



# Workshop

## *Biologically Inspired Learning: Neural Networks & Artificial Intelligence*

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Venue: Hansraj College

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Website: <http://www.dramitakapoor.com>

# Purpose of the Talk

## Basics of AI

AI, ML, DL

NN

Model basic NN

## Excite about AI

Success Stories

History of AI

Great Personalities

## Next Steps

Online MOOCs

Languages

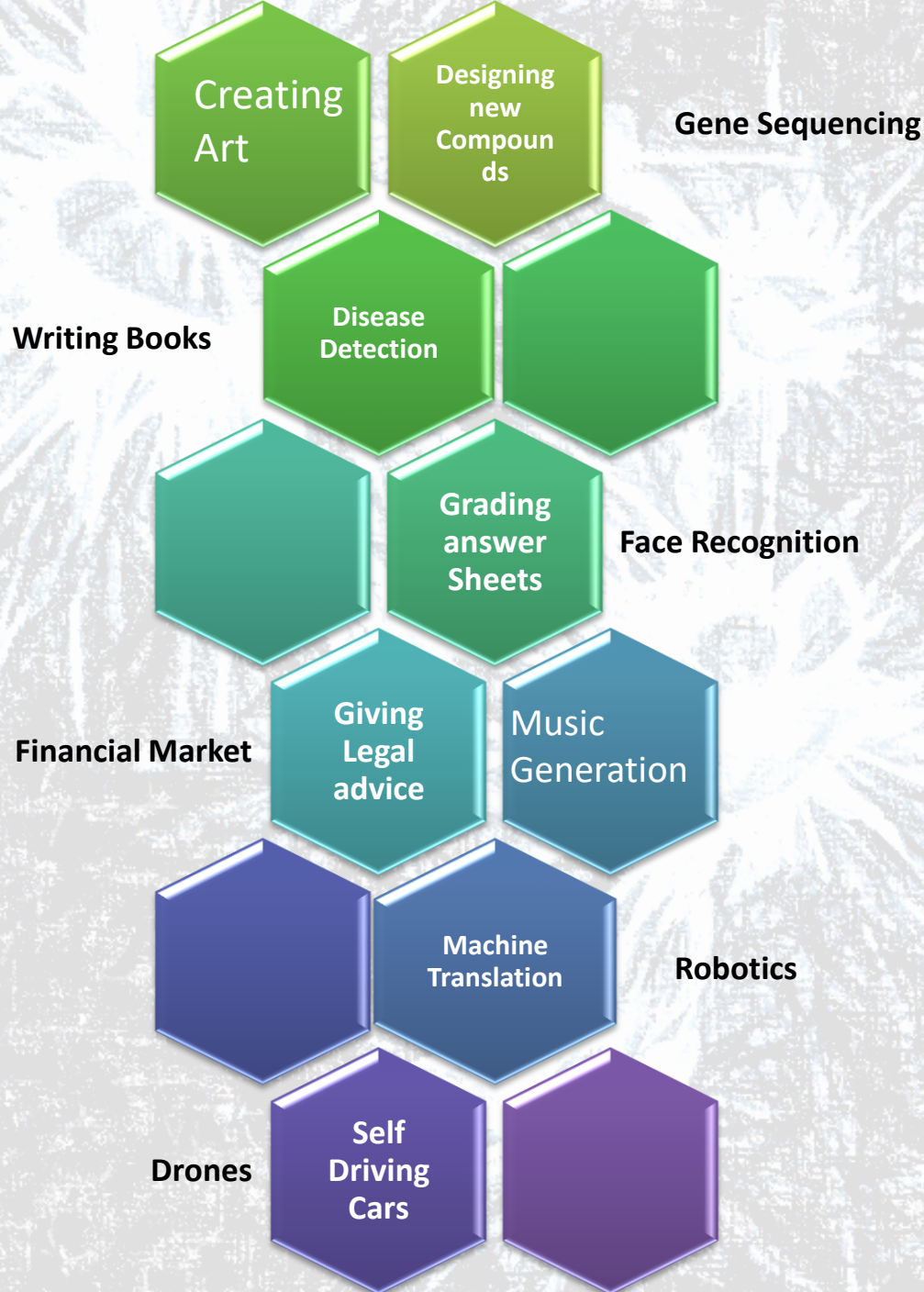
How to succeed!



# Prof Hiroshi Ishiguro



# Sophia- Hanson Robotics



**Choose Any  
field  
and you will  
find  
application of  
Artificial  
Intelligence,  
Machine  
learning  
there**



# Artificial Intelligence

Emulate the intelligent Behaviour. Make machines do tasks, human are good at.

## Machine Learning

Uses Statistical techniques that enable machines to improve performance with experience.

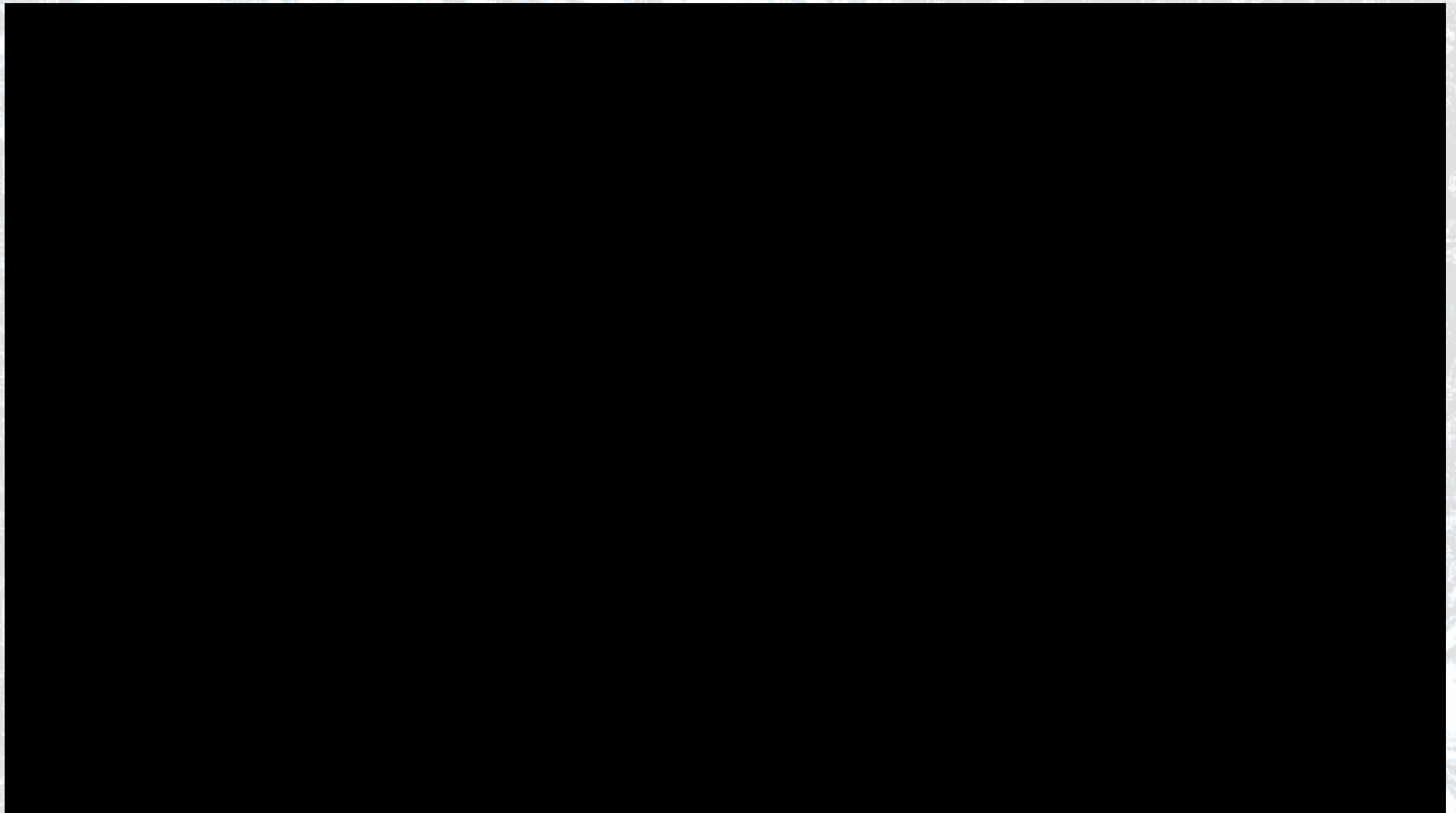
## Deep Learning

Multiple (Deep) layers of **Neural Networks**, that can be trained to perform task like speech and image recognition by learning through vast amounts of data.



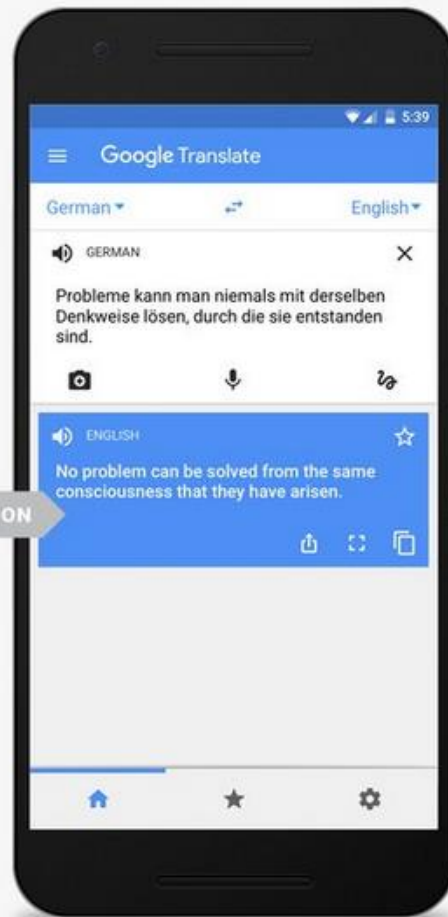
# AlphaGo

- The first computer program to defeat a professional human Go player, the first program to defeat a Go world champion, and arguably the strongest Go player in history.
- The game of Go originated in China 3,000 years ago.
- The rules of the game are simple: players take turns to place black or white stones on a board, trying to capture the opponent's stones or surround empty space to make points of territory.
- As simple as the rules are, Go is a game of profound complexity.
- There are an astonishing **10 to the power of 170 possible board configurations** - more than the number of atoms in the known universe

