



## Semester One Examination, 2012

### Question/Answer Booklet

#### 3AB PHYSICS

Please place your student identification label in this box

Student Number:

In figures

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In words

#### Time allowed for this paper

Reading time before commencing work:

Ten minutes

Working time for paper:

Three hours

Materials required/recommended for this paper

#### **To be provided by the supervisor**

This Question/Answer Booklet

Formulae and Constants Sheet

To be provided by the candidate

Standard items: pens, pencils, eraser, correction fluid, ruler, highlighters

Special items: non-programmable calculators satisfying the conditions set by the Curriculum Council for this course

#### Important note to candidates

No other items may be taken into the examination room. It is your responsibility to ensure that you do not have any unauthorised notes or other items of a non-personal nature in the examination room. If you have any unauthorised material with you, hand it to the supervisor before reading any further.

	Section 1	Section 2	Section 3	Total
Score				
Out of	45	75	30	150
%				

## Structure of this paper

Section	Number of questions available	Number of questions to be answered	Suggested working time (minutes)	Marks available	Percentage of exam
Section One: Short response	12	12	54	45	30
Section Two: Problem-solving	7	7	90	75	50
Section Three: Comprehension	2	2	36	30	20
					100

## Instructions to candidates

1. All numerical answers must be stated to 3 significant figures. Questions containing estimates should be stated to two significant figures.
2. The rules for the conduct of Curriculum Council examinations are detailed in the *Student Information Handbook*. Sitting this examination implies that you agree to abide by these rules.
3. Write answers in this Question/Answer Booklet.
4. You must be careful to confine your responses to the specific questions asked and to follow any instructions that are specific to a particular question.
5. Working or reasoning should be clearly shown when calculating or estimating answers.
6. Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

### Planning:

If you use the spare pages for planning, indicate this clearly at the top of the page.

### Continuing an answer:

If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number. Fill in the number of the question(s) that you are continuing to answer at the top of the page.

**Section One: Short response - 30%****(45 Marks)**

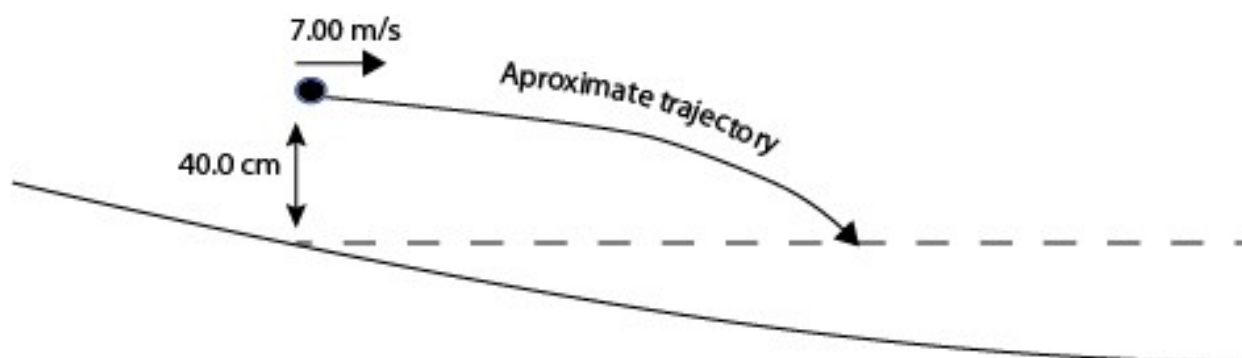
This section has **12** questions. Answer **all** questions. Write your answers in the space provided.

Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

Planning: If you use the spare pages for planning, indicate this clearly at the top of the page.

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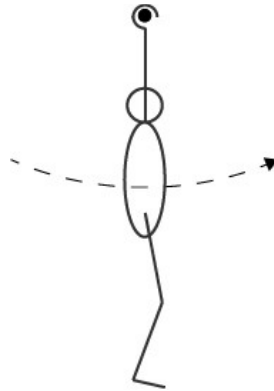
Suggested working time for this section is 54 minutes.

**Question 1****(3 marks)**

Some children are down at a lake skimming pebbles on the flat water. One child stands at the edge of the water and throws a pebble (rock) with a purely horizontal velocity of  $7.00 \text{ m/s}$ . If the rock is thrown from a distance of  $40 \text{ cm}$  above the water, how far from the thrower does the rock first strike the surface of the water? Assume no air resistance.

**Question 2****(5 marks)**

A 50.0 kg gymnast is swinging around a bar in a vertical circle. Assume no additional energy is supplied or removed from the situation.

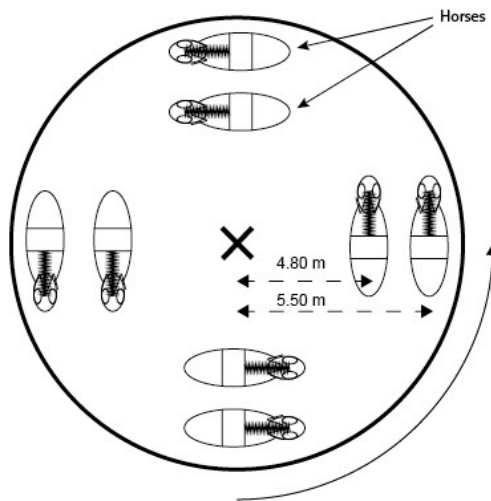


The gymnast's centre of mass (hips) is positioned 0.95 m from the bar. If the gymnast has a velocity of 7.41 m/s as she passes the lowest point in her circle, what will be the size and direction of the force exerted on the gymnast's centre of mass by her arms as she passes the highest point in her circle?

**Question 3****(4 marks)**

A father takes his children to the Perth Zoo. At the zoo they go on the merry go round which has a period of rotation of 20.0 s. There are 2 rows of horses. The outer row of horses is positioned 5.50 m from the centre and the inner row is 4.8 m from the centre.

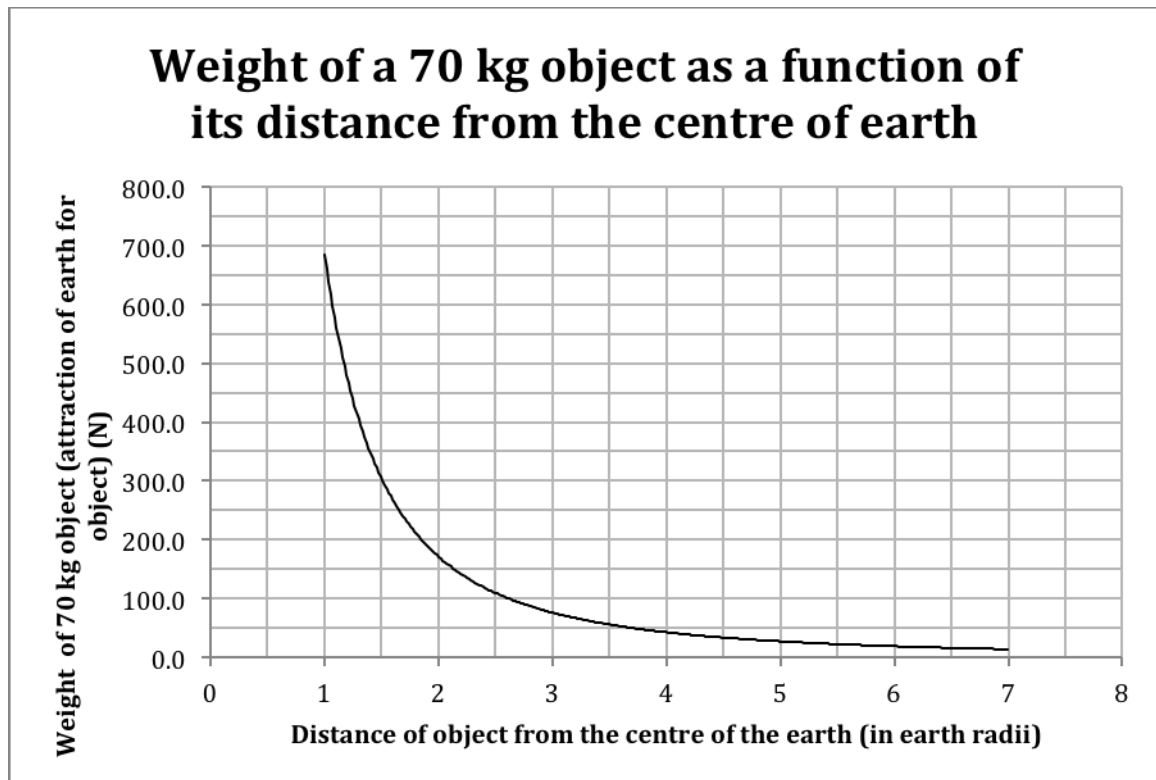
Top View Diagram



Hannah (of mass 25 kg) sits on the inner horse and Leo (of mass 20 kg) sits on an outer horse. Calculate which child experiences the greater centripetal force?

**Question 4****(3 marks)**

As an object with mass moves away from a planet its weight decreases. Below is a graph of the relationship between the weight of a 70 kg object and its distance from the centre of the planet earth.



- a) What physical quantity does the **area** under the curve represent?

(1 mark)

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- b) Determine the area under the curve in S.I. units between the 2 earth radii and 4 earth radii points. Be sure to use the appropriate units and leave evidence of your method on the graph.

(2 marks)

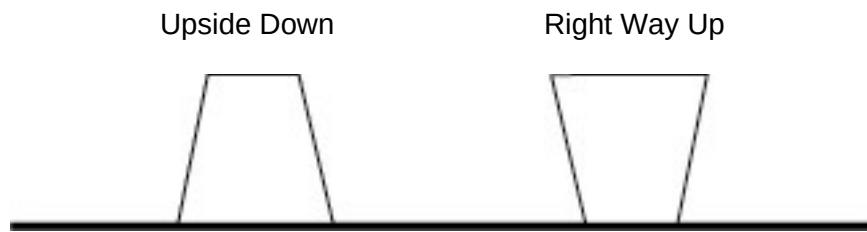
**Question 5****(3 marks)**

The asteroid belt lies between Mars and Jupiter. Some asteroids are closer to the sun than others. Many of the asteroids are in a stable circular orbit around the sun. What is the ratio of the period of revolution of Asteroid A positioned 2.4 AU from the sun compared to Asteroid B positioned 3.1 AU from the Sun?

Note 1 AU is the distance from the sun to the Earth.

**Question 6****(4 marks)**

A bucket with its bottom removed is shown in two positions below



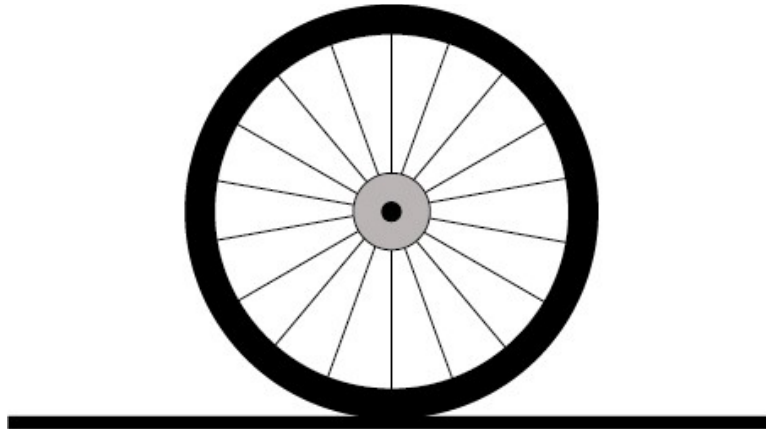
- a) Of the two positions shown below, circle which position is the most stable? Explain why. (2 marks)
- b) Draw this bucket in an unstable and a neutral equilibrium on the ground line provided below. (2 marks)





**Question 7****(4 marks)**

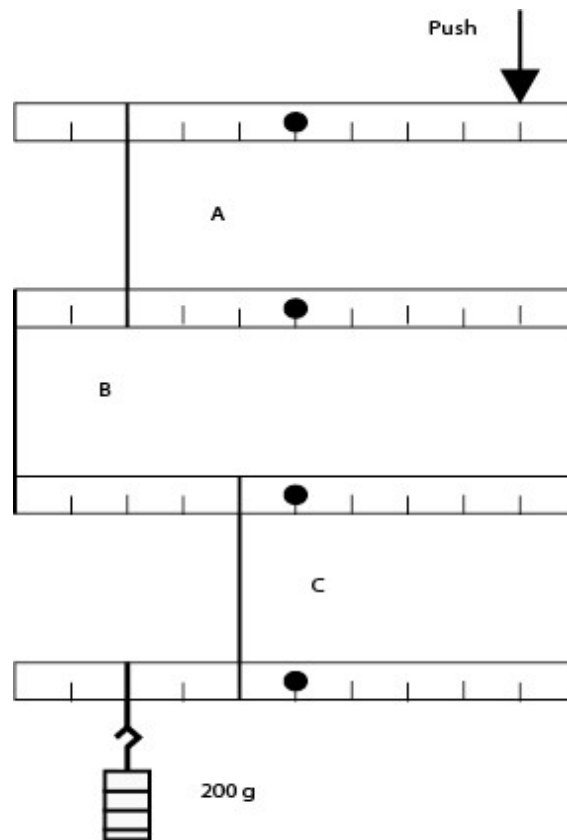
Here is a diagram of a bicycle wheel. Assume the bike is attached to the axle of the wheel.



- a) Put a tick on the spoke that is under the greatest tension. (1 mark)
- b) Put a cross on the spoke that is under the least tension or is under the greatest compression. (1 mark)
- c) If you had the bike wheel in front of you and you were allowed to test your answer to a) and b) above in any way you chose, how could you test your answers? (2 marks)

**Question 8****(4 marks)**

A system of 1.00 m rulers pivoted at their centres and attached to each other by strings is set up as shown below and a Push is applied on the top ruler to keep the system in equilibrium. The widely spaced scale divisions on the rulers represent distances of 10.0 cm each and all attachment points are accurate to the nearest 10.0 cm.

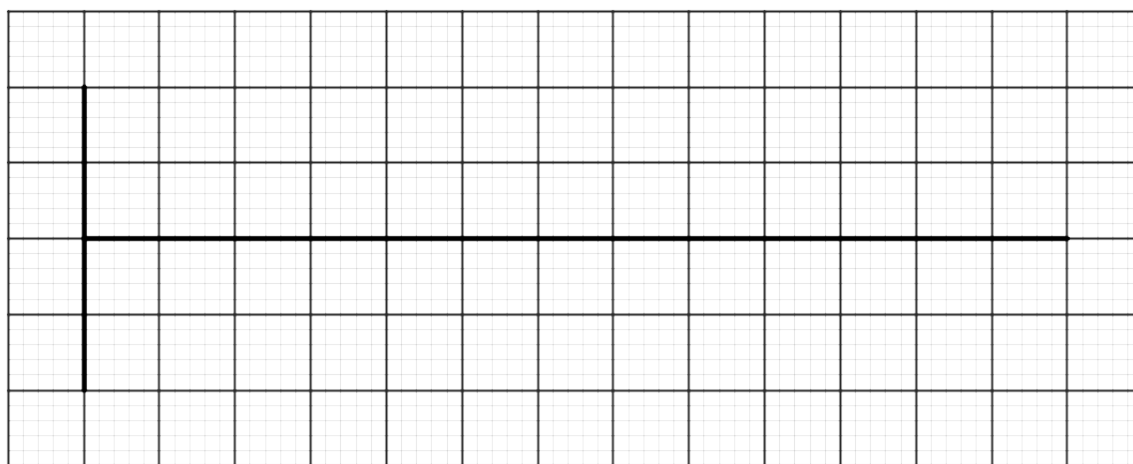


- a) If each uniform ruler has a mass of 50.0 g, will the mass of the ruler need to be considered in your calculation of the Push? Explain. (2 marks)
- b) Calculate the size and direction of the Push provided to keep the system of 1.00 m rulers in balance? (2 marks)

**Question 9****(4 marks)**

A particular humming bird being studied by a biology student is flapping its wings up and down with a frequency of 6000 flaps (cycles) per minute.

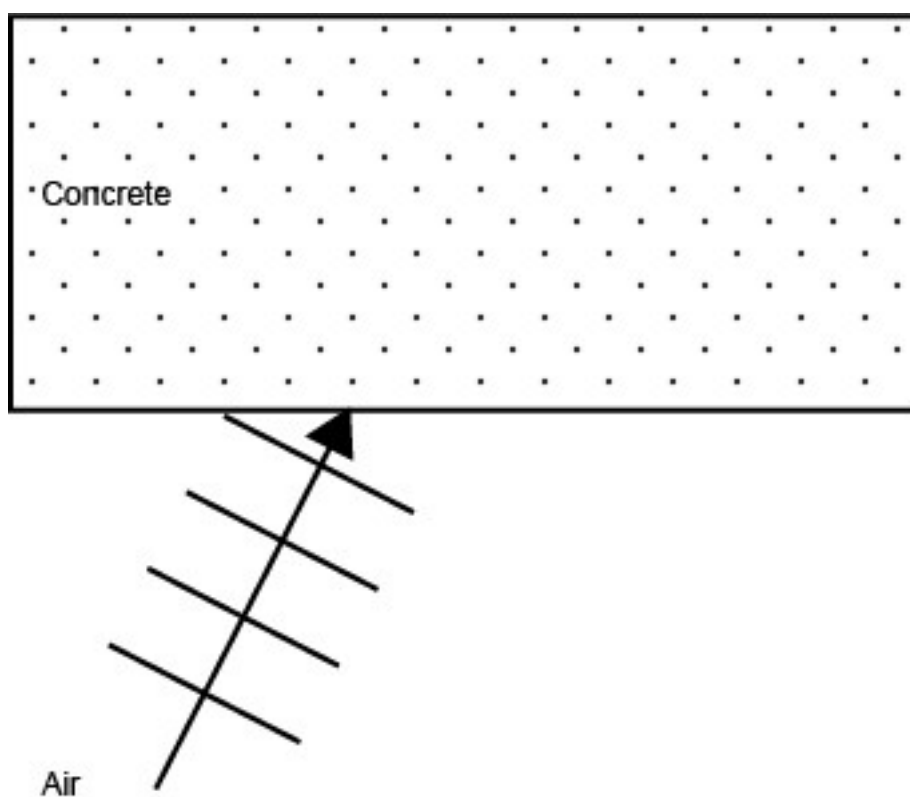
- a) What is the frequency per second? (1 mark)
- b) What is the period of the wing movement? (1 mark)
- c) Graph the wing tip movement if a wing tip travels a distance of 10.0 cm in one complete cycle. (2 marks)

**Question 10****(4 marks)**

A 2.40 m long snake is wiggling across a flat sandy desert floor. A brave physicist notices that the snake's body shape consists of 3.5 cycles. If the snake is travelling at 4.32 km/h what is the period of the snake's movement?

