1(1)A=(1.5 4) has rowk 2 => The market is always dynamically complete
(b)(c) Rn=2 Rd>0.5 Rf=1.5

(b)(c)
$$R_{n=2}$$
 $R_{d=0.5}$ $R_{f=1.5}$
 $R_{n=1}$ R_{n-1} $R_{d=1}$ R_{n-1} $R_$

17)

2 4 2 2 price =
$$\frac{4}{9} \times 3 + \frac{2}{9} \times 2 + \frac{1}{9} \times \frac{1}{2} = \frac{82}{81}$$

2 0.5 0.5 Payoff

(-\frac{4}{3}, 1, \frac{20}{3})

There elements in brackets are (&, S, v) respectively

 $\frac{1088}{729}$ (c) They should be equal since payoffs are perfectly same and there is no arbitrage

る(の) ECP/リー ⇒ (P-14)+ 奈(P-2)+ ⇒ P=P- 等=V+ ⇒ = 11分

$$VOT(P/L) = ⇒ [P-14)-(P- 等)]^2 + ⇒ [Q-2)-(P- 等)]^2 + ⇔ [P-(P- 等)]^2$$

$$= 6.56$$

I can sell the option and long the replicating portfolio I will have +1 profit today with 0 volutility at any time.
My P/L will not depend on market price at intermediate times

(b) (c)
$$(3)$$
 (4) (4) (5) (5) (5) (5) (5) (5) (5) (5) (5) (6) (7) (7) (8) (9) $(9$

there dements in brackets are (\$ S, v) respectively

us) my co) they should be equal since pagetts one perfectly some and there is no arbitrage