

Data Structures - Fall 2019

Make Up Exam 1

s0_name_and_id.py

Open the file and make sure you type your last name, first name, and UTEP ID

s1_recursion.py

Problem 1 (10 points): Provide an implementation for the *change_x_y* method. Given a string, compute recursively (no loops) a new string where all the lowercase 'x' chars have been changed to 'y' chars.

Example1: *change_x_y*("codex") -> "codey"

Example2: *change_x_y*("xxhixx") -> "yyhiyy "

Example3: *change_x_y*("xhixhix") -> "yhiyhiy"

s2_iterative_time_complexity.py

Problem 2 (4 points): What is the running time (big-O) of the following function? For all problems, assume that *a* is a list.

```
def f(a):  
    for i in range(len(a), len(a), 1):  
        print(a[0])
```

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(1)$	$O(n)$	$O(\log(n))$	$O(n^2)$	$O(n \log(n))$	$O(n^3)$

Problem 3 (4 points): What is the running time (big-O) of the following function?

```
def f(a):  
    for i in range(len(a), len(a) * len(a), len(a)):  
        print(a[0])
```

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(1)$	$O(n)$	$O(\log(n))$	$O(n^2)$	$O(n \log(n))$	$O(n^3)$

Problem 4 (4 points): What is the running time (big-O) of the following function?

```
def f(a):
    for i in range(len(a)):
        for j in range(i, len(a) * len(a), len(a)):
            print(a[0])
```

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(1)$	$O(n)$	$O(\log(n))$	$O(n^2)$	$O(n \log(n))$	$O(n^3)$

Problem 5 (4 points): What is the running time (big-O) of the following function?

```
def f(a):
    for k in range(len(a) * len(a)):
        for j in range(len(a) * 2):
            i = len(a)

            while i > 0:
                print(a[0])
                i = i // 2
```

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(n^3)$	$O(n^2)$	$O(n^2 \log n)$	$O(n^3 \log n)$	$O(n \log(n))$	$O(n)$

s3_recursive_time_complexity.py

Problem 6 (4 points): What is the recurrence equation that describes the running time of the following recursive function? $T(n) = a T(n/b) + n^k$. What are the values of a , b , and k ?

```
def f(a, n): # First call: f(a, len(a))
    if n > 0:
        f(a, n // 4)
        f(a, n // 4)
        for i in range(0, len(a), 2):
            print(a[0])
```

Problem 7 (4 points): What is the recurrence equation that describes the running time of the following recursive function? $T(n) = a T(n/b) + n^k$. What are the values of a , b , and k ?

```
def f(a, n): # First call: f(a, len(a))
    if n > 0:
        for i in range(4):
            for j in range(2):
                f(a, n // 2)

        for i in range(4):
            print(a[0])
```

Problem 8 (4 points): What is the recurrence equation that describes the running time of the following recursive function? $T(n) = a T(n/b) + n^k$. What are the values of a , b , and k ?

```
def f(a, n): # First call: f(a, len(a))
    if n > 0:

        f(a, n // 3)

        for i in range(len(a) // 2):
            for j in range(len(a) // 4):
                for k in range(len(a) // 8):
                    print(a[0])
```

Master Theorem:

$T(n) = O(n^{\log_b a})$ if $a > b^k$
 $T(n) = O(n^k \log n)$ if $a = b^k$
 $T(n) = O(n^k)$ if $a < b^k$

Problem 9 (4 points): Solve the following recurrence equation:

$T(1) = 1$
 $T(n) = 8 T(n/2) + n^3$

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(n^3)$	$O(n^2)$	$O(n^2 \log n)$	$O(n^3 \log n)$	$O(n \log(n))$	$O(n)$

Problem 10 (4 points): Solve the following recurrence equation:

$T(1) = 1$
 $T(n) = 7 T(n/4) + n^2$

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(n^3)$	$O(n^2)$	$O(n^2 \log n)$	$O(n^3 \log n)$	$O(n \log(n))$	$O(n)$

Problem 11 (4 points): Solve the following recurrence equation:

$$T(1) = 1$$

$$T(n) = 4 T(n/2) + 1$$

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$O(n^3)$	$O(n^2)$	$O(n^2 \log n)$	$O(n^3 \log n)$	$O(n \log(n))$	$O(n)$

Problem 12 (4 points): Consider the following recurrence equation: $T(n) = 3 T(n - 1) + 1$

Solve the equation by iteration.

$$T(1) = 1$$

$$T(2) = ?$$

$$T(3) = ?$$

$$T(4) = ?$$

What is $T(4)$? Your answer must be an integer

s4_activation_records.py

To answer the following three questions, trace the execution of $p1(4,2,1)$ using activation records. Every time you create an activation record, assign it an ID starting from 0.

```
def p1(n, x, y):
    if n > 2:
        p1(n-1, y, x)
        print("n = ", n, "x = ", x, "y = ", y)
        p1(n - 2, x + 1, y - 1)
    else:
        print("n = ", n, "x = ", x, "y = ", y)
```

Problem 13 (5 points): How many activation records did you create? The initial call to $p1$ counts as the first activation record. If you drew 3 boxes, the answer should be 3. If you drew 5 boxes, the answer should be 5, etc.

