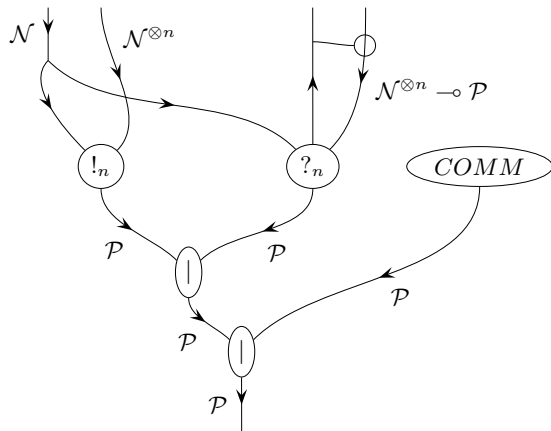


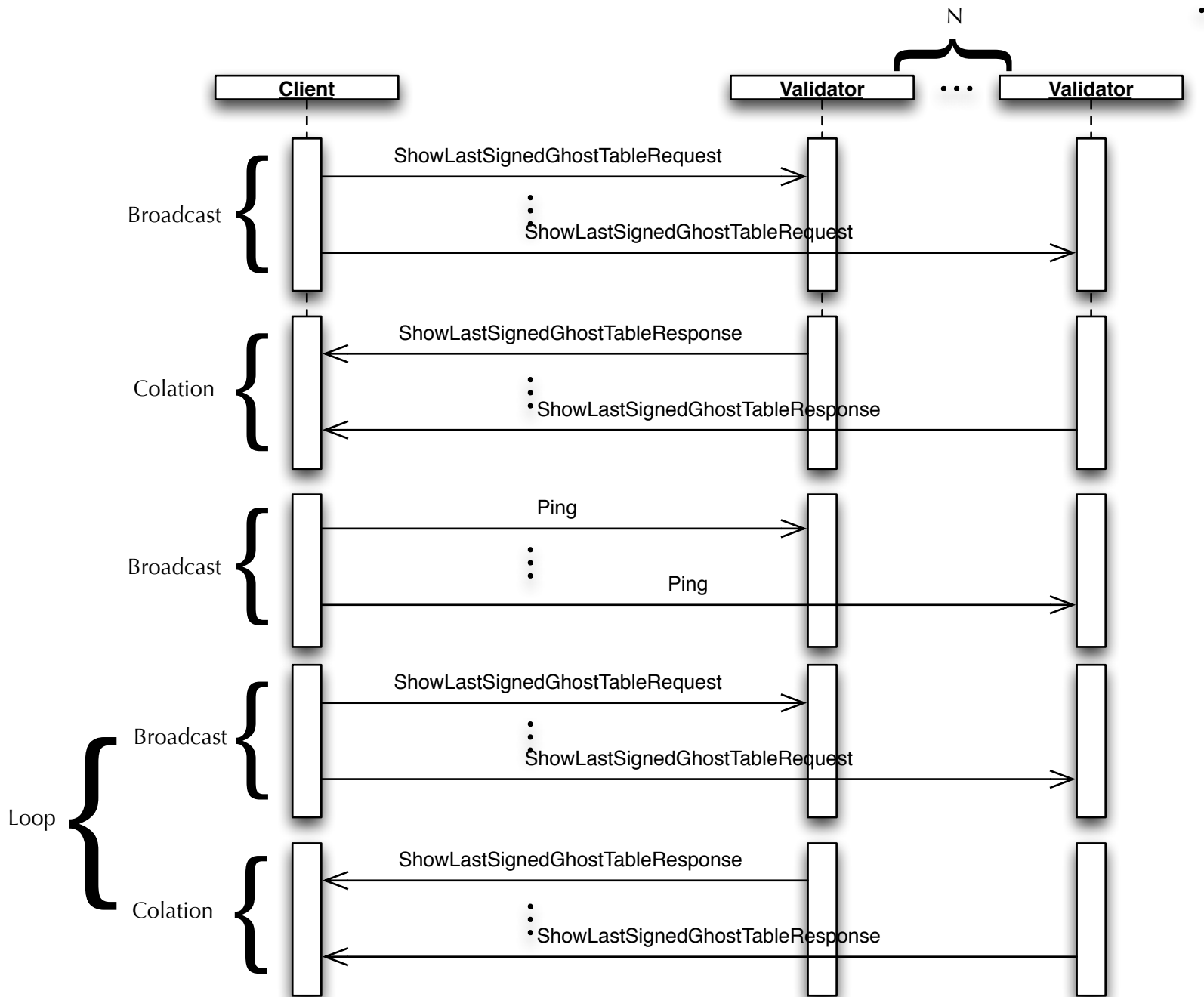
# Casper Formalized Pt