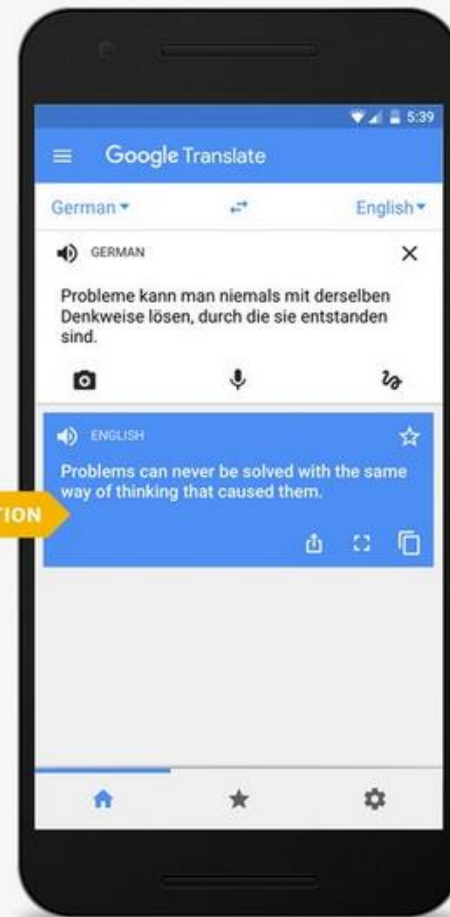


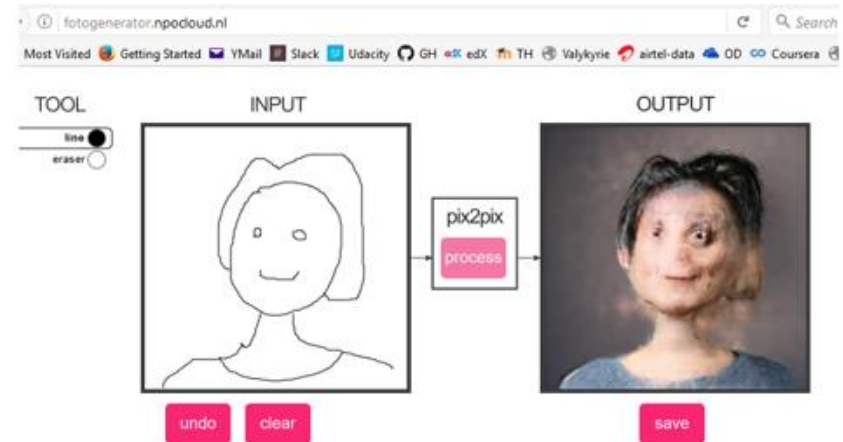
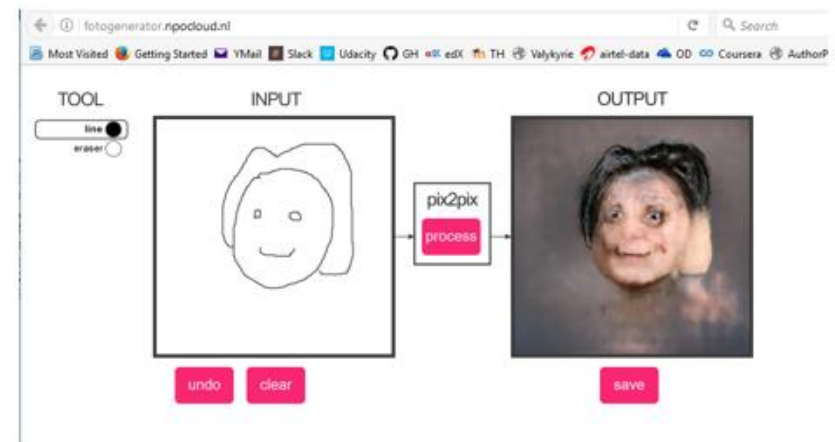
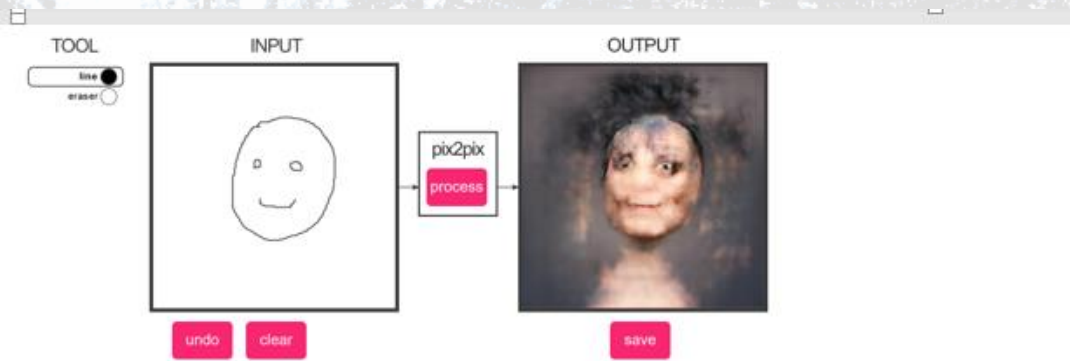


OLD TRANSLATION

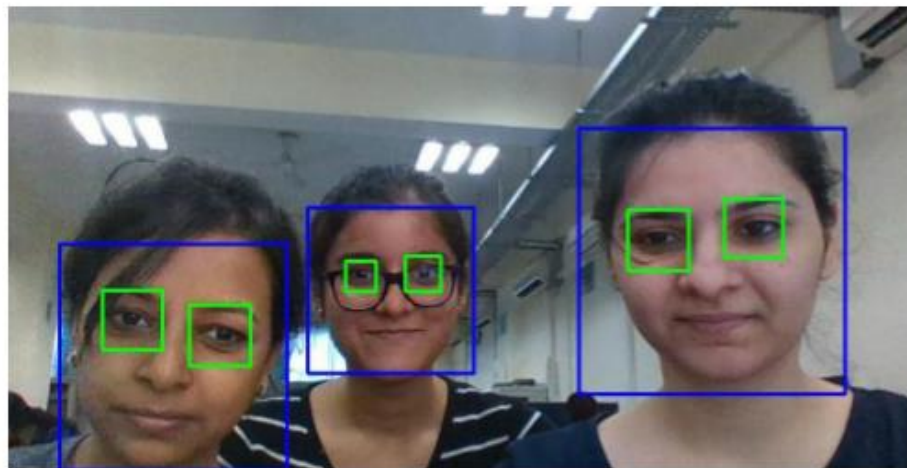


NEW TRANSLATION

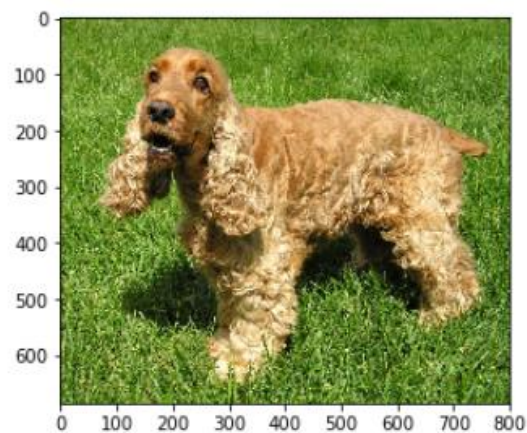






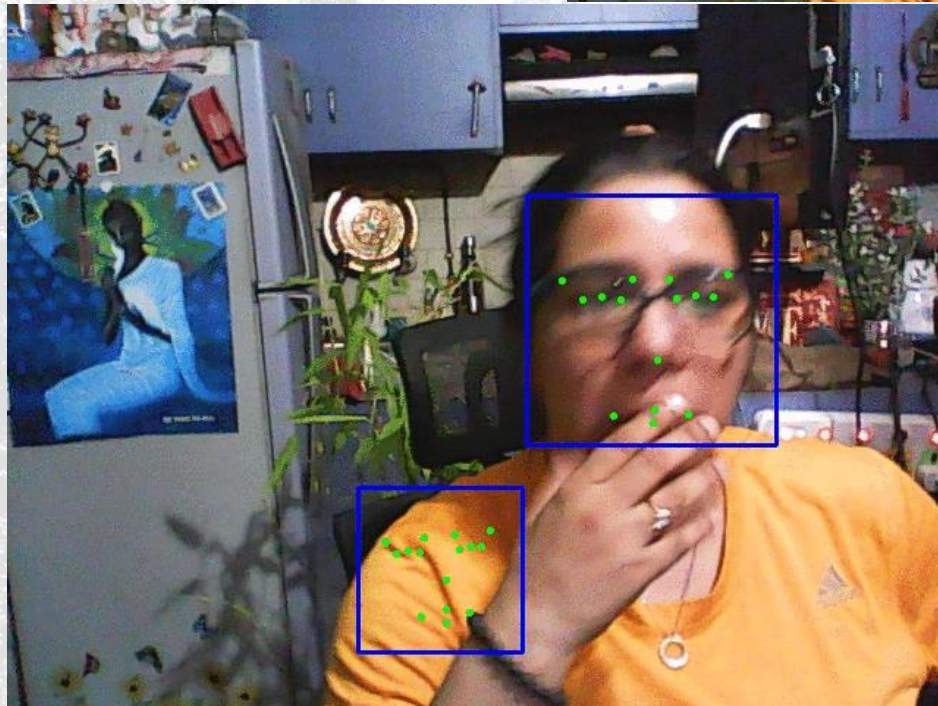
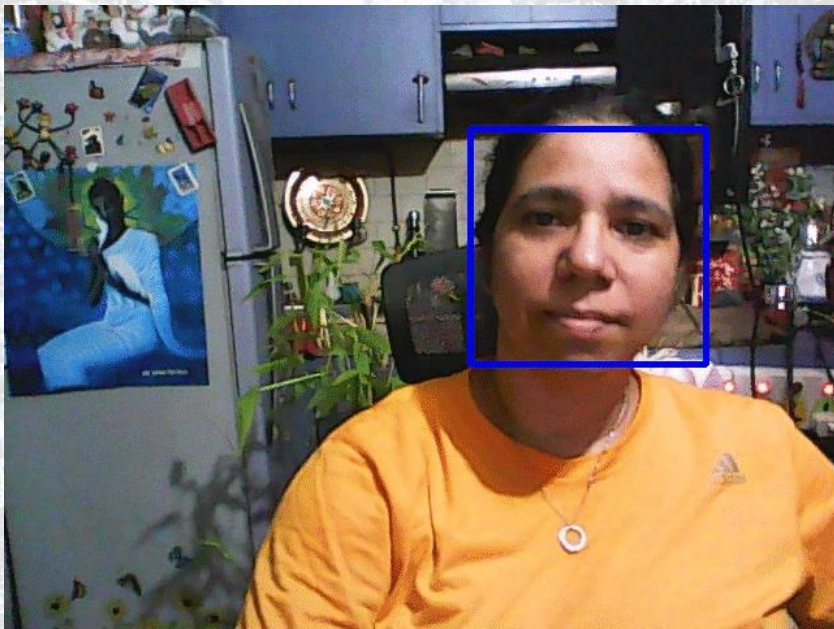


