

1. ① Robot Mouse Races:

Performance: 速度快.

Environment: 迷宮軌道

Actuators: 加速、回轉、煞車、決定向左向右轉的工具

Sensors: 偵測牆壁的感應器

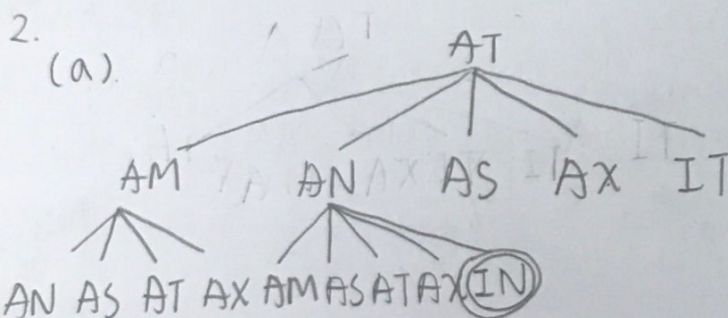
② Robothespian

Performance: 會唱歌, 會有動作

Environment: 公共場所、可與人溝通的地方

Actuators: 發聲工具、可以操控它四肢的工具、顯示螢幕

Sensors: 聲音感應器



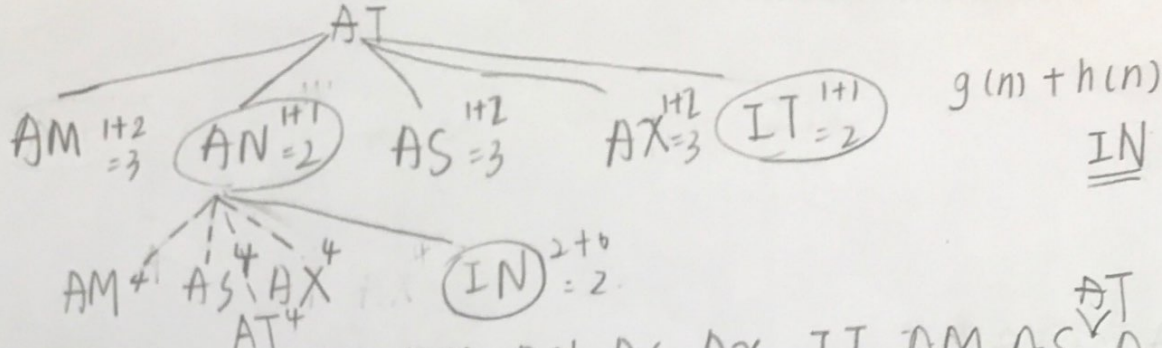
generated nodes: AT, AM, AN, AS, AX, IT, AN, AS, AT, AX, AM, AS, AT, AX, IN

expanded nodes: AT, AM, AN

solution: $AT \rightarrow AN \rightarrow IN$

- (b) 因為此題為 AT 到 IN, 兩個字母皆不同, 都須要改變, 而兩個字母不同, 至少須要 2 次 changes, 也就是 n 個字不同, 須至少 n 次 changes, 而此 heuristic, 也就是 n 次, 永遠不會超過實際上所須要的 change 次數, 也就是 cost, 因此為 admissible heuristic, 可以低估, 但不可高估。

(c)



generated nodes: AT, AM, AN, AS, AX, IT, AM, AS, AX, IN

expanded nodes: AT, AN

solution: AT → AN → IN

3. Initial domains: $D_x = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

$X=Y^2, X=Z^3$

$D_Y = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

$D_Z = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

After checking the arc $(X \rightarrow Y)$ $x=1^2$ $D_Y = \{0, 1, 2, 3\}$

check the arc $(X \rightarrow Z)$

$D_Z = \{0, 1, 2\}$

check the arc $(Y \rightarrow X)$

$D_X = \{0, 1, 4, 9\}$, 要再檢查一次 $(X \rightarrow Z)$

check the arc $(X \rightarrow Z)$

$D_Z = \{0, 1\}$

check the arc $(Z \rightarrow X)$

$D_X = \{0, 1\}$

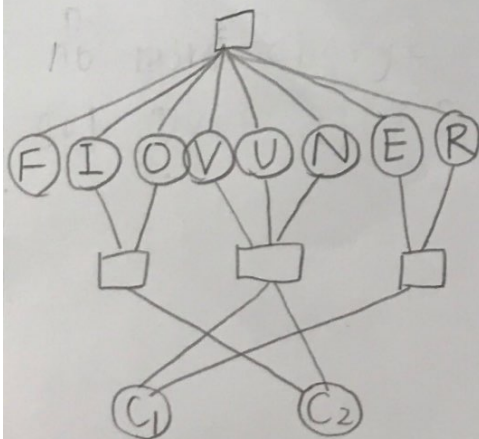
check the arc $(X \rightarrow Y)$

$D_Y = \{0, 1\}$, 要再檢查一次 $(X \rightarrow Y)$

no change; process terminate, sol = $D_x = \{0, 1\}, D_Y = \{0, 1\}, D_Z = \{0, 1\}$

