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[1]					(7	$= W)_{\mathbf{d}}$	(i)		
[1]					(1/2	> W)A	(ii)		
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(d) Determine the most likely value of M.

. M To mean the mean of M .

[1] Sage 1 of 2

[7]

2. (5 marks)

The random variable X has the discrete uniform distribution

$$P(X = x) = \frac{1}{5}, \quad x = 1, 2, 3, 4, 5$$

(a) Determine the value of E(X)

The variance of X is 2.

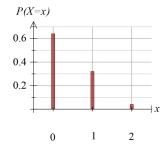
(b) Determine:

(i)
$$E(3X-2)$$
 [2]

(ii)
$$Var(4-3X)$$
 [2]

3. (3 marks)

Determine the probability of success for the binomial variable given for this distribution where P(X=0) = 0.64:



[1]



Mathematics Methods Units 3,4Test 3 2018

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7. (11 marks)

A student designed a game where two spinners each with five equally likely outcomes; 1, 2, 2, 3 and 3 are spun. Let S denote the sum of the results when these two spinners are spun.

(a) Determine the largest possible value of S.

Complete the table below to give the probability associated with each value s of S [3]

	52	<u>72</u>	(s=S)d
t	ε	7	S

The player paid \$10 for each game, winning a prize of \$20 if the sum was two and \$12 if the sum was a 3 or 4.

(c) Calculate the expected gain or loss of a person who played the game once.

(d) If the student halved the cost of the game but left the other rules unchanged, determine the new expected gain or less per game for a player.

Explain why the sum of these probabilities is not one.

(ii)

(c) Determine:

 $(9 \le L)d$

 $(t \ge T)d$

(8 mar	rks)							
Rabbit offspring born on a particular farm have a probability of 20% of being albino. For each breeding cycle, in preparation for the Christmas season, the young rabbits are shipped off to veterinaries in groups of 16.								
(a)	Determine the probability that in a group there are							
	(i) an equal number of albino rabbits and non-albino rabbits.	2						
	(ii) fewer than 5 albino rabbits.	1						
	(iii) exactly 2 albino rabbits.	1						
(b)	A random sample of 4 groups of 16 is taken from the farm. Determine the probability							
	that exactly 2 groups contain fewer than 5 albino rabbits.	2						
(c)	The farm decides to ship n rabbits per shipment to veterinaries, so that the chance of there being at least one albino rabbit in a shipment is no more than 99%. Determine the							
	largest possible value of n .	2]						

(9 marks) A new treatment for back pain is being tested. There is a 25% chance that a patient will report an improvement after one month if no treatment Let X denote a patient who will report an improvement after one month, assuming that no treatment is given. Explain why the random variable X is discrete. [1] State the probability distribution for X. [2] Calculate the Mean of X[1] Standard Deviation of X [1] A trial group consists of 100 randomly chosen patients with back pain. What is the probability that 35 or more of the patients in the trial group will report an improvement after one month, assuming no treatment is given? [2]

Now suppose that each patient in the trial group is given the new treatment and that 35 of them report an improvement after one month. Is this strong evidence that the

[2]

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treatment is effective? Justify your answer.