

**A lowpass digital filter's specifications are given by:**

**$\omega_p = 0.65$  ,  $\omega_s = 0.45$  ,  $A_p = 60$  ,  $A_s = 0.25$**

```
% Digital Filter Specifications:  
wp = 0.45; % digital Passband Normalized freq  
ws = 0.65; % digital Stopband Normalized freq  
Ap = 0.25; % Passband ripple in dB  
As = 60; % Stopband attenuation in dB
```

**a. Using bilinear transformation and the Chebyshev I approximation approach obtain a system function  $H(z)$  in the cascade form that satisfies the above specifications.**

```
[N,omegac] = cheb1ord(wp,ws,Ap,As)
```

```
N = 8  
omegac = 0.4500
```

```
[C,D] = cheby1(N,Ap,omegac)
```

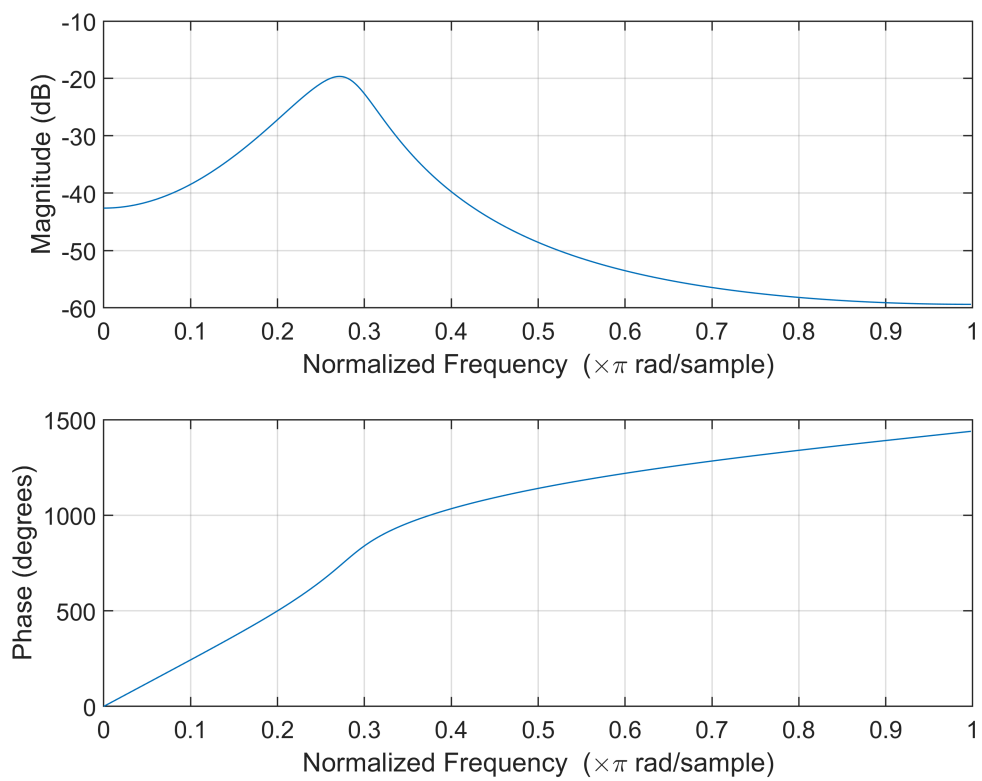
```
C = 1×9  
    0.0011    0.0086    0.0300    0.0601    0.0751    0.0601    0.0300    0.0086 ...  
D = 1×9  
    1.0000   -2.8299    5.3214   -6.7905    6.4563   -4.5523    2.3297   -0.7968 ...
```

```
[B,A] = bilinear(C,D,1)
```