I

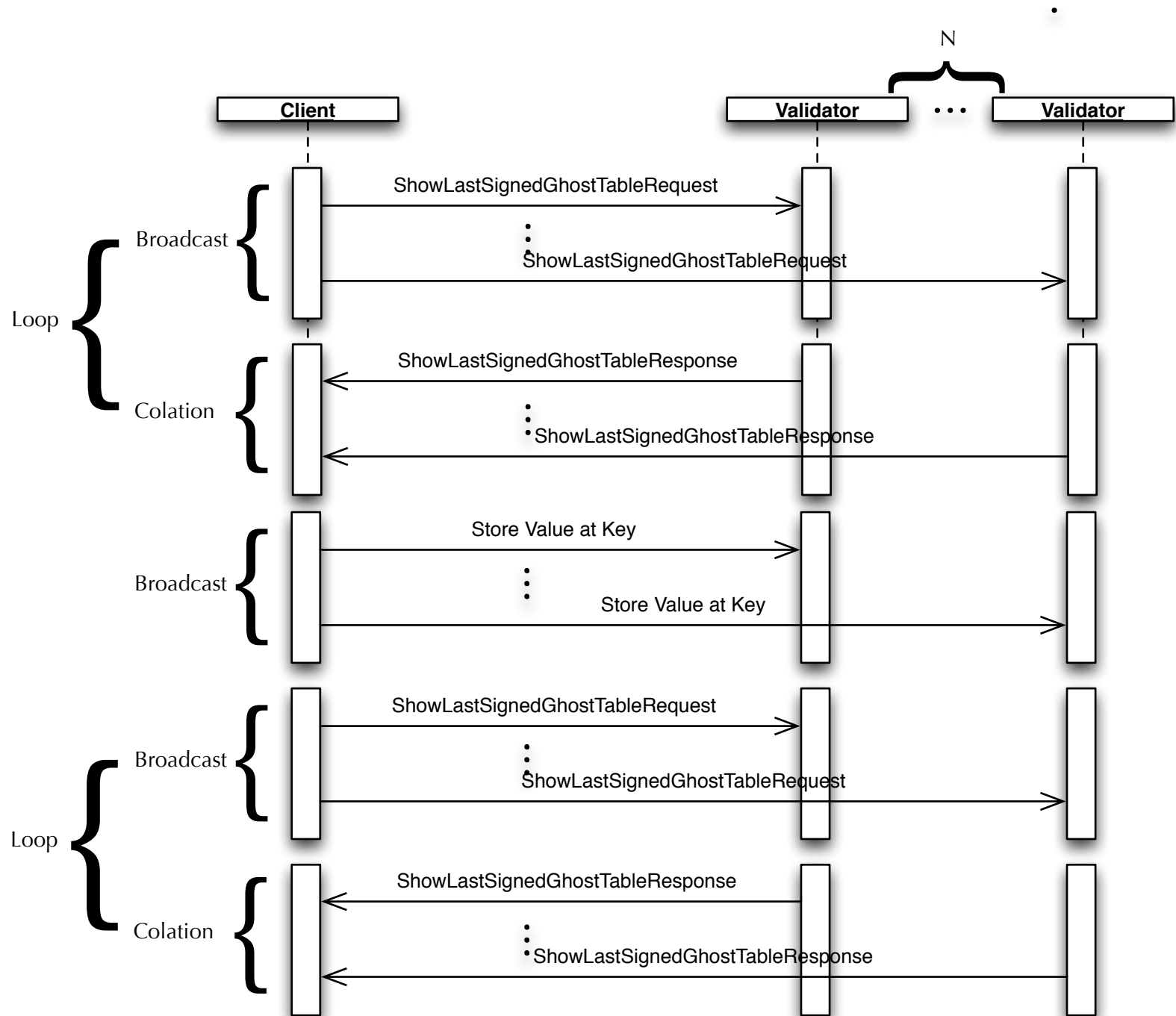
Applying  $\pi$ -calculus  
to modeling the Casper protocol