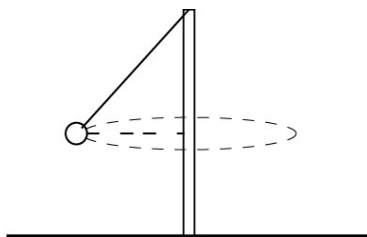
**Question 11****(4 marks)**

The below diagram represents a sound wave approaching a concrete wall from air. Some of the sound enters the wall and some bounces off it. Sketch the pathways taken and the wavelengths of the entering and bouncing waves onto the diagram below. No calculations are required.



**Question 12****(3 marks)**

A student is trying to calculate the error in the centripetal force acting on a tennis ball swinging in a horizontal circle around a pole on a string



The data for the calculation is as follows ...

Quantity	Amount	Absolute Error	Relative Error
Tennis ball mass	57.6 g	$\pm 0.9$ g	
Speed of ball	5.0 m/s	$\pm 0.05$ m/s	
Radius of circle (horizontal)	1.1 m	$\pm 0.05$ m	

- a) Calculate the relative error for each quantity and so complete the data table above. (1 mark)
- b) What is the relative error in the centripetal force? Show working. (1 mark)
- c) What is the absolute error in the centripetal force? Show working. (1 mark)

**End of Section One**

**Section Two : Problem-Solving - 50%****(75 Marks)**

This section has **seven (7)** questions. You must answer **all** questions. Write your answers in the space provided.

Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

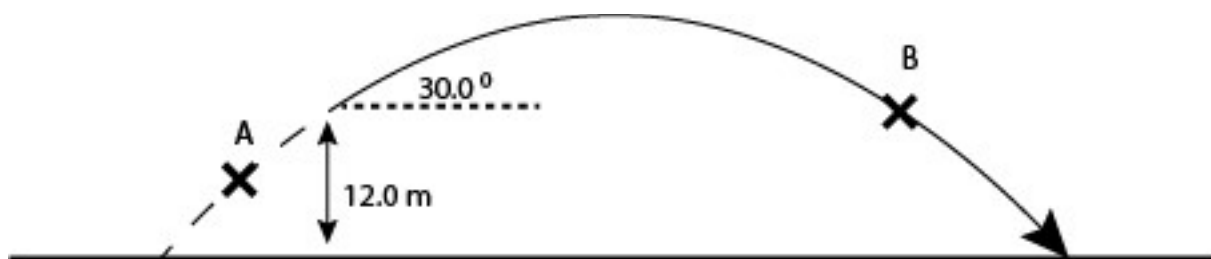
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Suggested working time for this section is 90 minutes.

**Question 13****(11 marks)**

A 2.00 L plastic coca cola bottle is partially filled with water and compressed air. When the seal on the bottle is broken the water and air forces its way out of the bottle launching the bottle in to the air. Ignore air resistance in your calculations.



The mass of the bottle changes during the flight as the water blasts out of the bottle. All of the water has left the bottle by the time that the bottle has reached the 12 m high mark.

- a) Draw and label the forces acting on the bottle at points A and B on the flight path above. (2 marks)
- b) At the moment that the bottle becomes a projectile it has a height of 12.0 m, a trajectory  $30.0^\circ$  above the horizontal and a velocity of 8.50 m/s along its flight path. What is the maximum height above the ground that it will reach? (3 marks)

c) What is the range of the projectile measured from the moment it becomes a projectile?  
(3 marks)

d) At what angle does the bottle hit the ground relative to the horizontal?  
(3 marks)

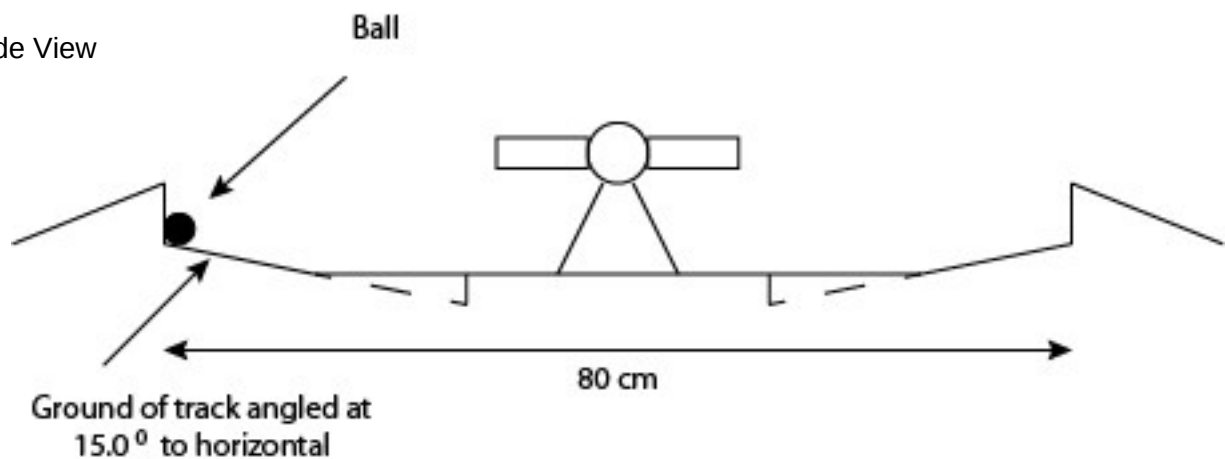
**Question 14****(10 marks)**

One of the games played at a Casino is roulette. In this game a large horizontal wheel containing black and red squares is spun anticlockwise. At the same time a small white 3.74 g ball is sent clockwise around an 80 cm diameter small track or groove built into the outside of the wheel. The ball falls in to one of the squares of the wheel when the speed of the ball is too slow to keep the ball on its track. Assume no rolling friction.

Top View



Side View



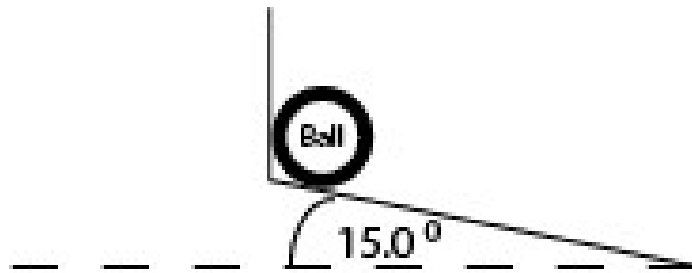
- a) What is the centripetal force on the ball if it completes one revolution of the circle each second?

**(3 marks)**



- b) Draw the forces acting on the ball as it rolls around the edge.

(3 marks)

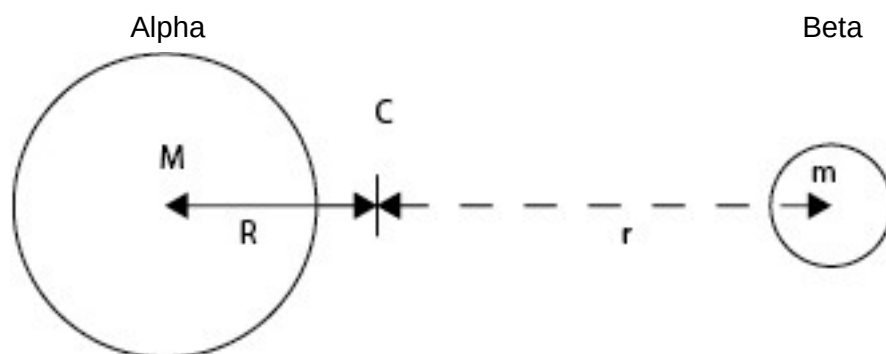


- c) As the ball rolls slower all of the centripetal force is provided by the  $15.0^\circ$  slope only. At what speed will the ball be travelling in its 80.0 cm diameter circle when this occurs.

(4 marks)

**Question 15****(11 marks)**

A binary star system consists of two stars that are orbiting around each other. Each of the two stars orbits around a point called the centre of mass that exists on the line joining the centres of the two stars. The combined mass of the two stars appears to act at the centre of mass (C) generating a centripetal force that acts on each star (m and M) separately. Each star experiences the same centripetal force.



Star Name	Distance of star from centre of mass (C)	Period of revolution	Speed of star	Mass of star
Alpha	$7.50 \times 10^{10} \text{ m}$	2.13 years		M
Beta	$3.75 \times 10^{11} \text{ m}$	2.13 years		m

- a) What is the period of revolution of both the stars in seconds? (1 mark)
- b) What is the speed of revolution of Beta? (2 marks)
- c) What is the centripetal acceleration of Alpha? (3 marks)

- d) The centripetal force on each of the two stars is the same. Calculate the ratio of the mass of Alpha to the mass of Beta. (Alpha : Beta)

(3 marks)

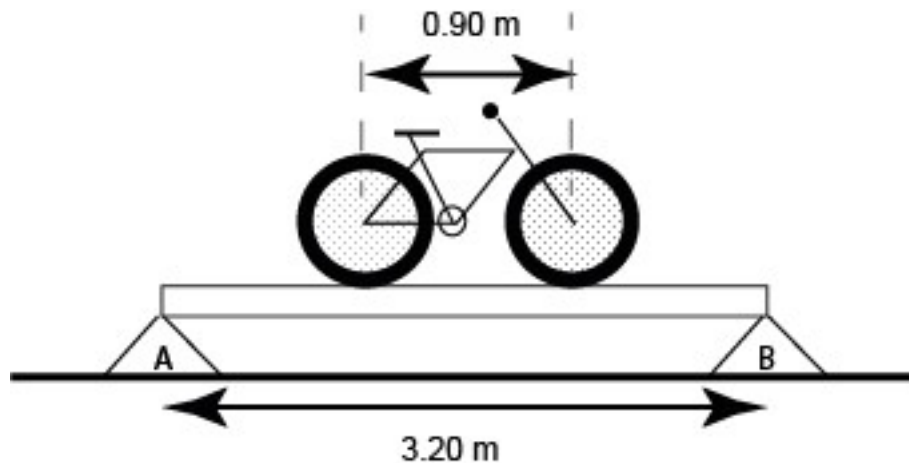
- e) If Beta has a mass equal to that of our sun, what is the mass of alpha? If you were unable to find a ratio in part d) use the ratio of 6 : 1 in your answer below.

(2 marks)

**Question 16****(10 marks)**

A bike rides over a bridge made from a plank (piece of wood) stretched between two triangular boxes. The distance between the two boxes is 3.20 m and the distance between the two wheels is 0.900 m. The combined mass of the bike and rider is 80.0 kg. Assume the rider is on the bike in all questions below. The weight of the bike and rider is 60.0 % on the back wheel and 40.0 % on the front wheel. The plank has a mass of 20.0 kg.

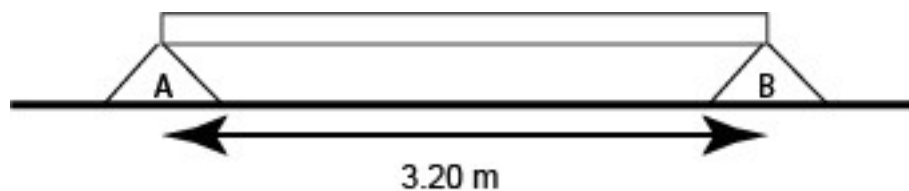
- a) Draw and label the forces acting on the plank when the bike (and rider) is in the middle of the plank as shown in the diagram below. Note that the wheels make separate points of contact on the plank.

**(3 marks)**

- b) Calculate the force on the left and right boxes when the bike is in the middle as shown in the diagram above.

**(3 marks)**

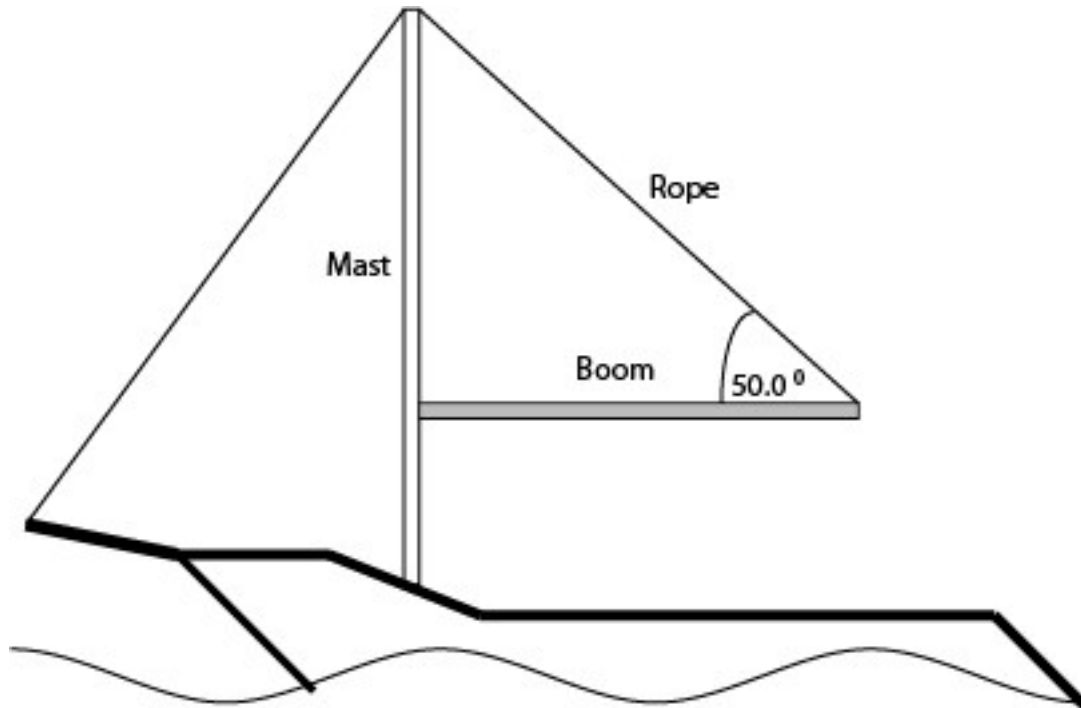
- c) If you could move the bike to any position on the plank to maximise the force on A and still have both wheels in contact with the plank, where would the bike be situated? Draw this on the diagram below. (1 mark)



- d) Calculate the force on B in the diagram above. (3 marks)

**Question 17****(14 marks)**

A sailor is calculating the forces acting on the boom of his sailing boat when it is at rest in harbour. The Boom is 1.8 m long and is connected to the top of the Mast by a rope not a sail. The Boom is uniform and has a mass of 30.0 kg.



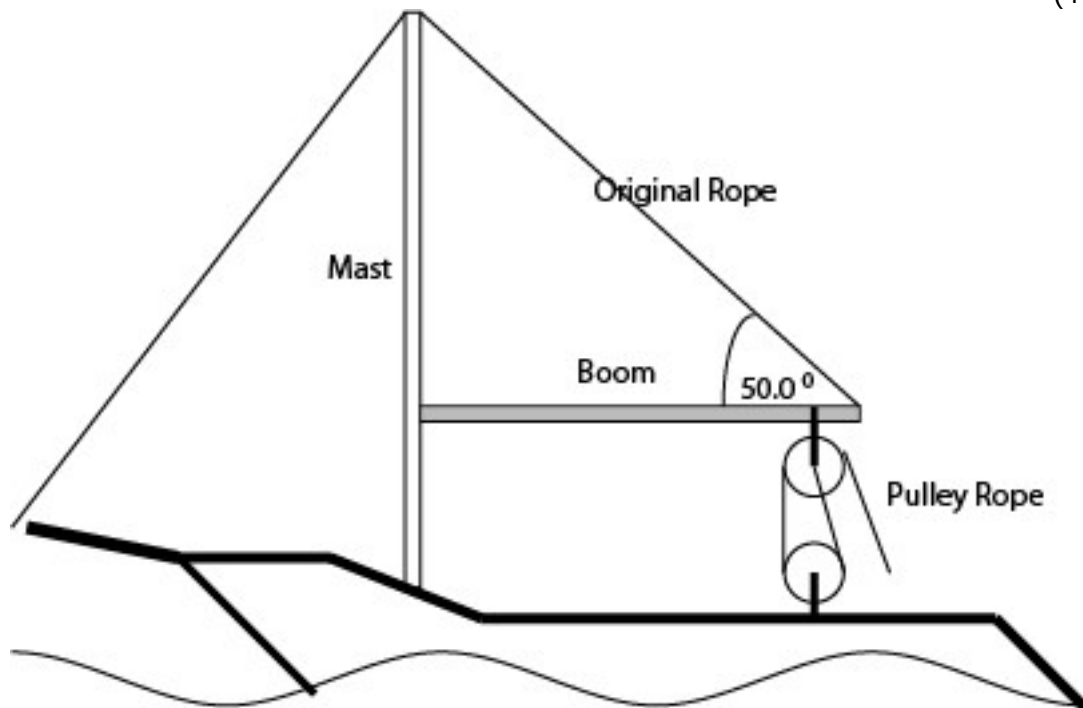
- a) Draw all of the forces acting on the boom. (3 marks)
- b) What is the tension in the Rope that joins the end of the Boom to the top of the Mast? (3 marks)

- c) What is the magnitude and direction of the force acting on the Boom at the point of contact between the Boom and the Mast?

(4 marks)

- d) A massless pulley is now attached to the Boom 1.50 m from the mast. When the sailor pulls on the Pulley Rope the tension in the Original Rope connecting the mast to the boom increases to 600.0 N. What is the force applied by the sailor to the rope passing through the pulley?

