# Spatial autocorrelation

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#### Introduction

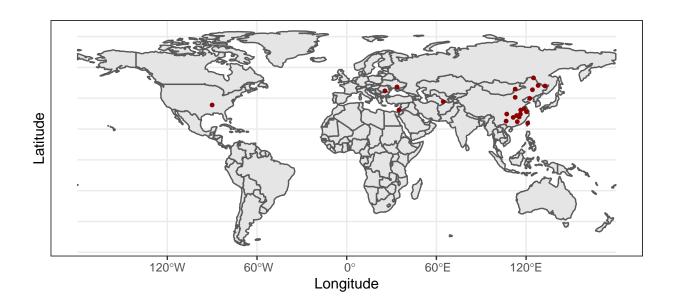
This .Rmd file is to test the spatial autocorrelation in our black carp data file, and try to find the best distance that reduces the spatial autocorrelation when doing subsampling. In this file, we:

- 1. Show the distribution of our data points on a map.
- 2. Use moran's I test to test the global spatial autocorrelation in our dataset.
- 3. Use the correlog plots to examine how spatial autocorrelation changes with distances in all 6 temperatures and 3 different models for each temperature (18 in total).
- Annual average air. / Cold quarter air. / Warm quarter air. / GDD 0. / Annual average water. / Cold quarter water.
- Simple regression model. / Additive model. / Interaction model.
- 4. Subsample at 250 km and 550 km, and check the local moran's I after sub-sampling to see if spatial autocorrelation has been reduced.
- 5. Conduct latitudinal stratification analysis.
- 6. Remove the South Ukarine data point and conduct the same spatial autocorrelation analyses.
- 7. Look at the Chinese dataset 17 data points.

```
library(gstat)
library(ggplot2)
library(dplyr)
library(spdep)
library(sp)
library(nlme)
library(ape)
library(MuMIn)
library(raster)
library(ncf)
library(knitr)
library(rnaturalearth)
library(sf)
## Import location data
location <- read.csv("location_no_temps.csv")</pre>
location <- unique(location)</pre>
location.new <- location %>% # remove duplicating locations
  filter(Location != "South Ukraine") # remove South Ukraine
# Clean the data
```

```
carp <- read.csv("eddie_carp_new.csv")</pre>
carp.r <- carp %>%
  filter(!row_number() == 5) %>%
  filter(sex != "male")
## Download one file to get the spatial points
# (this defines what projection to use when converting to spatial objects)
tmin.1979 <- brick("cpc/tmin.1979.nc", varname = "tmin")</pre>
## Loading required namespace: ncdf4
tmin.1979<-rotate(tmin.1979)
## Define a function to plot the correlogram for local moran's I
plot_correlog <- function(model){</pre>
  # Define margins
  par(mfrow=c(2,1), mar=c(4,4,2,2))
  # Use the coorelog function to develop the relationship
  test <- correlog(coords$long, coords$lat, model$residuals,</pre>
                   increment=50, resamp=500, latlon=T)
  # Plot with the entire distance range
  plot(test, main=paste(model$call))
  abline(h=0)
  # Reduce the distance range to 2500 km
  plot(test, main="", xlim=c(0,2500))
  abline(h=0)
}
```

# Data distribution



# Section 1: Spatial autocorrelation examination for entire dataset

#### Model definition

We first need to define all 18 models (3 models for each temperature).

```
# Define the models for AnnualTemp
annual.lin <- lm(log(AAM)~AnnualTemp, data = carp.r)</pre>
annual.add <- lm(log(AAM)~AnnualTemp+condition, data = carp.r)
annual.int <- lm(log(AAM)~AnnualTemp*condition, data = carp.r)
# Define the models for ColdTemp
cold.lin <- lm(log(AAM)~ColdTemp, data = carp.r)</pre>
cold.add <- lm(log(AAM)~ColdTemp+condition, data = carp.r)</pre>
cold.int <- lm(log(AAM)~ColdTemp*condition, data = carp.r)</pre>
# Define the model for WarmTemp
warm.lin <- lm(log(AAM)~WarmTemp, data = carp.r)</pre>
warm.add <- lm(log(AAM)~WarmTemp+condition, data = carp.r)</pre>
warm.int <- lm(log(AAM)~WarmTemp*condition, data = carp.r)</pre>
# Define the models for GDDO
gdd.lin <- lm(log(AAM)~average_gdd_0, data = carp.r)</pre>
gdd.add <- lm(log(AAM)~average_gdd_0+condition, data = carp.r)</pre>
gdd.int <- lm(log(AAM)~average_gdd_0*condition, data = carp.r)</pre>
# Define the models for WaterTemp
```

```
water.lin <- lm(log(AAM)~WaterTemp, data = carp.r)
water.add <- lm(log(AAM)~WaterTemp+condition, data = carp.r)
water.int <- lm(log(AAM)~WaterTemp*condition, data = carp.r)

# Define the models for WaterCold
waterC.lin <- lm(log(AAM)~WaterCold, data = carp.r)
waterC.add <- lm(log(AAM)~WaterCold+condition, data = carp.r)
waterC.int <- lm(log(AAM)~WaterCold*condition, data = carp.r)</pre>
```

#### Global Moran.I

```
## Make spatial dataframe
coords <- data.frame("long"=location[,3],"lat"=location[,2])</pre>
df <- data.frame(a = 1:nrow(location[3]))</pre>
spatial.data <- SpatialPointsDataFrame(coords,df,proj4string = tmin.1979@crs)</pre>
# Get a distance matrix from all points
dists <- spDists(spatial.data, longlat = TRUE)</pre>
## Global Moran.I
# Annual Temp
Moran.annual.lin <- Moran.I(annual.lin$residuals, dists)</pre>
Moran.annual.add <- Moran.I(annual.add$residuals, dists)</pre>
Moran.annual.int <- Moran.I(annual.int$residuals, dists)</pre>
global.moran.annual <- data.frame(</pre>
  Model = c("simple linear", "linear additive", "interaction"),
  Observed = c(Moran.annual.lin$observed, Moran.annual.add$observed,
               Moran.annual.int$observed),
  Expected = c(Moran.annual.lin$expected, Moran.annual.add$expected,
               Moran.annual.int$expected),
  sd = c(Moran.annual.lin$sd, Moran.annual.add$sd, Moran.annual.int$sd),
  p.value = c(Moran.annual.lin$p.value, Moran.annual.add$p.value,
              Moran.annual.int$p.value)
kable(global.moran.annual)
```

Model	Observed	Expected	$\operatorname{sd}$	p.value
simple linear linear additive interaction	-0.0171313	-0.0454545 -0.0454545 -0.0454545	0.0317411	$0.5743823 \\ 0.3722215 \\ 0.3455901$

```
# Cold Temp
Moran.cold.lin <- Moran.I(cold.lin$residuals, dists)
Moran.cold.add <- Moran.I(cold.add$residuals, dists)
Moran.cold.int <- Moran.I(cold.int$residuals, dists)

global.moran.cold <- data.frame(
   Model = c("simple linear", "linear additive", "interaction"),
   Observed = c(Moran.cold.lin$observed, Moran.cold.add$observed,</pre>
```

Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0328926 -0.0201217 -0.0160914	-0.0454545 -0.0454545 -0.0454545	0.0318073	$\begin{array}{c} 0.6930295 \\ 0.4257723 \\ 0.3575019 \end{array}$

Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0408894 -0.0335627 -0.0363573	-0.0454545 -0.0454545 -0.0454545	0.0315865	0.8849196 $0.7065566$ $0.7733589$

```
Moran.gdd.int$p.value)
)
kable(global.moran.gdd)
```

Model	Observed	Expected	sd	p.value
simple linear	-0.0247012	-0.0454545	0.001.001	0.0100.00
linear additive interaction	-0.0154093 -0.0136061	-0.0454545 -0.0454545	0.0318183 $0.0318872$	0.3450276 $0.3178994$

Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0408571 -0.0261522 -0.0213996	-0.0454545 -0.0454545 -0.0454545	$\begin{array}{c} 0.0316097 \\ 0.0316502 \\ 0.0317488 \end{array}$	$\begin{array}{c} 0.8843611 \\ 0.5419511 \\ 0.4486524 \end{array}$

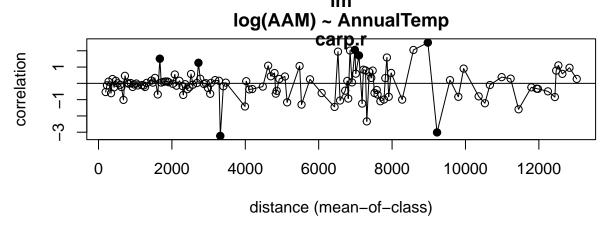
Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0282095 -0.0190927 -0.0211682	-0.0454545 -0.0454545 -0.0454545	0.0319068	$\begin{array}{c} 0.5876811 \\ 0.4086825 \\ 0.4483028 \end{array}$

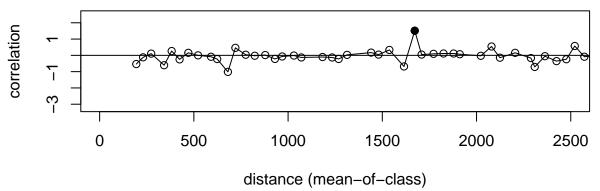
There is no global spatial autocorrelation on the entire dataset for all three temperature metrics.

