

## Overflow concept

At the level of the assembly language, 'overflow' is a situation/condition which expresses the fact that the result of the LPO (Last performed operation) didn't fit the reserved space for it (5 or unsigned). The flags CF and OF will be set for specific cases of overflow.

### Addition

- in the unsigned interpretation, the overflow is signaled by setting CF=1 whenever the result didn't fit the reserved space for it (on a byte  $[0, 255]$ ). Otherwise CF=0.

Ex:  $\text{mov al}, 100$  ;  $100 \in [0, 255]$   
 $\text{mov bl}, 200$  ;  $200 \in [0, 255]$  , but  $100 + 200 = 300 \notin [0, 255]$  ;  
 $\text{add al}, \text{bl}$  ;  $\Rightarrow \text{CF} = 1$ .

- in signed interpretation, the overflow is signaled by setting OF=1 whenever the base 2 addition reflects an incorrect mathematic result (in the signed interpretation). Otherwise OF=0. On a byte:  $[-128, 127]$ .

Ex: There are only 2 situations that can issue overflow for addition:

$$1. \begin{array}{r} 0 \dots + \\ 0 \dots \\ \hline 1 \dots \end{array} \quad \text{and} \quad \begin{array}{r} 1 \dots + \\ 1 \dots \\ \hline 0 \dots \end{array}$$

Ex:  $\text{mov al}, 100$  ;  $100 \in [-128, 127]$   
 $\text{mov bl}, 100$  ; but  $100 + 100 = 200 \notin [-128, 127] \Rightarrow$   
 $\text{add al}, \text{bl}$  ;  $\Rightarrow$  we bring the value in the domain by subtracting  $(256) \Rightarrow 200 - 256 = -56 \Rightarrow \text{OF} = 1$

## Subtraction :

- in the unsigned ~~representation~~<sup>interpretation</sup>, the overflow is signaled by setting  $CF=1$  whenever there exists a borrow from a non-existent position or in other words, the result didn't fit the reserved space for it. Otherwise  $CF=0$ .

Ex:  $\text{mov al}, 100$  ;  
       $\text{mov bl}, -101$  ;  $100 - 101 = -1 \notin [0, 255] \Rightarrow CF=1$ .  
       $\text{sub al}, \text{bl}$  ;

- in the signed interpretation, the overflow is signaled by setting  $OF=1$  whenever the base 2 subtraction reflects an incorrect result (in Signed interpretation). Otherwise  $OF=0$ .

Ex: ~~mov~~ There are only 2 situations that can issue overflow for subtraction:

$$\begin{array}{r} 1 \dots - \\ 0 \dots - \\ \hline 0 \dots \end{array} \quad \text{and} \quad \begin{array}{r} 0 \dots - \\ 1 \dots - \\ \hline 1 \dots \end{array}$$

Ex:  $\text{mov al}, 100$  |  $100 \in [-128, 127]$   
       $\text{mov bl}, -100$  |  $-100 \in [-128, 127]$ .  
       $\text{sub al}, \text{bl}$  |  $100 - (-100) = 200 \in [-128, 127] \Rightarrow$

$$\Rightarrow 200 - 256 = -56$$

Do  $+-(-) = -$  which is incorrect  $\Rightarrow OF=1$

## Multiplication :

- the multiplication operation does not produce overflow, the reserved space big enough for both interpretations. The decision was taken to set  $CF=OF=0$  whenever the result



is the same as of the operations. And  $CF = OF = 1$  for the opposite - for the cases

Ex:  $\text{byte} * \text{byte} = \text{byte}$   
 $\text{word} * \text{word} = \text{word}$   
 $\text{dword} * \text{dword} = \text{dword}$   $\Rightarrow OF = CF = 0$  (no multiplication overflow)

And for the cases:

$\text{byte} * \text{byte} = \text{word}$   
 $\text{word} * \text{word} = \text{dword}$   
 $\text{dword} * \text{dword} = \text{qword}$   $\Rightarrow OF = CF = 1$

Ex:  $\text{mov al}, 200$  ;  $200 \in (0, 255)$   
 $\text{mov bl}, 200$  ;  $200 * 200 = 40000 \in (0, 65536) \Rightarrow$   
 $\text{mul bl}$  ;  $\Rightarrow$  on a word

### Division

- in the case of division, if it happens, then it will result in the program crashing (Fatal Error) = division overflow. The values of  $CF, OF$  are irrelevant. The quotient didn't fit the reserved space

ex:  $\text{mov ax}, 4096$   
 $\text{mov dx}, 10$  ;  $4096 : 10 = 409, r = 6$   
 $\text{div dx}$  ;  $\text{quot } 409 \notin [0, 256] \Rightarrow$

$\Rightarrow$  FATAL ERROR / crash

There are methods to deal with the overflow concept and the assembler gives us 2 specific instructions:  $ADC$  (add with carry) and  $SBB$  (subtraction with borrow).

Ex: we need to compute the value of  $Ax + Bx : Bx$ .

add ax, bx  
adc dx, cx  $\rightarrow$  to obtain a correct result, we make sure that the transport digit is not lost.

There is no "iadd" or "ihub" because even if they existed, they would work exactly the same as "ADD" and "SUB". This is because in base 2 addition and subtraction are performed the same INDEPENDENTLY of the INTERPRETATION. There exists "imul" and "idiv" because this rule does not apply to multiplication and division which work differently in both interpretations.

The programmer can avoid overflow situations by using <sup>larger</sup> data types (ex: long instead of byte), checking the input range or using instructions like: jfo - jump if OF=1, jno - // OF=0, jc - // CF=1; jnc - // CF=0).

Ex:

add al, bl  
jnc avoid  
; instructions  
avoid:

- if the addition of the 2 registers results in an overflow by that fitting the reserved space, the jump will be performed.