(4 marks)



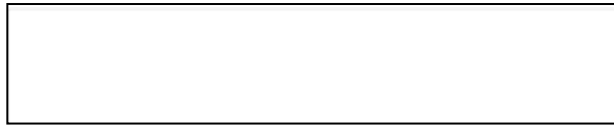
**Question 18**

**(7 marks)**

- a) Draw a picture in the box (not a graph) of air which has no sound passing through it. (1 mark)



- b) Draw a picture in the box (not a graph) of air that has a **loud** sound of frequency 6920 Hz passing through it from left to right. Be sure to show 2 complete wavelengths. (2 marks)



- c) Is this sound in part b) audible to the human ear? Explain with reference to the range of human hearing. (2 marks)

- d) How would the picture look different if the sound had a higher frequency and smaller amplitude when compared with part b) above? (2 marks)

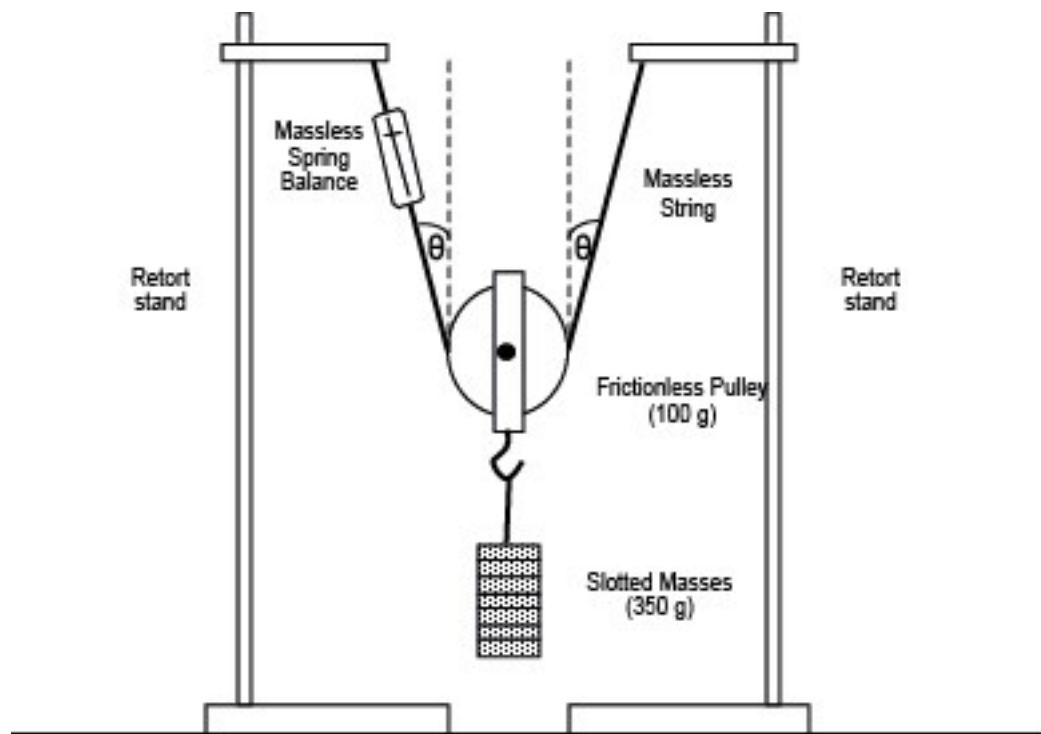


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# Question 19

(12 marks)

A set of slotted masses is hanging from a pulley at the bottom of a piece of string that is run through the pulley as shown.



The student gradually increases the distance between the two retort stands by dragging them away from each other. This alters the angle between the pulley string and the vertical. The student then records the force measured on the spring balance.

Angle	(degrees)	10	25	40	55	70	
Tension	(newtons)	2.239016	2.432948	2.878423	3.8443	6.446989	

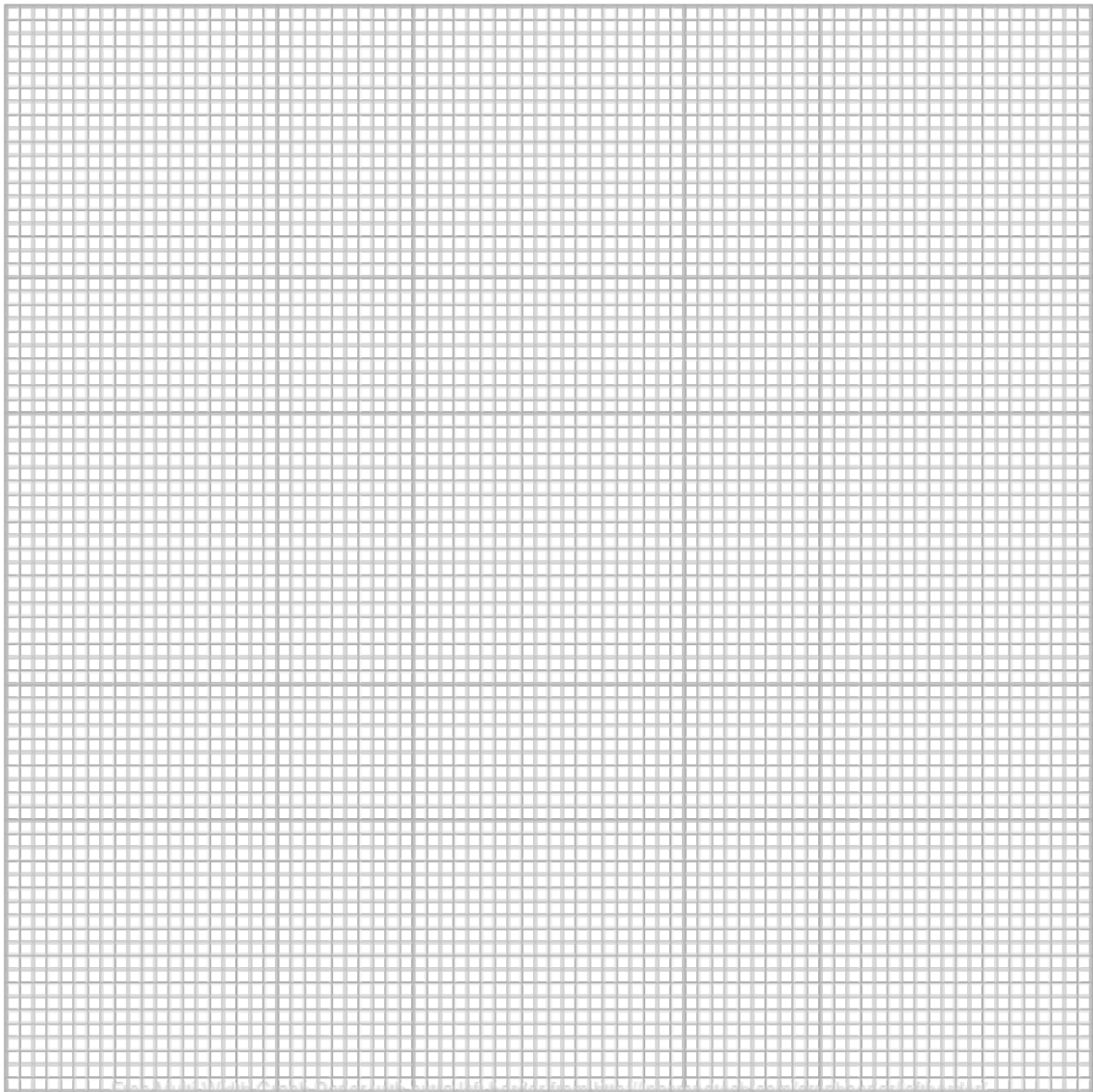
It is thought that the relationship between the angle created in the string and the tension in the string is given by

$$T = \frac{1}{2} mg / \cos \theta$$

- What is the independent variable?  
(1 mark)
- What is the dependent variable?  
(1 mark)
- Manipulate either the independent or the dependent variable in the data table above in preparation for creating a straight-line graph.  
(2 marks)

- d) Graph the manipulated data to produce a straight line

(4 marks)



- e) Use the graph to calculate the slope of the line

(3 marks)

- f) Use the slope of the line to calculate the mass in the equation.

(1 mark)

### Section Three: Comprehension - 20%

(30 Marks)

This section contains **two (2)** questions. You must answer both questions. Write your answers in the space provided.

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Suggested working time for this section is 36 minutes.

#### Question 20

(15 marks)

#### The Physics of Bicycles

What goes in circles but still helps you get to your destination faster... a bicycle!



Figure 1 – A Bicycle with gears

#### Paragraph 1

Bicycles have been around for hundreds of years and the most successful models have gears. The gears and drive chain on a bike allow the bike to convert between linear-force and rotational-torque and visa versa. This interplay between force and torque allows the bicycle to achieve its purpose as a machine.

#### Paragraph 2

Firstly we need to discuss cogs. A bike with gears usually has two sets of cogs. One set of cogs is attached to the pedals and cranks. The other set of cogs is attached to the rear wheel. All of the teeth on these cogs are set the same distance apart because the chain links in the chain that mesh with the cogs are all the same size. The chain link size and hence the teeth spacing on a typical bicycle is 9.00 mm. Consequently the circumference of a cog is always a multiple of this 9.00 mm link size.

A diagram of the rear part of a bicycle (relevant parts) is shown below ...

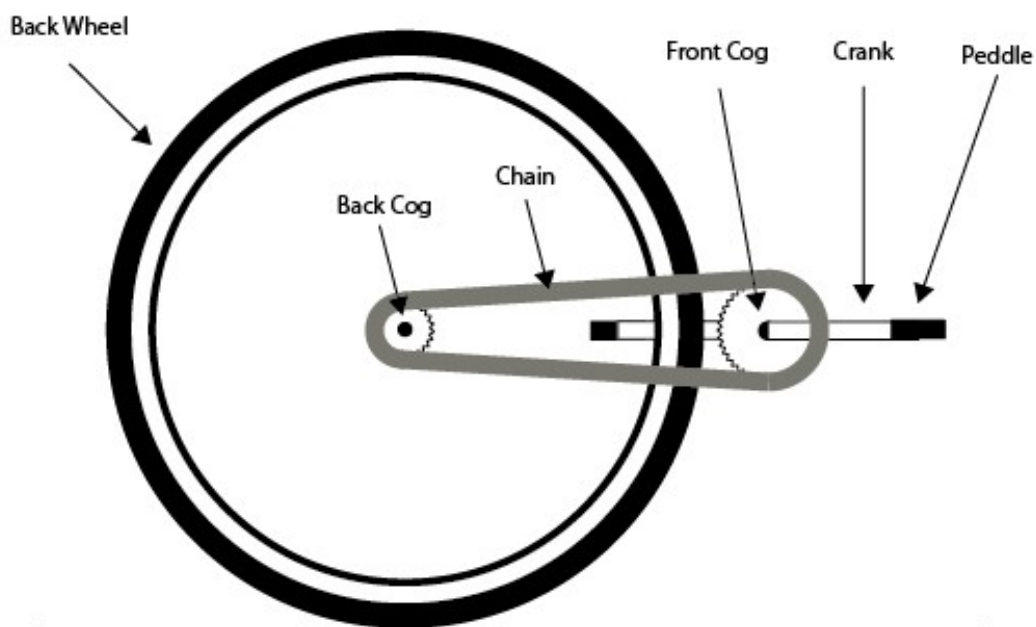


Figure 2 – the rear section of a simple bicycle.

### Paragraph 3

A flow chart of the force / torque interplay from the pedal to back wheel ...

1. Force applied to pedal (weight of person).
2. Force converted to torque by crank.
3. Torque of crank is transferred to the front cog.
4. Torque of front cog is converted to force in chain.
5. Force in chain is passed to the back cog.
6. Force of chain on cog converted to torque.
7. Torque of cog equals the torque given to back wheel.
8. Torque of wheel applies force to the ground.

This is how the force is transferred from the pedals to the ground at right angles.

### References

[http://en.wikipedia.org/wiki/Bicycle\\_gearing](http://en.wikipedia.org/wiki/Bicycle_gearing)

### Questions.

- a) A person is riding a simple bicycle that is using a 40 tooth front cog and a 23 tooth back cog. What is the radius of each of these cogs given that each chain link and hence teeth spacing is 9.00 mm?  
(4 marks)
- b) What is the torque applied to the front cog if the crank is 170 mm long and the complete weight of a 60.0 kg person is applied to the pedal when the crank is at  $30.0^\circ$  to the horizontal?  
(3 marks)
- c) Calculate the magnitude of the force applied to the chain by the front cog.  
(1 mark)
- d) What torque is applied to the back cog by the chain?  
(1 mark)

- e) What force does the wheel apply to the ground (at a tangent to the wheel) if the wheel has a diameter of 680 mm?  
(1 mark)
- f) What is the ratio of the weight force applied to the pedal as compared to the force applied by the wheel to the ground?  
(1 mark)
- g) What is the instantaneous acceleration of the bicycle if it has a mass 30.0 kg and the rider has a mass of 60.0 kg?  
(2 marks)
- h) Does the bicycle cog system provide the rider with a force advantage or a distance advantage? Explain.  
(2 marks)

## Question 21 (15 marks)

### Good Fenced Make Good Neighbours (Farm Fencing and Gates)

Note – Diagrams in this article depict wires as a dashed lines and posts as rectangles.

#### Fences

##### Paragraph 1

Fencing is an important part of any farm it is often one of the least loved jobs because of the monotony of the repair task and the need to check regularly for damage from animals. If the job can be done correctly when the fence is first installed then money and time can be save in the longer term.

##### Paragraph 2

Fences are made generally from metal or wooden poles put in the ground vertically with horizontal fencing wire running (nearly without friction) through the fence poles. The horizontal wire is kept tight by attaching it securely to the end poles of the fence line. The wire tension pulls on the end poles only causing them to bend inwards towards the centre of the fence.

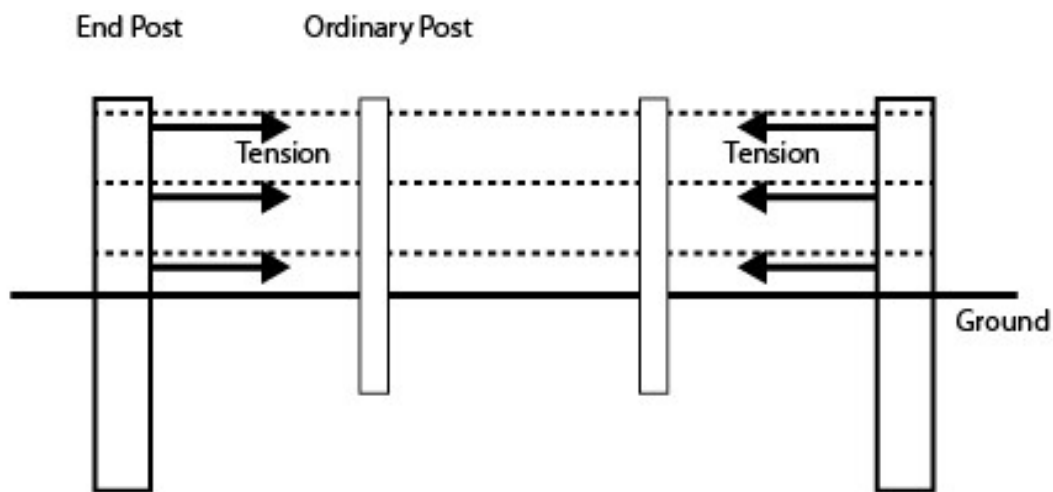


Figure 1 - End posts tend to rotate inwards towards the centre of the fence.



### Paragraph 3

Many farm fences are 1.4 m high above ground level. The rule used to calculate the depth to which a standard fence post should be buried is “ $\frac{2}{3}$  of the post length should be above the ground and  $\frac{1}{3}$  of the post length should be buried”. This will allow the soil around the post to provide sufficient support to withstand the slight toppling forces of the wires and any bumps from livestock (assuming that the post pivots at ground level). End posts should be buried to the “ $\frac{1}{2}$  above  $\frac{1}{2}$ ” below rule due to the large forces that the wire places on them. The end posts should also be of a larger diameter.

### Paragraph 4

Unfortunately in the longer term the end posts of a fence will rotate inwards. This is because the soil in which the fence post is placed is not totally solid. Soil can instead be thought of as being more like a very thick (viscous) honey. A spoon placed into a cup of honey will stand for a while but will eventually fall over. So it is with the end posts on a fence.

### Paragraph 5

To reduce this effect the end post of a fence can be braced (reinforced) either using metal/wooden posts or using fencing wire on the diagonal. Two methods are shown below.

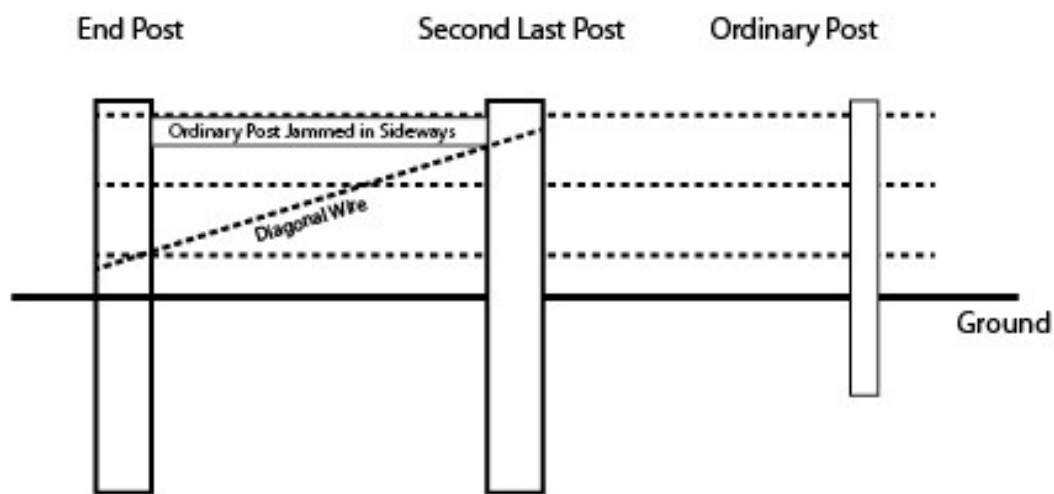


Figure 2a - Post and Wire bracing method. An ordinary post is jammed between the last and second last posts and diagonal wire is applied tightly from the top of the second last post to the bottom of the last.