Wow, Wow you are a Dog!  
And your breed is  
English\_cocker\_spaniel

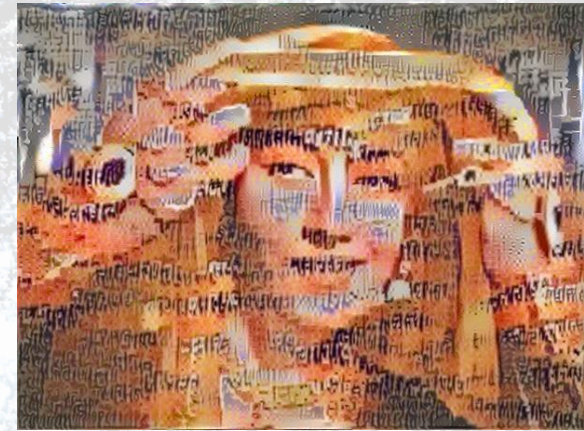
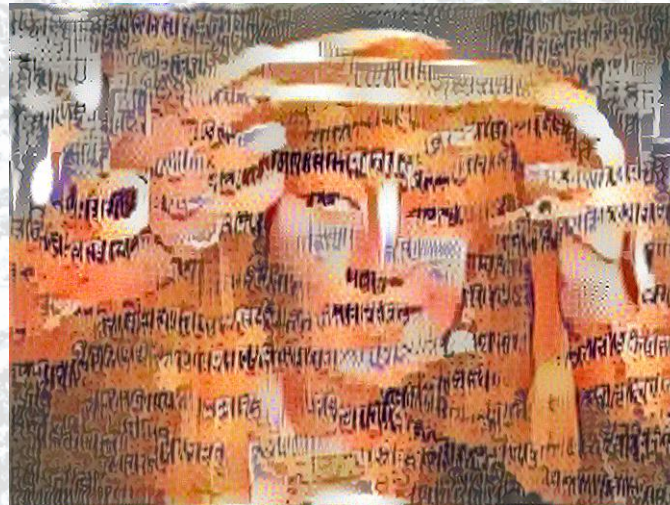
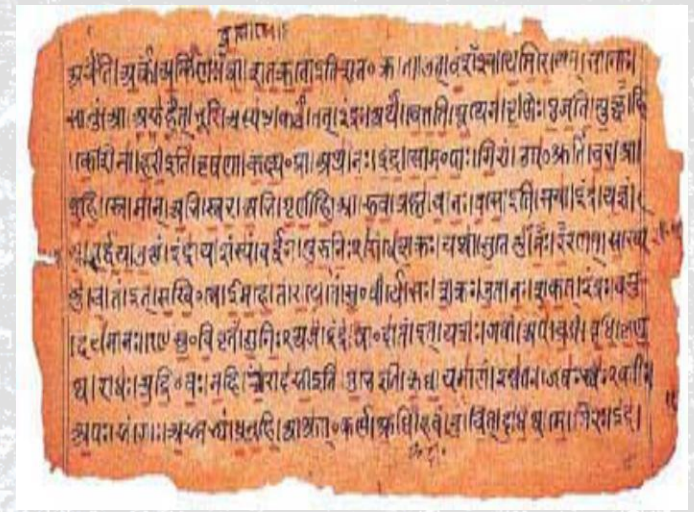


Correct breed is  
English\_cocker\_spaniel











# Biological Inspiration

To make the computers more robust and intelligent.  
We take inspiration from the intelligent machine ever made



## Human Brain



# Features of the Brain

- Ten billion ( $10^{10}$ ) neurons
- Neuron switching time  $>10^{-3}$ secs
- Face Recognition  $\sim 0.1$ secs
- On average, each neuron has several thousand connections
- Hundreds of operations per second
- High degree of parallel computation
- Distributed representations
- Compensated for problems by massive parallelism
- Graceful Degradation and Robust



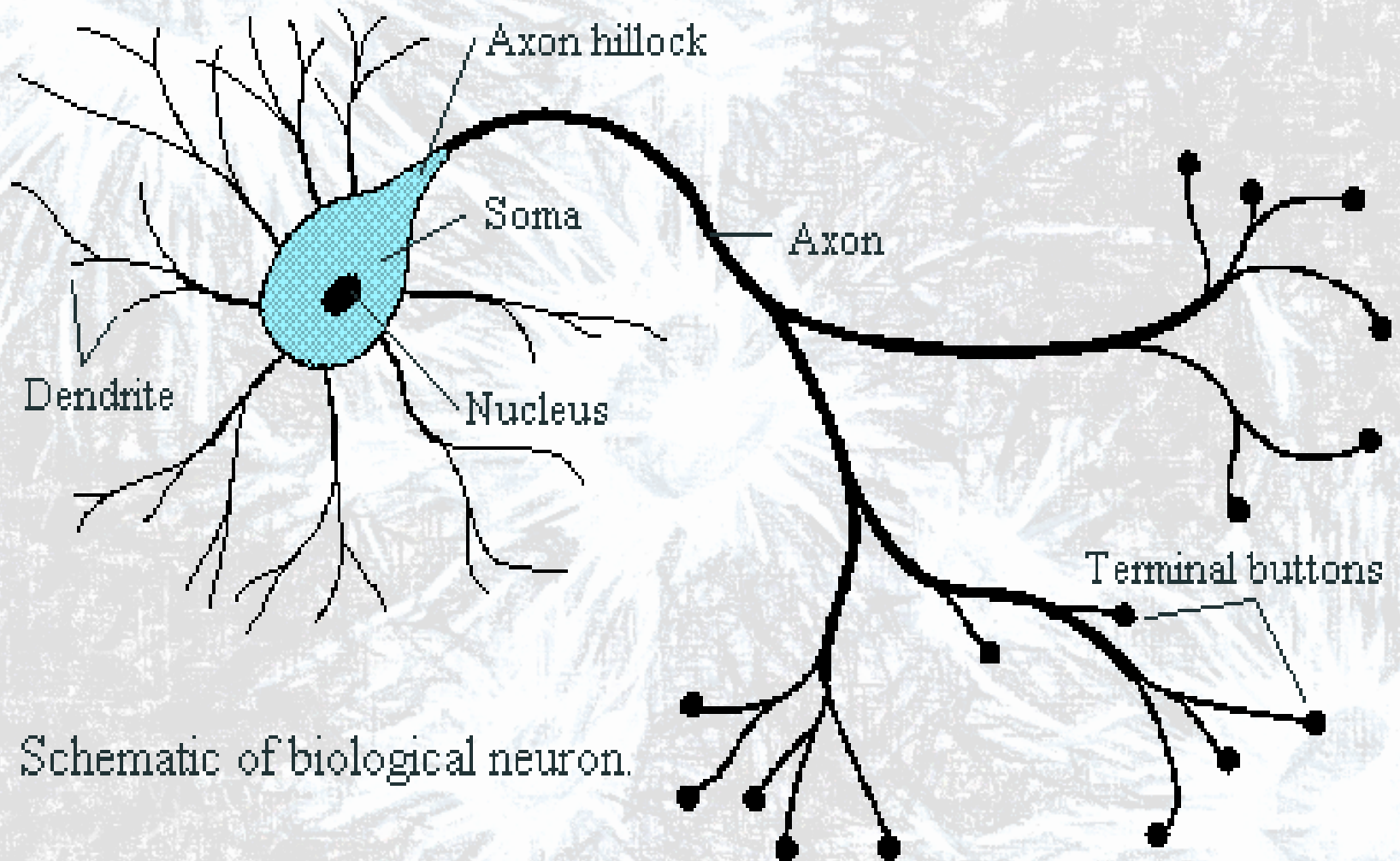
# How do we do it?

- The brain is a collection of about **10 billion** interconnected neurons.
- Each neuron is a cell that uses biochemical reactions to **receive**, **process** and **transmit** information.



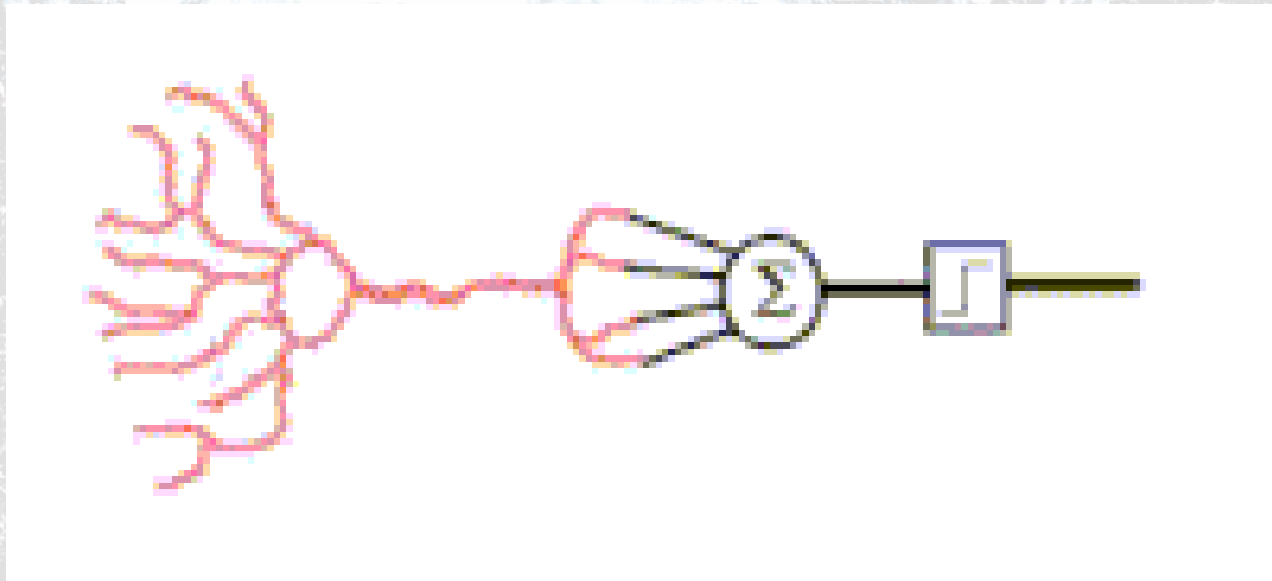
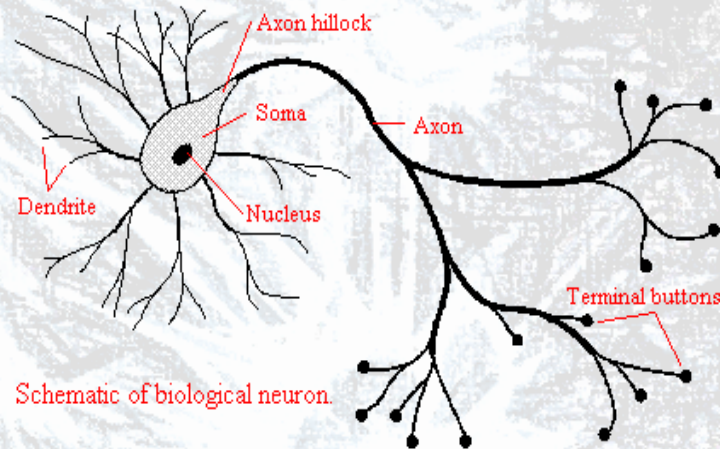


# How do we do it?



Schematic of biological neuron.

