Example 1.3

Consider the experimental observations of strength reported in Table ?? (p. ??). Sort the data into n=7 bins of equal width ΔS to cover the entire range of the data. Build a histogram reporting the number of observations per bin. Compute the mean μ_F , standard deviation ϖ_F , and coefficient of variance C_F . Plot the normal probability density function p(F) together with the normalized histogram. The histogram has to be normalized for plotting together with the probability density, which has area A = 1.

Solution

The data **F** is sorted, then grouped into n = 7 bins of equal width in Table ?? (Histogram). Since the minimum strength is $F_{min} = 30 \ MPa$ and the maximum is $F_{max} = 100 \ MPa$, using 7 bins yield bins of with 10.

The data is represented by a normal distribution with $\mu_F = 65.4$, $\varpi_F = 14.47$, $C_F = 0.22$. The resulting histogram and PDF are shown in Figure ??.

```
% Example 1.3
clc; clear
[F txt] = xlsread('Table1_1.xlsx') % read data
ndata = length(F) % number of data points
% Histogram
n = 7; % number of bins
[Hist,centers] = hist(F,n)
binwidth = (\max(F) - \min(F))/n;
NHist = Hist/(ndata*binwidth); % normalizes the histogram
bar(centers, NHist, 'FaceColor', 'none', 'LineWidth', 2); hold on
% probability density
F = sort(F); % sort for plotting a line
m = mean(F)
v = std(F)
p = pdf('norm',F,m,v)
plot(F,p,'k','LineWidth',2);
% labels
xlabel('Strength F', 'FontSize', 14, 'FontName', 'Arial');
ylabel('Probability p(F)','FontSize',14,'FontName','Arial');
axis([30 100 0.0 0.04]);
set(gca,'FontSize',14,'FontName','Arial');
legend('Histogram', 'PDF');
```

```
saveas(gca,'./Histogram.example.1.3','png');
hold off
```