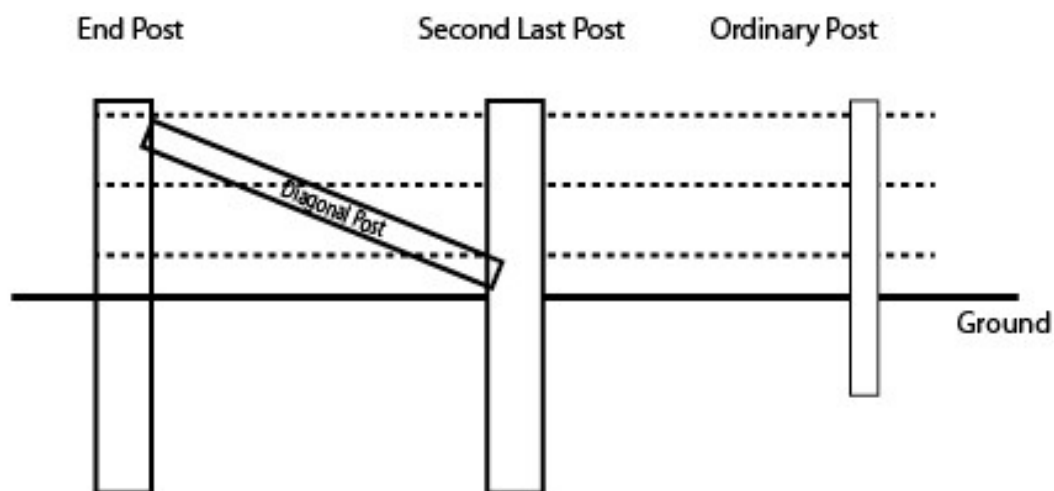


Figure 2b – Post only bracing method. A diagonal post is applied between the top of the last post and the bottom of the second last post.

#### Paragraph 6

Fences should not be more than 60 m long if single bracing is to be used and 200 m long if double braced. This is because the changing temperature of the wire as the weather changes will change the amount of force exerted on the end posts, potentially pulling over the end posts.

### Gates

#### Paragraph 7

A fenced field still requires access. This is where gates come into play. Gates are often heavier than the other parts of the fencing system and for this reason gate posts like end posts are thicker and buried deeper ( $\frac{1}{2}$  above  $\frac{1}{2}$  below rule).

#### Paragraph 8

Gate posts are reinforced differently because the forces of the gate on the post are directed away from the fence rather than towards it.

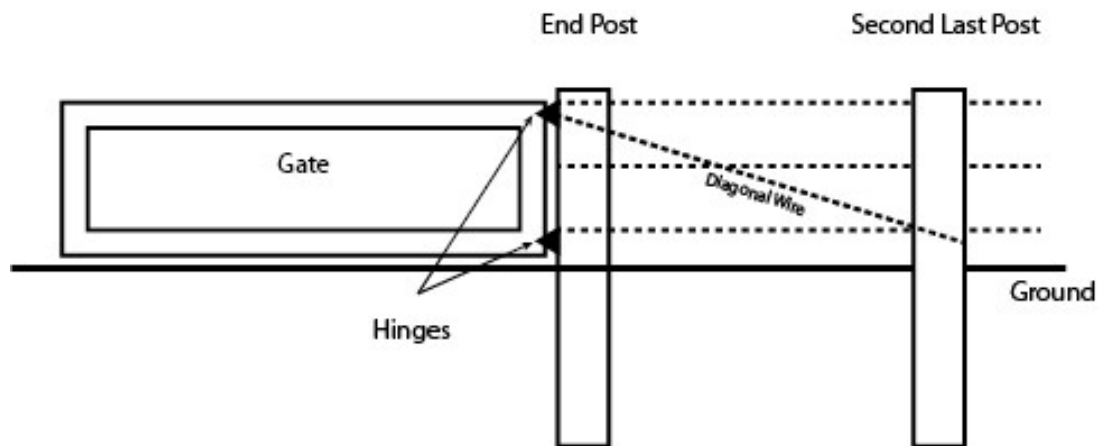
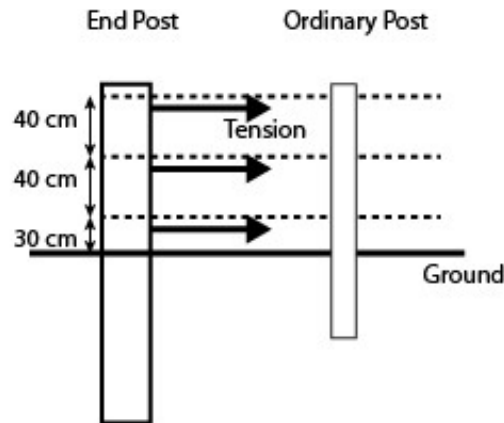


Figure 3 – Gate post braced with wire.

## Questions

- a) 3 strands of wire are exerting a force of 890 N each on an end post of a fence. If the post pivots at ground level, what is the torque that the ground must supply to stop the post from falling over?

(3 marks)



- b) If a fence post is to stand 1.20 m above the ground, how deeply must that post be buried if it is ...

- i) an ordinary post?

(1 mark)

- ii) an end post?

(1 mark)

- c) Why does the tension in the wire vary as the temperature of the wire changes?

(1 mark)

- d) Will the tension in a strand of wire increase or decrease as the temperature drops?

(1 mark)

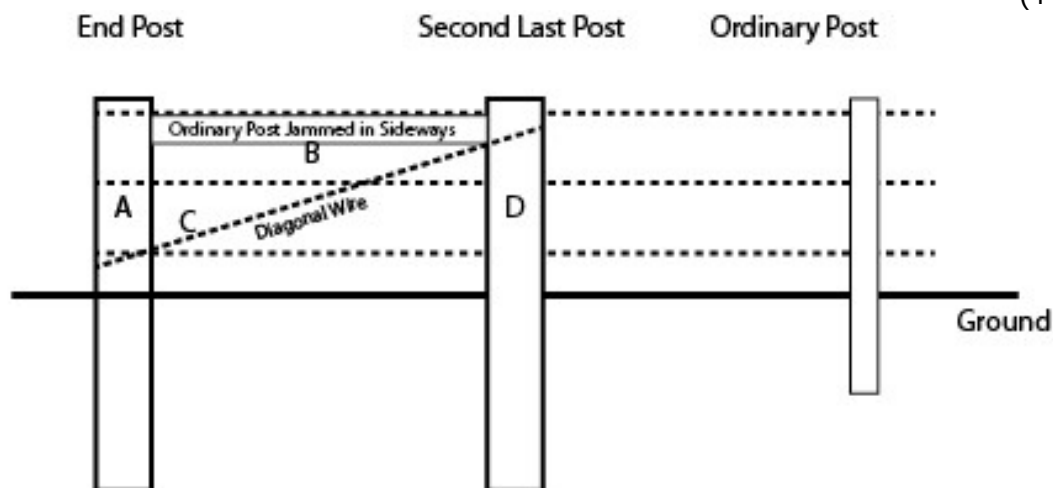
Increase

Decrease

(please circle one only)

- e) Label each of the pieces of this braced end post set up as being under a tension force, compression force or bending force.

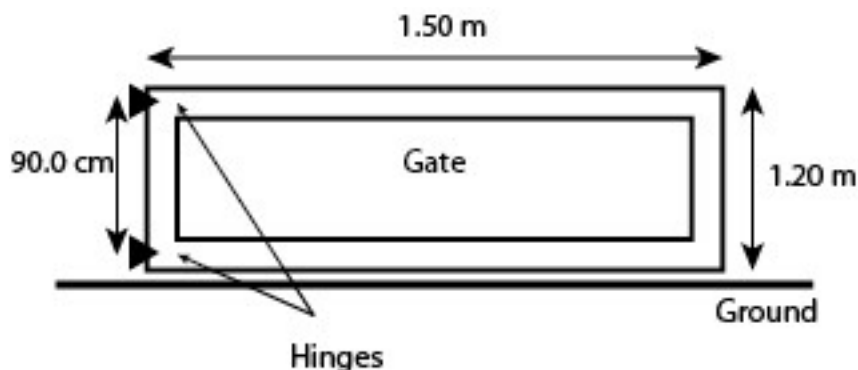
(4 marks)



	Tension, Compression or Bending
A	
B	
C	
D	

- f) What is the horizontal force provided by the top hinge on this 100 kg uniform gate? The hinges are symmetrically spaced 90 cm apart. The gate is 1.50 m long and 1.20 m high. Assume the bottom hinge supports the full weight of the gate.

(4 marks)



End of Exam

Additional working space

Additional working space

Additional working space

Additional working space







## Semester One Examination, 2012

### Question/Answer Booklet

#### 3AB PHYSICS

Answers

Student Number:

In figures

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In words

#### Time allowed for this paper

Reading time before commencing work:

Ten minutes

Working time for paper:

Three hours

Materials required/recommended for this paper

#### **To be provided by the supervisor**

This Question/Answer Booklet

Formulae and Constants Sheet

To be provided by the candidate

Standard items: pens, pencils, eraser, correction fluid, ruler, highlighters

Special items: non-programmable calculators satisfying the conditions set by the Curriculum Council for this course

#### Important note to candidates

No other items may be taken into the examination room. It is your responsibility to ensure that you do not have any unauthorised notes or other items of a non-personal nature in the examination room. If you have any unauthorised material with you, hand it to the supervisor before reading any further.

	Section 1	Section 2	Section 3	Total
Score				
Out of	45	75	30	150
%				

## Structure of this paper

Section	Number of questions available	Number of questions to be answered	Suggested working time (minutes)	Marks available	Percentage of exam
Section One: Short response	12	12	54	45	30
Section Two: Problem-solving	7	7	90	75	50
Section Three: Comprehension	2	2	36	30	20
					100

## Instructions to candidates

1. All numerical answers must be stated to 3 significant figures. Questions containing estimates should be stated to two significant figures.
2. The rules for the conduct of Curriculum Council examinations are detailed in the *Student Information Handbook*. Sitting this examination implies that you agree to abide by these rules.
3. Write answers in this Question/Answer Booklet.
4. You must be careful to confine your responses to the specific questions asked and to follow any instructions that are specific to a particular question.
5. Working or reasoning should be clearly shown when calculating or estimating answers.
6. Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

### Planning:

If you use the spare pages for planning, indicate this clearly at the top of the page.

### Continuing an answer:

If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number. Fill in the number of the question(s) that you are continuing to answer at the top of the page.

**Section One: Short response - 30%****(45 Marks)**

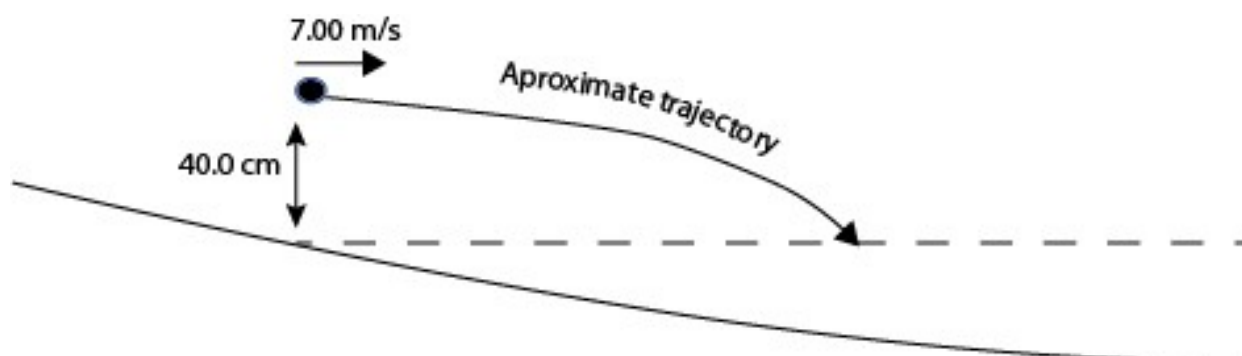
This section has **12** questions. Answer **all** questions. Write your answers in the space provided.

Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

Planning: If you use the spare pages for planning, indicate this clearly at the top of the page.

Continuing an answer: If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number. Fill in the number of the question(s) that you are continuing to answer at the top of the page.

Suggested working time for this section is 54 minutes.

**Question 1****(3 marks)**

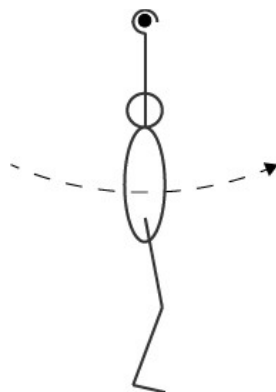
Some children are down at a lake skimming pebbles on the flat water. One child stands at the edge of the water and throws a pebble (rock) with a purely horizontal velocity of 7.00 m/s. If the rock is thrown from a distance of 40 cm above the water, how far from the thrower does the rock first strike the surface of the water? Assume no air resistance.

Vertical	Horizontal
$s = ut + \frac{1}{2}at^2$ $-0.40 = 0 + 0.5 \times -9.8 \times t^2$ $t = 0.2857 \text{ s}$	$v = s / t$ $7 = s / 0.2857$ $s = 2.00 \text{ m}$

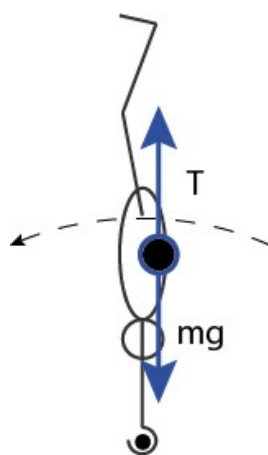
## Question 2

(5 marks)

A 50.0 kg gymnast is swinging around a bar in a vertical circle. Assume no additional energy is supplied or removed from the situation.



The gymnast's centre of mass (hips) is positioned 0.95 m from the bar. If the gymnast has a velocity of 7.41 m/s as she passes the lowest point in her circle, what will be the size and direction of the force exerted on the gymnast's centre of mass by her arms as she passes the highest point in her circle?

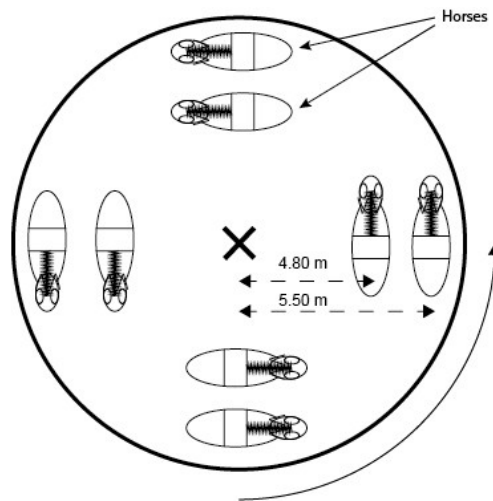


Vertical Forces	Energy
$(-mg) + (+N) = (-mv^2/r)$ $(-50 \times 9.8) + (N) = (-50 \times 4.2^2 / 0.95)$ $-490 + N = -928.4$ $N = -928.4 + 490$ $N = -438 \text{ N}$ <b><math>N = 438 \text{ N down}</math></b>	$\frac{1}{2} mu^2 = \frac{1}{2} mv^2 + mgh$ $0.5 \times 50 \times 7.41^2 = 0.5 \times 50 \times v^2 + 50 \times 9.8 \times 1.9$ $1372.7 = 25v^2 + 931$ $25v^2 = 441.7$ $v^2 = 17.668$ <b><math>v = 4.20 \text{ m s}^{-1}</math></b>

**Question 3****(4 marks)**

A father takes his children to the Perth Zoo. At the zoo they go on the merry go round which has a period of rotation of 20.0 s. There are 2 rows of horses. The outer row of horses is positioned 5.50 m from the centre and the inner row is 4.8 m from the centre.

Top View Diagram



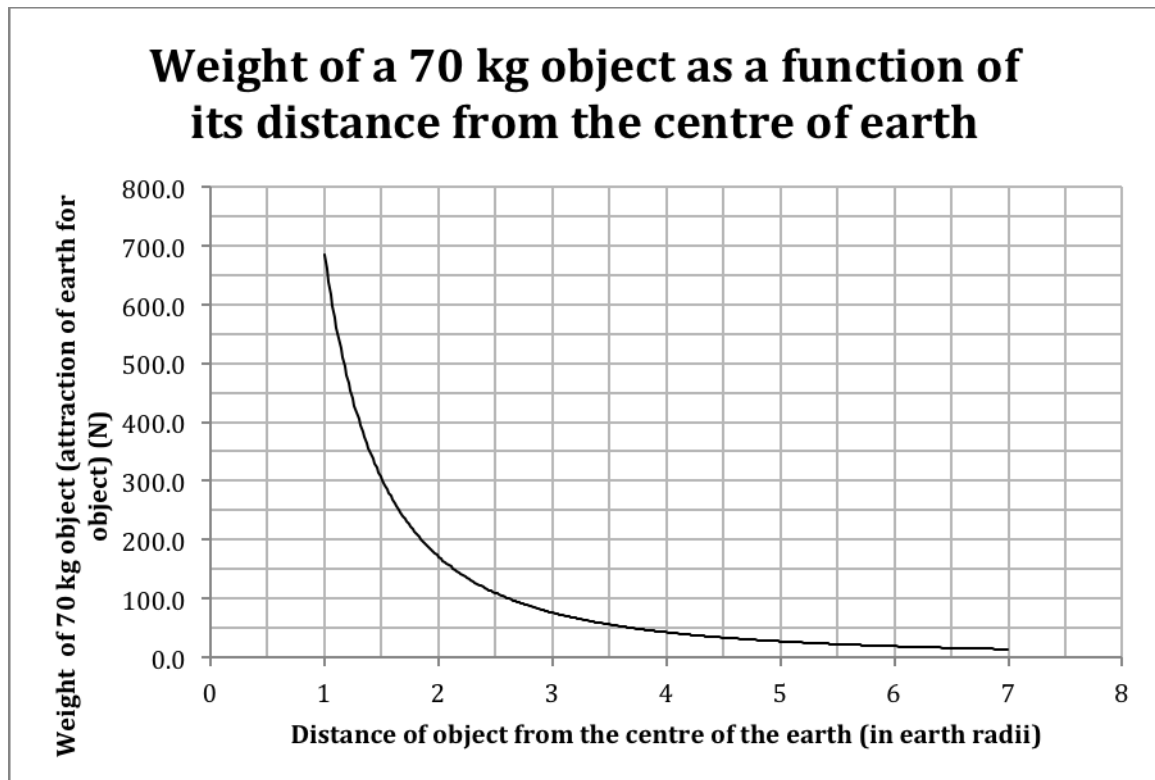
Hannah (of mass 25 kg) sits on the inner horse and Leo (of mass 20 kg) sits on an outer horse. Calculate which child experiences the greater centripetal force?

