

Year 10 Mathematics Course 2022 (SEMESTER TWO)

Note: This outline is subject to change.

The following program of work is designed to ensure that the students are prepared to attempt the Mathematics: Methods and Mathematics: Specialist courses in Year 11. This entails completing all of Methods Unit 1, and parts of Methods Unit 2 and Specialist Units 1 & 2 using Sadler Year 11 textbooks.

Weeks	WA Curriculum Descriptor UNIT TITLE	Learning Objectives	Extension	General Capabilities, Study Skills and 21 st CLD	Assessments	Resources
Term 3 Week 1	Methods UNIT 2 Indices	 Indices and the Index Laws 1.3.1 review indices (including fractional and negative indices) and the index laws 1.3.2 use radicals and convert to and from fractional indices 1.3.3 understand and use scientific notation and significant figures 	Mathspace	General Capabilities: Persisting Thinking and communicating with clarity and precision Thinking flexibly Striving for accuracy Questioning and posing problems Applying past knowledge to new situations Habits of Mind: Thinking flexibly		Sadler Unit 2 Methods Ch 1 Ex 1A – 1C
Week 2	Methods UNIT 2 Exponential Functions	 Exponential Functions 2.1.1 establish and use the algebraic properties of exponential functions 2.1.2 recognise the qualitative features of the graph of y = a^x (a > 0), including asymptotes, and of its translations (y = a^x + b and y = a^{x-c}) 2.1.3 identify contexts suitable for modelling by exponential functions and use them to solve practical problems 2.1.4 solve equations involving exponential functions using technology, and algebraically in simple cases 	Mathspace	General Capabilities: Persisting Thinking and communicating with clarity and precision Thinking flexibly Striving for accuracy Questioning and posing problems Applying past knowledge to new situations 21CLD: Knowledge Construction (3), Self-Regulation (3), ICT Use for Learning (3) Activity: students use technologies such as Class-Pad and Desmos to solve equations involving exponential functions.	Inv 2 Week 3	Sadler Unit 2 Methods Ch 2 Ex 2A – 2B

Week	Methods UNIT 2	Arithmetic sequences	Mathspace	Sadler Unit 2
3 - 4	Sequences	2.2.1 recognise and use the recursive definition of an arithmetic sequence: $t_{n+1} = t_n + d$		Methods Ch 3 Ex 3A – 3C
		2.2.2 develop and use the formula $t_n=t_1+(n-1)d$ for the general term of an arithmetic sequence and recognise its linear nature		
		2.2.3 use arithmetic sequences in contexts involving discrete linear growth or decay, such as simple interest		
		2.2.4 establish and use the formula for the sum of the first <i>n</i> terms of an arithmetic sequence		
		Geometric sequences		
		2.2.5 recognise and use the recursive definition of a geometric sequence: $t_{n+1} = t_n r$		
		2.2.6 develop and use the formula $t_n = t_1 r^{n-1}$ for the general term of a geometric sequence and recognise its exponential nature		
		2.2.7 understand the limiting behaviour as $n \to \infty$ of the terms t_n in a geometric sequence and its dependence on the value of the common ratio r		
		2.2.8 establish and use the formula $S_n = t_1 \frac{r^{n-1}}{r-1}$ for the sum of the first n terms of a geometric sequence		
		2.2.9 use geometric sequences in contexts involving geometric growth or decay, such as compound interest		
Wook	Methods UNIT 2	Arithmetic sequences	Mathenace 21CLD: Real World	Toot 2 Sodier Unit 2
Week 5 – 6	Series	2.2.1 recognise and use the recursive definition of an arithmetic sequence: $t_{n+1} = t_n + d$	Mathspace Problem Solving (4) ICT Use for Learning (3), Knowledge Construction (3). Activity: students apply	Test 3 Week 6 Sadler Unit 2 Methods Ch 4 Ex 4A – 4C

