Adding Force Vectors

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Physics

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1 Question 2

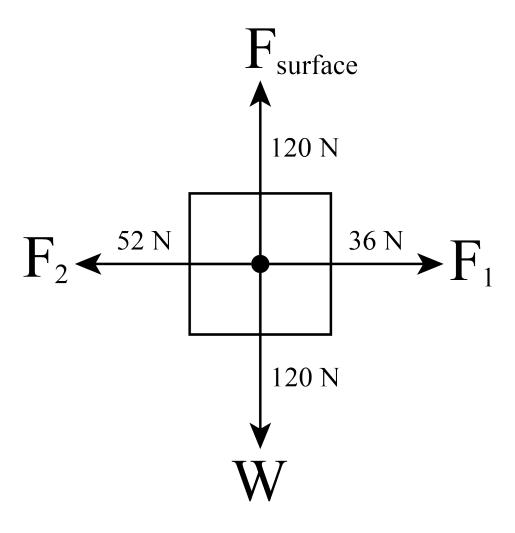


Figure 1: The cars data.

According to Figure 1, the net force is $52-36=16\ \mathrm{N}.$

2 Question 4

The situation is illustrated in the image.

As shown in Figure 2, there are essentially two vectors. The first is $\vec{\bf A}=3000{\rm N}[W]$ and the second is $\vec{\bf B}=2500{\rm N}[W75^\circ S]$. We are looking for the vector produced when $\vec{\bf A}+\vec{\bf B}$. Since $\vec{\bf A}$ is in one direction, we only need to concern ourselves with $\vec{\bf B}$. We can decompose $\vec{\bf B}$ into a triangle with sides x and y and solve for these sides using trigonometry, as shown in Figure 3.

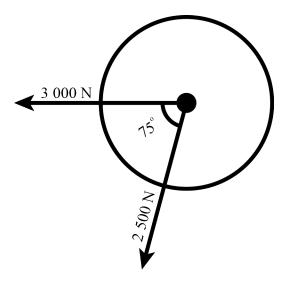


Figure 2: Tractor and Rocks Free Body Diagram

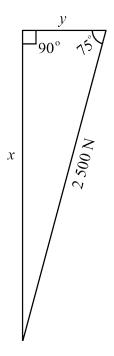


Figure 3: Trigonometry

$$\sin(75) = \frac{x}{2500} \tag{1}$$

$$= 2414.81$$
 (2)

(3)

$$cos 75 = \frac{y}{2500}
= 647.05$$
(4)

Now, we combine the decomposed $\vec{\bf B}$ with $\vec{\bf A}$. The horizontal component is $3000+647.05=3647.05{\rm N}$ and the vertical is 2414.81N. Now, we can solve for the hypoteneuse, Γ , and the angle θ , as shown in Figure 4.

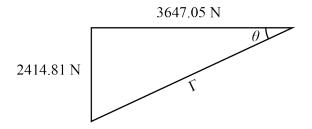


Figure 4: Solving for the hypoteneuse and the missing angle

$$\Gamma = \sqrt{3647.05^2 + 2414.81^2}$$

$$= 4374.05$$
(6)

$$\tan \theta = \frac{2414.81}{3647.05} \tag{8}$$

$$\theta = \tan^{-1} \left(\frac{2414.81}{3647.05}\right) \tag{9}$$

$$\approx 33.5^{\circ} \tag{10}$$

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Therefore, the missing vector is $\vec{\mathbf{V}} = 4373.99 \text{ N}[W33.4^{\circ}S]$