Hannah (25 kg) ( $r = 4.8 \text{ m}$ )	Leo (20 kg) ( $r = 5.5 \text{ m}$ )
$v = 2 \pi r / T$ $v = 2 \times 3.142 \times 4.8 / 20$ $v = 1.50816 \text{ m/s}$	$v = 2 \pi r / T$ $v = 2 \times 3.142 \times 5.5 / 20$ $v = 1.7281 \text{ m/s}$
$F_c = mv^2 / r$ $F_c = 25 \times 1.50816^2 / 4.8$ $F_c = 11.847 \text{ N}$	$F_c = mv^2 / r$ $F_c = 20 \times 1.7281^2 / 5.5$ $F_c = 10.859 \text{ N}$
$F_c = 11.8 \text{ N}$ towards the centre	$F_c = 10.9 \text{ N}$ towards the centre

#### Question 4

(3 marks)

As an object with mass moves away from a planet its weight decreases. Below is a graph of the relationship between the weight of a 70 kg object and its distance from the centre of the planet earth.



- a) What physical quantity does the **area** under the curve represent?

(1 mark)

Potential Energy

- b) Determine the area under the curve in S.I. units between the 2 earth radii and 4 earth radii points. Be sure to use the appropriate units and leave evidence of your method on the graph.

(2 marks)

The approach I took was to join the 2 radii and 4 radii points with a straight line and find the area under this curve ...

Area = Gravitational Potential Energy

Area =  $b \times h + \frac{1}{2} b \times h$

Area =  $(2r \times 80) + (0.5 \times 2r \times [175 - 80])$

Area =  $160r + 95r$

Area =  $255r$

Area =  $255 \times 6.38 \times 10^6$

**Area = Gravitational Potential Energy =  $1.6269 \times 10^9$  J**

OR

You could also count the squares and multiply by the value of one square.

No of squares = approx. 6.75

1 square =  $50 \times \frac{1}{2} r = 50 \times 0.5 \times 6.38 \times 10^6$

1 square =  $1.595 \times 10^8$

**Area = Gravitational Potential Energy =  $6.75 \times 1.595 \times 10^8 = 1.08 \times 10^9$  J**

### Question 5

(3 marks)

The asteroid belt lies between Mars and Jupiter. Some asteroids are closer to the sun than others. Many of the asteroids are in a stable circular orbit around the sun. What is the ratio of the period of revolution of Asteroid A positioned 2.4 AU from the sun compared to Asteroid B positioned 3.1 AU from the Sun?

Note 1 AU is the distance from the sun to the Earth.

$$r^3 / T^2 = r^3 / T^2$$

$$\frac{(2.4 \times 1.50 \times 10^{11})^3}{T^2} = \frac{(3.1 \times 1.50 \times 10^{11})^3}{T^2}$$

$$\frac{(2.4)^3}{T_1^2} = \frac{(3.1)^3}{T_2^2}$$

$$\frac{2.4^3}{3.1^3} = \frac{T_1^2}{T_2^2}$$

$$(13.824 / 29.791)^{1/2} = T_1 / T_2$$

$$T_1 : T_2 = 0.681 : 1 \text{ or } 1 : 1.467$$

OR

Use Kepler's Law for each of the objects and then find the ratio of the answers

Asteroid A	Asteroid B
$r^3 / T^2 = Gm/4 \pi^2$ $\frac{(2.4 \times 1.5 \times 10^{11})^3}{T_A^2} = \frac{6.67 \times 10^{-11} \times 1.99 \times 10^{30}}{4 \times \pi^2}$ $\frac{(3.6 \times 10^{11})^3}{T_A^2} = \frac{1.32733 \times 10^{20}}{4 \times \pi^2}$ $\frac{4.6656 \times 10^{34}}{T_A^2} = 3.36129 \times 10^{18}$ $T_A^2 = 4.6656 \times 10^{34} / 3.36129 \times 10^{18}$ $T^2 = 1.388 \times 10^{16}$ $T_A = 1.178 \times 10^8 \text{ s}$	$r^3 / T^2 = Gm/4 \pi^2$ $\frac{(3.1 \times 1.5 \times 10^{11})^3}{T_A^2} = \frac{6.67 \times 10^{-11} \times 1.99 \times 10^{30}}{4 \times \pi^2}$ $\frac{(4.65 \times 10^{11})^3}{T_A^2} = \frac{1.32733 \times 10^{20}}{4 \times \pi^2}$ $\frac{1.00545 \times 10^{35}}{T_A^2} = 3.36129 \times 10^{18}$ $T_A^2 = 1.00545 \times 10^{35} / 3.36129 \times 10^{18}$ $T^2 = 2.9912 \times 10^{16}$ $T = 1.7295 \times 10^8 \text{ s}$

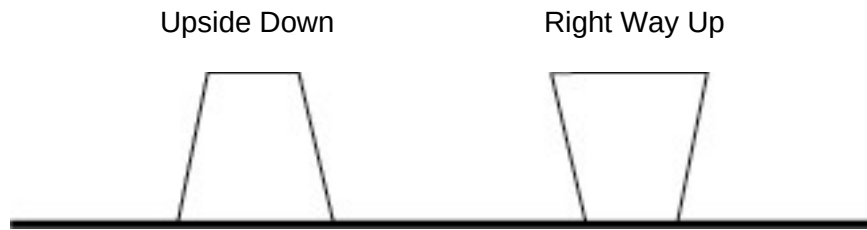
$$T_A : T_B$$

$$1 : 1.47 \quad \text{or} \quad 0.681 : 1$$



**Question 6****(4 marks)**

A bucket with its bottom removed is shown in two positions below



- a) Of the two positions shown below, circle which position is the most stable? Explain why. (2 marks)

Upside down is the most stable.

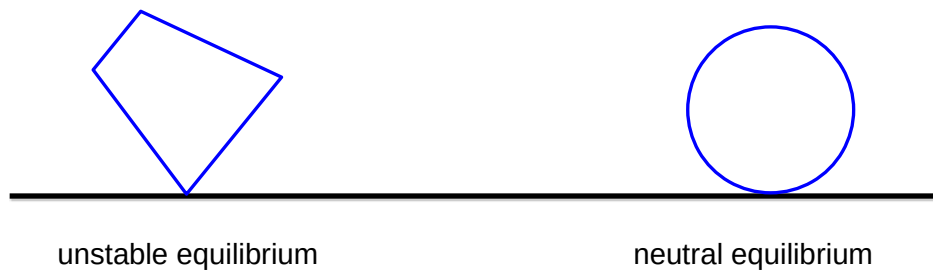
Lower centre of mass,

Larger base.

Can tolerate a greater angle of tip before the weight force acting from the centre of mass acts outside of the pivoting corner resulting in a destabilising torque.

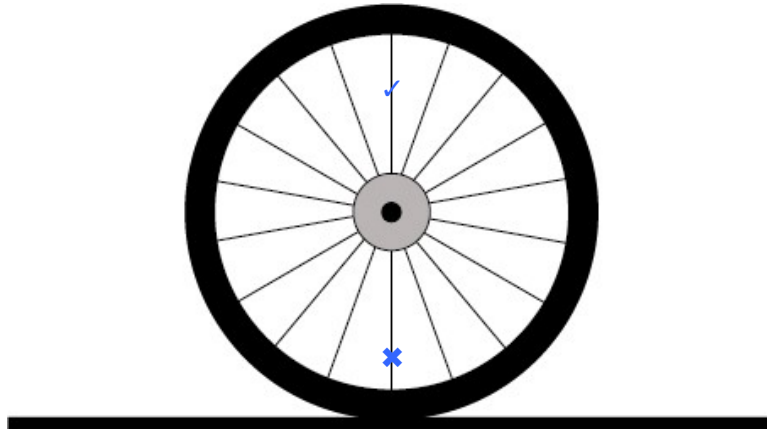
- b) Draw this bucket in an unstable and a neutral equilibrium on the ground line provided below.

(2 marks)



**Question 7****(4 marks)**

Here is a diagram of a bicycle wheel. Assume the bike is attached to the axle of the wheel.



- a) Put a tick on the spoke that is under the greatest tension. (1 mark)
- b) Put a cross on the spoke that is under the least tension or is under the greatest compression. (1 mark)
- c) If you had the bike wheel in front of you and you were allowed to test your answer to a) and b) above in any way you chose, how could you test your answers? (2 marks)

Cutting the lower spokes does not result in the lower spokes (✗) collapsing.

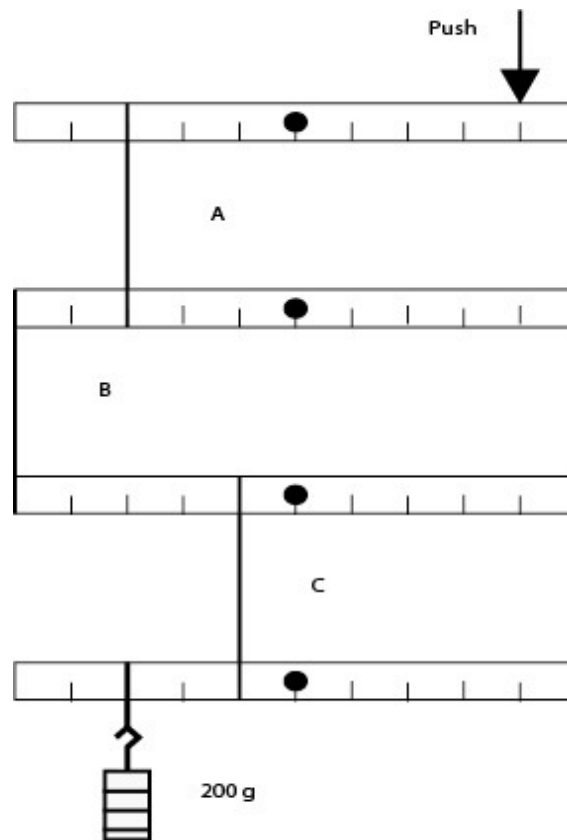
Cutting the upper spokes (✓) does result in the wheel collapsing.

The wheel is supported by the tension in the upper wires since wire (string) cannot withstand compression.

### Question 8

(4 marks)

A system of 1.00 m rulers pivoted at their centres and attached to each other by strings is set up as shown below and a Push is applied on the top ruler to keep the system in equilibrium. The widely spaced scale divisions on the rulers represent distances of 10.0 cm each and all attachment points are accurate to the nearest 10.0 cm.



- a) If each uniform ruler has a mass of 50.0 g, will the mass of the ruler need to be considered in your calculation of the Push? Explain.

(2 marks)

No.

The centre of mass of the ruler is at the pivot. The mass of the ruler will contribute no torque.

- b) Calculate the size and direction of the Push provided to keep the system of 1.00 m rulers in balance?

(2 marks)

The push is downwards.

$$mgr = mgr$$

$$0.200 \times 9.8 \times 0.3 = 0.4 \times F$$

$$F = 14.7 \text{ N down}$$

**Question 9****(4 marks)**

A particular humming bird being studied by a biology student is flapping its wings up and down with a frequency of 6000 flaps (cycles) per minute.

- a) What is the frequency per second?

(1 mark)

$$f = 6000/60 = 100 \text{ Hz}$$

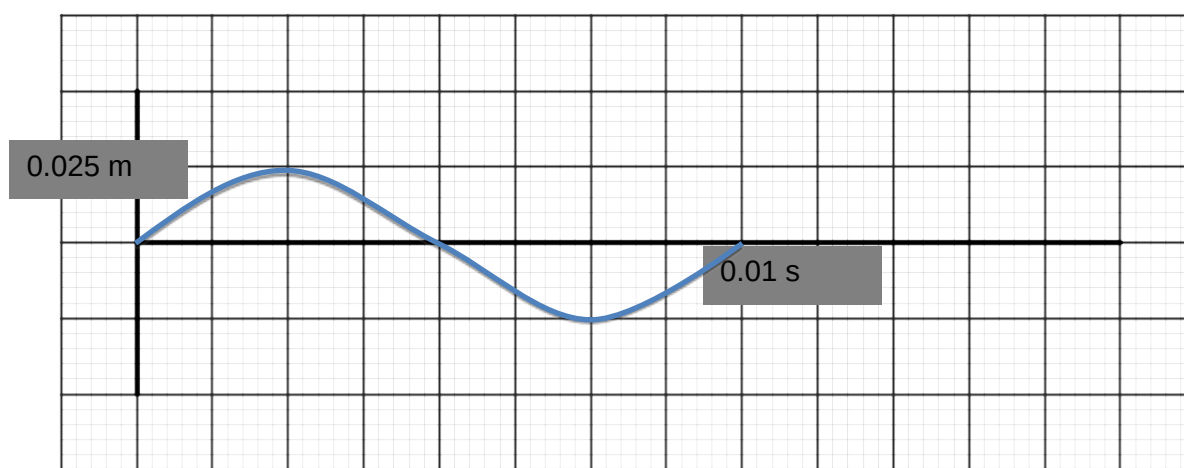
- b) What is the period of the wing movement?

(1 mark)

$$T = 0.01 \text{ s}$$

- c) Graph the wing tip movement if a wing tip travels a distance of 10.0 cm in one complete cycle.

(2 marks)

**Question 10****(4 marks)**

A 2.40 m long snake is wiggling across a flat sandy desert floor. A brave physicist notices that the snake's body shape consists of 3.5 cycles. If the snake is travelling at 4.32 km/h what is the period of the snake's movement?

$$v = 4.32 = 1.2 \text{ m/s}$$

$$\lambda = 2.4 / 3.5$$

$$\lambda = 0.6857 \text{ m}$$

$$v = f \times \lambda$$

$$f = v / \lambda$$

$$f = 1.2 / 0.6857$$

$$f = 1.75$$

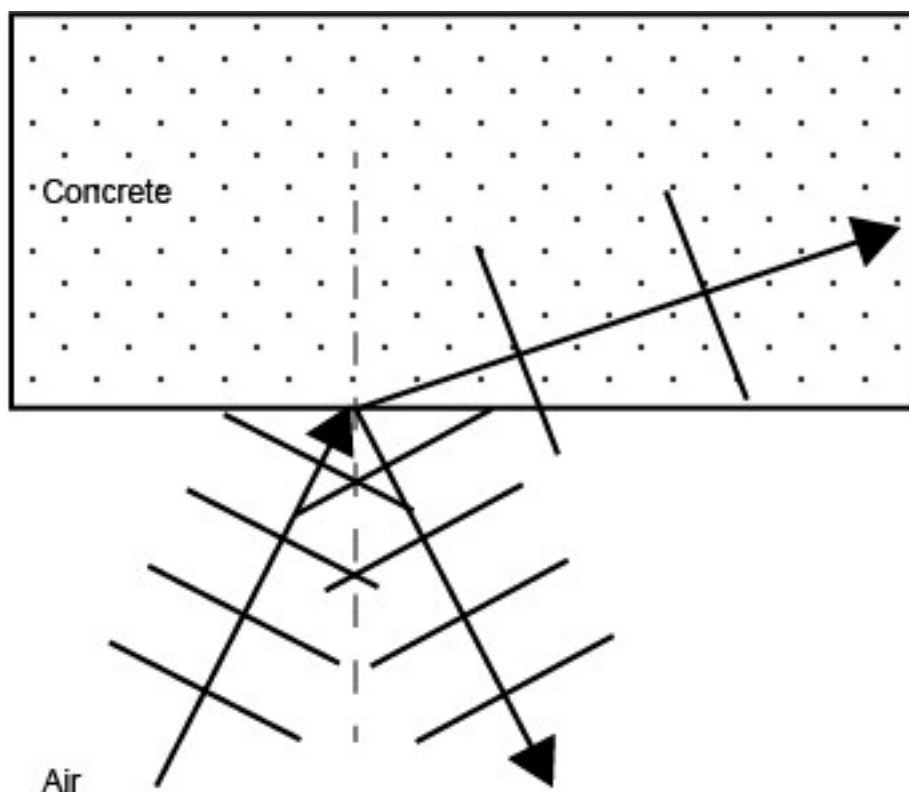
$$T = 1/f$$

$$T = 1/1.75$$

$$T = 0.571 \text{ s}$$

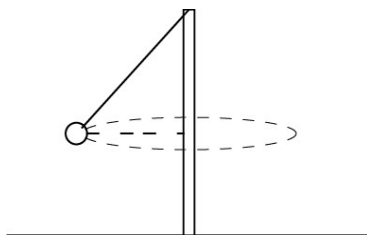
**Question 11****(4 marks)**

The below diagram represents a sound wave approaching a concrete wall from air. Some of the sound enters the wall and some bounces off it. Sketch the pathways taken and the wavelengths of the entering and bouncing waves onto the diagram below. No calculations are required.



**Question 12****(3 marks)**

A student is trying to calculate the error in the centripetal force acting on a tennis ball swinging in a horizontal circle around a pole on a string



The data for the calculation is as follows ...

Quantity	Amount	Absolute Error	Relative Error
Tennis ball mass	57.6 g	$\pm 0.9$ g	1.56 %
Speed of ball	5.0 m/s	$\pm 0.05$ m/s	1.00 %
Radius of circle (horizontal)	1.1 m	$\pm 0.05$ m	4.55 %

- a) Calculate the relative error for each quantity and so complete the data table above.

(1 mark)

- b) What is the relative error in the centripetal force? Show working.