		 2.2.2 develop and use the formula t_n = t₁ · (n - 1)d for the general term of an arresponding sequence and recognise its linear nature. 2.2.3 use arithmetic sequences in contexts discrete linear growth or decay, such simple interest. 2.2.4 establish and use the formula for the the first n terms of an arithmetic sequences. Geometric sequences 	mathematics such as compound interest nvolving s um of
		 2.2.5 recognise and use the recursive define geometric sequence: t_{n+1} = t_nr 2.2.6 develop and use the formula t_n = t₁r the general term of a geometric sequence. 	·1 for
		recognise its exponential nature 2.2.7 understand the limiting behaviour as the terms t_n in a geometric sequence	$ ightarrow \infty$ of and its
		dependence on the value of the comparison of th	$\frac{i-1}{-1}$ for
		the sum of the first <i>n</i> terms of a geom sequence2.2.9 use geometric sequences in contexts geometric growth or decay, such as	
		compound interest	
Week 7-8	Specialist UNIT 1 & 2 Counting Techniques	 Permutations (ordered arrangements) 1.1.1 solve problems involving permutation 1.1.2 use the multiplication and addition print 1.1.3 use factorial notation and ⁿP_r to solve problems involving permutation involving restrictions with or without robjects 	Questioning and posing problems Applying past knowledge to new situations Applying to accuracy Ex 2A – 2F
			Habits of Mind:

		The inclusion-exclusion principle for the union of two sets and three sets 1.1.5 determine and use the formulas for finding the number of elements in the union of two and the union of three sets Combinations (unordered selections) 1.1.7 solve problems involving combinations 1.1.8 use the notation $\binom{n}{r}$ or nC_r 1.1.9 derive and use associated simple identities associated with Pascal's triangle		Thinking flexibly 21CLD: Knowledge Construction (4), ICT Use for Learning (3), Collaboration (3). Activity: students apply the knowledge of Pascal's triangle in other contexts such as Binomial Expansion	
Week 9 - 10	Specialist UNIT 1 & 2 Vectors	Representing vectors in the plane by directed line segments 1.2.1 examine examples of vectors, including displacement and velocity 1.2.2 define and use the magnitude and direction of a vector 1.2.3 represent a scalar multiple of a vector 1.2.4 use the triangle and parallelogram rules to find the sum and difference of two vectors	Mathspace	Persisting Thinking and communicating with clarity and precision Thinking flexibly Striving for accuracy Questioning and posing problems Applying past knowledge to new situations	Sadler Units 1&2 Specialist Ch 3 Ex 3A – 3D

TERM 4

Weeks	WA Curriculum Descriptor UNIT TITLE	Learning Objectives	Extension, Enrichment	General Capabilities, Study Skills and 21 st CLD	Assessments	Resources
Term 4 Week 1 - 2	Specialist UNIT 1 & 2 Vectors in Component Form	 Algebra of vectors in the plane 1.2.5 use ordered pair notation and column vector notation to represent a vector 1.2.6 define unit vectors and the perpendicular unit vectors i and j 1.2.7 express a vector in component form using the unit vectors i and j 1.2.8 examine and use addition and subtraction of vectors in component form 1.2.9 define and use multiplication of a vector by a scalar in component form 	Mathspace	Habits of Mind: Thinking flexibly		Sadler Units 1&2 Specialist Ch 4 Ex 4A – 4C
Week 3	Specialist UNIT 1 & 2 Conjectures and Proof	 The Nature of Proof 1.3.1 use implication, converse, equivalence, negation, inverse, contrapositive 1.3.2 use proof by contradiction 1.3.3 use the symbols for implication (⇒), equivalence (⇔) 1.3.4 use the quantifiers 'for all' ∀ and 'there exists' ∃. 1.3.5 use examples and counter-examples 	Mathspace		Test 4 Week 3	Sadler Units 1&2 Specialist Ch 1 Ex 1A
Week 4 - 5	Specialist UNIT 1 & 2 Geometric Proofs	Circle properties, including proof and use 1.3.6 an angle in a semicircle is a right angle 1.3.7 the size of the angle at the centre subtended by an arc of a circle is twice the size of the		21CLD: Knowledge Construction (4) Activity: Students apply similarity/congruence of triangles to angles in circles.		Sadler Units 1&2 Specialist Ch 5 Ex 5A – 5B

Week	Specialist UNIT 1	Matrix	arithmetic	Mathspace		Sadler Units
9 - 10	& 2 Matrices	2.2.1	apply matrix definition and notation			1&2 Specialist Ch 10
		2.2.2	define and use addition and subtraction of matrices, scalar multiplication, matrix multiplication, multiplicative identity, and inverse			Ex 10A – 10D
		2.2.3	calculate the determinant and inverse of 2 \times 2			
			matrices and solve matrix equations of the			
			form $AX = B$, where A is a 2 x 2 matrix and X			
			and B are column vectors			

ASSESSMENT OUTLINE

SEMESTER 2

Assessment Item	Weighting	Timing
Inv 2	20%	Term 3 Week 3
Test 3	25%	Term 3 Week 6
Test 4	25%	Term 4 Week 3
Semester 2 Exam	30%	Term 4 Week 7 - 8 (Exact Date TBA)