Poisson processes & Queueing theory

Quiz, 7 questions

1 point

1.

Compute the mathematical expectation of a Poisson Process N_t with intensity λ :

- \bigcirc t
- \bigcirc
- λ
- λx

1 point

2.

Find the moment generating function for a random variable with binomial distribution, $\mathbb{P}\{\xi=k\}=C_n^kp^k(1-p)^{n-k},\quad k=0,1,..,n,\qquad p\in(0,1):$

- $(up+(1-p))^k$
- $\frac{p}{1-(1-n)u}$
- $\left(\frac{1-p}{1-pu}\right)^{\frac{1}{2}}$

1 point

3.

Find the limit $\lim_{h o 0} \mathbb{P}\{N_h = 1\}$:

- 0
- () λh
- $1 \lambda h$
- \bigcirc λ

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2 people are chating: one has a messaging speed equals to 3 messages per minute, another - 2 messages per minute. Assuming that for every person the message writing is modeled with Poisson Process and these processes are independent, find the probability that there will be sent only 2 messages per one minute.

$e^{-5} rac{25}{2}$
$e^{-5t} \frac{25t}{k!}$
$e^{-2} rac{6t^k}{k!}$
$e^{-3} rac{6t^k}{k!}$



1 point

5.

Purchases in a shop are modelled by the homogeneous Poisson process: 30 purchases are made on average during an hour after the opening of the shop. Find the probability that the interval between k and k+1 purchases will be less than 4 minutes, given that the purchase number k was in the time moment s:

 $e^{-60(s+1/20)+60s}$

 $1 - e^{-60(s+1/30)+60s}$

 $e^{-30(s+1/15)+30s}$

1 point

6.

The amount of claims to an insurance company is modelled by the Poisson process, and the claim sizes are modelled by an exponential distribution. On average there are 100 claims per day, and the mean value of 1 claim is 5000 USD.

What type has the process X_t equal to the total amount of claims till time t?

Homogeneous Poisson process

Compound Poisson process

Non-homogeneous Poisson process

1 point 7.

Poisson process: $30t^{5/4}$ purchases are made ${
m Poisson}$ paragraphs of the shop. Find the probability that the interval between ${
m Quiz}$, 7 questing k+1 purchases will be less than 2 minutes, given that the purchase number k was in the time moment s:

$e^{-30(s+1/30)^{5/4}+30s^{5/4}}$

$$1-e^{-30(s+1/60)^{5/4}+30s^{5/4}}-e^{-30(s+1/20)^{5/4}+30s^{5/4}}$$

$$e^{-30(s+1/60)^{5/4}+30s^{5/4}}-e^{-30(s+1/20)^{5/4}+30s^{5/4}}$$

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