(1 mark)

$$F_c = mv^2/r$$

$$1.56\% + 1\% + 1\% + 4.54\%$$

$$\mathbf{8.11\%}$$

- c) What is the absolute error in the centripetal force? Show working.

(1 mark)

$$F_c = mv^2/r$$

$$F_c = 0.0576 \times 5^2 / 1.1$$

$$\mathbf{F_c = 1.31\ N}$$

$$\text{Error} = 1.31 \times 8.10 / 100$$

$$\mathbf{\text{Error} = \pm 0.106\ N}$$

$$\mathbf{F_c = 1.31\ N \pm 0.106\ N}$$

**End of Section One**

## Section Two : Problem-Solving - 50%

(75 Marks)

This section has **seven (7)** questions. You must answer **all** questions. Write your answers in the space provided.

Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

Planning: If you use the spare pages for planning, indicate this clearly at the top of the page.

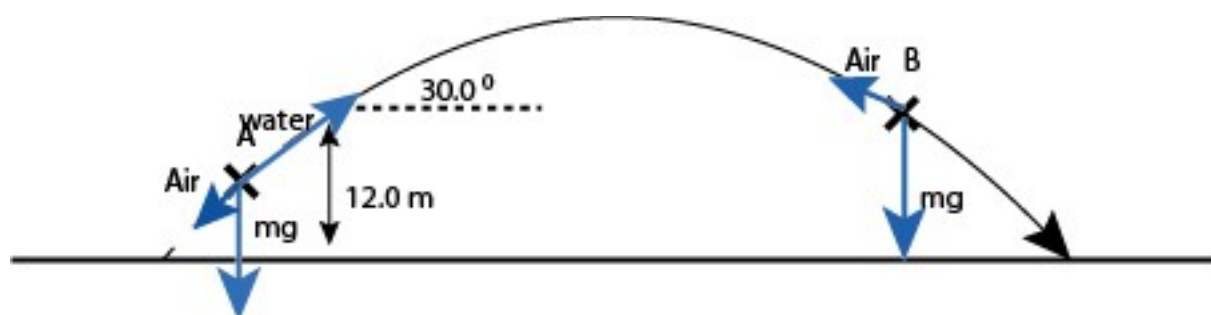
Continuing an answer: If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number. Fill in the number of the question(s) that you are continuing to answer at the top of the page.

Suggested working time for this section is 90 minutes.

### Question 13

(11 marks)

A 2.00 L plastic coca cola bottle is partially filled with water and compressed air. When the seal on the bottle is broken the water and air forces its way out of the bottle launching the bottle in to the air. Ignore air resistance in your calculations.



The mass of the bottle changes during the flight as the water blasts out of the bottle. All of the water has left the bottle by the time that the bottle has reached the 12 m high mark.

- Draw and label the forces acting on the bottle at points A and B on the flight path above. (2 marks)
- At the moment that the bottle becomes a projectile it has a height of 12.0 m, a trajectory  $30.0^\circ$  above the horizontal and a velocity of 8.50 m/s along its flight path. What is the maximum height above the ground that it will reach? (3 marks)

Vertical	Horizontal
$v^2 = u^2 + 2as$ $0 = 8.5 \sin 30^\circ + 2 \times -9.8 \times s$ $0 = 4.25^2 + 2 \times -9.8 \times s$ $-18.0625 = 19.6s$ $s = 0.9216 \text{ m above 12 m mark}$  $s = 12.9216 \text{ m above the ground.}$ $s = 12.9 \text{ m above the ground.}$	

- c) What is the range of the projectile measured from the moment it becomes a projectile?  
(3 marks)

Vertical	Horizontal
$v^2 = u^2 + 2as$ $v^2 = 8.5 \sin 30^2 + 2 \times -9.8 \times -12$ $v^2 = 18.0625 + 235.2$ $v^2 = 253.2625$ <b><math>v = -15.914 \text{ m/s}</math></b>  $v = u + at$ $-15.914 = 8.50 \sin 30 + (-9.8) t$ $-15.914 = 4.25 + (-9.8) \times t$ $-20.164 = -9.8 t$ <b><math>t = 2.0576</math></b>	$u = s/t$ $8.5 \cos 30 = s / 2.0576$ $s = 7.36122 \times 2.0576$ $s = 15.146$ <b><math>s = 15.1</math></b>

- d) At what angle does the bottle hit the ground relative to the horizontal?  
(3 marks)

$$v^2 = 15.914^2 + 7.3612^2$$

$$v = 17.5 \text{ m/s}$$

$$\tan \theta = 15.914 / 7.36122$$

$$\theta = 65.1765 \text{ degrees}$$

17.5 m/s at 65.1765 degrees below the horizontal.

**65.2 degrees below the horizontal.**



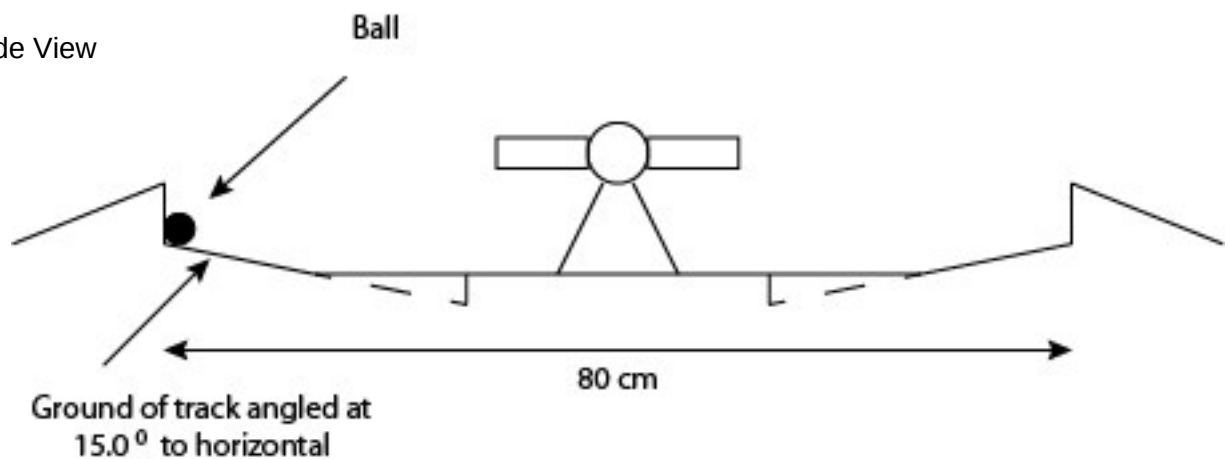
**Question 14****(10 marks)**

One of the games played at a Casino is roulette. In this game a large horizontal wheel containing black and red squares is spun anticlockwise. At the same time a small white 3.74 g ball is sent clockwise around an 80 cm diameter small track or groove built into the outside of the wheel. The ball falls in to one of the squares of the wheel when the speed of the ball is too slow to keep the ball on its track. Assume no rolling friction.

Top View



Side View



- a) What is the centripetal force on the ball if it completes one revolution of the circle each second?

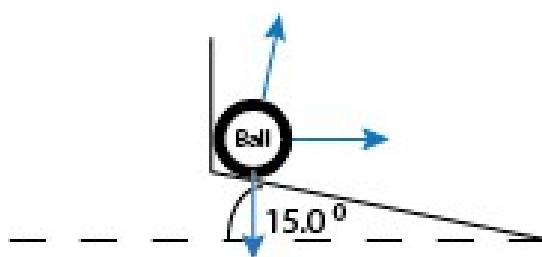
(3 marks)

$$v = 2 \pi r / t$$
$$v = 2 \times 3.142 \times 0.4 / 1$$
$$v = 2.5136 \text{ m/s}$$

$$F = mv^2/r$$
$$F = 0.00374 \times 2.5136^2 / 0.4$$
$$F = 0.0591 \text{ N or } 5.91 \times 10^{-2} \text{ N}$$

- b) Draw the forces acting on the ball as it rolls around the edge.

(3 marks)



- c) As the ball rolls slower all of the centripetal force is provided by the  $15.0^\circ$  slope only. At what speed will the ball be travelling in its 80.0 cm diameter circle when this occurs.

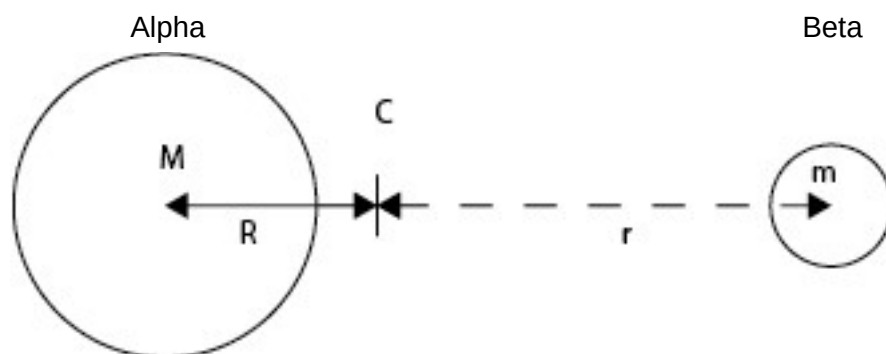
(4 marks)

Vertical	Horizontal
$-mg + (N \cos 15) = 0$ $mg = N \cos 15$ $mg / \cos 15 = N$ $0.00374 \times 9.8 / \cos 15 = N$ $N = 0.03794 \text{ N}$ Sub to Horizontal	$N \sin 15 = mv^2/r$  $0.03794 \sin 15 = 0.00374 \times v^2 / 0.4$ $v^2 = 1.05036$ $v = 1.02 \text{ m/s}$

### Question 15

(11 marks)

A binary star system consists of two stars that are orbiting around each other. Each of the two stars orbits around a point called the centre of mass that exists on the line joining the centres of the two stars. The combined mass of the two stars appears to act at the centre of mass (C) generating a centripetal force that acts on each star (m and M) separately. Each star experiences the same centripetal force.



Star Name	Distance of star from centre of mass (C)	Period of revolution	Speed of star	Mass of star
Alpha	$7.50 \times 10^{10} \text{ m}$	2.13 years <b>67 217 688 s</b>	<b><math>7.01 \times 10^3 \text{ m/s}</math></b>	M
Beta	$3.75 \times 10^{11} \text{ m}$	2.13 years <b>67 217 688 s</b>	<b><math>3.51 \times 10^4 \text{ m/s}</math></b>	m

a) What is the period of revolution of both the stars in seconds?

(1 mark)

$$T = 2.13 \times 365.25 \times 24 \times 3600$$

$$T = 67\,217\,688 \text{ s}$$

$$\mathbf{T = 6.72 \times 10^7 \text{ s}}$$

b) What is the speed of revolution of Beta?

(2 marks)

$$v = 2 \pi r / T$$

$$v = 2 \times 3.142 \times 3.75 \times 10^{11} / 67\,217\,688$$

$$v = 35\,057.74 \text{ m/s}$$

$$\mathbf{v = 3.51 \times 10^4 \text{ m/s}}$$

c) What is the centripetal acceleration of Alpha?

(3 marks)

$$v = 2 \pi r / T$$

$$v = 2 \times 3.142 \times 7.5 \times 10^{10} / 67\,217\,688$$

$$v = 7011.54 \text{ m/s}$$

$$\mathbf{v = 7.0115 \times 10^3 \text{ m/s}}$$

$$a = v^2 / r$$

$$a = (7.0115 \times 10^3)^2 / 7.5 \times 10^{10}$$

$$a = 6.5549 \times 10^{-4} \text{ m/s/s}$$

$$\mathbf{a = 6.55 \times 10^{-4} \text{ m/s/s}}$$

- d) The centripetal force on each of the two stars is the same. Calculate the ratio of the mass of Alpha to the mass of Beta. (Alpha : Beta)

(3 marks)

Method 1	Method 2
$mv^2 / r = mv^2/r$ $m_A v^2 / r = m_B v^2/r$ $\frac{m_A (7.01 \times 10^3)^2}{7.5 \times 10^{10}} = \frac{m_B (3.51 \times 10^4)^2}{3.75 \times 10^{11}}$ $m_A 6.55 \times 10^{-4} = m_B 3.285 \times 10^{-3}$ $m_A / m_B = 3.285 \times 10^{-3} / 6.55 \times 10^{-4}$ $m_A / m_B = 5 / 1$ <b>5 : 1</b>	$mv^2 / r = mv^2/r$ $m_A v^2 / r = m_B v^2/r$ $v = 2 \pi r/T$ $m_A 4 \pi^2 r^2 / T^2 r = m_B 4 \pi^2 r^2 / T^2 r$ $m_A r_A = m_B r_B$ $m_A / m_B = r_B / r_A$ $m_A / m_B = (3.75 \times 10^{11} / 7.5 \times 10^{10})$ <b>5 : 1</b>

- e) If Beta has a mass equal to that of our sun, what is the mass of alpha? If you were unable to find a ratio in part d) use the ratio of 6 : 1 in your answer below.

(2 marks)

$$m_A = 5 \times 1.99 \times 10^{30}$$

$$m_A = 9.95 \times 10^{30} \text{ kg}$$

By the 6 : 1 ratio

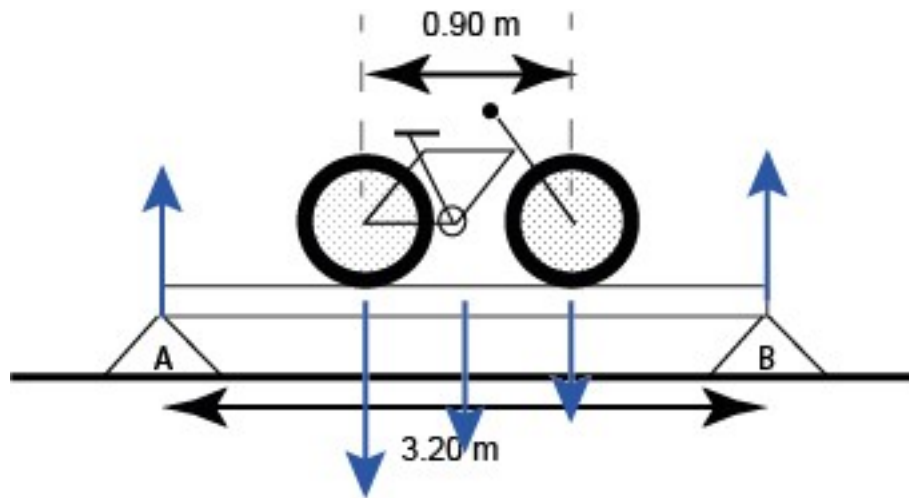
$$m_A = 6 \times 1.99 \times 10^{30}$$

$$m_A = 1.19 \times 10^{31} \text{ kg}$$

**Question 16****(10 marks)**

A bike rides over a bridge made from a plank (piece of wood) stretched between two triangular boxes. The distance between the two boxes is 3.20 m and the distance between the two wheels is 0.900 m. The combined mass of the bike and rider is 80.0 kg. Assume the rider is on the bike in all questions below. The weight of the bike and rider is 60.0 % on the back wheel and 40.0 % on the front wheel. The plank has a mass of 20.0 kg.

- a) Draw and label the forces acting on the plank when the bike (and rider) is in the middle of the plank as shown in the diagram below. Note that the wheels make separate points of contact on the plank.

**(3 marks)**

- b) Calculate the force on the left and right boxes when the bike is in the middle as shown in the diagram above.

**(3 marks)**

Take moments about A to find B

$$\Sigma M = \Sigma M$$

$$(0.6 \times 80 \times 9.8 \times 1.15) + (1.6 \times 20 \times 9.8) + (0.4 \times 80 \times 9.8 \times 2.05) = 3.2B$$

$$(470.4 \times 1.15) + (1.6 \times 196) + (313.6 \times 2.05) = 3.2B$$

$$540.96 + 313.6 + 642.88 = 3.2B$$

$$1497.44 = 3.2B$$

$$B = 467.95$$

$$\mathbf{B = 468\ N}$$

$$\Sigma F = \Sigma F$$

$$A + B = \text{bike} + \text{plank}$$

$$A + 467.95 = (80 \times 9.8) + (20 \times 9.8)$$

$$A + 467.95 = 980$$

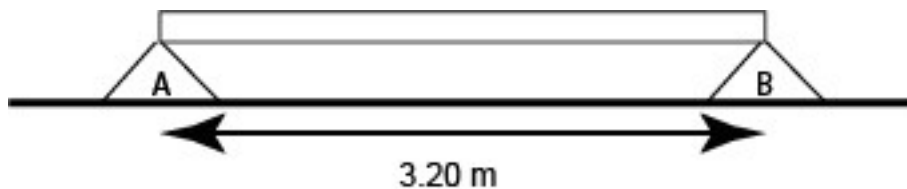
$$A = 512.05\ \text{N}$$

$$\mathbf{A = 512\ N}$$

- c) If you could move the bike to any position on the plank to maximise the force on A and still have both wheels in contact with the plank, where would the bike be situated? Draw this on the diagram below.

(1 mark)

Position the bike to the left of the plank with the rear wheel on top of A.



- d) Calculate the force on B in the diagram above.

