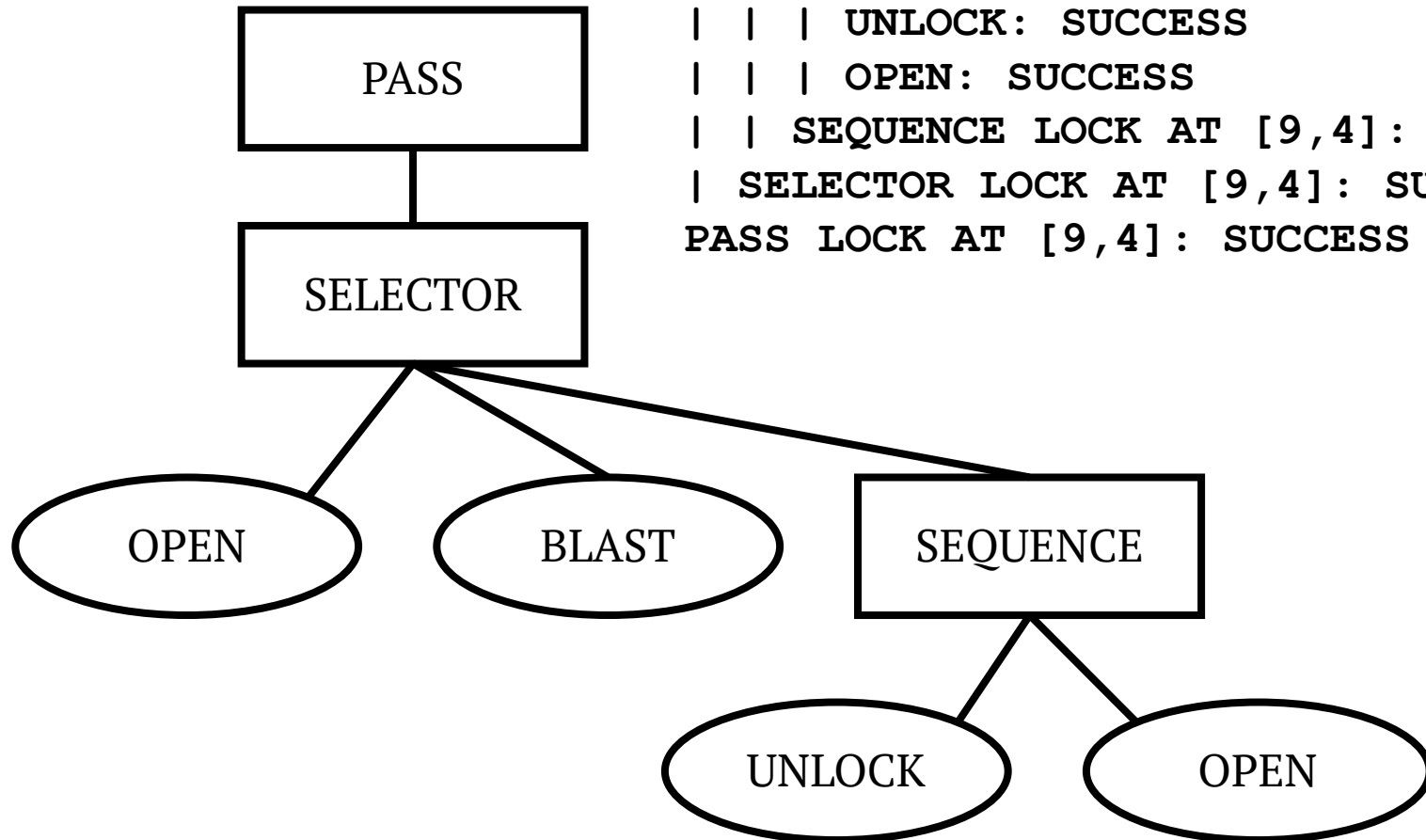


# Execution

```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK: SUCCESS
| | | OPEN: SUCCESS
| | SEQUENCE LOCK AT [9,4]: SUCCESS
| SELECTOR LOCK AT [9,4]: SUCCESS
```



# Execution



```
PASS LOCK AT [9,4]
| SELECTOR LOCK AT [9,4]
| | OPEN: FAILURE
| | BLAST: FAILURE
| | SEQUENCE LOCK AT [9,4]
| | | UNLOCK: SUCCESS
| | | OPEN: SUCCESS
| | SEQUENCE LOCK AT [9,4]: SUCCESS
| SELECTOR LOCK AT [9,4]: SUCCESS
PASS LOCK AT [9,4]: SUCCESS
```