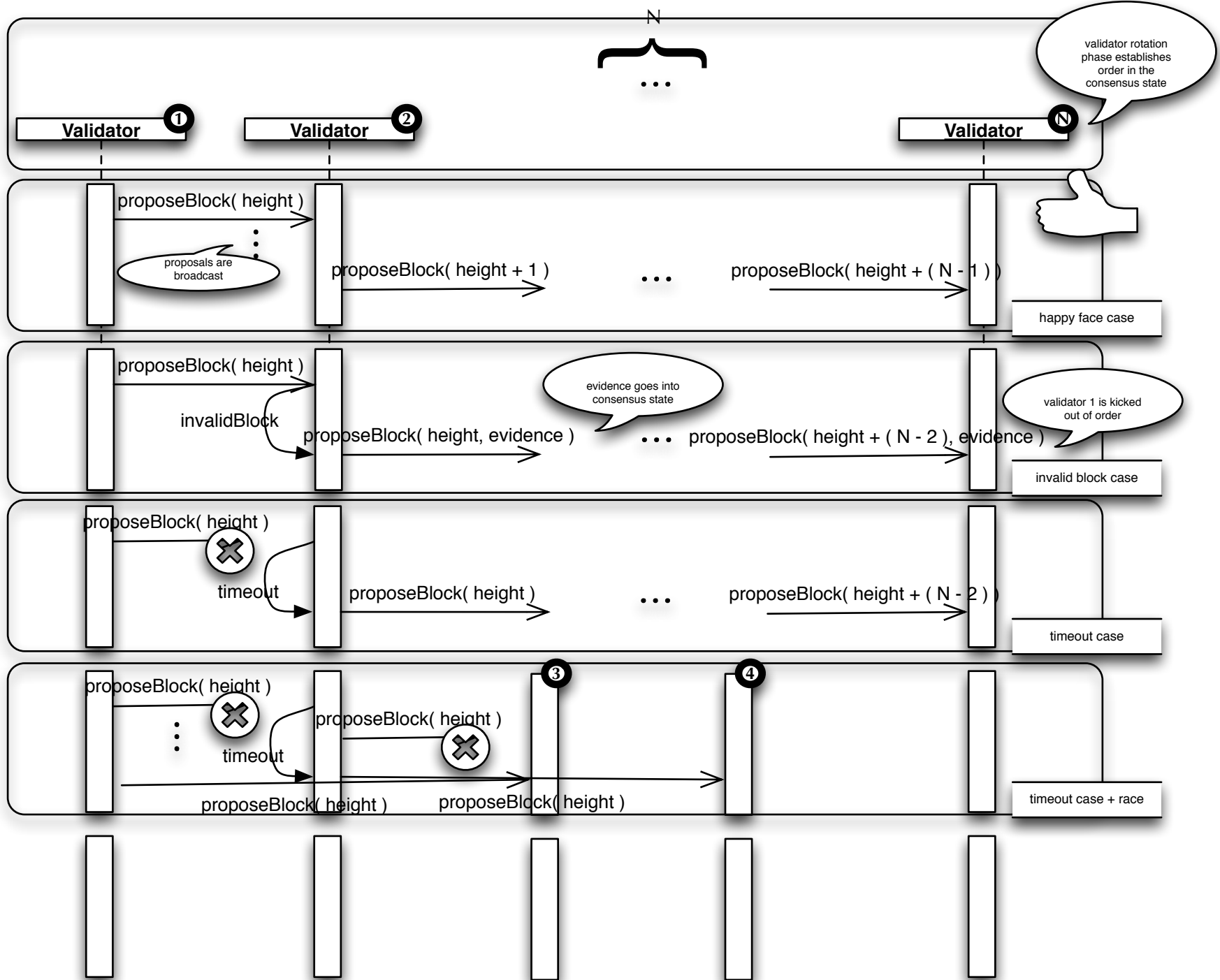
Vlad Zamfir, L.G. Meredith

Client <-> Validator interactions

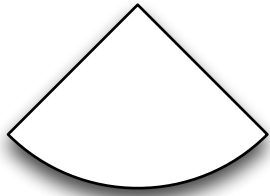




Consensus: Validator  $\leftrightarrow$  Validator  
interactions



How to turn interaction diagrams  
into  $\pi$ -calculus specs



# programming model



Claimant



Verifier



Relying party

allow Abed  
to check  
claim C



for(

?

e1 <- chan?( C2V )( allowCheck( ) ) ;

Verify  
Troy's  
claim C

?

e2 <- chan?( R2V )( verify( ) )

) {

confirm  
Troy's  
claim C

!

chan!( V2R )( confirm( ) )

}

verifier behavior

Just walk this line to calculate the specification of the verifier's  
behavior and derive code

•





allow Abed  
to check  
claim C

chan!( C2V )( allowCheck( ) , ... )

claim: C &  
Dean will  
verify

chan!( C2V )( claim( ), ... )



Claimant

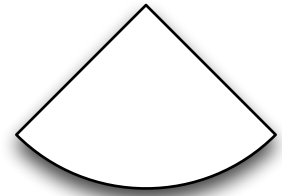


Verifier



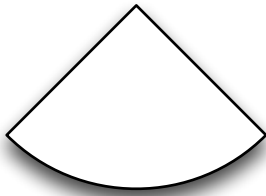
Relying party

claimant behavior



programming  
model

and this line to calculate the specification of the claimant's  
behavior and derive code