(3 marks)

Take moments about A

$$\Sigma M = \Sigma M$$

$$(0.6 \times 80 \times 9.8 \times 0) + (1.6 \times 20 \times 9.8) + (0.4 \times 80 \times 9.8 \times 0.9) = 3.2B$$

$$0 + 313.6 + 282.24 = 3.2B$$

$$595.84 = 3.2B$$

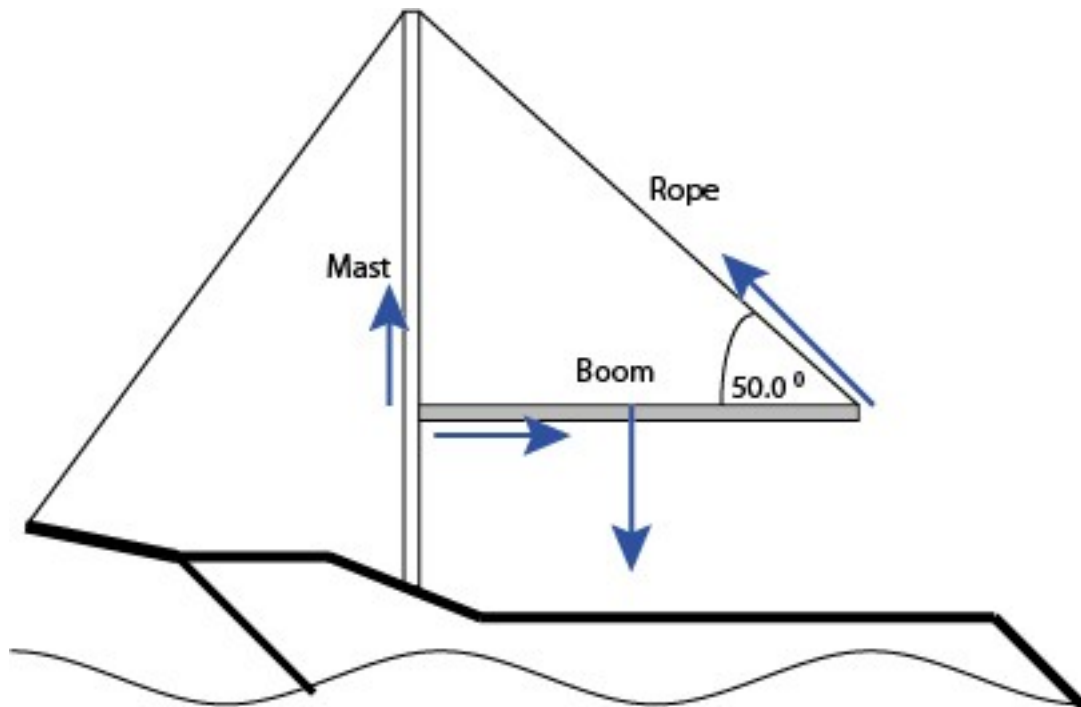
$$B = 186.2 \text{ N}$$

$$\mathbf{B = 186 \text{ N}}$$

### Question 17

(14 marks)

A sailor is calculating the forces acting on the boom of his sailing boat when it is at rest in harbour. The Boom is 1.8 m long and is connected to the top of the Mast by a rope not a sail. The Boom is uniform and has a mass of 30.0 kg.



- a) Draw all of the forces acting on the boom.

(3 marks)

- b) What is the tension in the Rope that joins the end of the Boom to the top of the Mast?

(3 marks)

Take moments about the mast

$$\sum M = \sum M$$

$$(0.9 \times 30 \times 9.8) = (1.8 \times T \cos 40)$$

$$264.6 = 1.37888 T$$

$$T = 191.89 \text{ N}$$

$$\mathbf{T = 192 \text{ N}}$$

- c) What is the magnitude and direction of the force acting on the Boom at the point of contact between the Boom and the Mast?

(4 marks)

$$\Sigma F \text{ up} = \Sigma F \text{ down}$$

$$\text{Mast up} + 192 \cos 40 = 30 \times 9.8$$

$$\text{Mast up} = 294 - 147.08$$

$$\text{Mast up} = 147 \text{ N}$$

$$\Sigma F \text{ left} = \Sigma F \text{ right}$$

$$\text{Mast Right} = 192 \sin 40$$

$$\text{Mast Right} = 123.4 \text{ N}$$

Add the forces

$$\text{Resultant}^2 = 147^2 + 123.4^2$$

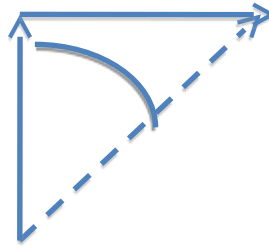
$$\text{Resultant} = 191.9 \text{ N}$$

Angle

$$\tan(\text{angle}) = 123.4 / 147$$

$$\tan(\text{angle}) = 40.0 \text{ degrees}$$

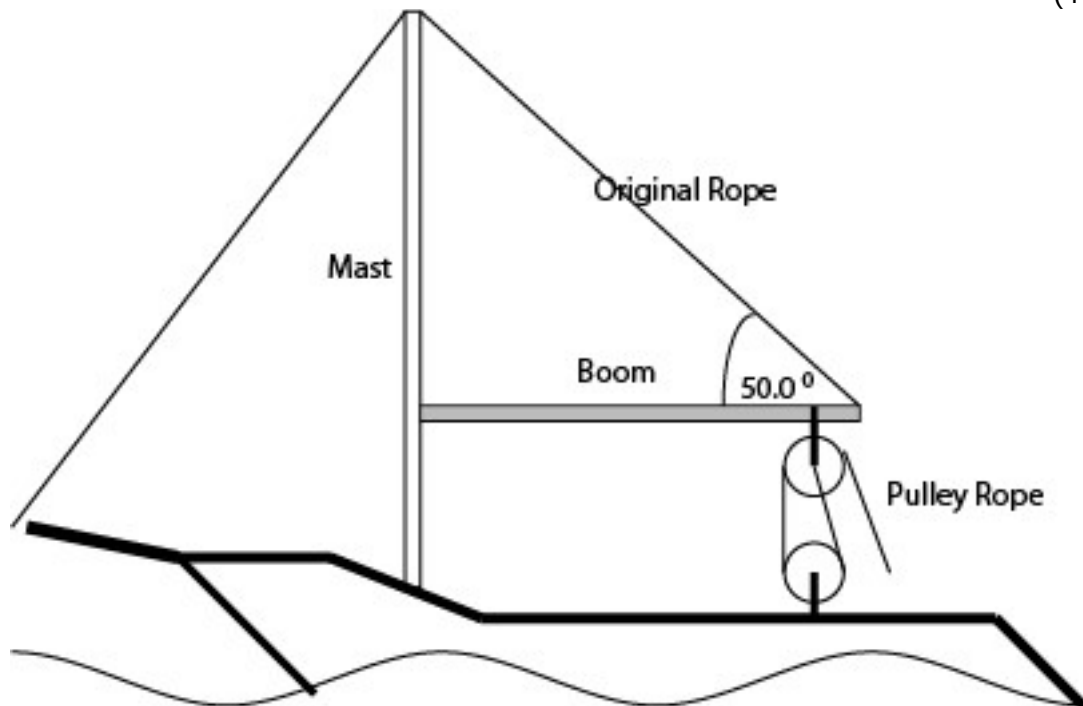
$$\text{Resultant} = 192 \text{ up } 40.0^\circ \text{ right.}$$





- d) A massless pulley is now attached to the Boom 1.50 m from the mast. When the sailor pulls on the Pulley Rope the tension in the Original Rope connecting the mast to the boom increases to 600.0 N. What is the force applied by the sailor to the rope passing through the pulley?

(4 marks)



$$\Sigma M = \Sigma M$$

$$(1.8 \times 600 \cos 40) = (1.5 \times \text{pulley}) + (0.9 \times 30 \times 9.8)$$

$$827.32 = (1.5 \times P) + (264.6)$$

$$827.32 - 264.6 = (1.5 \times P)$$

$$562.72 = 1.5 P$$

$$P = 375.14 \text{ N}$$

$$3 \text{ strings} = 375.14 \text{ N}$$

$$1 \text{ string} = 125 \text{ N}$$

### Question 18

(7 marks)

- a) Draw a picture in the box (not a graph) of air which has no sound passing through it. (1 mark)



The air (dots) is uniformly distributed with no compressions or rarefactions.

- b) Draw a picture in the box (not a graph) of air that has a **loud** sound of frequency 6920 Hz passing through it from left to right. Be sure to show 2 complete wavelengths. (2 marks)



The air (dots) contains compressions and rarefactions with clearly defined high and low pressure regions.

- c) Is this sound in part b) audible to the human ear? Explain with reference to the range of human hearing. (2 marks)

The human hear can hear from 20 Hz to 20 000 Hz. Consequently the frequency which is in between these extremes can be heard.

- d) How would the picture look different if the sound had a higher frequency and smaller amplitude when compared with part b) above? (2 marks)

Higher frequency (compressions and rarefactions are more closely spaced).

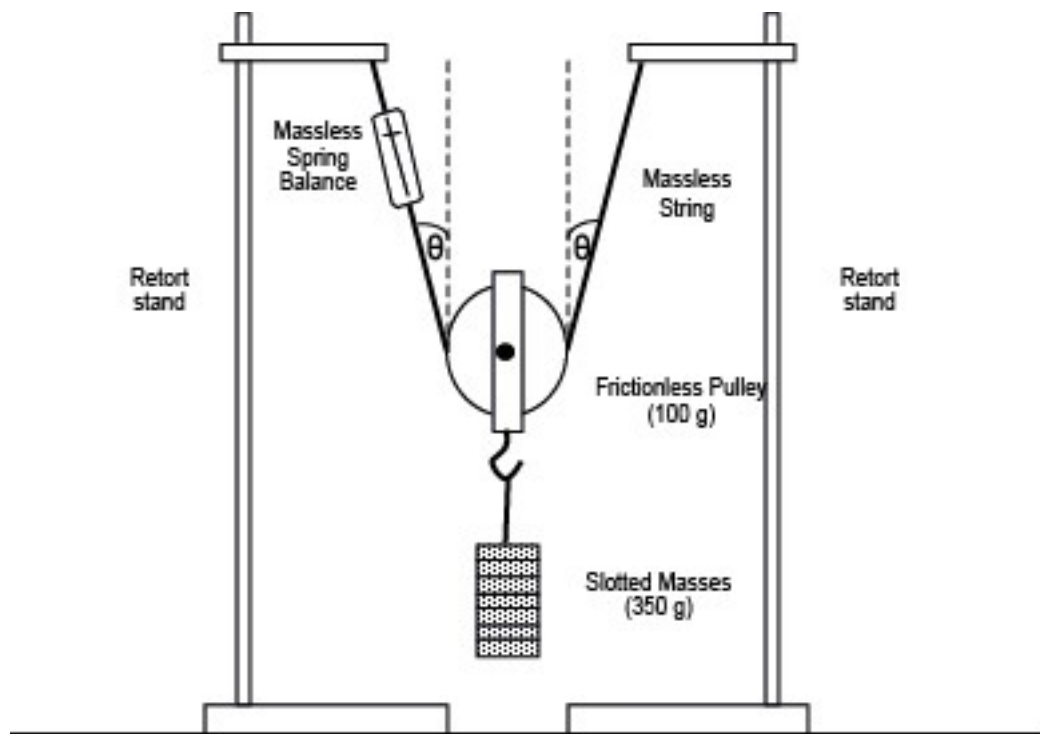
Smaller amplitude (compressions and rarefactions are less distinct).

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# Question 19

(12 marks)

A set of slotted masses is hanging from a pulley at the bottom of a piece of string that is run through the pulley as shown.



The student gradually increases the distance between the two retort stands by dragging them away from each other. This alters the angle between the pulley string and the vertical. The student then records the force measured on the spring balance.

Angle	(degrees)	10	25	40	55	70	
1/Cos(angle)	unitless	1.015427	1.103378	1.305407	1.743447	2.923804	
Tension	(newtons)	2.239016	2.432948	2.878423	3.8443	6.446989	

It is thought that the relationship between the angle created in the string and the tension in the string is given by

$$T = \frac{1}{2} mg / \cos \theta$$

- a) What is the independent variable?

(1 mark)

Angle

- b) What is the dependent variable?

(1 mark)

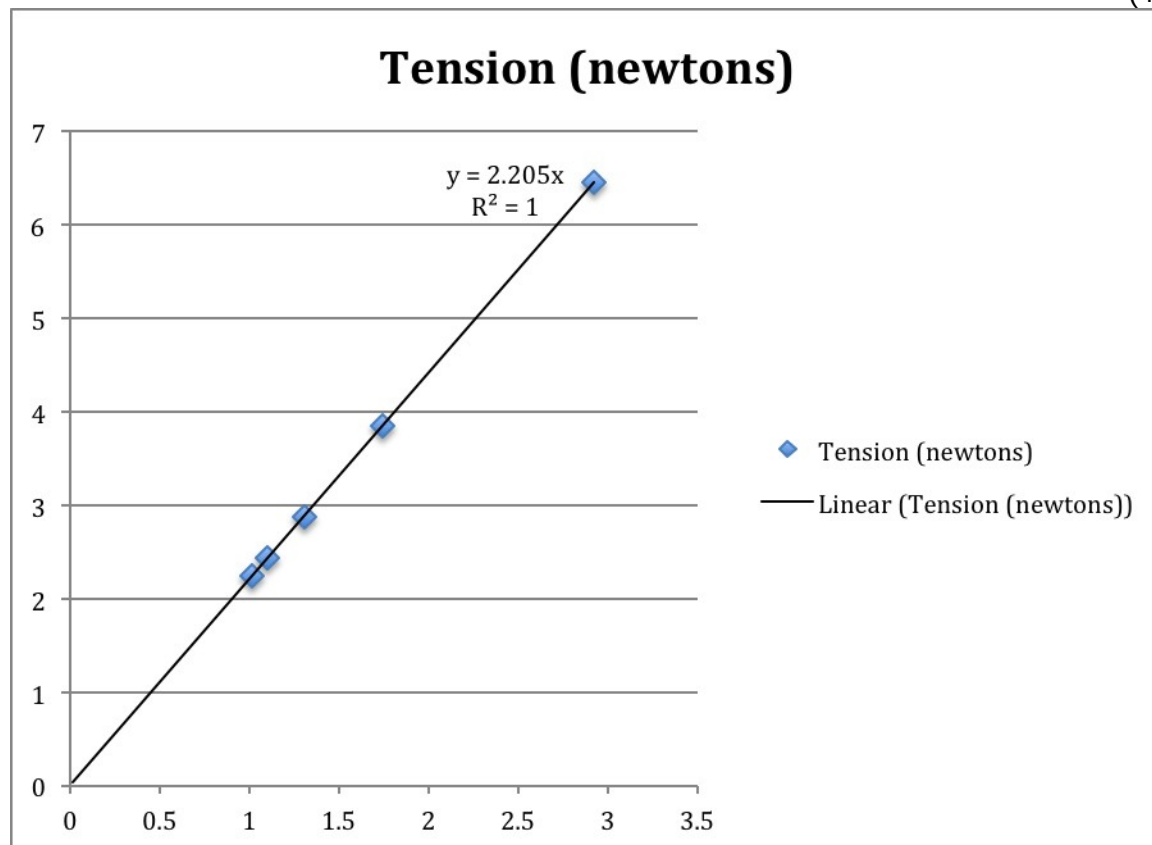
Tension

- c) Manipulate either the independent or the dependent variable in the data table above in preparation for creating a straight-line graph.

(2 marks)

d) Graph the manipulated data to produce a straight line

(4 marks)



e) Use the graph to calculate the slope of the line

(3 marks)

Slope = rise / run

Slope = 2.205

**Slope = 2.20**

f) Use the slope of the line to calculate the mass in the equation.

(1 mark)

Slope =  $\frac{1}{2} mg$

$2.205 = 0.5 \times m \times 9.8$

$2.205 / 4.9 = m$

**$m = 0.450 \text{ g}$**

### Section Three: Comprehension - 20%

(30 Marks)

This section contains **two (2)** questions. You must answer both questions. Write your answers in the space provided.

Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.

Planning: If you use the spare pages for planning, indicate this clearly at the top of the page.

Continuing an answer: If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number. Fill in the number of the question(s) that you are continuing to answer at the top of the page.

Suggested working time for this section is 36 minutes.

#### Question 20

(15 marks)

#### The Physics of Bicycles

What goes in circles but still helps you get to your destination faster... a bicycle!



Figure 1 – A Bicycle with gears

#### Paragraph 1

Bicycles have been around for hundreds of years and the most successful models have gears. The gears and drive chain on a bike allow the bike to convert between linear-force and rotational-torque and visa versa. This interplay between force and torque allows the bicycle to achieve its purpose as a machine.

#### Paragraph 2

Firstly we need to discuss cogs. A bike with gears usually has two sets of cogs. One set of cogs is attached to the pedals and cranks. The other set of cogs is attached to the rear wheel. All of the teeth on these cogs are set the same distance apart because the chain links in the chain that mesh with the cogs are all the same size. The chain link size and hence the teeth spacing on a typical bicycle is 9.00 mm. Consequently the circumference of a cog is always a multiple of this 9.00 mm link size.

A diagram of the rear part of a bicycle (relevant parts) is shown below ...

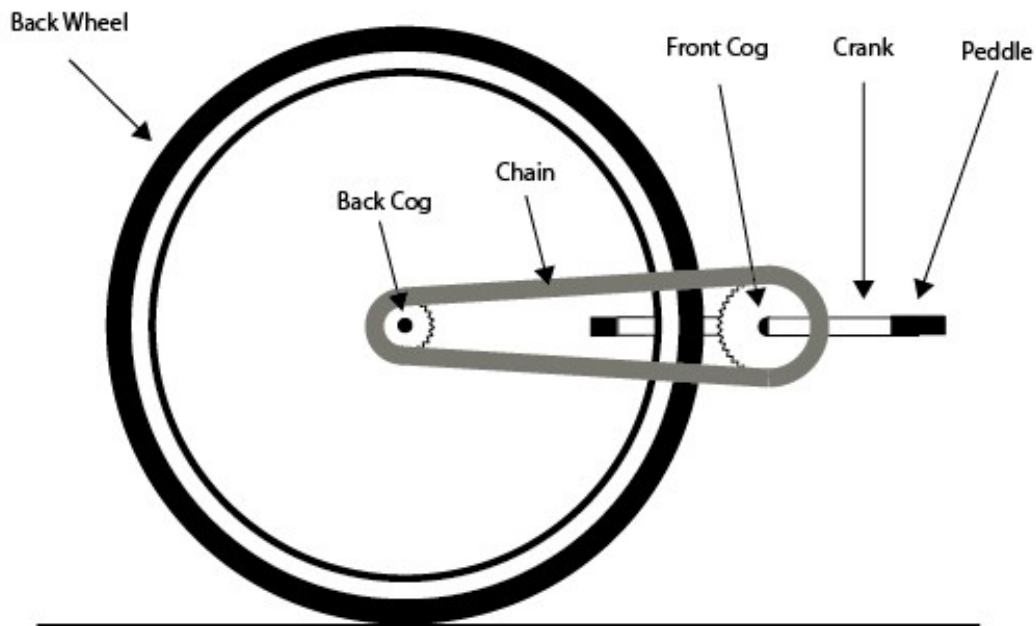


Figure 2 – the rear section of a simple bicycle.