# Can we make an Artificial Neuron?





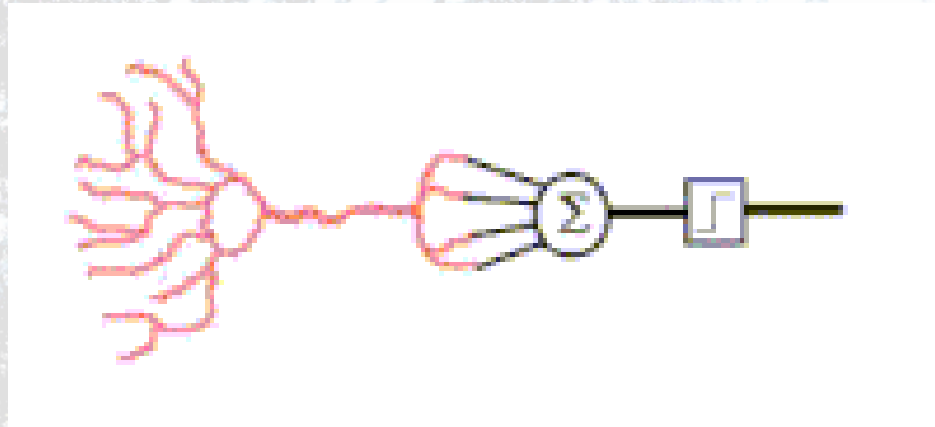
# Artificial Neuron

- Inputs  $I$
- Weights  $W$

- Activity 
$$h = I_1W_1 + I_2W_2 + \dots + I_NW_N - \theta = \sum_{i=1}^{N+1} I_iW_i$$

- Activation function

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_iW_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$





# What can this single Neuron Do?

**Can it think logically?**



# Logic?

- Should I go to college?
  - If it is raining **OR** Ranbir Kapoor Movie Released?
  - If there is an important lecture **AND** I have done the assignment?
  - If my best friend is **NOT** coming

**AND**

**OR**

**NOT**

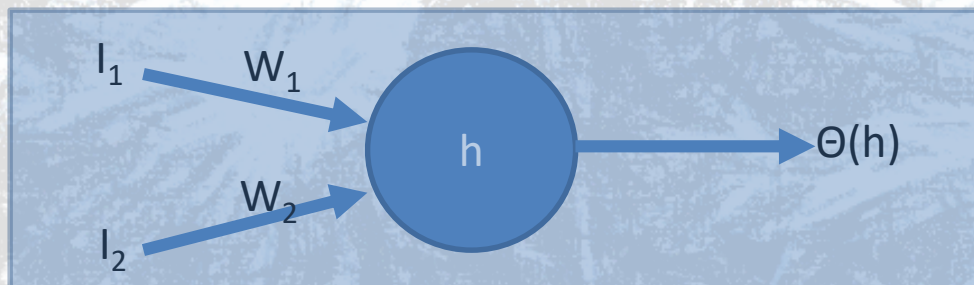


# AND Logic

$$W_1=1, W_2 = 1, \theta=2$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h=I_1W_1+I_2W_2-\theta$	$\Theta(h)$
1	1		
1	0		
0	1		
0	0		

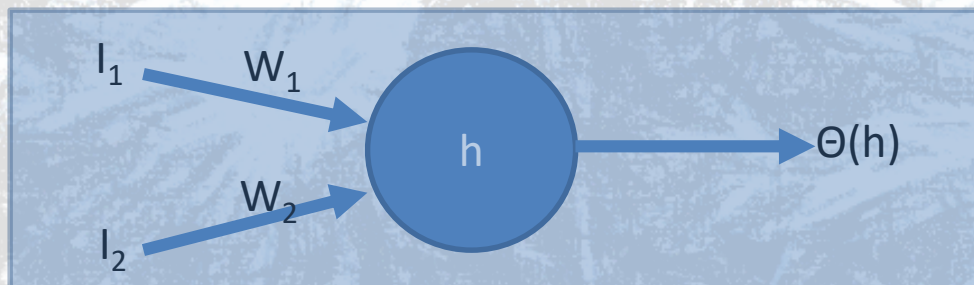


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$I_1$	$I_2$	$h=I_1W_1+I_2W_2-\theta$	$\Theta(h)$
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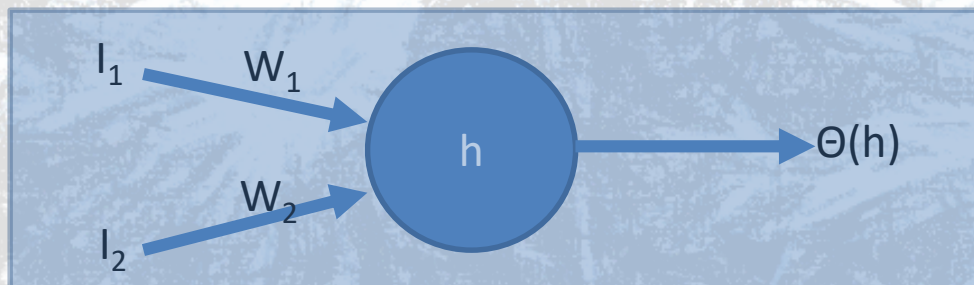


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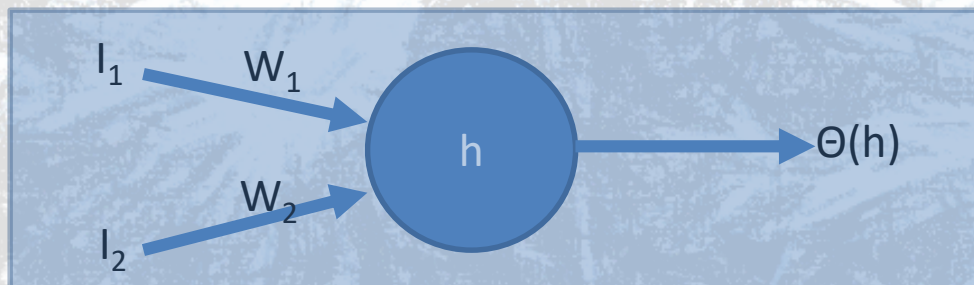


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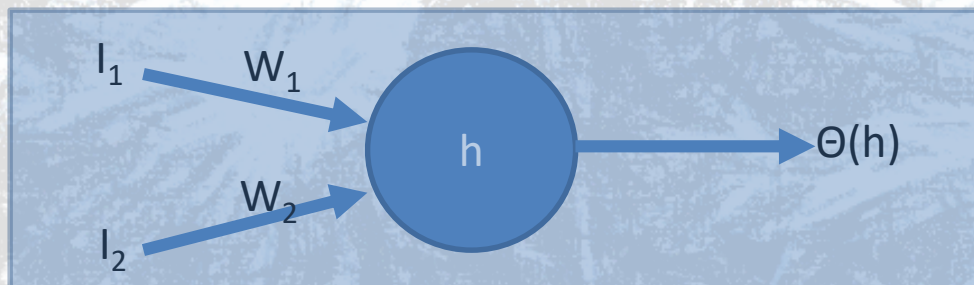


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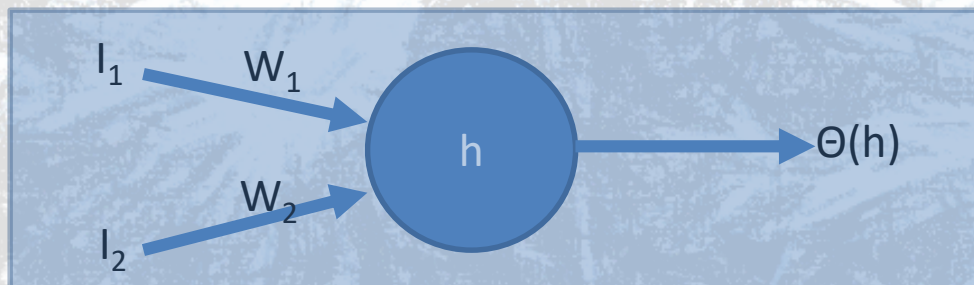


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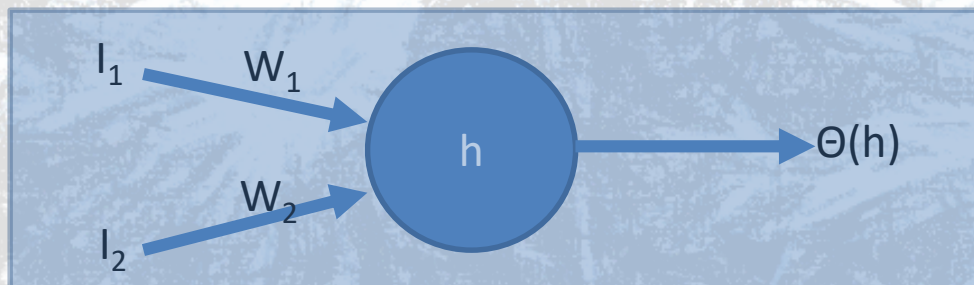


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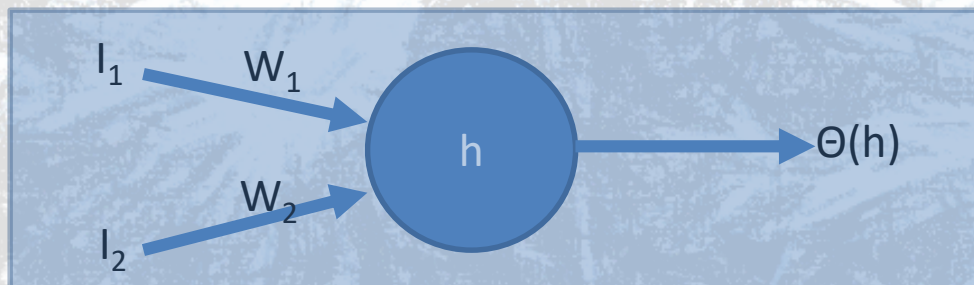


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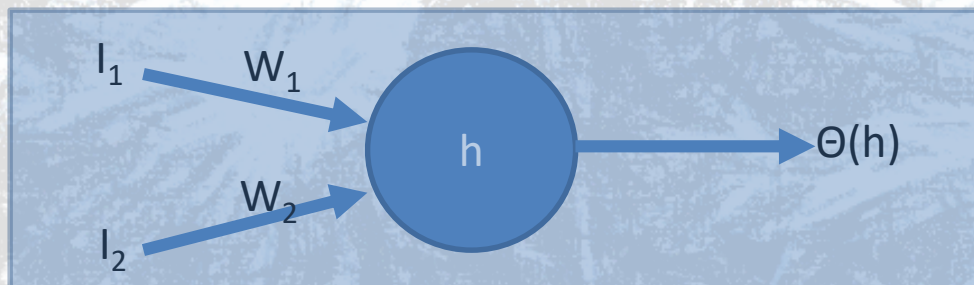