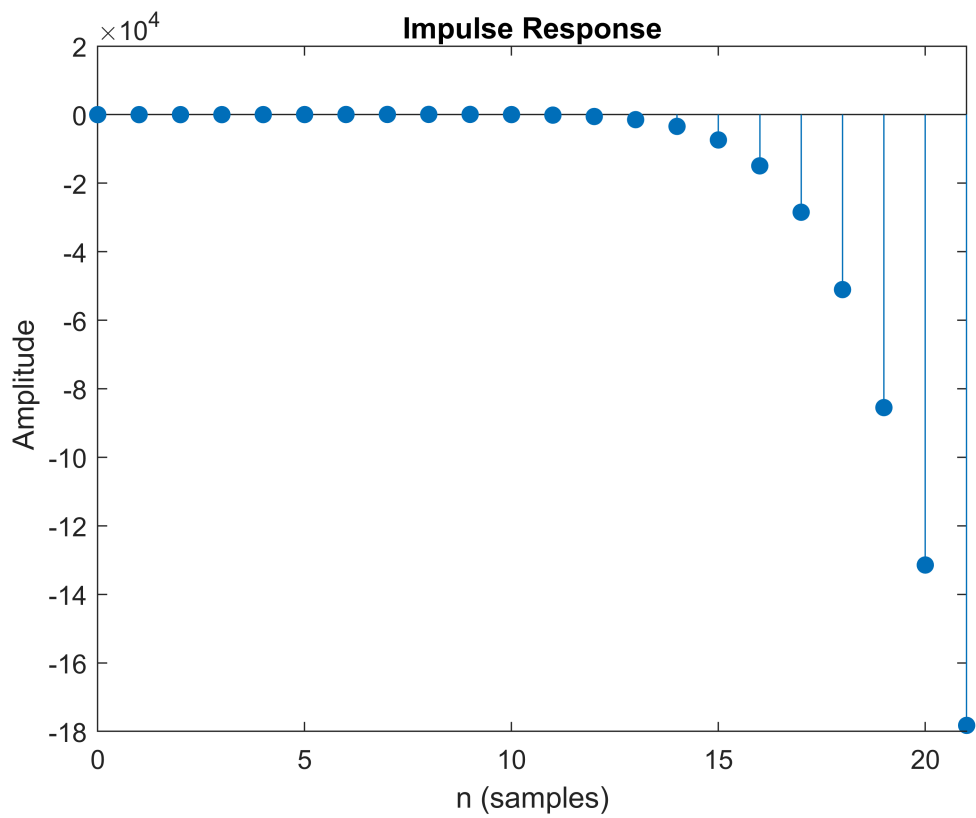
```
B = 1×9  
    0.0767   -0.2045    0.2385   -0.1590    0.0663   -0.0177    0.0029   -0.0003 ...  
A = 1×9  
    1.0000   -9.2191   38.9157  -98.4707  163.9609 -184.8270  138.8337  -64.2442 ...
```