### Paragraph 3

A flow chart of the force / torque interplay from the pedal to back wheel ...

1. Force applied to pedal (weight of person).
2. Force converted to torque by crank.
3. Torque of crank is transferred to the front cog.
4. Torque of front cog is converted to force in chain.
5. Force in chain is passed to the back cog.
6. Force of chain on cog converted to torque.
7. Torque of cog equals the torque given to back wheel.
8. Torque of wheel applies force to the ground.

This is how the force is transferred from the pedals to the ground at right angles.

### References

[http://en.wikipedia.org/wiki/Bicycle\\_gearing](http://en.wikipedia.org/wiki/Bicycle_gearing)

## Questions.

- a) A person is riding a simple bicycle that is using a 40 tooth front cog and a 23 tooth back cog. What is the radius of each of these cogs given that each chain link and hence teeth spacing is 9.00 mm?

(4 marks)

40 tooth	23 tooth
$\text{Circumference} = 2 \pi r$ $40 \times 0.009 = 2 \pi r$ $0.36 = 2 \pi r$ $r = 0.0573 \text{ m}$	$\text{Circumference} = 2 \pi r$ $23 \times 0.009 = 2 \pi r$ $0.207 = 2 \pi r$ $r = 0.0329 \text{ m}$

- b) What is the torque applied to the front cog if the crank is 170 mm long and the complete weight of a 60.0 kg person is applied to the pedal when the crank is at  $30.0^\circ$  to the horizontal?

(3 marks)

$$M = rF$$

$$M = 0.170 \cos 30 \times 60.0 \times 9.8$$

$$M = 86.568$$

$$M = 86.6 \text{ Nm}$$

- c) Calculate the magnitude of the force applied to the chain by the front cog.

(1 mark)

$$M = rF$$

$$86.6 = 0.0572 \times F$$

$$F = 1513.42 \text{ N}$$

$$F = 1.51 \times 10^3 \text{ N}$$

- d) What torque is applied to the back cog by the chain?

(1 mark)

$$M = rF$$

$$M = 0.03294 \times 1513.42$$

$$M = 49.8522$$

$$M = 49.8 \text{ Nm}$$



- e) What force does the wheel apply to the ground (at a tangent to the wheel) if the wheel has a diameter of 680 mm?

(1 mark)

$$\text{Radius} = 0.680 / 2$$

$$\text{Radius} = 0.34 \text{ m}$$

$$M = rF$$

$$49.9 = 0.34 \times F$$

$$F = 146.76 \text{ N}$$

$$\mathbf{F = 147 \text{ N}}$$

- f) What is the ratio of the weight force applied to the pedal as compared to the force applied by the wheel to the ground?

(1 mark)

$$Wt : F$$

$$60 \times 9.8 : 147$$

$$588 : 147$$

$$\mathbf{4 : 1}$$

- g) What is the instantaneous acceleration of the bicycle if it has a mass 30.0 kg and the rider has a mass of 60.0 kg?

(2 marks)

$$F = ma$$

$$147 = 90 \times a$$

$$\mathbf{a = 1.63 \text{ m/s/s Forwards}}$$

- h) Does the bicycle cog system provide the rider with a force advantage or a distance advantage? Explain.

(2 marks)

Distance advantage.

The output force is smaller than the input force.

Or

One turn of the peddles is a smaller circular distance than the distance travelled by the wheels.

Or anything sensible

## Question 21 (15 marks)

### Good Fenced Make Good Neighbours (Farm Fencing and Gates)

Note – Diagrams in this article depict wires as a dashed lines and posts as rectangles.

#### Fences

##### Paragraph 1

Fencing is an important part of any farm it is often one of the least loved jobs because of the monotony of the repair task and the need to check regularly for damage from animals. If the job can be done correctly when the fence is first installed then money and time can be save in the longer term.

##### Paragraph 2

Fences are made generally from metal or wooden poles put in the ground vertically with horizontal fencing wire running (nearly without friction) through the fence poles. The horizontal wire is kept tight by attaching it securely to the end poles of the fence line. The wire tension pulls on the end poles only causing them to bend inwards towards the centre of the fence.

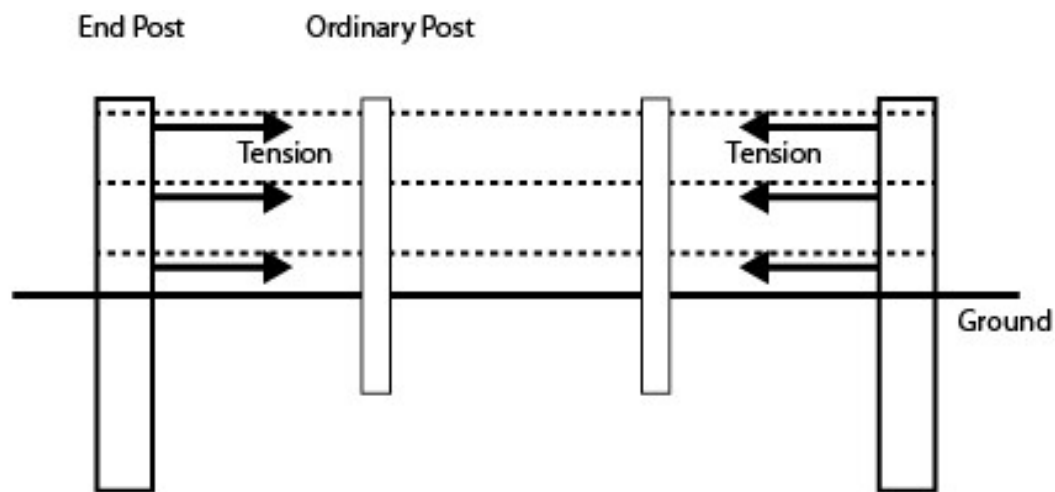


Figure 1 - End posts tend to rotate inwards towards the centre of the fence.

### Paragraph 3

Many farm fences are 1.4 m high above ground level. The rule used to calculate the depth to which a standard fence post should be buried is “ $\frac{2}{3}$  of the post length should be above the ground and  $\frac{1}{3}$  of the post length should be buried”. This will allow the soil around the post to provide sufficient support to withstand the slight toppling forces of the wires and any bumps from livestock (assuming that the post pivots at ground level). End posts should be buried to the “ $\frac{1}{2}$  above  $\frac{1}{2}$ ” below rule due to the large forces that the wire places on them. The end posts should also be of a larger diameter.

### Paragraph 4

Unfortunately in the longer term the end posts of a fence will rotate inwards. This is because the soil in which the fence post is placed is not totally solid. Soil can instead be thought of as being more like a very thick (viscous) honey. A spoon placed into a cup of honey will stand for a while but will eventually fall over. So it is with the end posts on a fence.

### Paragraph 5

To reduce this effect the end post of a fence can be braced (reinforced) either using metal/wooden posts or using fencing wire on the diagonal. Two methods are shown below.

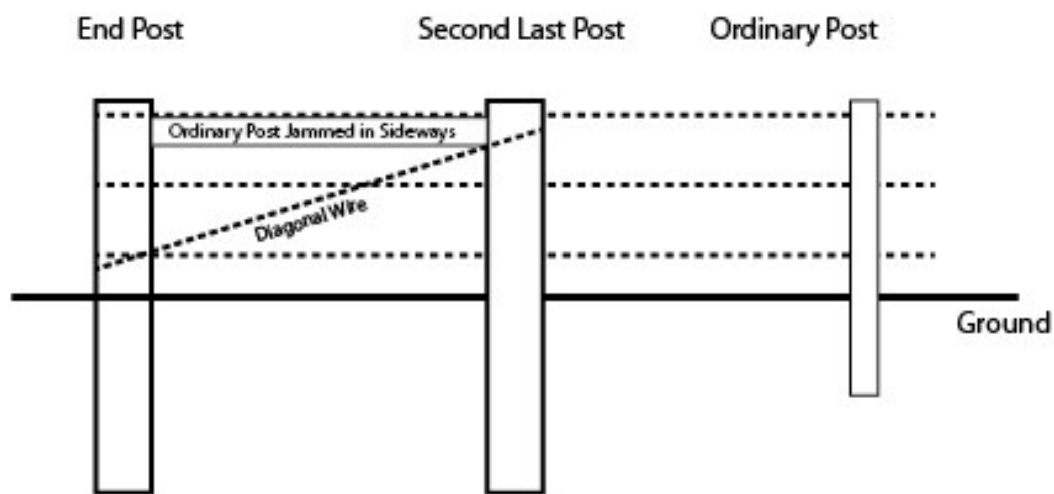


Figure 2a - Post and Wire bracing method. An ordinary post is jammed between the last and second last posts and diagonal wire is applied tightly from the top of the second last post to the bottom of the last.

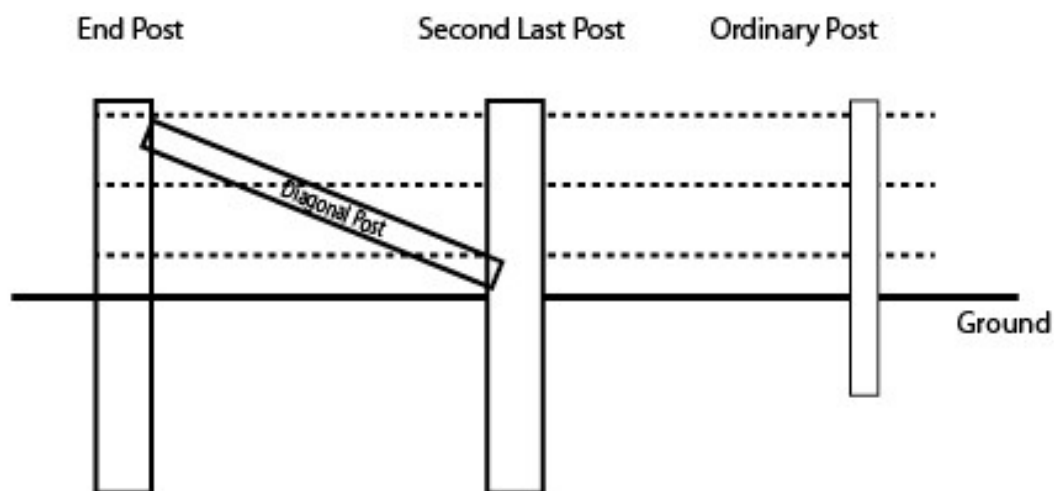


Figure 2b – Post only bracing method. A diagonal post is applied between the top of the last post and the bottom of the second last post.

#### Paragraph 6

Fences should not be more than 60 m long if single bracing is to be used and 200 m long if double braced. This is because the changing temperature of the wire as the weather changes will change the amount of force exerted on the end posts, potentially pulling over the end posts.

### Gates

#### Paragraph 7

A fenced field still requires access. This is where gates come into play. Gates are often heavier than the other parts of the fencing system and for this reason gate posts like end posts are thicker and buried deeper ( $\frac{1}{2}$  above  $\frac{1}{2}$  below rule).

#### Paragraph 8

Gate posts are reinforced differently because the forces of the gate on the post are directed away from the fence rather than towards it.

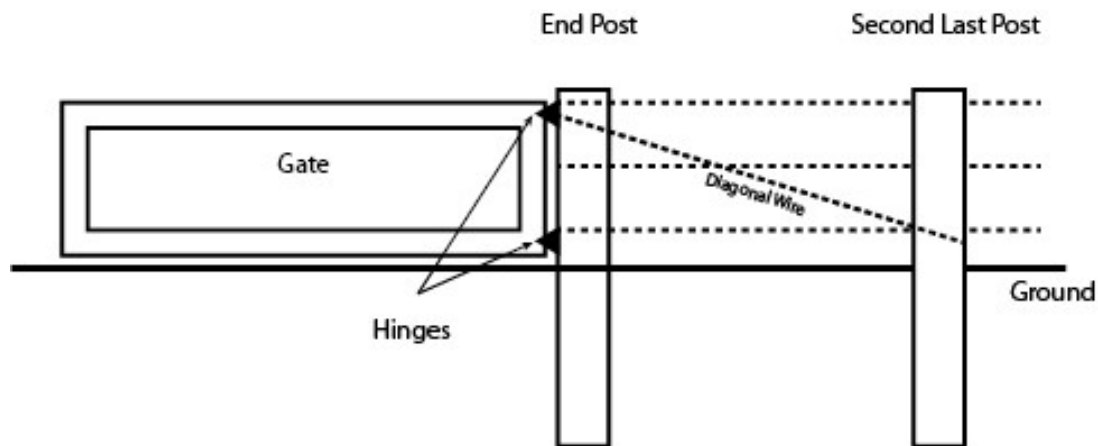
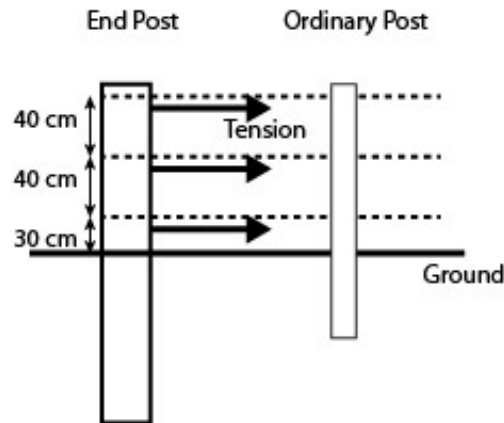


Figure 3 – Gate post braced with wire.

## Questions

- a) 3 strands of wire are exerting a force of 890 N each on an end post of a fence. If the post pivots at ground level, what is the torque that the ground must supply to stop the post from falling over?

(3 marks)



$$M = rF$$

$$M = (0.3 \times 890) + (0.7 \times 890) + (1.1 \times 890)$$

$$M = 267 + 623 + 979$$

$$M = 1869$$

$$M = 1.87 \times 10^3 \text{ Nm}$$

- b) If a fence post is to stand 1.20 m above the ground, how deeply must that post be buried if it is ...

- i) an ordinary post?

(1 mark)

0.6 m

- ii) an end post?

(1 mark)

1.2 m

- c) Why does the tension in the wire vary as the temperature of the wire changes?

(1 mark)

Thermal expansion and contraction. (1 mark)

Extra information for studying students ...

When the wire heats up the wire expands and the average distance between the atoms (particles) increases. This reduces the tension in the wire.

- d) Will the tension in a strand of wire increase or decrease as the temperature drops?

(1 mark)

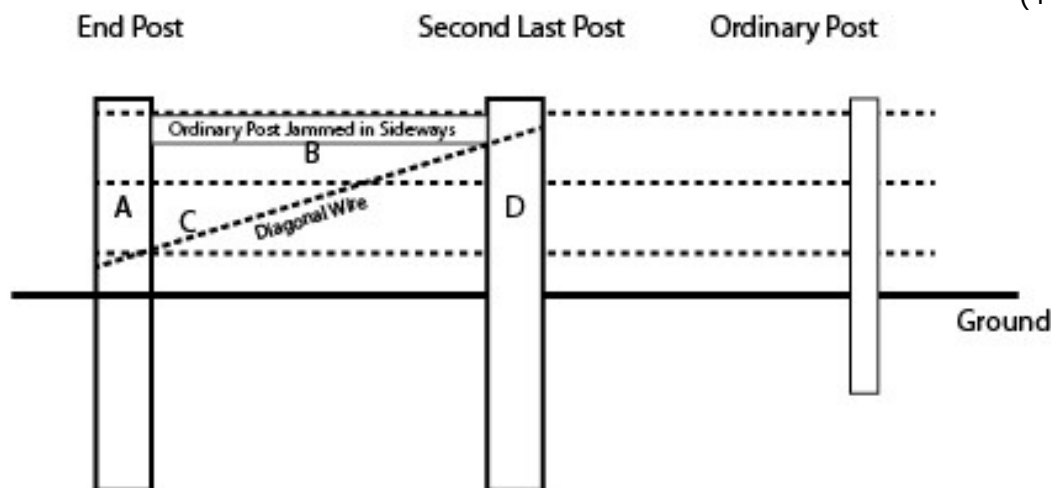
Increase

Decrease

(please circle one only)

- e) Label each of the pieces of this braced end post set up as being under a tension force, compression force or bending force.

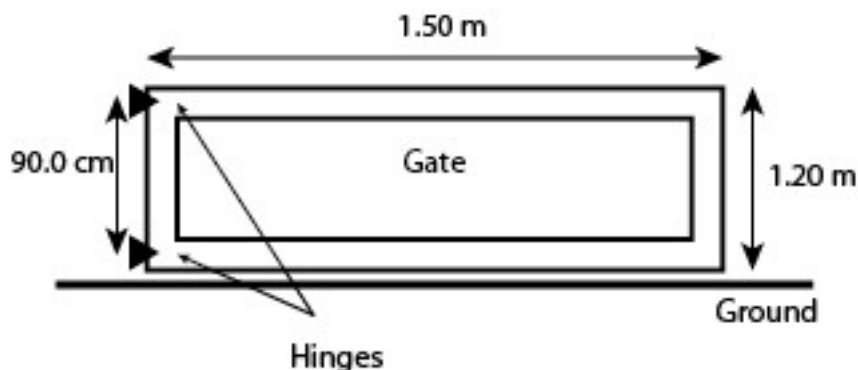
(4 marks)



	Tension, Compression or Bending
A	Bending
B	Compression or Bending (if you include its weight)
C	Tension
D	Compression

- f) What is the horizontal force provided by the top hinge on this 100 kg uniform gate? The hinges are symmetrically spaced 90 cm apart. The gate is 1.50 m long and 1.20 m high. Assume the bottom hinge supports the full weight of the gate.

(4 marks)



$$\Sigma M_{\text{clock}} = \Sigma M_{\text{anti}}$$

$$(0.75 \times 100 \times 9.8) = (0.9 \times F)$$

$$(735) = (0.9 \times F)$$

$$F = 816.666 \text{ N}$$

**F = 817 N Towards the post**

**End of Exam**