#### Local spatial autocorrelation

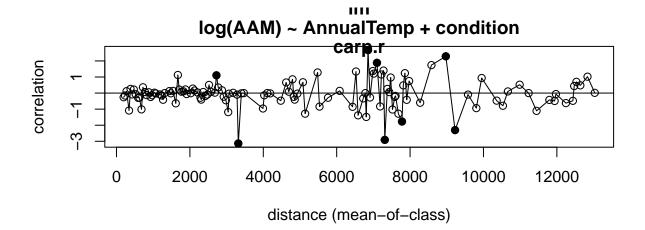
```
## Annual temperature
plot_correlog(annual.lin)
```

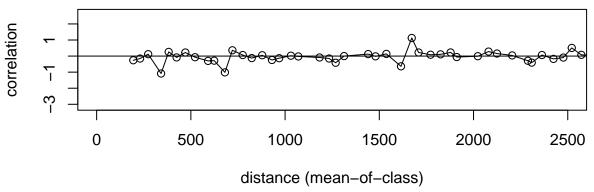
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of



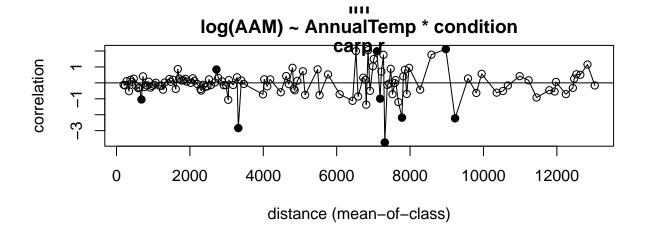


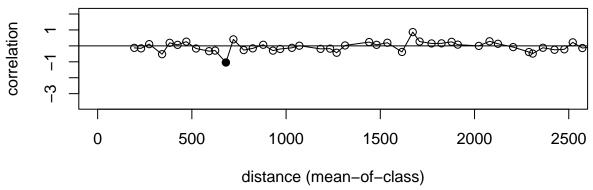
plot\_correlog(annual.add)



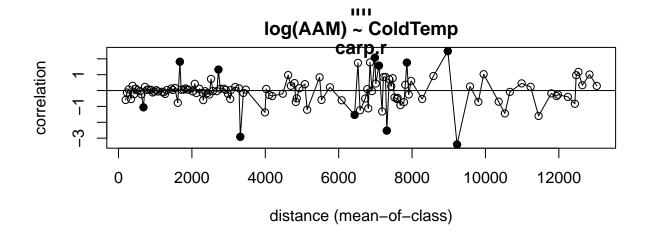


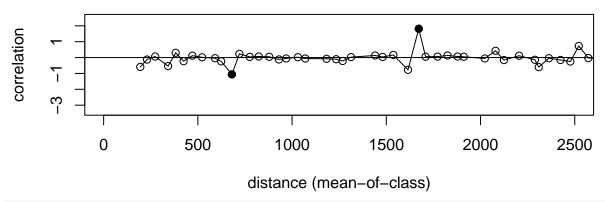
plot\_correlog(annual.int)



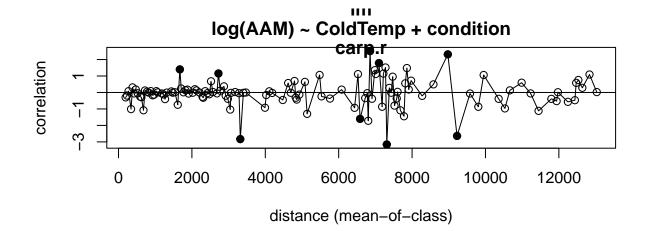


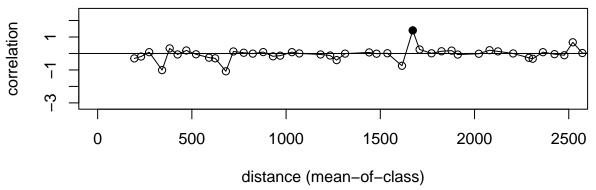
## Cold temperature
plot\_correlog(cold.lin)



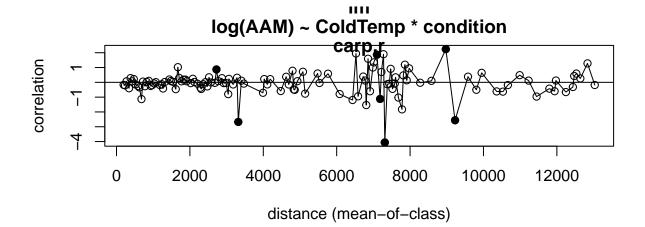


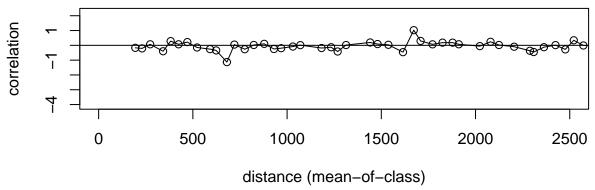
plot\_correlog(cold.add)



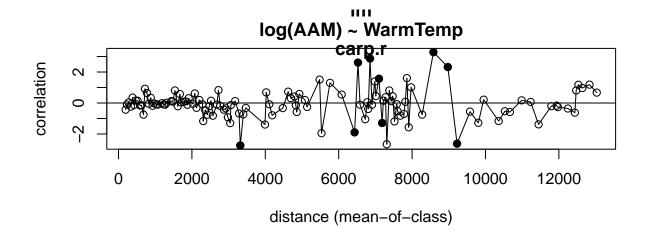


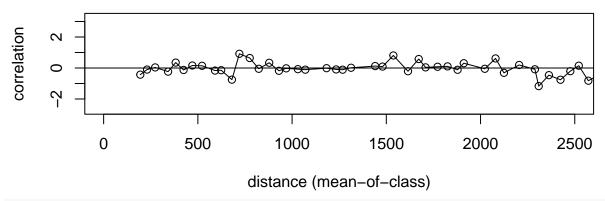
plot\_correlog(cold.int)





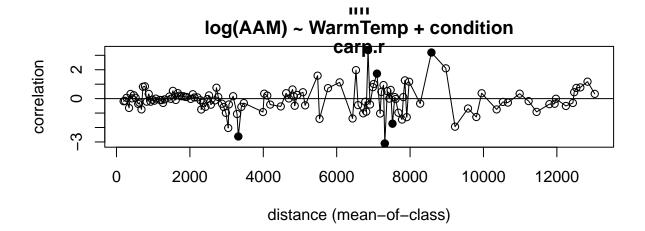
## Warm temperature
plot\_correlog(warm.lin)

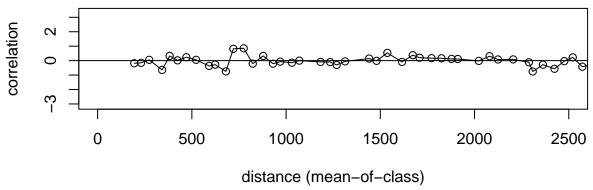




plot\_correlog(warm.add)

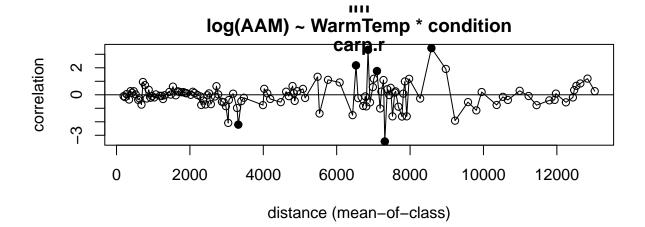
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50

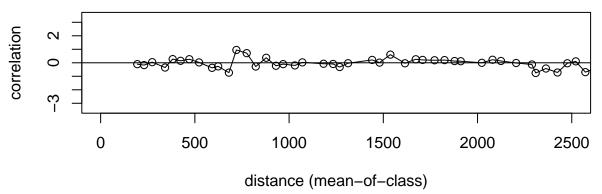




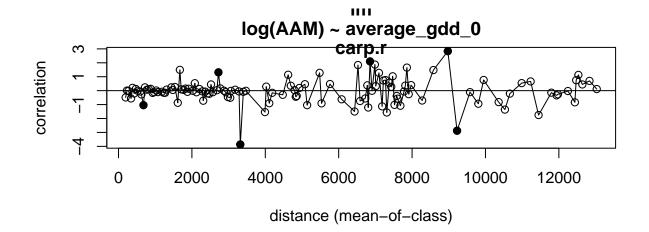
plot\_correlog(warm.int)

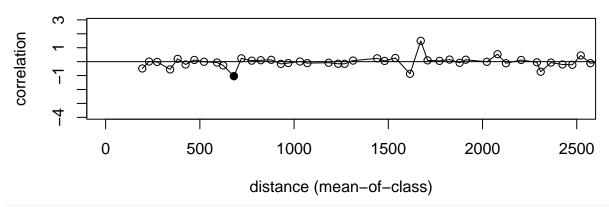
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50



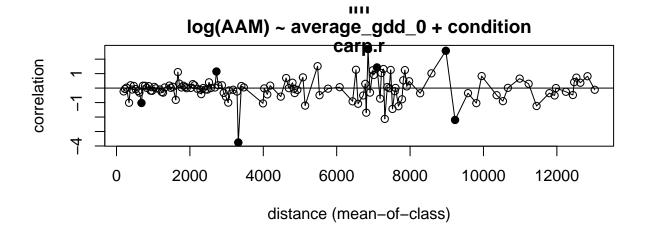


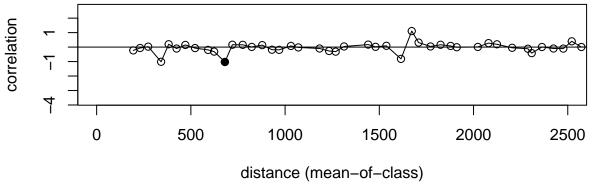
## GDD0
plot\_correlog(gdd.lin)



