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Math Methods Unit 3 Test 2 2017 Test 2 2017

Resource Free

Only a formula sheet is allowed for this section. No calculator or notes allowed.

Time: 30 minutes

(a) For what values of c does the polynomial
$$P(x) = x^3 + c x^2 + 2x$$
 have an inflection (3 marks)

(3 marks)

727

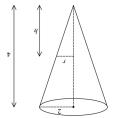
Marks:

(b) Sketch the graph of a function that such that:

- $\xi \neq x \land I \neq x, x \text{ [lis not } 0 < (x) \text{!}$
- vertical asymptote at x = 1
- $\xi < x \lor 1 > x \operatorname{li0} < (x)$
- $\varepsilon > x > 1$ $\text{lio} > (x) \uparrow$
- f''(3)=0 and f'(3)=0

Question 9 (5 marks)

A water tank has the shape of an inverted circular cone with base radius 2 m and height 4 m.



(a) Proof that the volume of the tank is given by the following formula:

 $V[h] = \frac{1}{12} \pi h^3$

(b) If water is being pumped into the tank at a rate of 2 m³/min, find the rate at which the water level is rising when the water is 3 m deep.
Answer to the nearest cm/min.

Question 2 (6 marks)

Determine the maximum and minimum value for f(x) and the value of x at which they occur, for the function $f(x) = 3x^4 - 16x^3 + 18x^2$ over the domain $-1 \le x \le 2$.

Question 8 (4 marks)

Use derivatives to find the approximate change in the radius of a spherical balloon corresponding to a change in its volume from 200 cm³ to 195 cm³. Answer to 4 decimal places.

		(2 тагкя)	Determine the marginal profit of the $250^{\rm th}$ item sold.	(e)
		(2 тағкз)	Explain clearly if a loss occurred and when it occurred.	(p)
		(3 marks)	тахітит ргобіс.	
			Determine how many items are needed to make a maximum profi	(c)
		(1 тагк)	Give an expression for the profit function $P(x)$.	(q)
of the stationary points found using a standard test.	Justify the nature o			
	function $y = x \circ ^{3x}$	(1 mark)	State the revenue function $R(x)$ for x number of items sold.	(a)
rdinates of all intercepts, stationary points and points of inflection of the			revenue per item sold is given by $(40-0.02 x)$.	Дуб
(зялеш 7)	Suestion 3		cost in dollars of producing x items is given by: $C(x) = (3000 + 5x)$	Дуб
		(9 тагкя)	7 noite	θuθ

Question 5 (5 marks)

Find the equation of the tangent to the curve $y=2x+\cos 2x$ at the point $(\frac{\pi}{3}; \frac{2\pi}{3}-\frac{1}{2}i$

Determine the equation of the normal to the curve $y=x(3-x)^2$ at (2,2).

(3 marks)

Question 4

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Resource Assumed Time: 25 minutes Marks: /23

CAS calculator and a formula sheet are allowed for this section

Question 6 (5 marks)

A cylindrical can is to be made to hold 1 000 cm³ of oil. Find the dimensions that will minimise the amount of the metal to make the can. Assume the can is made with a lid.