Assignment 2

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Dobrow Chapter 3

3.3

If a tree has 70% change of being infected with root rot or bark disease there is a 40% chance it has root disease. If you take the compliment of 40%, (1-.4), then the infected tree has a 60% (.6) that it is bark disease.

P(Infected|Bark) = (.7) * (.6) P(I|B) = 0.42

3.6

Lottery tickets 1 and 1000 Tickets needed to buy to get probability of winning 50%

x=tickets needed to get probability of winning to 50%

$$.5=(1/1000)*x x=500 Tickets$$

- 3.8 50-50 change that the queen carries hemophilia and each prince has 50-50 change of having hemophilia.
 - a) three princes without the disease, what the is the probability the queen is a carrier.

$$P(H|E) = P(H)P(E|H)/P(H)P(E|H + P(H^{C)P(E|H}C) .5^3 * .5 / (.5^3 * .5 + .5) = .111$$

b) If there is a four prince what is the probability $P(H|E) = P(H)P(E|H)/P(H)P(E|H + P(H^{C)P(E|H}C) .5^4 * .5 / (.5^4 * .5 + .5)$

=0.05882353

3.16

$$(n/k) = n!/k!(n-k)!$$

- a) Straight Flush (5 cards same suit) P(Straight Flush) = 36/(52/5) P(Straight Flush) = 36/(8.065818e + 67/(120 * 2.586232e + 59)) = 1.385169e-05
- b) Four of a Kind (four cards one face value and one other card) P(Four of a Kind) = 624/(52/5) = 624/(8.065818e + 67/(120 * 2.586232e + 59)) = 0.000240096
- c) Full House (three cards of one face value and wo of another face value) P(Full House) = 3744/(52/5) = 3744/(8.065818e + 67/(120 * 2.586232e + 59)) = 0.001440576
- d) Flush (five cards same suit) P(Flush) = 5108/(52/5) = 5108/(8.065818e + 67/(120 * 2.586232e + 59)) = 0.001965401
- e) Straight (Five cards in a sequence) P(Straight) = 10200/(52/5) = 10200/(8.065818e + 67/(120*2.586232e + 59)) = 0.003924646
- f) Three of a Kind (Three cards) P(Three Kind) = 54912/(52/5) = 54192/(8.065818e + 67/(120*2.586232e + 59)) = 0.02085141
- g) Two Pair P(Two Pair) = 123552/(52/5) = 123552/(8.065818e + 67/(120 * 2.586232e + 59)) = 0.04753901

h) One Pair P(One Pair) = 1098240/(52/5) = 1098240/(8.065818e + 67/(120 * 2.586232e + 59)) = 0.4225689

3.22

```
p <- as.numeric(1/6)
scenarios <- c(1, 2, 3)

for (i in scenarios) {
    # Accumulate the probability that fewer than the target # of sixes occurs.
    x <- 0
    # Total number of dice.
    n <- 6 * i
    # Calculate the probability for each possible # of sixes that is less than the goal.
    for (j in 0:(i-1)) {
        x <- x + dbinom(j, n, p)
    }
    print(paste("Probability of at least", i, "six in", n, "fair dice:", 1 - x))
}</pre>
```

```
## [1] "Probability of at least 1 six in 6 fair dice: 0.665102023319616"
## [1] "Probability of at least 2 six in 12 fair dice: 0.618667373732309"
## [1] "Probability of at least 3 six in 18 fair dice: 0.597345685947723"
```