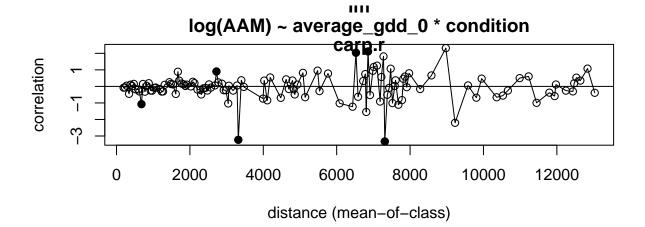


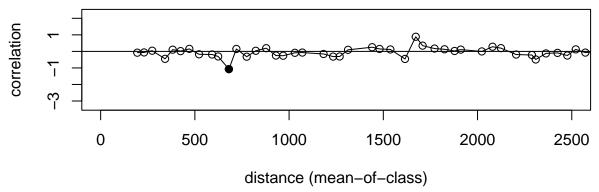
plot\_correlog(gdd.add)



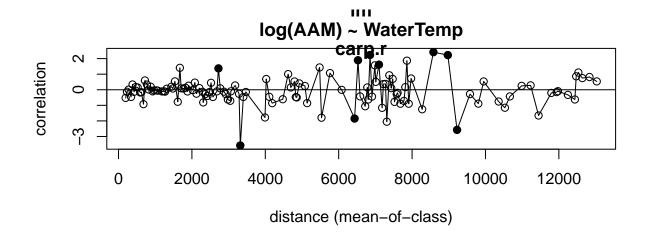


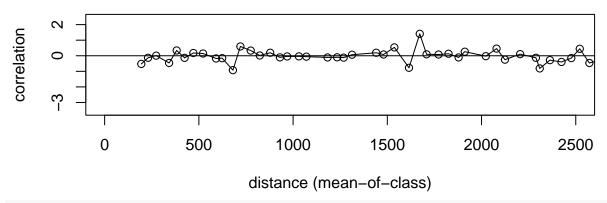
plot\_correlog(gdd.int)



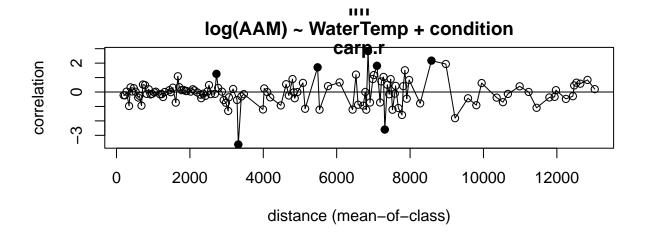


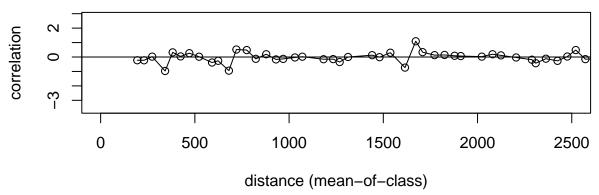
## Annual water
plot\_correlog(water.lin)



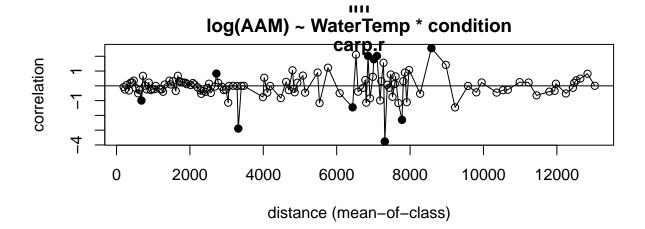


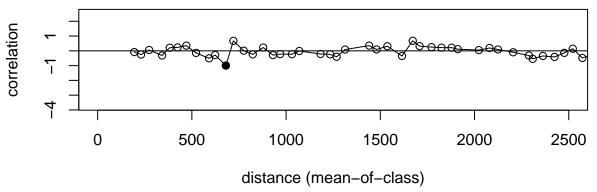
plot\_correlog(water.add)



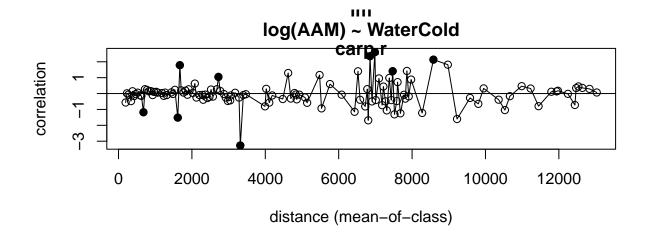


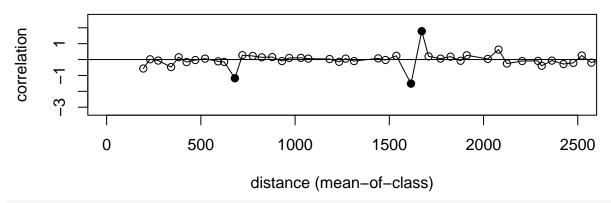
plot\_correlog(water.int)





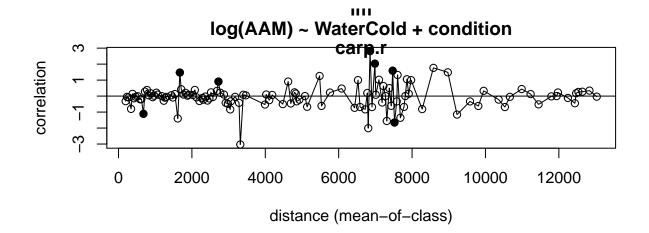
## Cold water
plot\_correlog(waterC.lin)

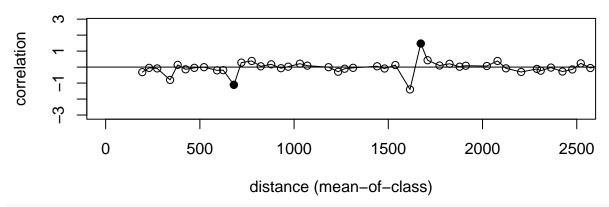




plot\_correlog(waterC.add)

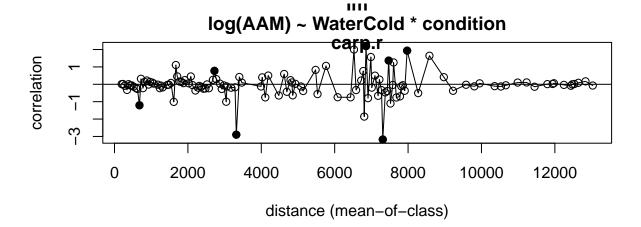
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50

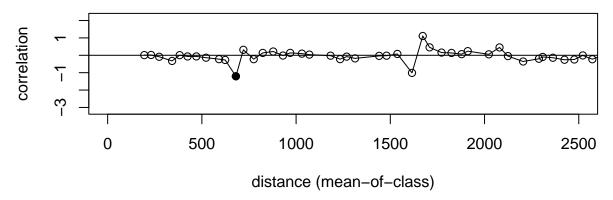




plot\_correlog(waterC.int)

## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 500 600 of 50





In general, the correlog plots suggest that for annual average, cold, gdd, water cold, we have a significant negative spatial autocorrelation at 550 km.

Howeve, warm air temperature, and annual water temperature does not have this negative spatial autocorrelation at 550 km.

# Section 2: Subsampling

#### Subsampling at 250km

Here, we try to sub-sample at 250km and check the local moran's I (correlog plot) after sub-sampling.

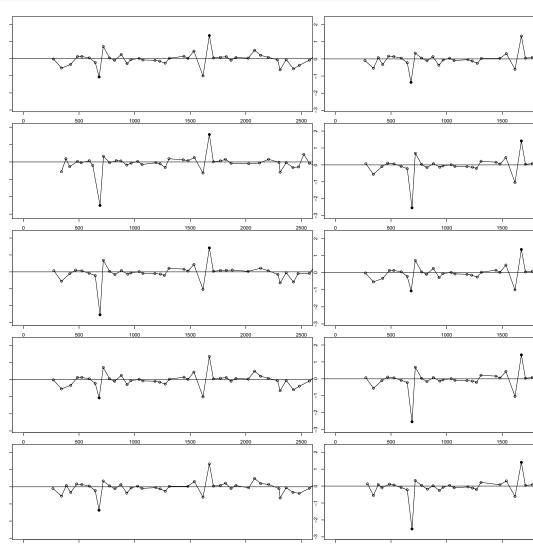
```
# Store the r2 values
r2.250.raw <- matrix(NA,10, 2)
colnames(r2.250.raw) <- c("annual","cold")

table(carp.r$spatial.code.250)

par(mfrow = c(5, 2))
par(mar=c(1,1,1,1))

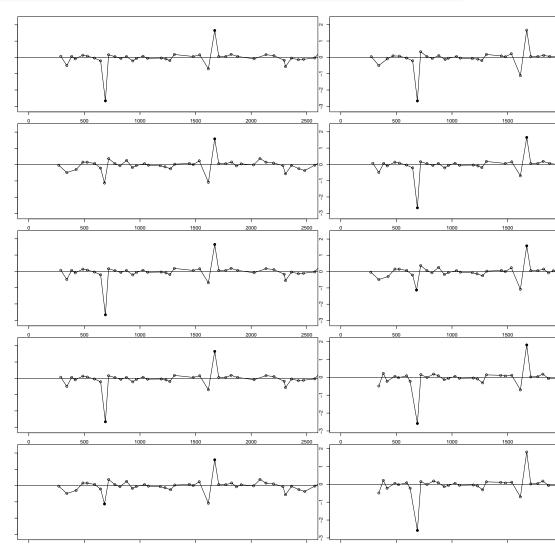
## Check the local moran's results after sub-sampling
for (i in 1:10){
    sub <- carp.r %>% group_by(spatial.code.250) %>% sample_n(size=1)
    reg.sub.annual <- lm(log(sub$AAM)~sub$AnnualTemp)
    test <- correlog(sub$longitude, sub$latitude, reg.sub.annual$residuals,</pre>
```

```
increment=50, resamp=500, latlon=T)
plot(test, main="", xlim=c(0,2500))
abline(h=0)
r2.250.raw[i,1] <- summary(reg.sub.annual)$adj.r.squared #get the r2
}</pre>
```