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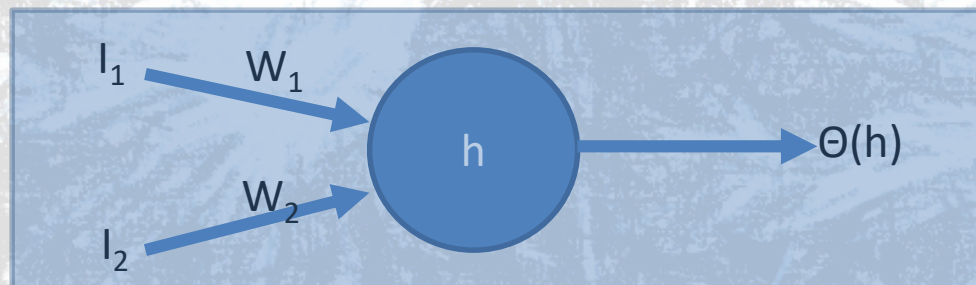


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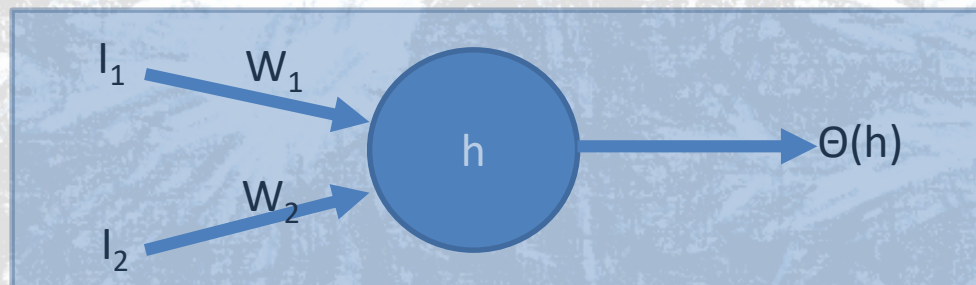


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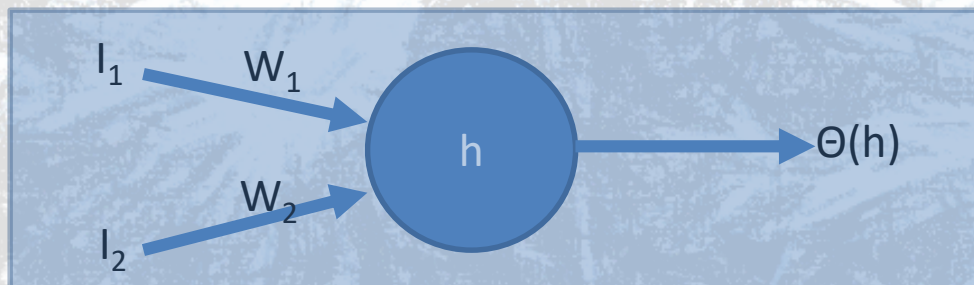


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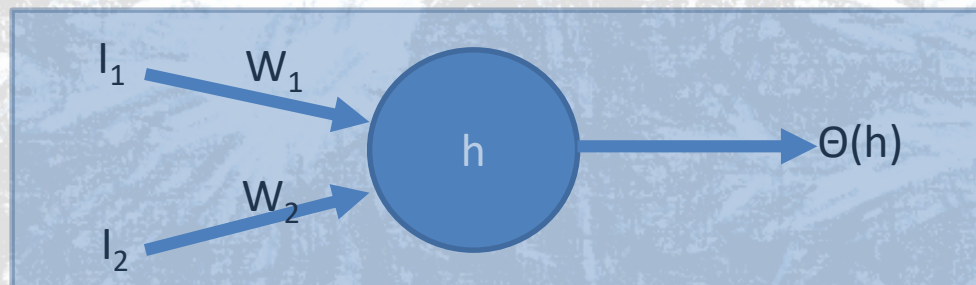


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$$\Theta(h) = \Theta\left(\sum_{i=1}^{N+1} I_i W_i\right) = \begin{matrix} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{matrix}$$

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1	0	$1 + 0 - 1 = 0$	
0	1		
0	0		

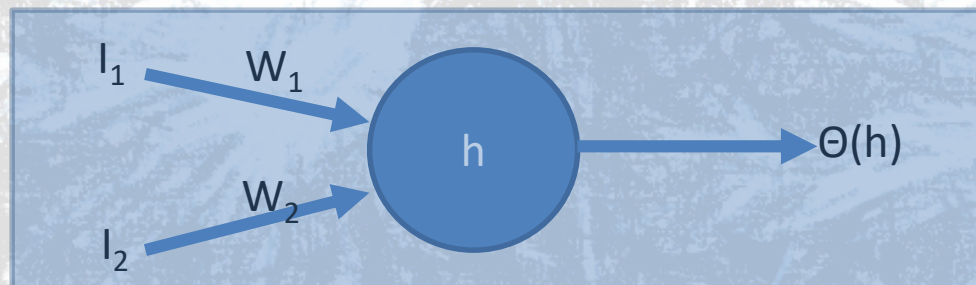


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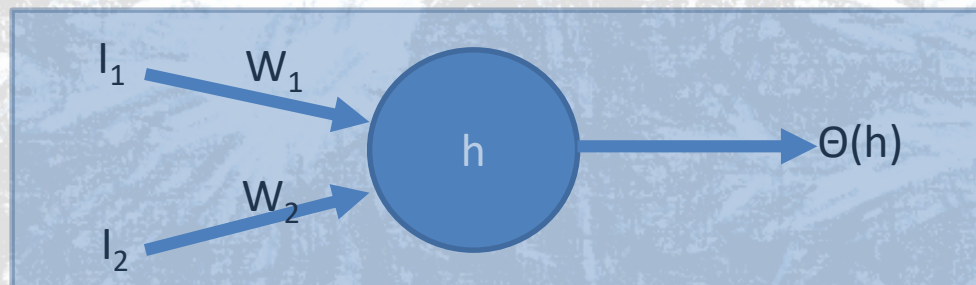


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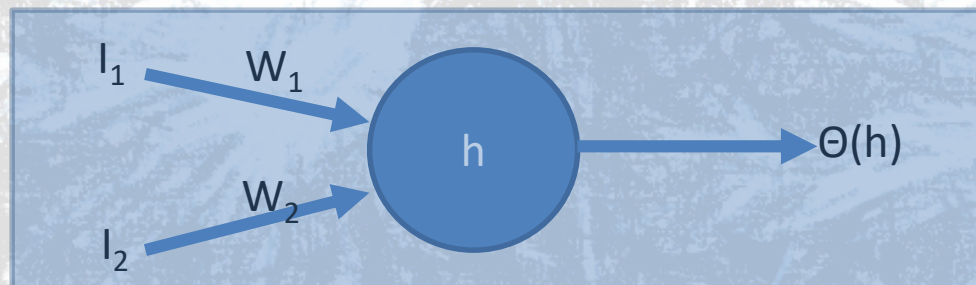


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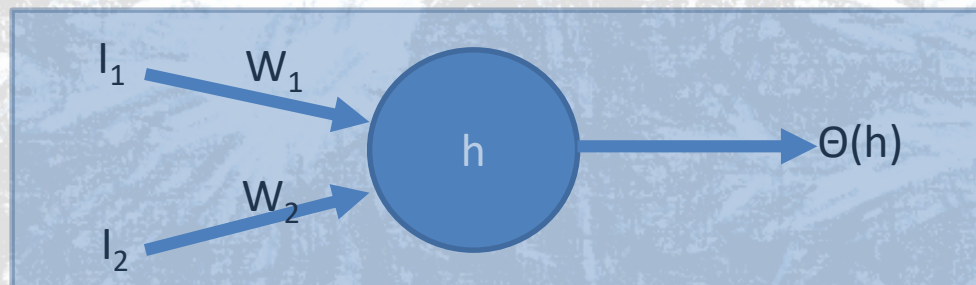


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0	0	$0+0-1=-1$	

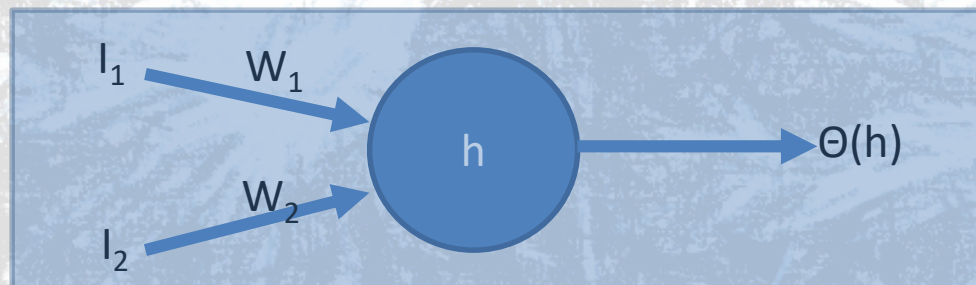


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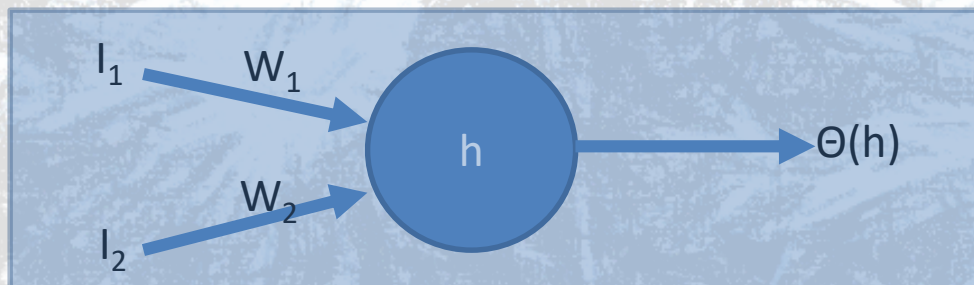


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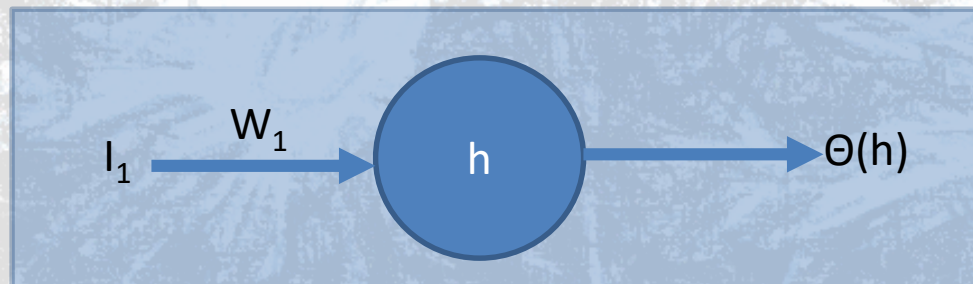


# NOT Logic

$$W_1 = -1, \theta = 0$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^{N+1} I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$h = I_1 W_1 - \theta$	$\Theta(h)$
1	$-1 - 0 = -1$	
0		



