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import numpy as np
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from .layers import *
from .layer_utils import *

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This code was originally written for CS 231n at Stanford University (cs231n.stanford.edu). It has been modified in various areas for use in the ECE 239AS class at UCLA. This includes the descriptions of what code to implement as well as some slight potential changes in variable names to be consistent with class nomenclature. We thank Justin Johnson & Serena Yeung for permission to use this code. To see the original version, please visit cs231n.stanford.edu.

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class TwoLayerNet(object):

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A two-layer fully-connected neural network with ReLU nonlinearity and softmax loss that uses a modular layer design. We assume an input dimension of D, a hidden dimension of H, and perform classification over C classes.

The architecure should be affine - relu - affine - softmax.

Note that this class does not implement gradient descent; instead, it will interact with a separate Solver object that is responsible for running optimization.

The learnable parameters of the model are stored in the dictionary self.params that maps parameter names to numpy arrays.

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Initialize a new network.

Inputs:

- input_dim: An integer giving the size of the input
- hidden_dims: An integer giving the size of the hidden layer
- num_classes: An integer giving the number of classes to classify
- dropout: Scalar between 0 and 1 giving dropout strength.
- weight_scale: Scalar giving the standard deviation for random initialization of the weights.
- reg: Scalar giving L2 regularization strength.

self.params = {}
self.reg = reg

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The dimensions of W1 should be (input_dim, hidden_dim) and the
     dimensions of W2 should be (hidden dims, num classes)
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 self.params['W1'] = weight_scale * np.random.randn(input_dim, hidden_dims)
 self.params['b1'] = np.zeros(hidden_dims)
 self.params['W2'] = weight_scale * np.random.randn(hidden_dims, num_classes)
 self.params['b2'] = np.zeros(num classes)
 # END YOUR CODE HERE
 def loss(self, X, y=None):
 Compute loss and gradient for a minibatch of data.
 Inputs:
 - X: Array of input data of shape (N, d_1, ..., d_k)
 - y: Array of labels, of shape (N,). y[i] gives the label for X[i].
 Returns:
 If y is None, then run a test-time forward pass of the model and return:
 - scores: Array of shape (N, C) giving classification scores, where
   scores[i, c] is the classification score for X[i] and class c.
 If y is not None, then run a training-time forward and backward pass and
 return a tuple of:
 - loss: Scalar value giving the loss
 - grads: Dictionary with the same keys as self.params, mapping parameter
  names to gradients of the loss with respect to those parameters.
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 scores = None
 # ========= #
 # YOUR CODE HERE:
 # Implement the forward pass of the two-layer neural network. Store
    the class scores as the variable 'scores'. Be sure to use the layers
 # you prior implemented.
 # =========== #
 N = X.shape[0]
 D = np.prod(X.shape[1:])
 W1, b1 = self.params['W1'], self.params['b1']
 W2, b2 = self.params['W2'], self.params['b2']
 h1, h1_cache = affine_relu_forward(X, W1, b1)
 scores, scores_cache = affine_forward(h1, W2, b2)
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pass # ================ # # END YOUR CODE HERE

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# If y is None then we are in test mode so just return scores
   if v is None:
    return scores
   loss, grads = 0, \{\}
   # YOUR CODE HERE:
      Implement the backward pass of the two-layer neural net. Store
      the loss as the variable 'loss' and store the gradients in the
      'grads' dictionary. For the grads dictionary, grads['W1'] holds
      the gradient for W1, grads['b1'] holds the gradient for b1, etc.
      i.e., grads[k] holds the gradient for self.params[k].
   #
   #
      Add L2 regularization, where there is an added cost 0.5*self.reg*W^2
      for each W. Be sure to include the 0.5 multiplying factor to
   #
   #
      match our implementation.
   #
      And be sure to use the layers you prior implemented.
   exp_scores = np.exp(scores) # shape = (N, C)
   sum_class_scores = np.sum(exp_scores, axis = 1, keepdims = 1) # shape = (N, 1)
   log_exp_scores = np.log(exp_scores[range(N), y]/sum_class_scores) # shape = (N,
    C)
   data_loss = -np.mean(log_exp_scores)
   reg_loss = 0.5 * self.reg * (np.sum(W1*W1)+np.sum(W2*W2))
   loss = data_loss + reg_loss
   dscores = exp_scores/sum_class_scores #(N, C)
   dscores[range(N), y] = 1
   dscores /= N
   dloss_h1, grads['W2'], grads['b2'] = affine_backward(dscores, scores_cache)
   grads['W2'] += self.reg * W2
   dloss_h1[h1 <= 0] = 0
   _, grads['W1'], grads['b1'] = affine_relu_backward(dloss_h1, h1_cache)
   grads['W1'] += self.reg * W1
   pass
   # END YOUR CODE HERE
   return loss, grads
class FullyConnectedNet(object):
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A fully-connected neural network with an arbitrary number of hidden layers, ReLU nonlinearities, and a softmax loss function. This will also implement dropout and batch normalization as options. For a network with L layers,