#### Local moran's I - annual 250

```
abline(h=0)
r2.250.raw[i,2] <- summary(reg.sub.cold)$adj.r.squared #get the r2
}</pre>
```



# Local moran's I - cold 250

Subsampling at 250 km does not reduce the spatial autocorrelation in our dataset.

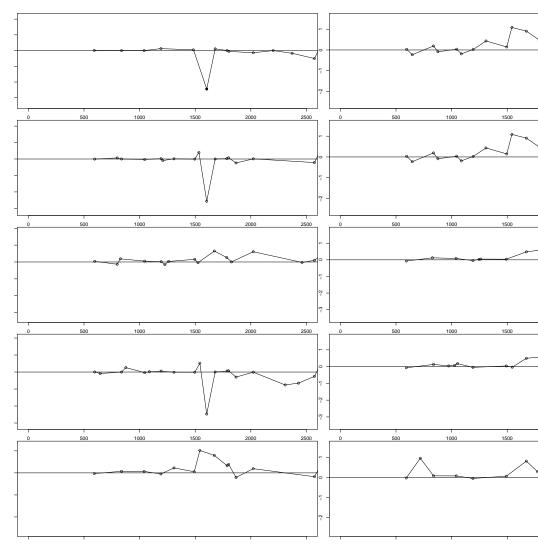
# Subsampling at 550km

Now, we try to subsample at a larger distance - 550km.

```
table(carp.r$spatial.code.550)

# Store the r2 values
r2.550.raw <- matrix(NA,10, 2)
colnames(r2.550.raw) <- c("annual","cold")

par(mfrow = c(5, 2))
par(mar=c(1,1,1,1))</pre>
```

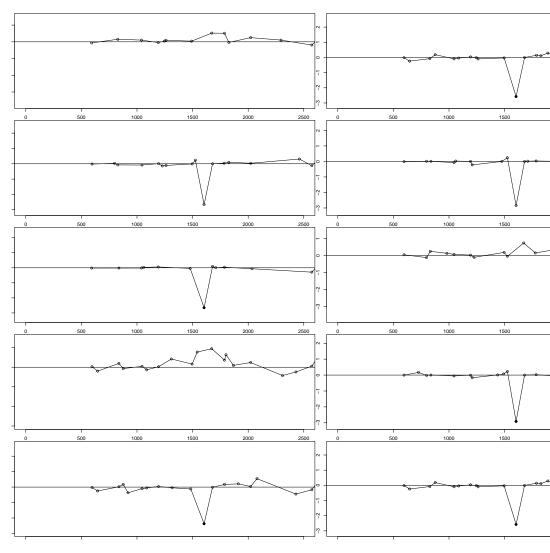


Local moran's I - annual 550

```
table(carp.r$spatial.code.550)

par(mfrow = c(5,2))
par(mar=c(1,1,1,1))

## Check the local moran's results after sub-sampling
for (i in 1:10){
```



#### Local moran's I - cold 550

We have seen that subsampling at 550 km would largely reduce the spatial autocorrelation in our dataset at low distances, even though we are only left with 12 data points.

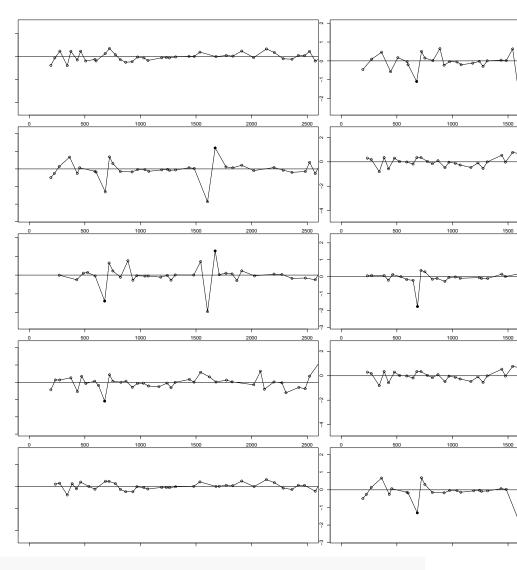
### Compare the r2 values

Time	Annual	Cold
Original Sub 250 Sub 550	0.2533656 0.2430559 0.1036730	$\begin{array}{c} 0.2751848 \\ 0.2691274 \\ 0.1703567 \end{array}$

However, subsampling at 550 km would reduce our R2 value as well, suggesting that the model would not fit for the sub-dataset.

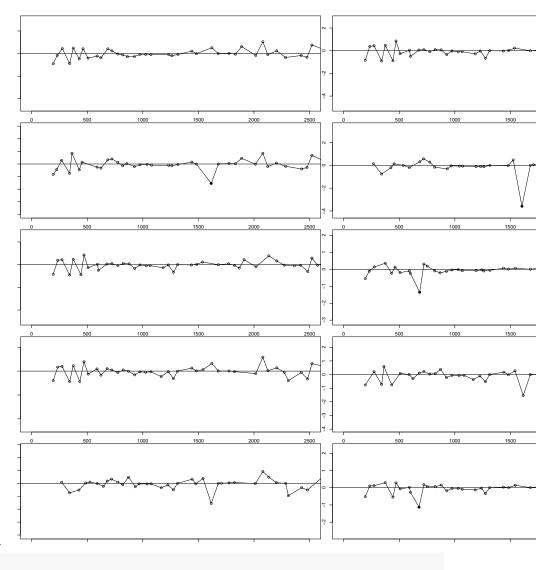
#### Latitudinal stratification

Now we would like to explore if stratified sub-sampling using latitude would reduce our spatial autocorrelation at low distances.



one degree latitude bin - annual  $\,$ 

```
dev.off()
```



one degree latitude bin - cold

dev.off()

- For some subsamples, the negative autocorrelation at 550 km is reduced.
- It seems that the South Ukarine data point is the main cause that we have negative spatial autocorrelation at around 550 km. Therefore, we ought to remove this datapoint from our analyses.

# Section 3: Spatial autocorrelation without SU

Now we would like to re-examine the global and local spatial autocorrelation with the South Ukraine data point removed.

#### Model construction

Again, we first need to define all 18 models (3 models for each temperature). This time we remove the SU data point.

```
# Remove the SU data point
carp.new <- carp.r %>%
  filter(!row_number() == 20) # remove South Ukraine
# Define the models for AnnualTemp
```

```
annual.lin <- lm(log(AAM)~AnnualTemp, data = carp.new)</pre>
annual.add <- lm(log(AAM)~AnnualTemp+condition, data = carp.new)
annual.int <- lm(log(AAM)~AnnualTemp*condition, data = carp.new)
# Define the models for ColdTemp
cold.lin <- lm(log(AAM)~ColdTemp, data = carp.new)</pre>
cold.add <- lm(log(AAM)~ColdTemp+condition, data = carp.new)</pre>
cold.int <- lm(log(AAM)~ColdTemp*condition, data = carp.new)</pre>
# Define the model for WarmTemp
warm.lin <- lm(log(AAM)~WarmTemp, data = carp.new)</pre>
warm.add <- lm(log(AAM)~WarmTemp+condition, data = carp.new)</pre>
warm.int <- lm(log(AAM)~WarmTemp*condition, data = carp.new)</pre>
# Define the models for GDDO
gdd.lin <- lm(log(AAM)~average_gdd_0, data = carp.new)</pre>
gdd.add <- lm(log(AAM)~average_gdd_0+condition, data = carp.new)
gdd.int <- lm(log(AAM)~average_gdd_0*condition, data = carp.new)</pre>
# Define the models for WaterTemp
water.lin <- lm(log(AAM)~WaterTemp, data = carp.new)</pre>
water.add <- lm(log(AAM)~WaterTemp+condition, data = carp.new)
water.int <- lm(log(AAM)~WaterTemp*condition, data = carp.new)</pre>
# Define the models for WaterCold
waterC.lin <- lm(log(AAM)~WaterCold, data = carp.new)</pre>
waterC.add <- lm(log(AAM)~WaterCold+condition, data = carp.new)</pre>
waterC.int <- lm(log(AAM)~WaterCold*condition, data = carp.new)</pre>
# Define the models for days_below5
below5.lin <- lm(log(AAM)~below5, data = carp.new)
below5.add \leftarrow lm(log(AAM) \sim below5 + condition, data = carp.new)
below5.int <- lm(log(AAM)~below5*condition, data = carp.new)
# Define the models for days_below5_3d
below5.3d.lin <- lm(log(AAM)~below5_3days, data = carp.new)
below5.3d.add <- lm(log(AAM)~below5_3days+condition, data = carp.new)
below5.3d.int <- lm(log(AAM)~below5_3days*condition, data = carp.new)
```

