DDA 4230 Assignment 2 Name: Xiang Fei; ID: 120090414

Problem [.]

|.
$$Q_1(S_1, a_1) = 8 + o \cdot 2 \times |o + o \cdot b \times | = |o \cdot b|$$
 $Q_1(S_1, a_2) = |o + o \cdot |x|o + o \cdot 2 \times | = |1 \cdot 2$
 $V_1(S_1) = \max(|o \cdot b|, |1 \cdot 2) = |1 \cdot 2$
 $\mathcal{N}_1(S_1) = |1 + o \cdot 3 \times |o + o \cdot 3 \times | = 4 \cdot 3$
 $Q_1(S_2, a_1) = |1 + o \cdot 5 \times |o + o \cdot 3 \times | = 4 \cdot 3$
 $Q_1(S_2, a_2) = -1 + o \cdot 5 \times |o + o \cdot 3 \times | = 4 \cdot 3$
 $V_1(S_1) = \max(4 \cdot 3, 4 \cdot 3) = 4 \cdot 3$
 $V_1(S_2) = a_1$
 $Q_2(S_1, a_1) = 8 + o \cdot 2 \times |1 \cdot 2 + o \cdot b \times 4 \cdot 3 = |2 \cdot 8 \cdot 2|$
 $Q_2(S_1, a_2) = |o + o \cdot |x| \cdot 2 + o \cdot b \times 4 \cdot 3 = |1 \cdot 9 \cdot 8|$
 $V_2(S_1) = \max(|2 \cdot 8 \cdot 2| \cdot |1 \cdot 9 \cdot 8|) = |2 \cdot 8 \cdot 2|$
 $V_2(S_1) = a_1$
 $Q_2(S_2, a_1) = |1 + o \cdot 3 \times |1 \cdot 2 + o \cdot 3 \times 4 \cdot 3 = 5 \cdot 8 \cdot 9|$
 $V_2(S_2) = \max(|5 \cdot 65 \cdot 5 \cdot 89|) = 5 \cdot 89$
 $\mathcal{N}_2(S_2) = \max(|5 \cdot 65 \cdot 5 \cdot 89|) = 5 \cdot 89$
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 $\mathcal{N}_2(S_2) = \mathcal{N}_2(S_2, a_1) = |-1 - 1 + |(0 \cdot 5 - o \cdot 3) \times V_{k-1}(S_1) + |(0 \cdot 5 - o \cdot 3) \times V_{k-1}(S_2)|$
 $\mathcal{N}_2(S_2) = \mathcal{N}_2(S_2, a_1) = |-1 - 1 + |(0 \cdot 5 - o \cdot 3) \times V_{k-1}(S_1) + |(0 \cdot 5 - o \cdot 3) \times V_{k-1}(S_2)|$
 $\mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_2) = \mathcal{N}_2(S_2, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_2, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1, a_1) - \mathcal{N}_2(S_1, a_1) = \mathcal{N}_2(S_1,$

> Tr(S) = Tr(S) , Q.E.D.

Problem 2.

1. see the code file.

Value Iteration:
V= [49.68634184 55.28325417 61.58053188 65.87810383 48.02738914
52.31668307 68.14365569 73.25636944 50.22946871 -0.42050045
77.06735759 81.36387215 66.3637945 76.31487478 100.
89.90594114 0.] ,epsilon= 0.008649071085109483 ,nIterations= 30

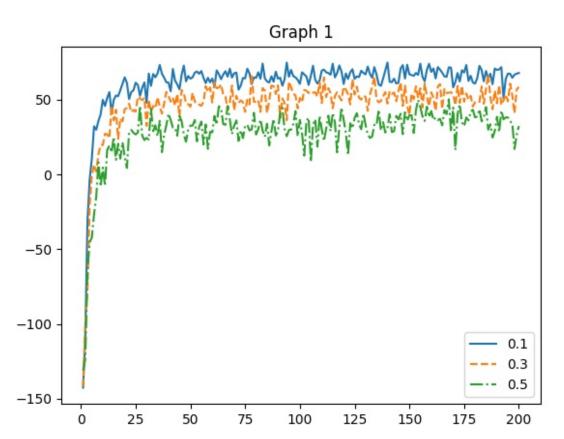
Policy Iteration:
policy=[3 3 1 1 3 0 1 1 1 3 3 1 3 3 0 2 0],V=[49.6874368 55.28459708 61.5816329 65.87870774 48.02955063
52.31901654 68.14444944 73.25667365 50.22994191 -0.4197238
77.06760787 81.36396041 66.36413579 76.31508189 100.
89.90596379 0.],nIterations= 4

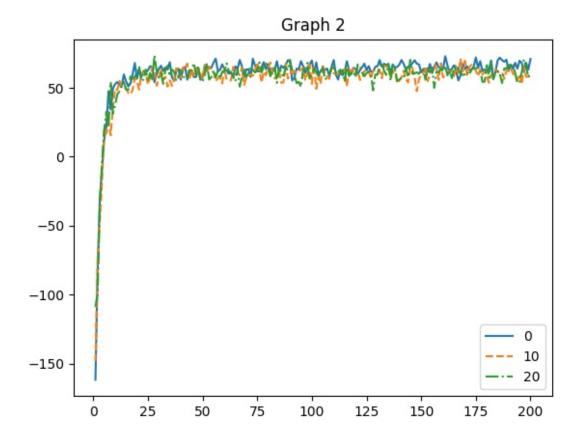
(c) in partial policy: 1, 2, 3, 4, 5, 6, 7, 8, 9, 10 number of iterations: 17, 12, 10, 9, 8, 8, 7, 8, 8, 7 when the number of iterations in partial policy evaluation increases, the result decrease, and finally converge / stable.

Problem 3.

1. see the code file.

2.





4. When the exploration probability epsilon increases, the cumulative discounted rewards per episode earned decreases. The Boltzmann temperature does not have remarkable impact on the rewards.