4

FIVE
- FOUR
ONE



variables: $X = \{F, I, O, V, U, N, E, R, C_1, C_2\}$

Domain: $D = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

Constraints:

• All diff (F, I, O, V, U, N, E, R)

• $F \neq 0, O \neq 0$

• $C_1 * 10 + E = R + E$

• $C_2 * 10 + V = U + N + C_1$

• $C_3 * 10 + I = O + O + C_2$

domain
 $D_F = D_O = \{1, 2, 3, 4, 5, 6, 7, 8, 9\} \rightarrow 9$

$D_I = D_V = D_U = D_N = D_E = D_R = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\} \rightarrow 10$

$C_1 = D_{C_2} = \{0, 1\}$
degree

$F: 0, I: 2, O: 2, V: 4, U: 4, N: 4, E: 2, R: 2, C_1: 6, C_2: 6$

① select C_1 first by MRV, assign $C_1 = 0$ by LCV (when $C_1 = 1, R = \emptyset$)
 $D_R = \{0\}$, 其它 D no change

② select R by MRV, $R = 0$, Remove 0 out of other's domain, 除了 C_2
assign

③ select C_2 by MRV, if $C_2 = 0, D_O = \{1, 2, 3, 4\}, D_I = \{2, 4, 6, 8\}$

$D_U = D_N = \{1, 2, 3, 4, 5, 6, 7, 8\}, D_V = \{3, 4, 5, 6, 7, 8, 9\}$

if $C_2 = 1, D_O = \{1, 2, 3, 4\}, D_I = \{3, 5, 7, 9\}$

$D_U = D_N = \{2, 3, 4, 5, 6, 7, 8, 9\}, D_V = \{1, 2, 3, 4, 5, 6, 7\}$

④ $C_2 = 0, C_2 = 1$ 會影響到的 domain 數量相同, 先 assign $C_2 = 0$.

⑤ select I by MRV, assign $I = 2$ by LCV.

$D_O = \{1\}, D_N = D_U = \{1, 3, 4, 5, 6, 7, 8\}, D_V = \{3, 4, 5, 6, 7, 8, 9\}, D_E = D_F = \{1, 3, 4, 5, 6, 7, 8, 9\}$

⑥ select O by MRV, assign $O = 1$.

$D_N = D_U = \{3, 4, 5, 6\}, D_V = \{3, 4, 5, 6, 7, 8, 9\}, D_E = D_F = \{3, 4, 5, 6, 7, 8, 9\}$

⑦ select N by MRV, assign $N = 3$.

$D_U = \{4, 5, 6\}, D_V = \{7, 8, 9\}, D_E = D_F = \{4, 5, 6, 7, 8, 9\}$

⑧ select U by MRV, assign $U = 4$.