### Global Moran.I

```
## Make spatial dataframe
coords <- data.frame("long"=location.new[,3],"lat"=location.new[,2])
df <- data.frame(a = 1:nrow(location.new[3]))
spatial.data <- SpatialPointsDataFrame(coords,df,proj4string = tmin.1979@crs)

# Get a distance matrix from all points
dists <- spDists(spatial.data, longlat = TRUE)

## Global Moran.I
# Annual Temp
Moran.annual.lin <- Moran.I(annual.lin$residuals, dists)</pre>
```

Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0327532 -0.0346096 -0.0452347	-0.047619 -0.047619 -0.047619	$\begin{array}{c} 0.0317899 \\ 0.0320210 \\ 0.0321136 \end{array}$	$\begin{array}{c} 0.6400513 \\ 0.6845372 \\ 0.9408124 \end{array}$

```
Model
                  Observed
                              Expected
                                                           p.value
                                                  \operatorname{sd}
simple linear
                 -0.0284140
                               -0.047619
                                           0.0318113
                                                        0.5460304
linear additive
                 -0.0295230
                                           0.0319752
                               -0.047619
                                                        0.5714354
interaction
                 -0.0409897
                              -0.047619
                                           0.0321866
                                                        0.8368166
```

```
# Warm Temp
Moran.warm.lin <- Moran.I(warm.lin$residuals, dists)
Moran.warm.add <- Moran.I(warm.add$residuals, dists)
Moran.warm.int <- Moran.I(warm.int$residuals, dists)

global.moran.warm <- data.frame(
   Model = c("simple linear", "linear additive", "interaction"),</pre>
```

Model	Observed	Expected	sd	p.value
simple linear	-0.0707320	-0.047619	0.0314208	0.4619778
linear additive	-0.0729461	-0.047619	0.0316630	0.4237719
interaction	-0.0841580	-0.047619	0.0315116	0.2462355

Model	Observed	Expected	sd	p.value
simple linear	-0.0325368	-0.047619	0.0321680	0.6391696
linear additive	-0.0345263	-0.047619	0.0324863	0.6869312
interaction	-0.0448821	-0.047619	0.0323991	0.9326769

Model	Observed	Expected	sd	p.value
simple linear	-0.0393254	-0.047619	0.0316407	0.7932289
linear additive	-0.0380113	-0.047619	0.0318923	0.7632192
interaction	-0.0470504	-0.047619	0.0319071	0.9857805

Model	Observed	Expected	sd	p.value
simple linear	-0.0265963	0.0 0 - 0	0.0325361	0.0-0-0-0
linear additive	-0.0273127	-0.047619	0.0328074	0.5359456
interaction	-0.0297237	-0.047619	0.0328997	0.5864851

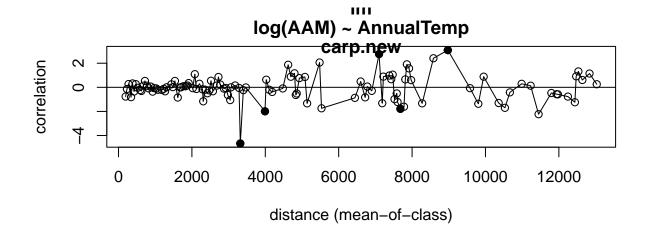
Model	Observed	Expected	sd	p.value
simple linear	-0.0229027	-0.047619	0.0316404	$\begin{array}{c} 0.4347061 \\ 0.4398668 \\ 0.5630571 \end{array}$
linear additive	-0.0231094	-0.047619	0.0317310	
interaction	-0.0291273	-0.047619	0.0319756	

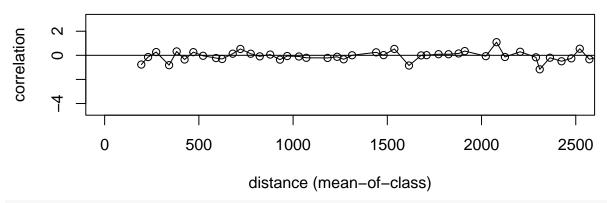
Model	Observed	Expected	sd	p.value
simple linear linear additive interaction	-0.0235594 -0.0243676 -0.0302327	-0.047619 -0.047619 -0.047619	$\begin{array}{c} 0.0315933 \\ 0.0317099 \\ 0.0318756 \end{array}$	0.4463319 $0.4634029$ $0.5854495$

There is no global spatial autocorrelation on the entire dataset for all six temperature metrics.

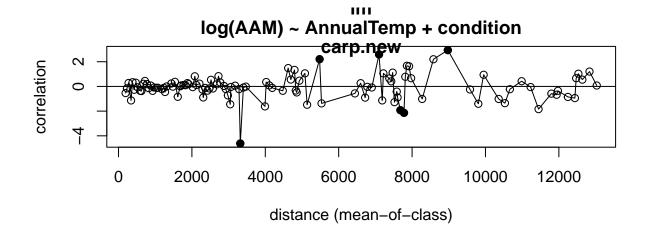
#### Local spatial autocorrelation

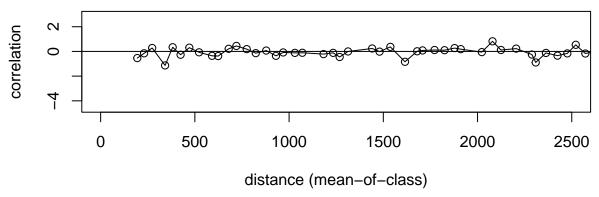
```
## Annual temperature
plot_correlog(annual.lin)
```



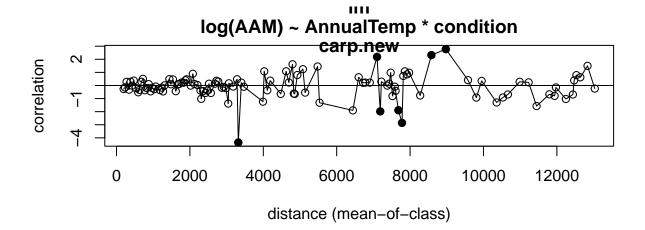


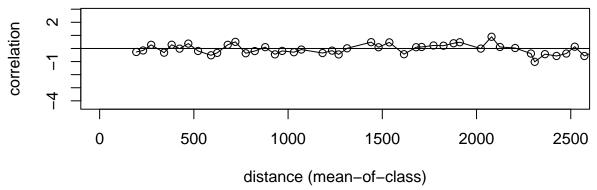
plot\_correlog(annual.add)



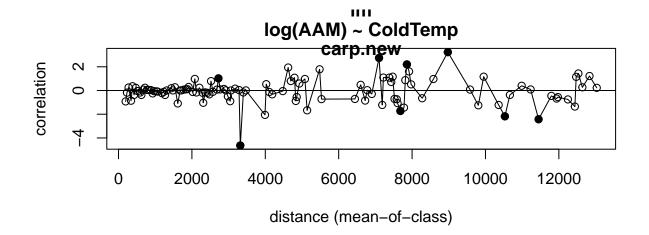


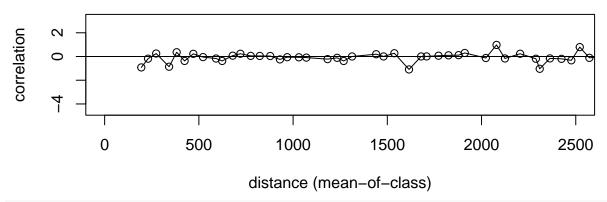
plot\_correlog(annual.int)



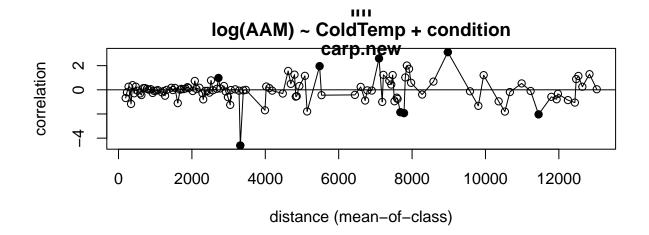


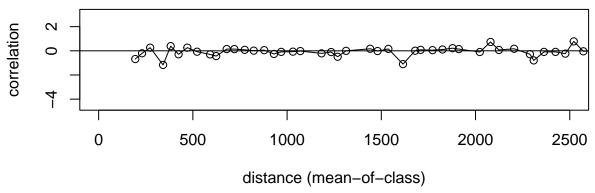
## Cold temperature
plot\_correlog(cold.lin)





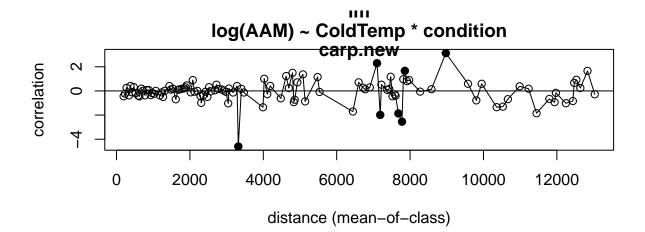
plot\_correlog(cold.add)