# Succeder / Failer (Decotrator)

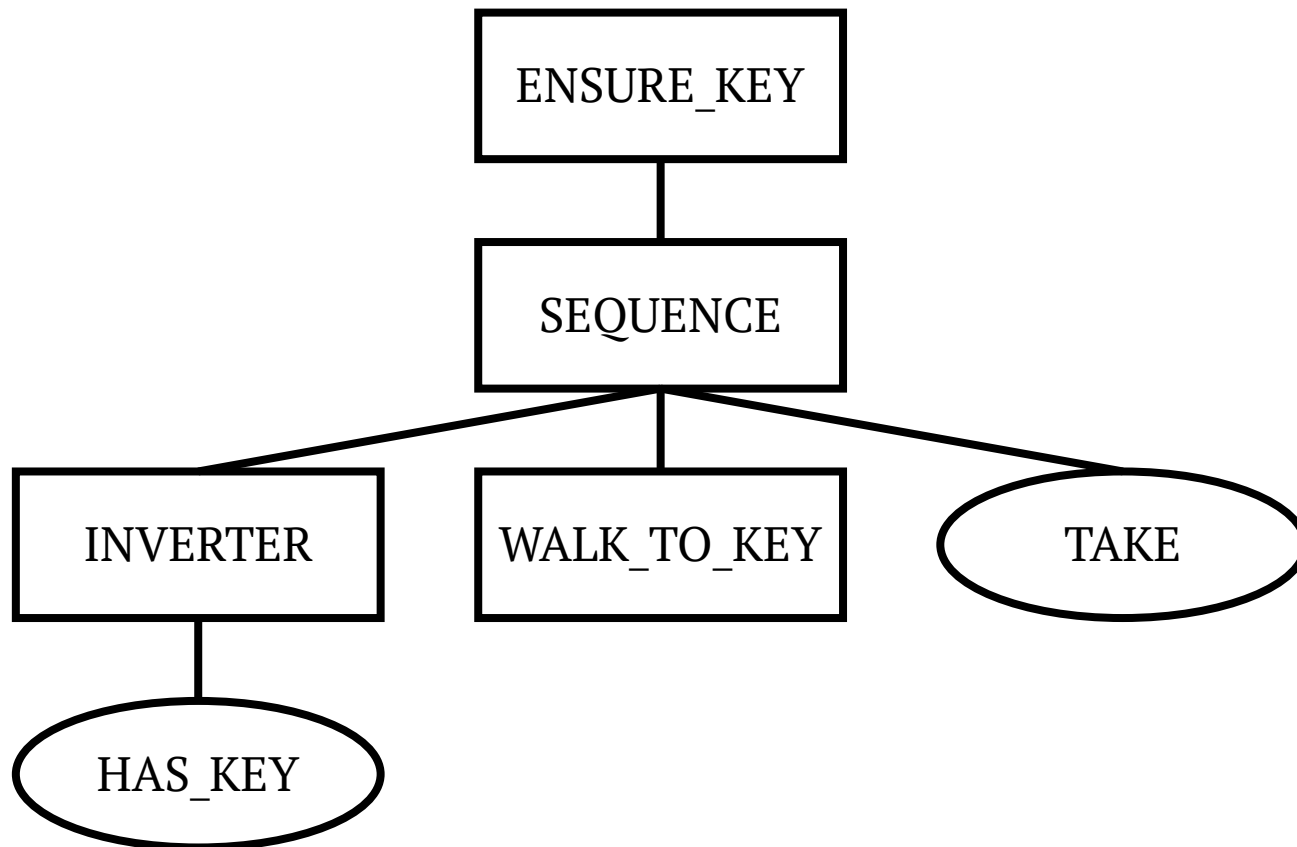
**Succeder:** Call the child, but always return true no matter what.

**Failer:** Call the child, but always return false no matter what.

# Inverter (Decorator)

Return the opposite of what the child returns.