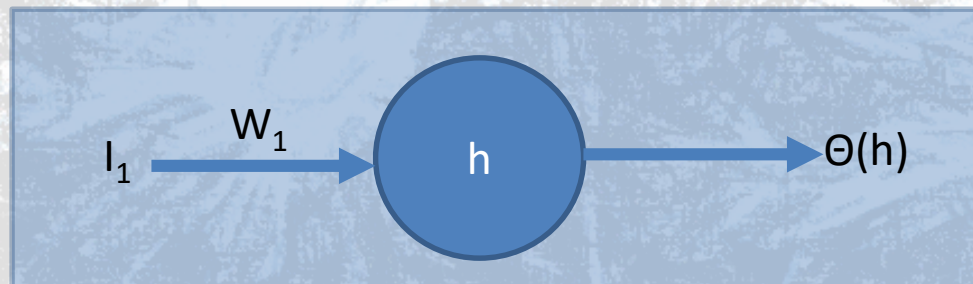


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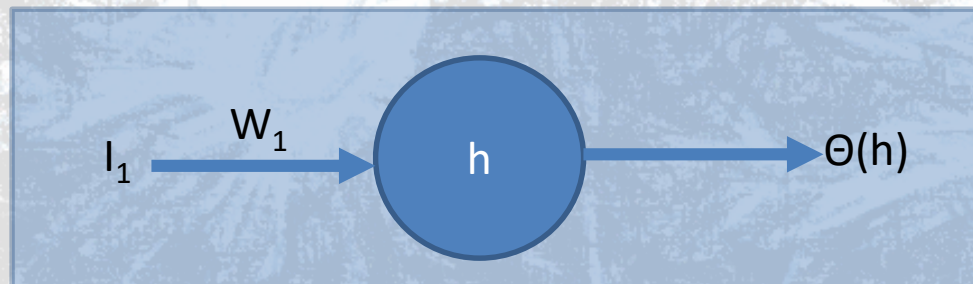


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1	$-1 - 0 = -1$	0
0	$0 - 0 = 0$	1



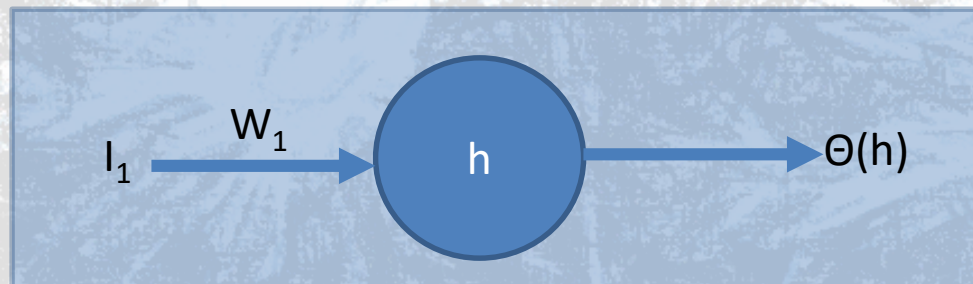


# NOT Logic

$$W_1 = -1, \theta = 0$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^{N+1} I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$h = I_1 W_1 - \theta$	$\Theta(h)$
1	$-1 - 0 = -1$	0
0	$0 - 0 = 0$	1

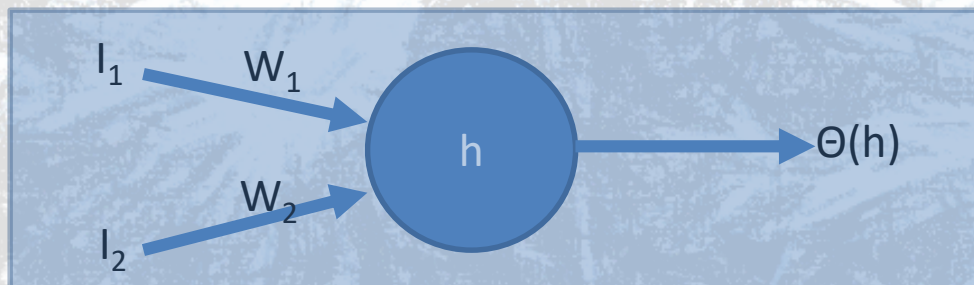


# NOT AND(NAND)Logic

$$w_1 = 1, w_2 = -1, \theta = 0$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^{N+1} I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h = I_1 W_1 + I_2 W_2 - \theta$	$\Theta(h)$
1	1	-1	0
1	0	1	1
0	1	-1	1
0	0	1	1



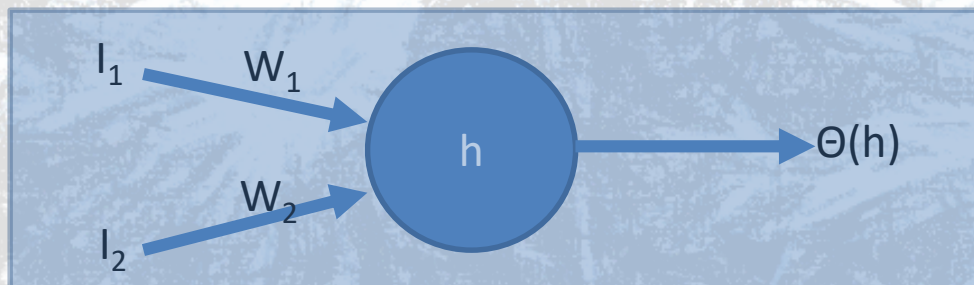


# NOT AND(NAND)Logic

$$W_1 = -1, W_2 = -1, \theta = -1.5$$

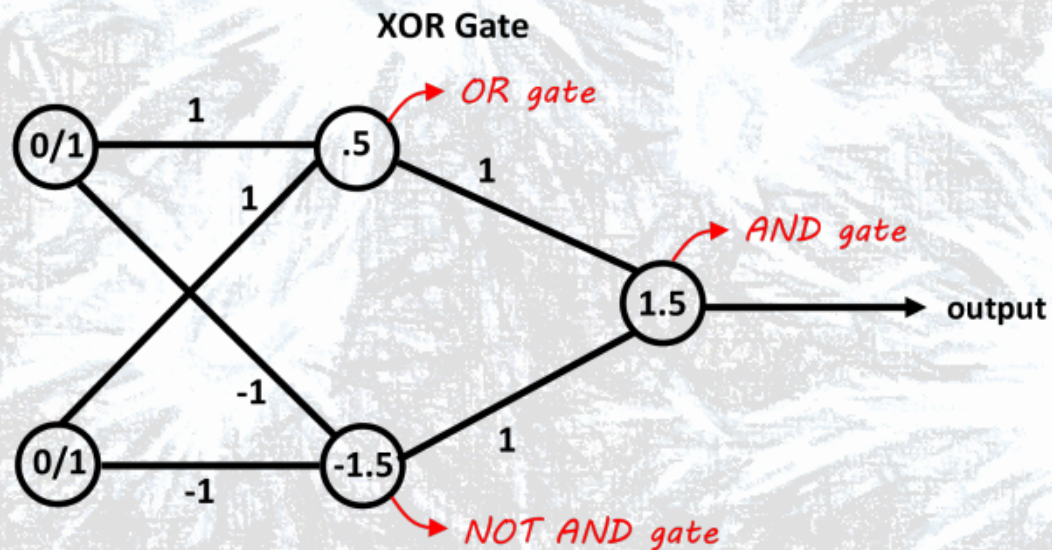
$$\Theta(h) = \Theta\left(\sum_{i=1}^{N+1} I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h = I_1 W_1 + I_2 W_2 - \theta$	$\Theta(h)$
1	1	$-1 -1 +1.5 = -0.5$	0
1	0	$-1 + 0 + 1.5 = 0.5$	1
0	1	$0 - 1 + 1.5 = 0.5$	1
0	0	$0 + 0 + 1.5 = 1.5$	1

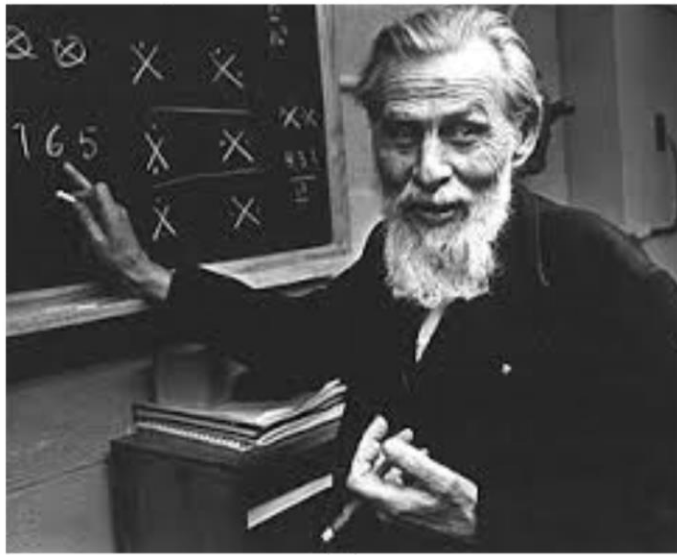


# XOR Logic

$I_1$	$I_2$	$h = I_1W_1 + I_2W_2 - \vartheta$	$\Theta(h)$
1	1	?	0
1	0	?	1
0	1	?	1
0	0	?	0







Warren McCulloch



Walter Pitts

BULLETIN OF  
MATHEMATICAL BIOPHYSICS  
VOLUME 5, 1943

## A LOGICAL CALCULUS OF THE IDEAS IMMANENT IN NERVOUS ACTIVITY

WARREN S. MCCULLOCH AND WALTER PITTS

FROM THE UNIVERSITY OF ILLINOIS, COLLEGE OF MEDICINE,  
DEPARTMENT OF PSYCHIATRY AT THE ILLINOIS NEUROPSYCHIATRIC INSTITUTE,  
AND THE UNIVERSITY OF CHICAGO

Because of the "all-or-none" character of nervous activity, neural events and the relations among them can be treated by means of propositional logic. It is found that the behavior of every net can be described in these terms, with the addition of more complicated logical means for nets containing circles; and that for any logical expression satisfying certain conditions, one can find a net behaving in the fashion it describes. It is shown that many particular choices among possible neurophysiological assumptions are equivalent, in the sense that for every net behaving under one assumption, there exists another net which behaves under the other and gives the same results, although perhaps not in the same time. Various applications of the calculus are discussed.

### *I. Introduction*

Theoretical neurophysiology rests on certain cardinal assumptions. The nervous system is a net of neurons, each having a soma and an axon. Their adjunctions, or synapses, are always between the axon of one neuron and the soma of another. At any instant a neuron has some threshold, which excitation must exceed to initiate an im-

# McCulloch Pitts Model

<https://link.springer.com/article/10.1007%2FBF02478259>

<https://chatbotslife.com/keras-in-a-single-mcculloch-pitts-neuron-317397cccd45>

<http://nautil.us/issue/21/information/the-man-who-tried-to-redeem-the-world-with-logic>



# Can it Learn?

- How does human learn?
  - Parents and teachers teach us
  - We read books and introspect what they mean
  - Motivated by a goal: Good job, praise from peers, desire to excel=> Force us to learn.