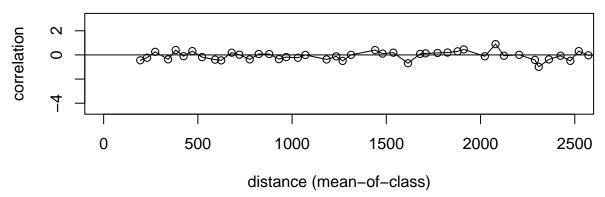




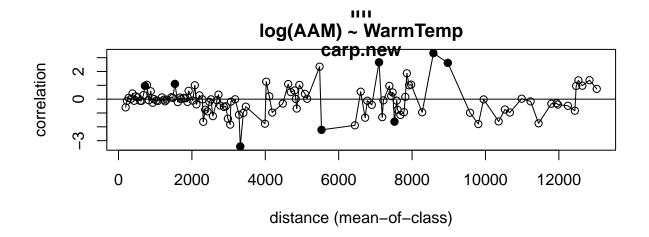
plot\_correlog(cold.int)

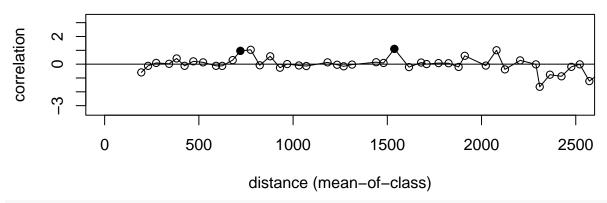
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50



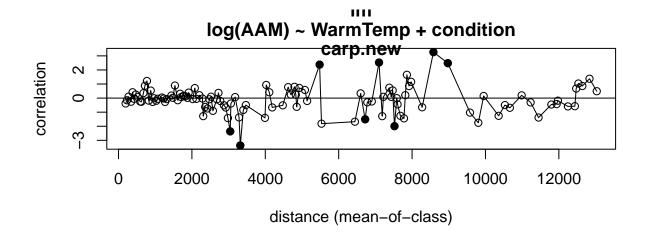


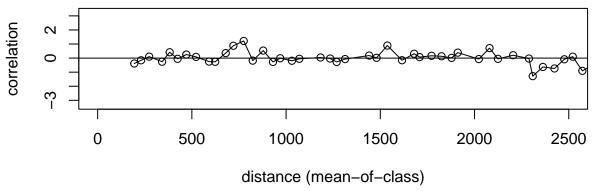
## Warm temperature
plot\_correlog(warm.lin)





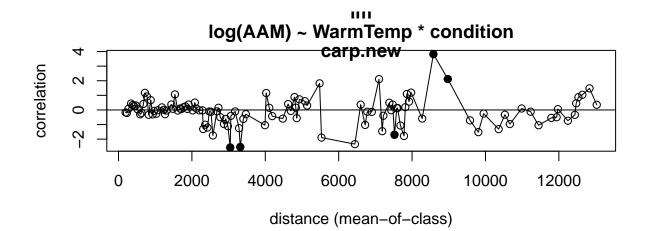
plot\_correlog(warm.add)

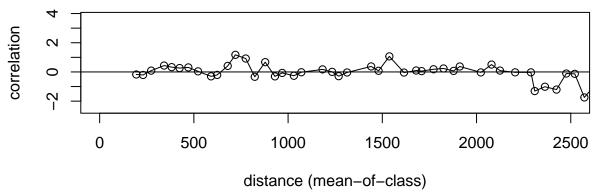




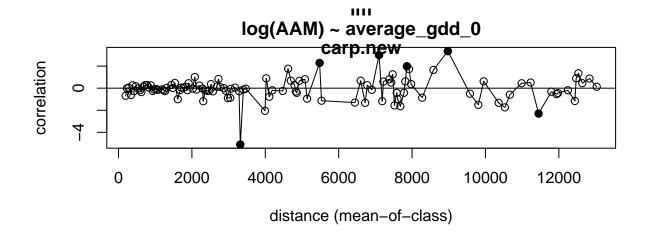
plot\_correlog(warm.int)

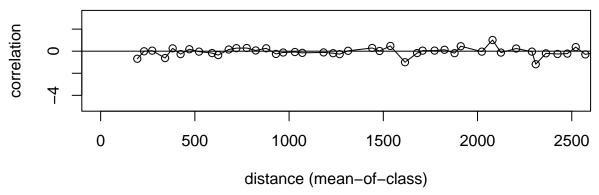
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50



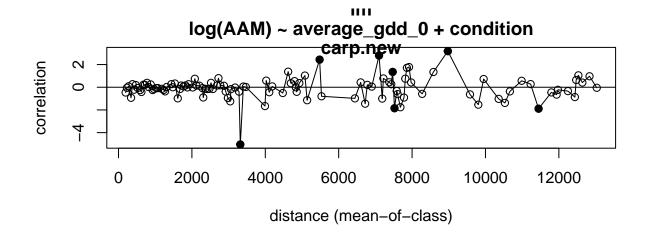


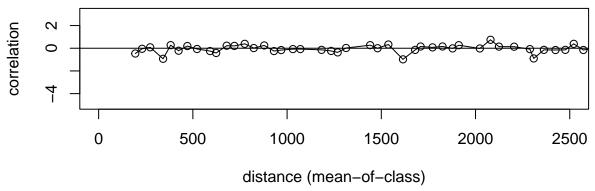
## GDD0
plot\_correlog(gdd.lin)



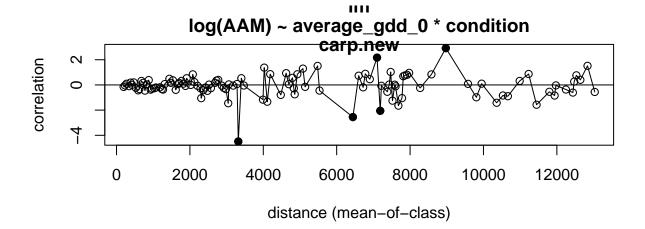


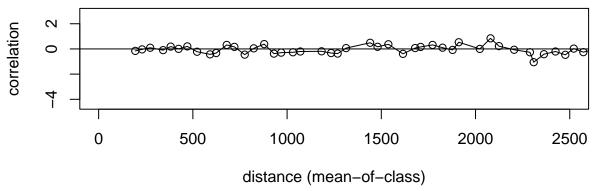
plot\_correlog(gdd.add)



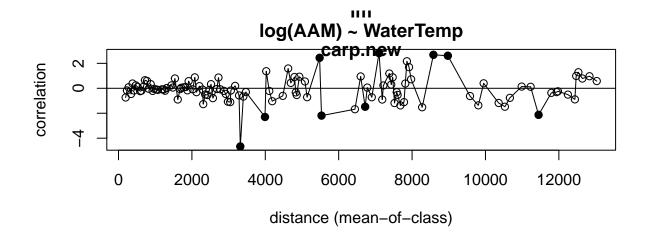


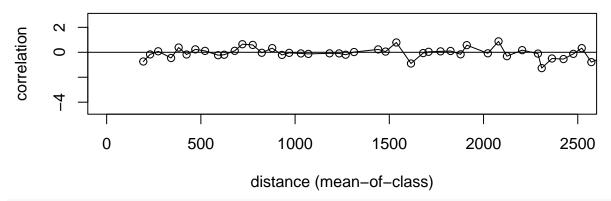
plot\_correlog(gdd.int)



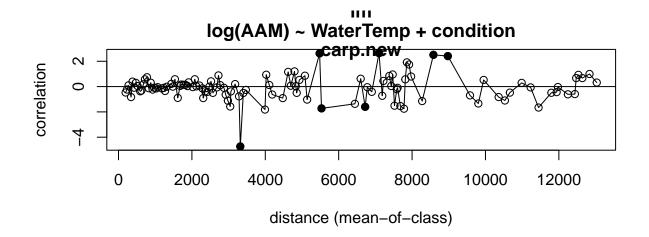


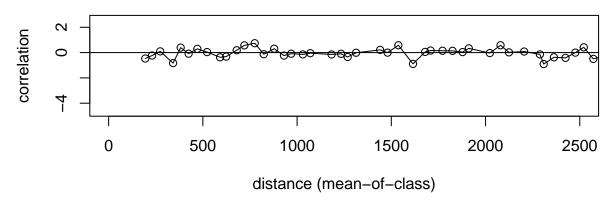
## Annual water
plot\_correlog(water.lin)



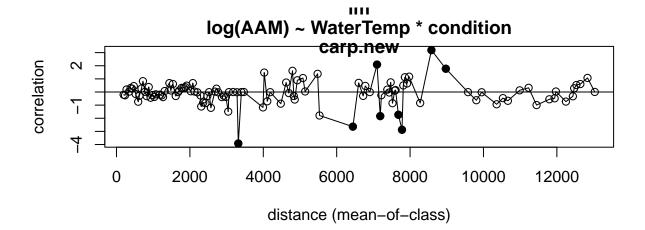


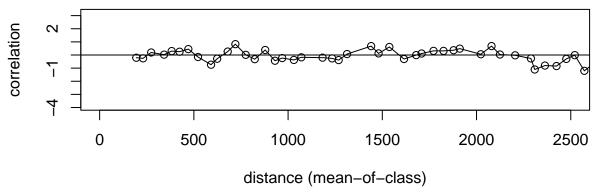
plot\_correlog(water.add)