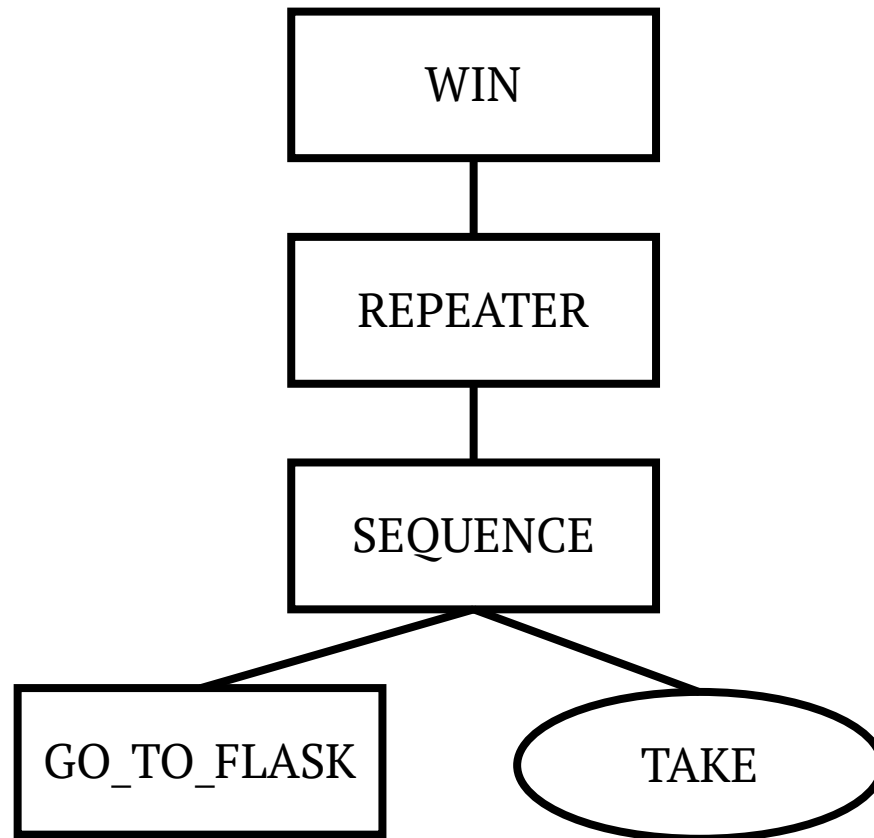
# Inverter Example



# Repeater (Decorator)

Call the child over and over until it returns true.

# Repeater Example



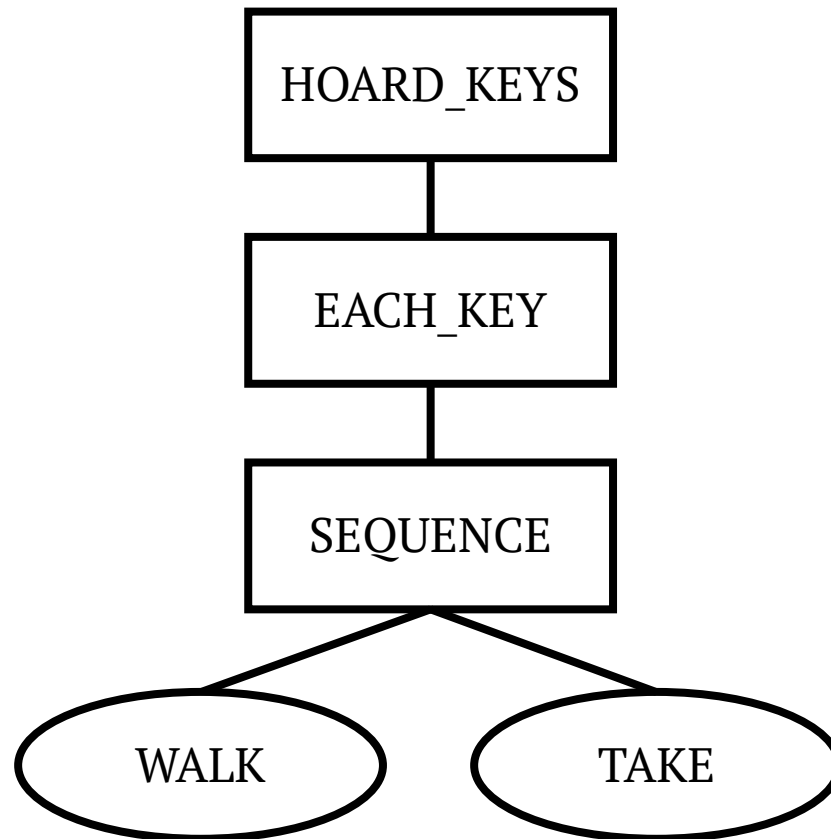
# Iterator (Decorator)

Ignore the argument passed to this node. For each item of a certain type, pass that item as an argument to the child.