$D_V = \{7\}, D_E = D_F = \{5, 6, 7, 8, 9\}$

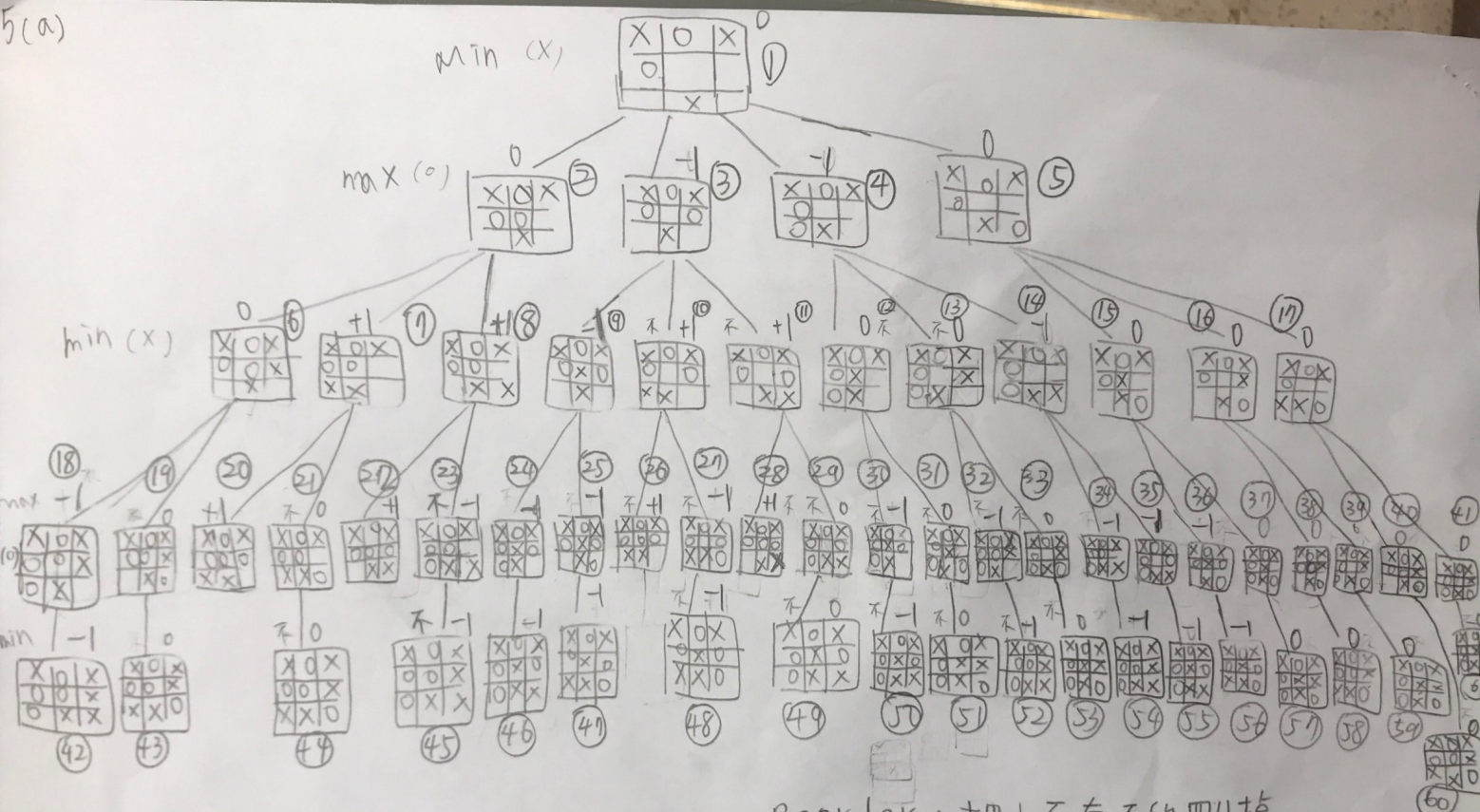
⑨ select V by MRV, assign $V = 7$.

$D_E = D_F = \{5, 6, 8, 9\}$

⑩ select E , assign $E = 5$, ⑪ select F , assign $F = 6$.

my solution \Rightarrow
 $F = 6, I = 2, V = 7$
 $E = 5, O = 1, U = 4$
 $R = 0, N = 3, C_1 = 0$
 $C_2 = 0$
6275
-6140
135

5(a)



(b) node 數: $1 + 4 + 12 + 24 + 20 = 61$

不會被 check 到的 node 數 22

check node $61 - 22 = 39$

Reorder: 把上面有的刪掉

- 10 11 12 13 21 23 26 27 28 29 30
31 32 33 44 45 48 49 50 51 52 53

6. (a) $[R_1] : A$

$[R_2] : B$

$[R_3] : P \Rightarrow Q$ convert to $\neg P \vee Q$

$[R_4] : L \wedge M \Rightarrow P$ convert to $\neg(L \wedge M) \vee Q \rightarrow \neg L \vee \neg M \vee Q$

$[R_5] : L \wedge B \Rightarrow M$ convert to $\neg L \vee \neg B \vee M$

$[R_6] : A \wedge B \Rightarrow L$ convert to $\neg A \vee \neg B \vee L$

$[R_7] : A \wedge P \Rightarrow L$ convert to $\neg A \vee \neg P \vee L$

(b) $[R_8 = \text{假設}] : \neg Q$ (先設 Q 為 false)
 $[R_9 : R_1 + R_6] : \neg B \vee L$

$[R_{10} : R_2 + R_9] : L$

$[R_{11} : R_2 + R_5] : \neg L \vee M$

$[R_{12} : R_{10} + R_{11}] : M$

$[R_{13} : R_4 + R_{10}] : \neg M \vee Q$

$[R_{14} : R_4 + R_{13}] : \neg Q$

$[R_{15} : R_8 \text{ 與 } R_{14}] : \text{false} \Rightarrow \text{矛盾} \Rightarrow Q \text{ is true}$