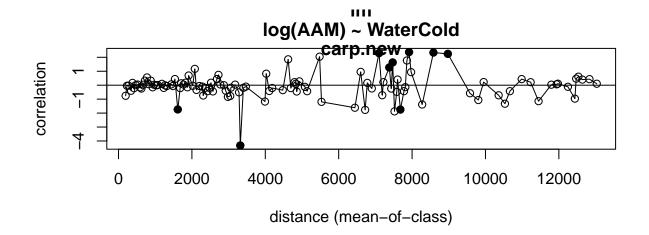


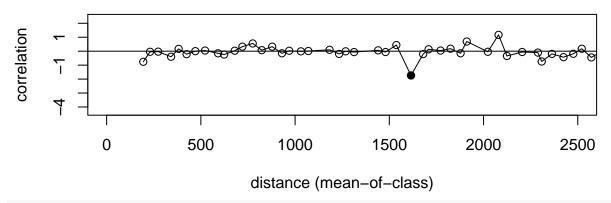
plot\_correlog(water.int)



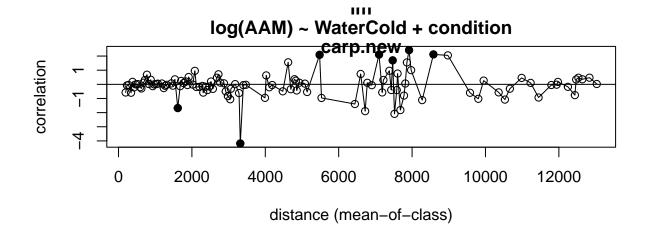


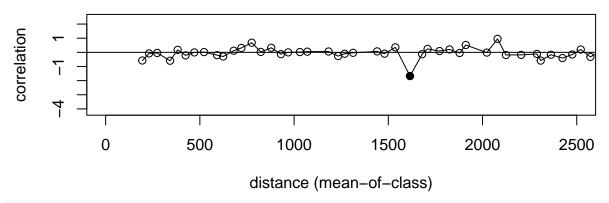
## Cold water
plot\_correlog(waterC.lin)



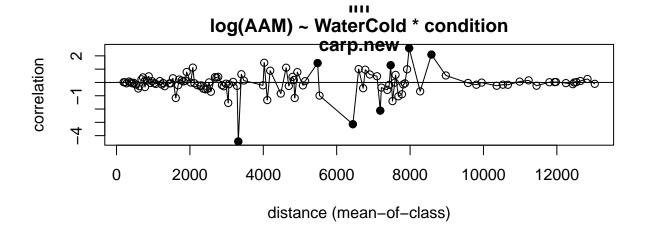


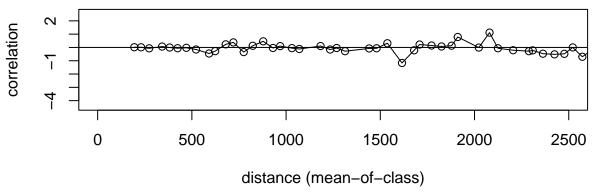
plot\_correlog(waterC.add)



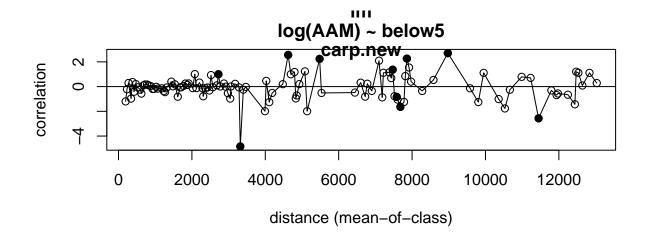


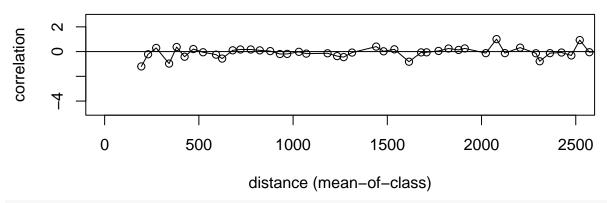
plot\_correlog(waterC.int)



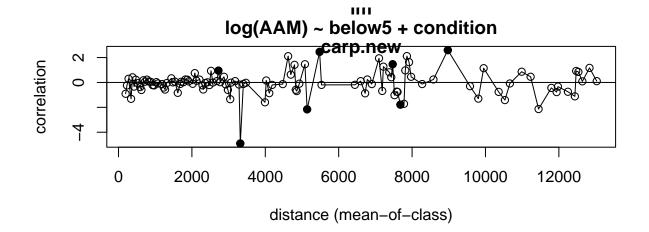


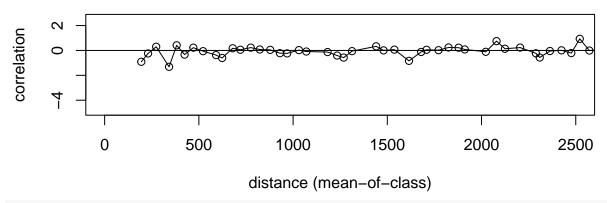
## below5 for 5
plot\_correlog(below5.lin)





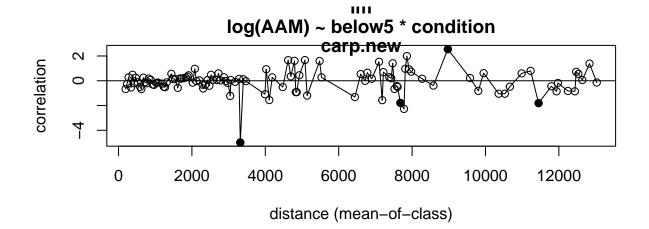
plot\_correlog(below5.add)

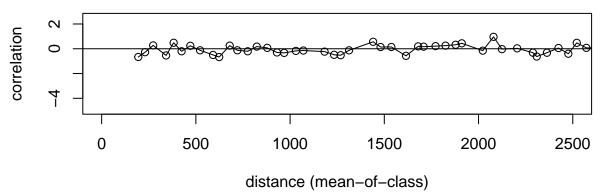




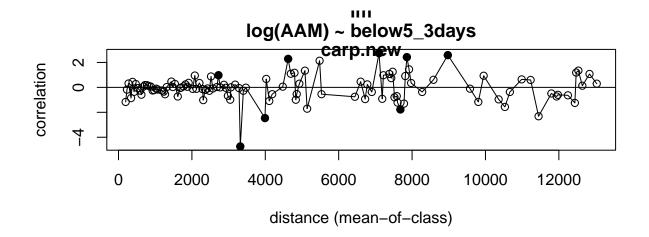
plot\_correlog(below5.int)

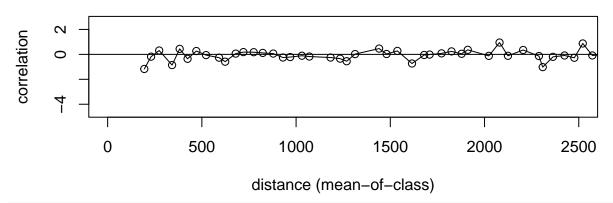
## 50 of 500 100 of 500 150 of 500 200 of 500 250 of 500 300 of 500 350 of 500 400 of 500 350 of 500 400 of 500 600 of 500 600 of 500 600 of 50



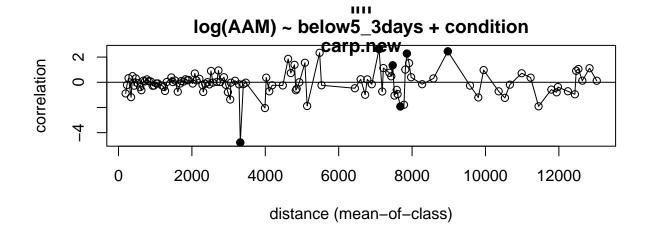


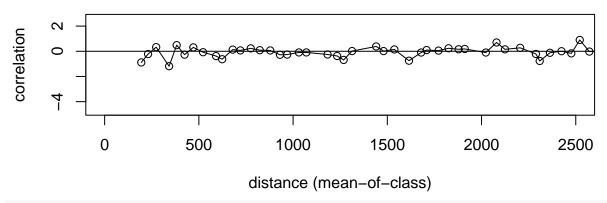
## below5 for 3
plot\_correlog(below5.3d.lin)



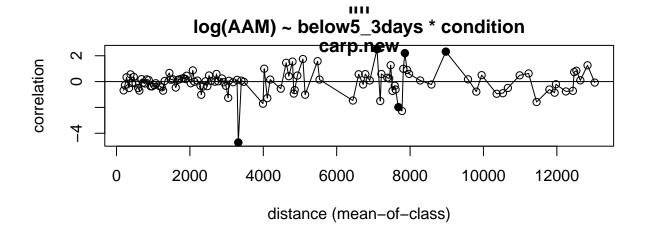


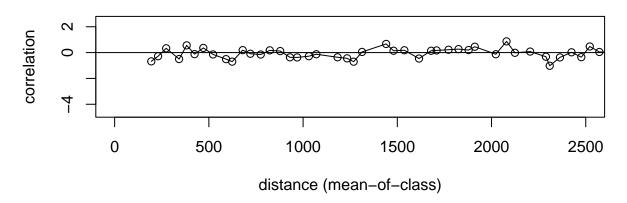
plot\_correlog(below5.3d.add)





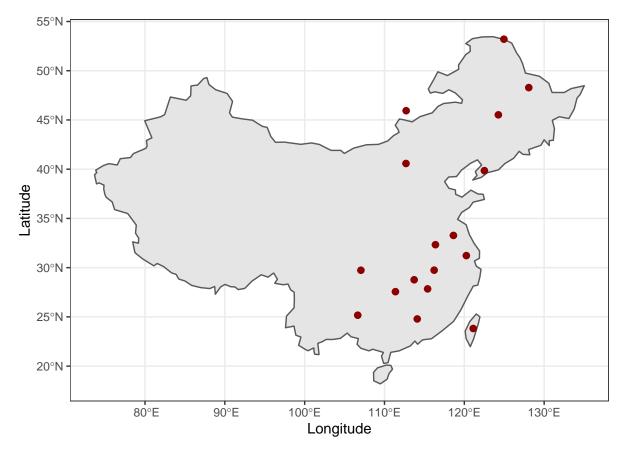
plot\_correlog(below5.3d.int)





### Section 4: China Dataset analyses

Now let's look at the datapoints in China. There are 17 datapoints.