the architecture will be

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\{affine - [batch norm] - relu - [dropout]\} \times (L - 1) - affine - softmax
where batch normalization and dropout are optional, and the {...} block is
repeated L - 1 times.
Similar to the TwoLayerNet above, learnable parameters are stored in the
self.params dictionary and will be learned using the Solver class.
def __init__(self, hidden_dims, input_dim=3*32*32, num_classes=10,
            dropout=0, use_batchnorm=False, reg=0.0,
            weight_scale=1e-2, dtype=np.float32, seed=None):
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  Initialize a new FullyConnectedNet.
 Inputs:
 - hidden dims: A list of integers giving the size of each hidden layer.
 - input_dim: An integer giving the size of the input.
 - num_classes: An integer giving the number of classes to classify.
 - dropout: Scalar between 0 and 1 giving dropout strength. If dropout=0 then
   the network should not use dropout at all.
 - use_batchnorm: Whether or not the network should use batch normalization.
 - reg: Scalar giving L2 regularization strength.
  - weight_scale: Scalar giving the standard deviation for random
    initialization of the weights.
 - dtype: A numpy datatype object; all computations will be performed using
   this datatype. float32 is faster but less accurate, so you should use
   float64 for numeric gradient checking.
 - seed: If not None, then pass this random seed to the dropout layers. This
   will make the dropout layers deteriminstic so we can gradient check the
   model.
  self.use_batchnorm = use_batchnorm
  self.use_dropout = dropout > 0
  self.reg = reg
  self.num_layers = 1 + len(hidden_dims)
  self.dtype = dtype
  self.params = {}
  # YOUR CODE HERE:
     Initialize all parameters of the network in the self.params dictionary.
     The weights and biases of layer 1 are W1 and b1; and in general the
     weights and biases of layer i are Wi and bi. The
     biases are initialized to zero and the weights are initialized
     so that each parameter has mean 0 and standard deviation weight_scale.
  self.h_dims = len(hidden_dims)
  for i in np.arange(len(hidden_dims) + 1):
     \# eg: when len(hidden dims) = 2, W1, W2, W3, b1, b2, b3 exist
     if i == 0:
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self.params['W'+str(i+1)] = weight_scale * np.random.randn(input_dim,

hidden dims[i])

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self.params['b'+str(i+1)] = np.zeros(hidden_dims[i])
      elif i == len(hidden dims):
          self.params['W'+str(i+1)] = weight_scale *
           np.random.randn(hidden_dims[-1], num_classes)
         self.params['b'+str(i+1)] = np.zeros(num_classes)
      else:
         self.params['W'+str(i+1)] = weight_scale *
          np.random.randn(hidden_dims[i-1], hidden_dims[i])
          self.params['b'+str(i+1)] = np.zeros(hidden dims[i])
 pass
  # END YOUR CODE HERE
 # ============= #
 # When using dropout we need to pass a dropout_param dictionary to each
 # dropout layer so that the layer knows the dropout probability and the mode
 # (train / test). You can pass the same dropout_param to each dropout layer.
  self.dropout_param = {}
  if self.use_dropout:
    self.dropout_param = {'mode': 'train', 'p': dropout}
    if seed is not None:
      self.dropout_param['seed'] = seed
 # With batch normalization we need to keep track of running means and
 # variances, so we need to pass a special bn_param object to each batch
 # normalization layer. You should pass self.bn_params[0] to the forward pass
 # of the first batch normalization layer, self.bn_params[1] to the forward
 # pass of the second batch normalization layer, etc.
  self.bn_params = []
  if self.use_batchnorm:
    self.bn_params = [{'mode': 'train'} for i in np.arange(self.num_layers - 1)]
 # Cast all parameters to the correct datatype
  for k, v in self.params.items():
    self.params[k] = v.astype(dtype)
def loss(self, X, y=None):
 Compute loss and gradient for the fully-connected net.
  Input / output: Same as TwoLayerNet above.
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 X = X.astype(self.dtype)
 mode = 'test' if y is None else 'train'
 # Set train/test mode for batchnorm params and dropout param since they
 # behave differently during training and testing.
 if self.dropout param is not None:
    self.dropout_param['mode'] = mode
  if self.use_batchnorm:
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for bn_param in self.bn_params:

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bn_param[mode] = mode
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 $reg_sum = 0$

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scores = None
# YOUR CODE HERE:
   Implement the forward pass of the FC net and store the output
   scores as the variable "scores".
N = X.shape[0]
D = np.prod(X.shape[1:])
hidden = {}
for i in np.arange(self.h dims + 1):
   w = self.params['W'+str(i+1)]
   b = self.params['b'+str(i+1)]
   if i == 0:
      h, h_cache = affine_relu_forward(X, w, b)
      hidden['h'+str(i+1)] = h
      hidden['h_cache'+str(i+1)] = h_cache
   elif i == self.h_dims:
      scores, scores_cache = affine_forward(h, w, b)
      hidden['h'+str(i+1)] = h
      hidden['h_cache'+str(i+1)] = h_cache
      h, h_cache = affine_relu_forward(h, w, b)
      hidden['h'+str(i+1)] = h
      hidden['h_cache'+str(i+1)] = h_cache
pass
# END YOUR CODE HERE
# If test mode return early
if mode == 'test':
 return scores
loss, grads = 0.0, \{\}
# YOUR CODE HERE:
   Implement the backwards pass of the FC net and store the gradients
   in the grads dict, so that grads[k] is the gradient of self.params[k]
   Be sure your L2 regularization includes a 0.5 factor.
exp_scores = np.exp(scores) # shape = (N, C)
sum_class_scores = np.sum(exp_scores, axis = 1, keepdims = 1) # shape = (N, 1)
log_exp_scores = np.log(exp_scores[range(N), y]/sum_class_scores) # shape = (N,
C)
data_loss = -np.mean(log_exp_scores)
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for i in np.arange(self.h_dims+1):
   reg_sum += np.sum(self.params['W'+str(i+1)]*self.params['W'+str(i+1)])
reg_loss = 0.5 * self.reg * reg_sum
loss = data_loss + reg_loss
dscores = exp_scores/sum_class_scores #(N, C)
dscores[range(N), y] -= 1
dscores /= N
for i in np.arange(self.h_dims+1)[::-1]:
   if i == self.h_dims:
       dloss, w, b = affine_backward(dscores, scores_cache)
       grads['W'+str(i+1)] = w
       grads['W'+str(i+1)] += self.reg * self.params['W'+str(i+1)]
       grads['b'+str(i+1)] = b
       dloss[hidden['h'+str(i)] <= 0] = 0
   elif i == 0:
       _, w, b = affine_relu_backward(dloss, hidden['h_cache'+str(i+1)])
       grads['W'+str(i+1)] = w
       grads['b'+str(i+1)] = b
       grads['W'+str(i+1)] += self.reg * self.params['W'+str(i+1)]
   else:
       dloss, w, b = affine_relu_backward(dloss, hidden['h_cache'+str(i+1)])
       grads['W'+str(i+1)] = w
       grads['b'+str(i+1)] = b
       grads['W'+str(i+1)] += self.reg * self.params['W'+str(i+1)]
       dloss[hidden['h'+str(i)] <= 0] = 0
    dloss_h2, grads['W3'], grads['b3'] = affine_backward(dscores, scores_cache)
    grads['W3'] += self.reg * W3
    dloss h2[h2 <= 0] = 0
    dloss_h1, grads['W2'], grads['b2'] = affine_backward(dloss_h2, h2_cache)
    grads['W2'] += self.reg * W2
    dloss_h1[h1 <= 0] = 0
    _, grads['W1'], grads['b1'] = affine_relu_backward(dloss_h1, h1_cache)
    grads['W1'] += self.reg * W1
pass
# END YOUR CODE HERE
# ========== #
return loss, grads
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