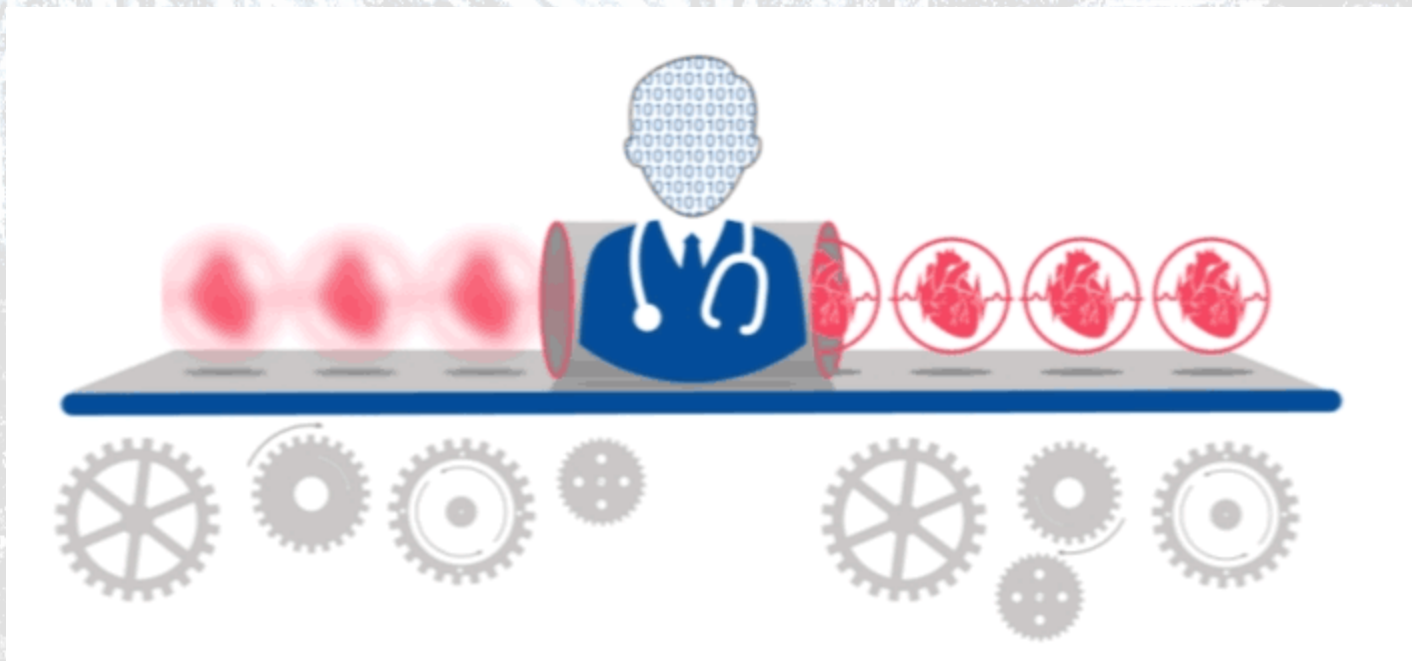


# Can it Learn?

- How does human learn?
  - Parents and teachers teach us:
    - **Supervised Learning**
  - We read books and introspect what they mean
    - **Unsupervised Learning**
  - Motivated by a goal: Good job, praise from peers, desire to excel=> Force us to learn
    - **Reinforcement Learning**

The most understood learning

# Supervised Learning

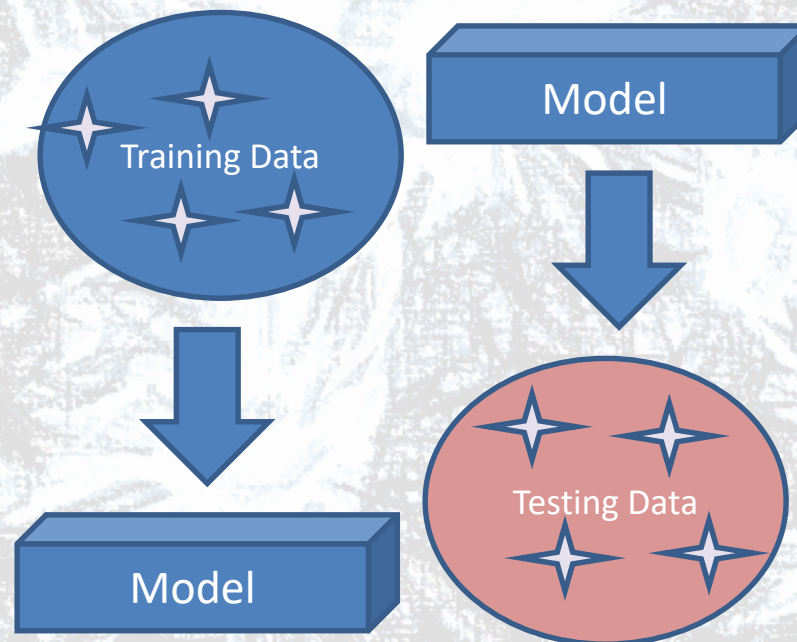




# The most understood learning

## Supervised Learning

- Input, Output pair is given as the training data (x, y).
- With large data we divide it into **Training**, **Testing** and **Cross Validation**



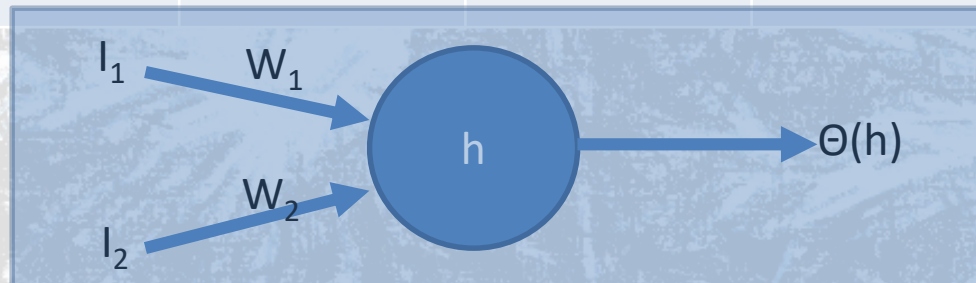
# Learn AND Logic?

$$\theta = W_3 I_3$$

$$W_1=0, W_2=0, W_3=0; I_3=-1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h=I_1W_1+I_2W_2+I_3W_3$	$\Theta(h)$	Desired	Weights
1	1	$0+0-0=0$	1	1	Unchanged
1	0	$0+0-0=0$	1	0	Decrease
0	1	$0+0-0=0$	1	0	Decrease
0	0	$0+0-0=0$	1	0	Decrease





Assign random values to the  
weight vector

Present input, output pair (x, y)  
Calculate h  
Calculate output  $\Theta(h)$

$\Theta(h) == y$

Yes

Choose Next  
input, output  
pair

No

$\Theta(h) > y$

Yes

$W = W - \eta x$

$W = W + \eta x$

No

# Learn AND Logic?

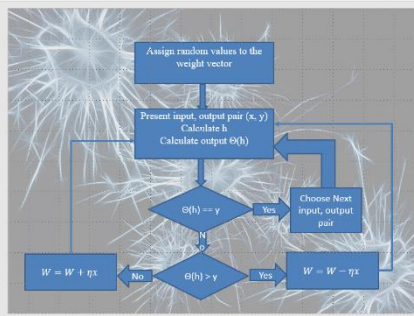
$$W_1=0, W_2=0, W_3=0; I_3=-1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h=I_1W_1+I_2W_2+I_3W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0+0-0=0$	1	1	Unchanged	$W_1=0, W_2=0, W_3=0$



# Learn AND Logic?

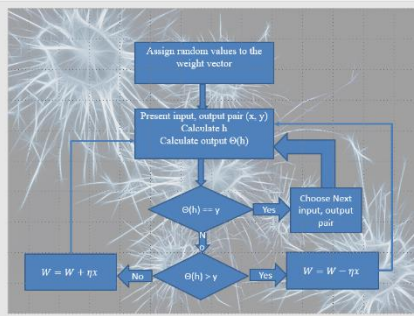


$$W_1=0, W_2 = 0, W_3=0 ; I_3 = -1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h=I_1W_1 + I_2W_2 + I_3W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0 + 0 - 0 = 0$	1	1	Unchanged	$W_1=0, W_2 = 0, W_3=0$
1	0	$0 + 0 - 0 = 0$	1	0	Decrease	$W_1 = W_1 - I_1 = -1$ $W_2 = W_2 - I_2 = 0$ $W_3 = W_3 - I_3 = +1$

# Learn AND Logic?



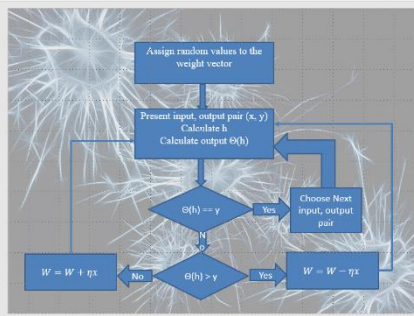
$$W_1 = -1, W_2 = 0, W_3 = 1; I_3 = -1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h = I_1 W_1 + I_2 W_2 + I_3 W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0 + 0 - 0 = 0$	1	1	Unchanged	$W_1 = 0, W_2 = 0, W_3 = 0$
1	0	$0 + 0 - 0 = 0$	1	0	Decrease	$W_1 = W_1 - I_1 = -1$ $W_2 = W_2 - I_2 = 0$ $W_3 = W_3 - I_3 = +1$
1	0					



# Learn AND Logic?

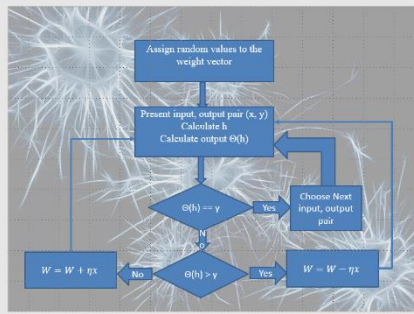


$$W_1 = -1, W_2 = 0, W_3 = 1; I_3 = -1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h = I_1 W_1 + I_2 W_2 + I_3 W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0 + 0 - 0 = 0$	1	1	Unchanged	$W_1 = 0, W_2 = 0, W_3 = 0$
1	0	$0 + 0 - 0 = 0$	1	0	Decrease	$W_1 = W_1 - I_1 = -1$ $W_2 = W_2 - I_2 = 0$ $W_3 = W_3 - I_3 = +1$
1	0	$-1 + 0 - 1 = 0$	1	1	Unchanged	$W_1 = -1, W_2 = 0, W_3 = 1$

# Learn AND Logic?



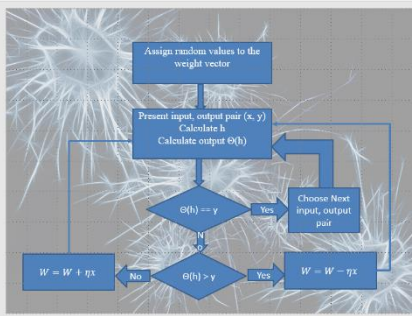
$$W_1 = -1, W_2 = 0, W_3 = 1; I_3 = -1$$