Note that the datapoint outside of the Chinese region is "Northern China". It is calculated through geographical center.

#### Global moran's I

```
# Run the models
lm.annual.china <- lm(log(AAM)~AnnualTemp, data = black.china)</pre>
summary(lm.annual.china)
##
## Call:
## lm(formula = log(AAM) ~ AnnualTemp, data = black.china)
##
## Residuals:
##
         Min
                    1Q
                          Median
                                        3Q
                                                 Max
   -0.166813 -0.109074 -0.008175 0.090822
##
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 1.997652
                           0.054821 36.440 4.67e-16 ***
## AnnualTemp -0.018779
                           0.003967
                                     -4.734 0.000266 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.1174 on 15 degrees of freedom
## Multiple R-squared: 0.5991, Adjusted R-squared: 0.5724
```

```
## F-statistic: 22.42 on 1 and 15 DF, p-value: 0.000266
lm.cold.china <- lm(log(AAM)~ColdTemp, data = black.china)</pre>
summary(lm.cold.china)
##
## Call:
## lm(formula = log(AAM) ~ ColdTemp, data = black.china)
##
## Residuals:
##
        Min
                  1Q
                       Median
## -0.16135 -0.04743 -0.01076 0.07864 0.17702
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 1.759579
                           0.026158 67.268 < 2e-16 ***
## ColdTemp
              -0.012227
                           0.002237 -5.467 6.5e-05 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.1072 on 15 degrees of freedom
## Multiple R-squared: 0.6658, Adjusted R-squared: 0.6435
## F-statistic: 29.88 on 1 and 15 DF, p-value: 6.5e-05
## Make spatial dataframe
coords <- data.frame("long"=black.china[,14],"lat"=black.china[,13])</pre>
df <- data.frame(a = 1:nrow(black.china[14]))</pre>
spatial.data <- SpatialPointsDataFrame(coords,df,proj4string = tmin.1979@crs)</pre>
# Get a distance matrix from all points
dists <- spDists(spatial.data, longlat = TRUE)</pre>
## Run the Moran.I test on the residuals
Moran.annual <- Moran.I(lm.annual.china$residuals, dists)</pre>
Moran.cold <- Moran.I(lm.cold.china$residuals, dists)</pre>
global.moran <- data.frame(</pre>
 Model = c("Moran.annual", "Moran.cold"),
  Observed = c(Moran.annual$observed, Moran.cold$observed),
  Expected = c(Moran.annual$expected, Moran.cold$expected),
  sd = c(Moran.annual$sd, Moran.cold$sd),
  p.value = c(Moran.annual$p.value, Moran.cold$p.value)
kable(global.moran)
```

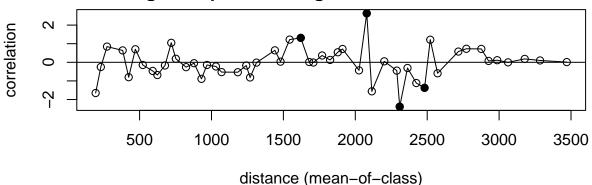
Model	Observed	Expected	sd	p.value
Moran.annual	-0.0594853	-0.0625	0.0497950	0.9517230
Moran.cold	-0.0450195	-0.0625	0.0495955	0.7244924

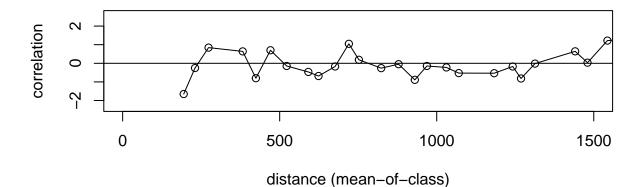
No global spatial autocorrelation in the Chinese dataset.

### Local moran's I - correlog

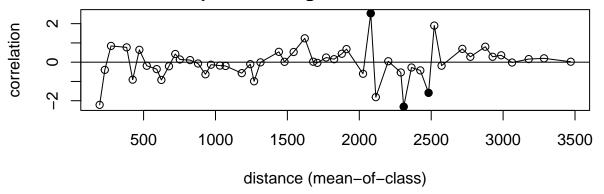
abline(h=0)

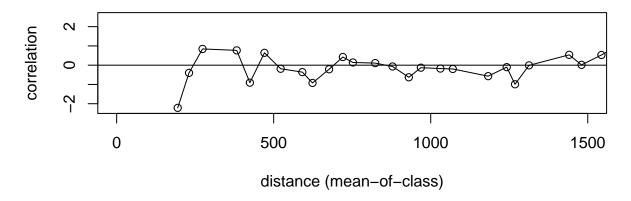
## **Annual Average Temperature Regression Residuals for Chinese dat**





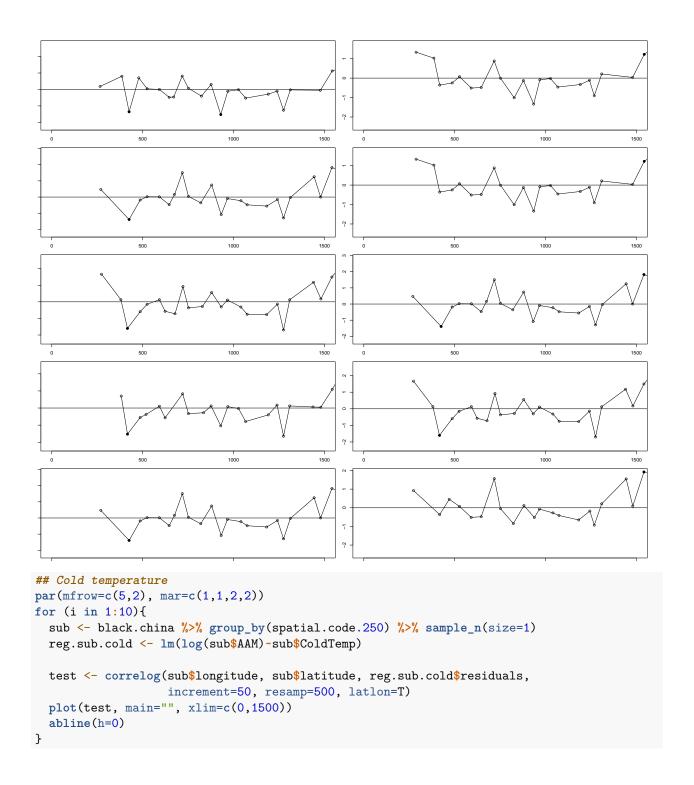
# **Cold Quarter Temperature Regression Residuals for Chinese data**

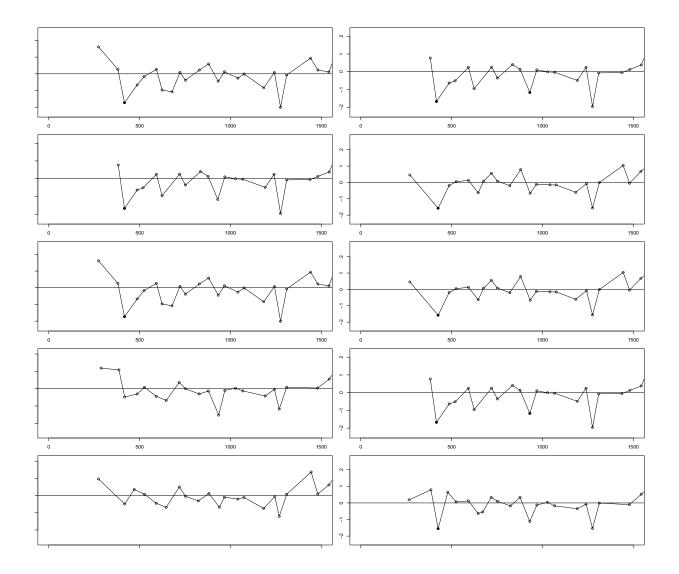




### Subsample at 250km for Chinese dataset

Now we subsample at 250km to reduce spatial autocorrelation.





## Conclusions

- There was no global spatial autocorrelation in the entire dataset, but when looking at local clustering, we saw a strong negative autocorrelation at around 550 km.
- $\bullet$  We tried to subsample at 250 km, and 550 km. 220 km did not reduce the spatial autocorrelation we saw. 550 km did reduce that, but left us with too few data to fit a model.
- We then tried to subsample by latitudinal straitification. We found that the negative autocorrelation was reduced in some iterations (when South Ukarine was not selected). We hypothesized that particular datapoint is the cause.
- $\bullet\,$  We removed the SU data point and ran the local moran's I again. This time, we have no local clustering at 550 km!