Problem 14 (5 points): What are the values of n , x , and y in activation record #3? Activation record #0 is the one you created for $p1(4,2,1)$.

Problem 15 (5 points): What is the LAST line printed on the console?

Option 0	Option 1	Option 2	Option 3	Option 4	Option 5
$n = 4$ $x = 2$ $y = 1$	$n = 1$ $x = 2$ $y = 1$	$n = 2$ $x = 3$ $y = 0$	$n = 3$ $x = 1$ $y = 2$	$n = 2$ $x = 2$ $y = 1$	$n = 1$ $x = 5$ $y = 5$

s5_lists_1.py

To answer the following three questions, trace the following piece of code:

```
x = None
y = None

for i in range(2, 5):
    y = Node(i, x)
    x = Node(i - 1, y)

print(x.next.next.item) # Print Statement 0
y.next = x.next.next.next

print(y.next.next.item) # Print Statement 1

x.next.next.next.item += x.item + y.item # Notice the +=

print(x.next.next.next.item) # Print Statement 2
```

Problem 16 (5 points): What integer does 'Print statement 0' print to the console?

Problem 17 (5 points): What integer does 'Print statement 1' print to the console?

Problem 18 (5 points): What integer does 'Print statement 2' print to the console?

s6_lists_2.py

Problem 19 (7 points): Complete the implementation of the method *remove_first* <- Method that removes the first node in the list if it exists.

Problem 20 (7 points): Complete the implementation of the method *has_duplicates* <- Method that returns True if and only if the list contains any duplicate items. If the list does not contain any duplicates, this method returns False.

Problem 21 (7 points): Complete the implementation of the method *clear* <- Method that clears the list. That is, it removes all the nodes in the list.

Problem 22 (7 points): Complete the implementation of the method *remove* <- Method that receives an index as input and removes the node located at that index. If the index is invalid, your method should not do anything.

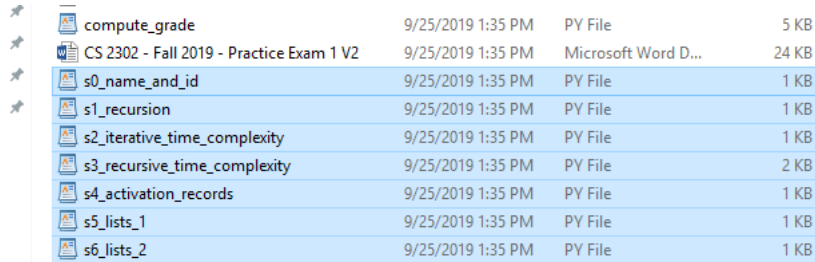
Total number of points: 112 points, graded out of 100 points

----- HOW TO UPLOAD YOUR EXAM-----

Make sure compute_grade runs! If you have an infinite loop or if the code fails to compute your grade, you will automatically get a 0

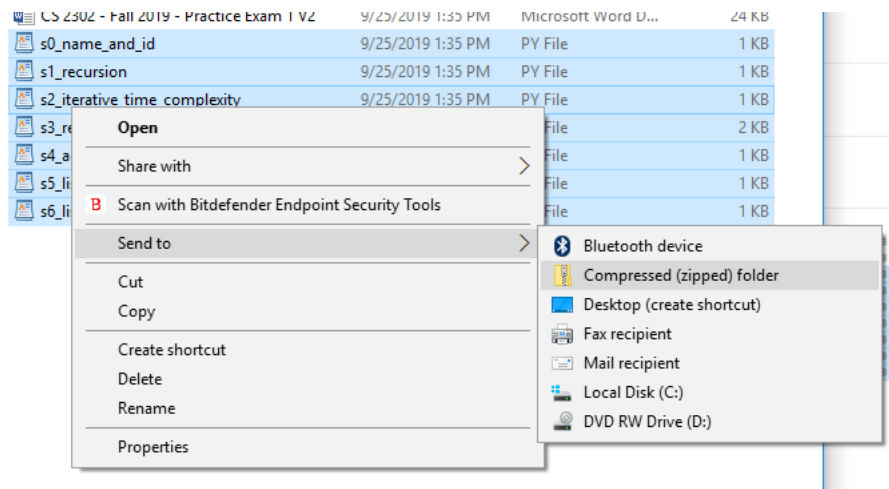
Windows 10:

1. Select the 7 section files (from s0 to s6)

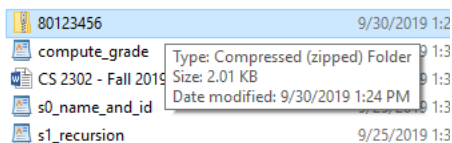


compute_grade	9/25/2019 1:35 PM	PY File	5 KB
CS 2302 - Fall 2019 - Practice Exam 1 V2	9/25/2019 1:35 PM	Microsoft Word D...	24 KB
s0_name_and_id	9/25/2019 1:35 PM	PY File	1 KB
s1_recursion	9/25/2019 1:35 PM	PY File	1 KB
s2_iterative_time_complexity	9/25/2019 1:35 PM	PY File	1 KB
s3_recursive_time_complexity	9/25/2019 1:35 PM	PY File	2 KB
s4_activation_records	9/25/2019 1:35 PM	PY File	1 KB
s5_lists_1	9/25/2019 1:35 PM	PY File	1 KB
s6_lists_2	9/25/2019 1:35 PM	PY File	1 KB

2. Right click on any of the selected files and do “Send to -> Compressed (zipped) Folder”



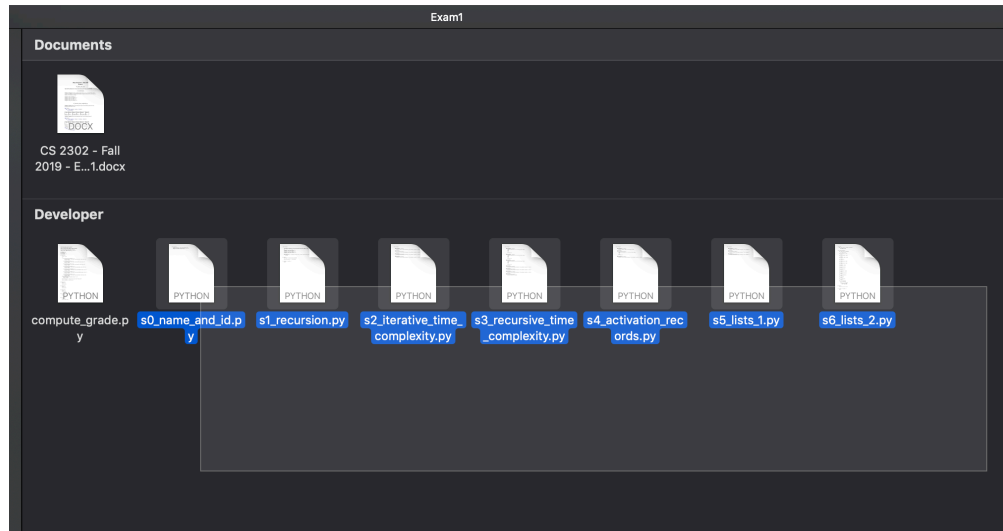
3. A zip file will be created. Use your UTEP ID to rename this file. The final name must be: <UTEP_ID>.zip



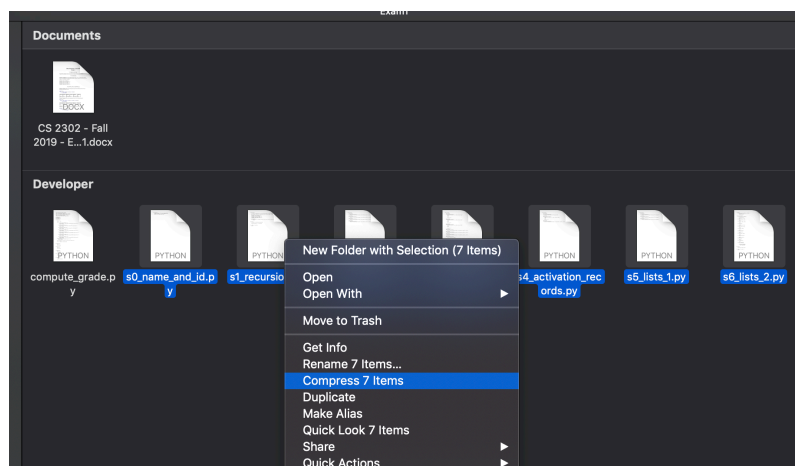
4. Upload the zip file (Blackboard).

macOS:

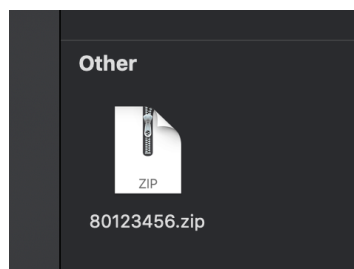
1. Select the 7 section files (from s0 to s6)



2. Right click on any of the selected files and click “Compress 7 items”



3. An “Archive.zip” file will be created. Use your UTEP ID to rename this file. The final name must be: <UTEP_ID>.zip



4. Upload the zip file (Blackboard)