**b. Provide design plots in the form of log-magnitude, phase, group-delay, and impulse responses.**

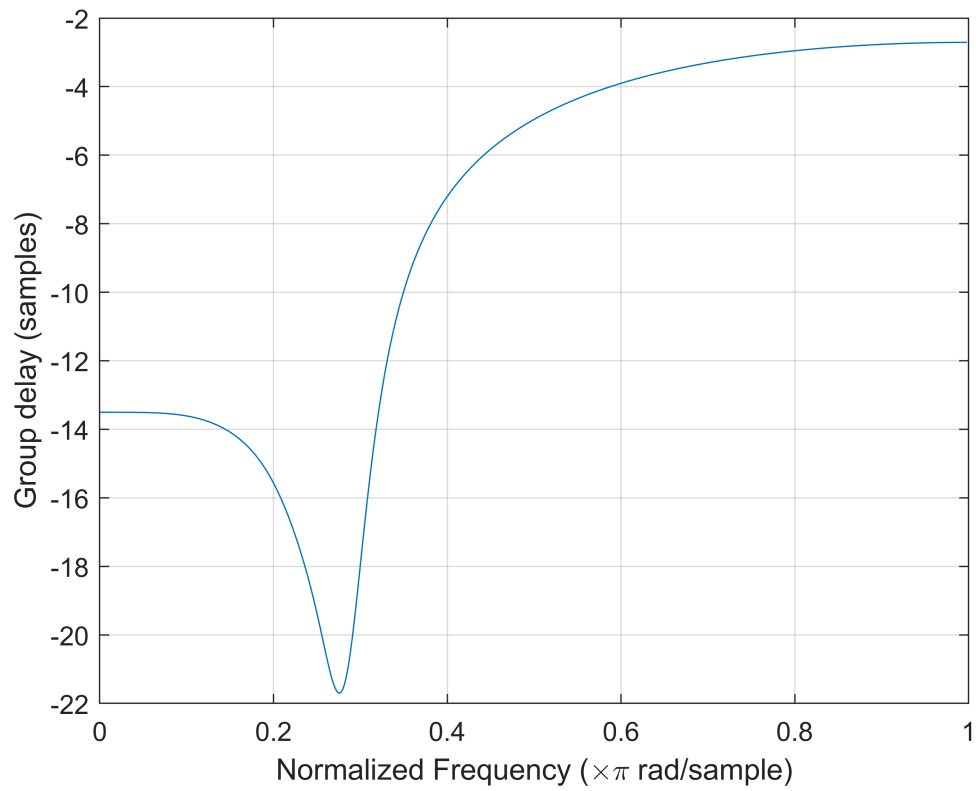
```
freqz(B,A)
```



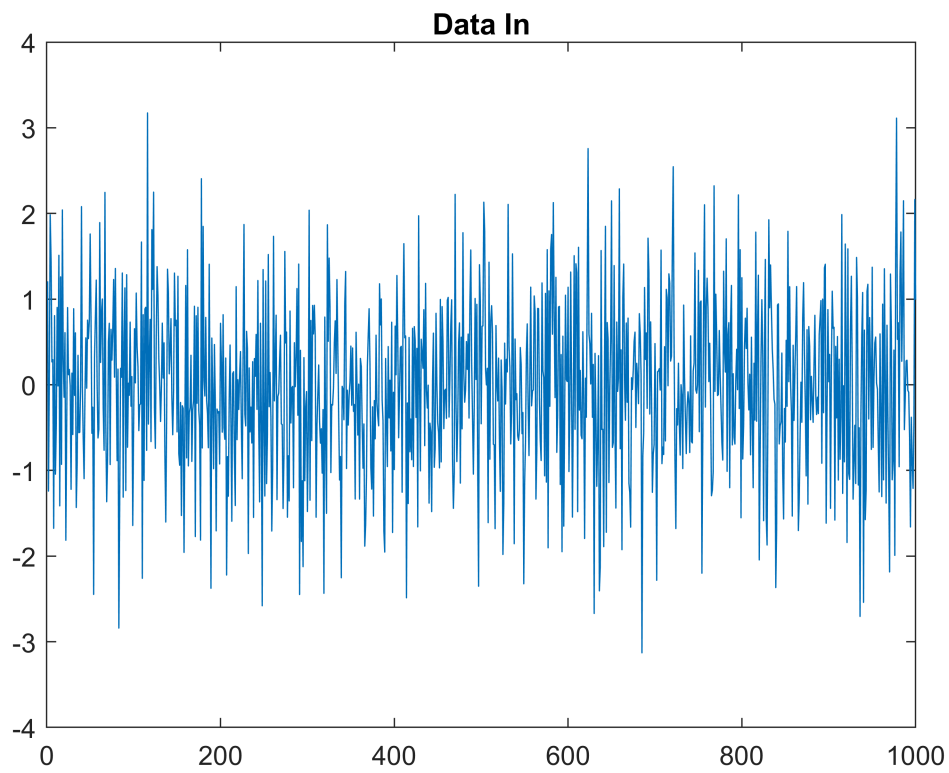
```
impz(B,A)
```



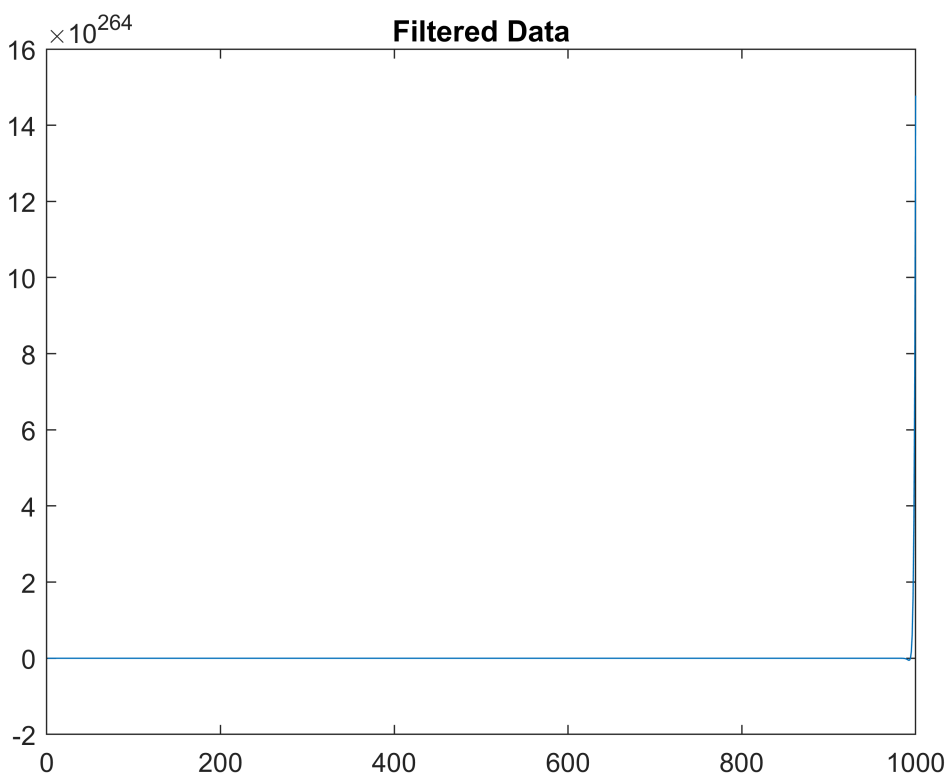
grpdelay(B,A)



```
dataIn = randn(1000,1);  
dataOut = filter(B,A,dataIn);  
plot(dataIn)  
title('Data In')
```