# programming model



Claimant



Verifier



Relying party

relying party behavior

for(

e1 <- chan?( C2R )( claim( ) )

) {

for(

confirm  
Troy's  
claim C

) {

...

}

}

and this line to calculate the specification of the relying party's  
behavior and derive code

claim: C &  
Dean will  
verify

?

Verify  
Troy's  
claim C

!

chan!( C2R )( verify( ), ... )

?

e1 <- chan?( C2R )( truat( ) )



How to turn  $\pi$ -calculus specs  
into scala code

$P, Q ::= 0$	<code>{ }</code>
$a![v_1, \dots, v_n]$	<code>[  a  ](m) ![   v1  ](m), ..., [  vn  ](m) ]</code>
$a?(x_1, \dots, x_n)P$	<code>for( [ x1, ..., xn ] &lt;- [  a  ](m) ){   [  P  ](m)( x1, ..., xn ) }</code>
$P \mid Q$	<code>spawn{ [  P  ](m) };spawn{ [  Q  ](m) }</code>
$(\text{new } a)P$	<code>{ val q = new Queue(); [  P  ](m[ a &lt;- q ] ) }</code>
$(\text{def } X(x_1, \dots, x_n) = P)[v_1, \dots, v_n]$	<code>object X {   def apply( x1, ..., xn ) = {     [  P  ](m)( x1, ..., xn )   } }</code>
$X[v_1, \dots, v_n]$	<code>X( [  v1  ](m), ..., [  vn  ](m) )</code>

`[| - |]( - ) : (  $\pi$ -calculus, Map[Symbol,Queue] ) -> Scala`