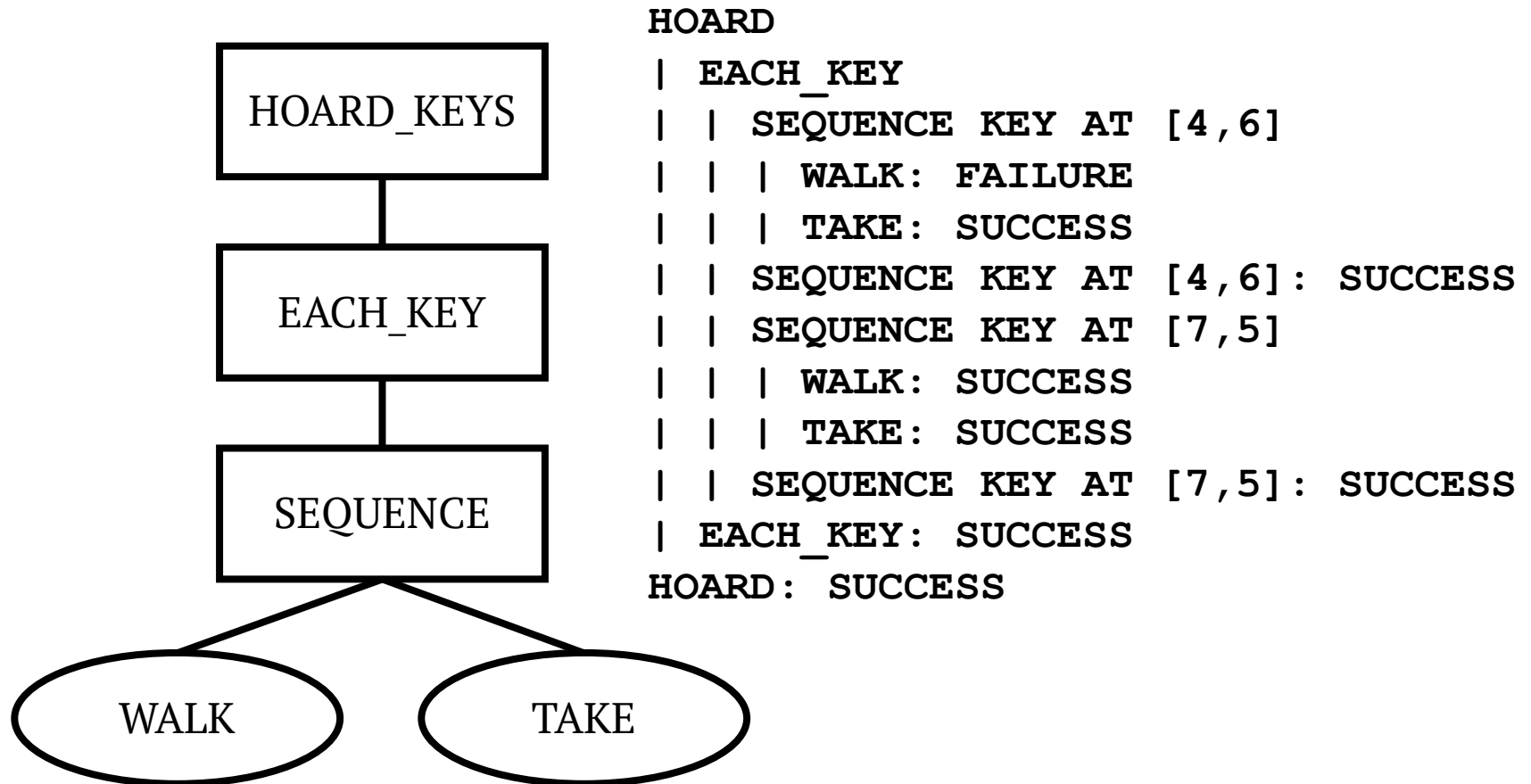
**Each:** If a child returns false, return false. If all children return true, return true.

**Any:** If a child returns true, return true. If all children return false, return false.

# Iterator Example



# Iterator Execution





# Node Types for this Exercise

- **Sequence** – do each until one fails
- **Selector** – do each until one succeeds
- **Inverter** – return the opposite of the child's value
- **Repeater** – repeat child until it succeeds
- **Each** – pass each item of a type to the child until the child fails
- **Any** – pass each item of a type to the child until the child succeeds