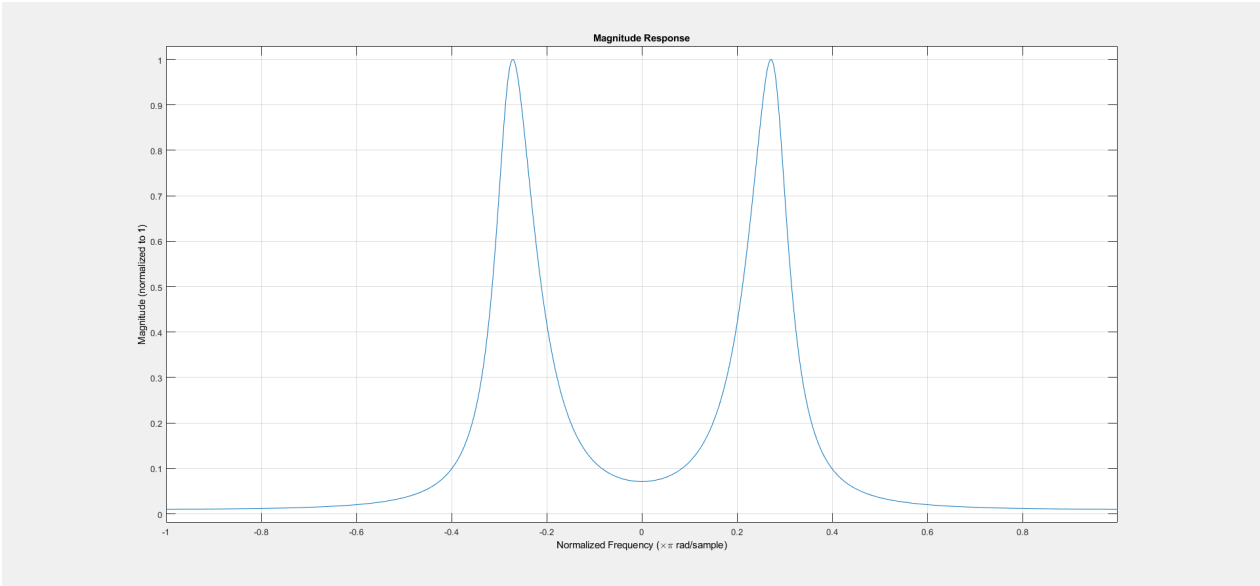


```
plot(dataOut)  
title("Filtered Data")
```



c. Determine the exact band-edge frequencies for the given attenuation.

```
fvtool(B,A,'magnitude')
```



```
load('q8_3_c.mat')
cursor_info2
```

cursor\_info2 = 1x2 struct

Fields	Target	Position	DataIndex
1	1x1 Line	[0.3005,...	2463
2	1x1 Line	[0.2332,...	1911

From Graph we can see the band edges are at 0.3pi and 0.23pi