$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h = I_1 W_1 + I_2 W_2 + I_3 W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0 + 0 - 0 = 0$	1	1	Unchanged	$W_1 = 0, W_2 = 0, W_3 = 0$
1	0	$0 + 0 - 0 = 0$	1	0	Decrease	$W_1 = W_1 - I_1 = -1$ $W_2 = W_2 - I_2 = 0$ $W_3 = W_3 - I_3 = +1$
1	0	$-1 + 0 - 1 = -2$	0	0	Unchanged	$W_1 = -1, W_2 = 0, W_3 = 1$
0	1	$0 + 0 - 1 = -1$	0	0	Unchanged	$W_1 = -1, W_2 = 0, W_3 = 1$



# Learn AND Logic?



$$W_1=-1, W_2=0, W_3=1 ; I_3 = -1$$

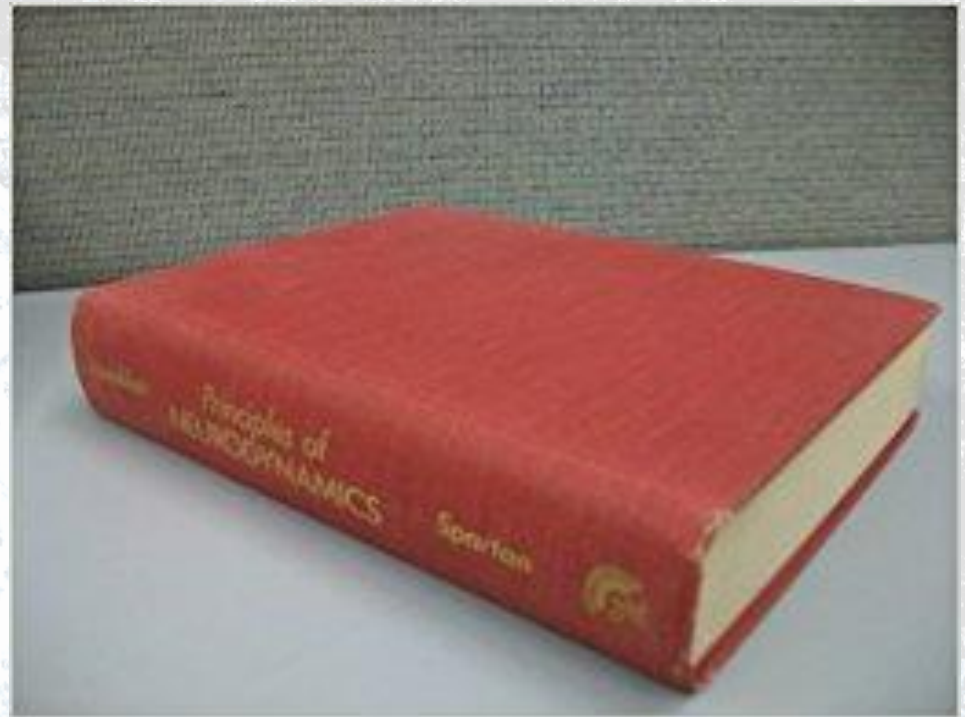
$$\Theta(h) = \Theta\left(\sum_{i=1}^N I_i W_i\right) = \begin{cases} 1 & \text{if } h \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

$I_1$	$I_2$	$h=I_1W_1+I_2W_2+I_3W_3$	$\Theta(h)$	Desired	Weights	New Weights
1	1	$0 + 0 - 0 = 0$	1	1	Unchanged	$W_1=0, W_2=0, W_3=0$
1	0	$0 + 0 - 0 = 0$	1	0	Decrease	$W_1 = W_1 - I_1 = -1$ $W_2 = W_2 - I_2 = 0$ $W_3 = W_3 - I_3 = +1$
1	0	$-1 + 0 - 1 = -2$	0	0	Unchanged	$W_1=-1, W_2=0, W_3=1$
0	1	$0 + 0 - 1 = -1$	0	0	Unchanged	$W_1=-1, W_2=0, W_3=1$
0	0	$0 + 0 - 1 = -1$	0	0	Unchanged	$W_1=-1, W_2=0, W_3=1$



Frank Rosenblatt

# Perceptron



Principles of Neurodynamics: Perceptrons and the Theory of Brain Mechanisms

*“[The perceptron] is the embryo of an electronic computer that [The Navy] expects will be able to walk, talk, see, write, reproduce itself and be conscious of its existence.”*

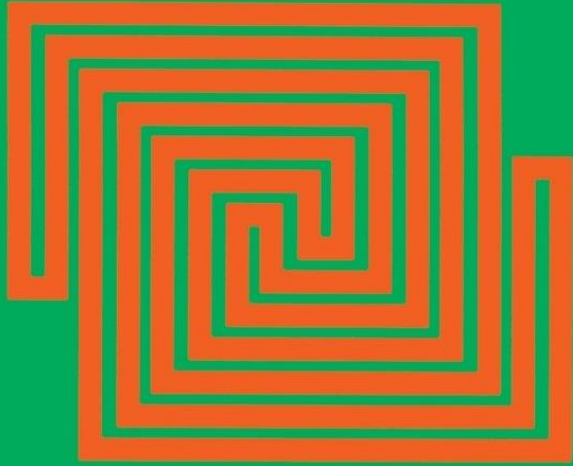
-Frank Rosenblatt



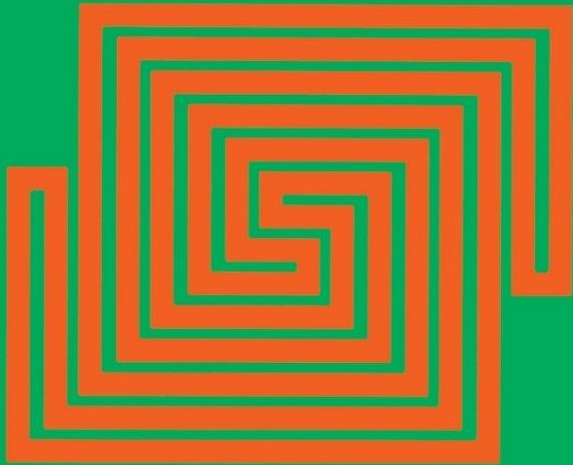
But!!



Expanded Edition



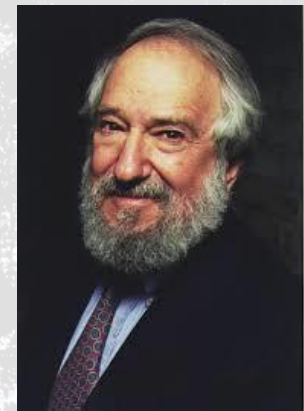
Perceptron



Marvin L. Minsky  
Seymour A. Papert



Marvin Minsky



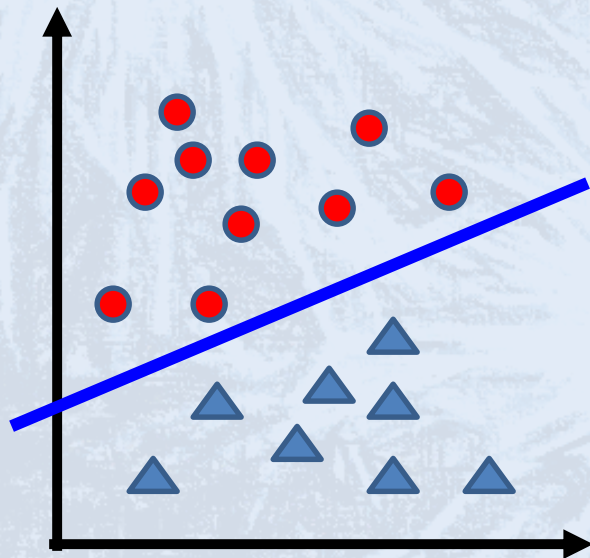
Seymour Papert

**Detailed Study of Perceptrons and their capabilities.**

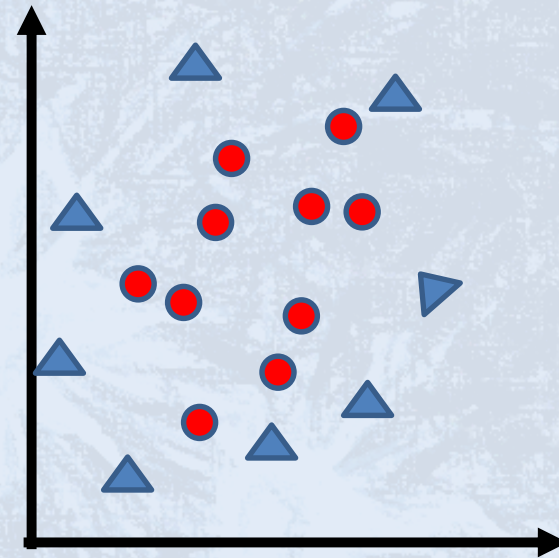
- **Proved Perceptron cannot solve non-linearly separable problems. Eg. XOR.**
- **In addition, training time grows exponentially with the size of the input.**



# Linearly vs Non-linearly Separable

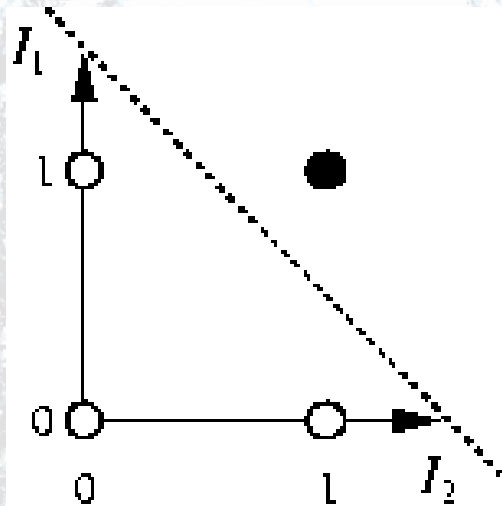


**Linearly separable**

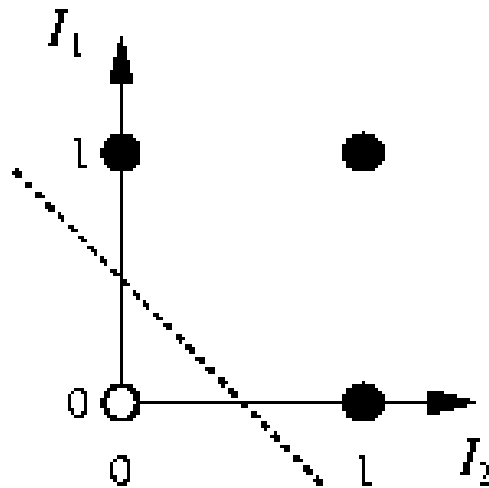


**Non-linearly separable**

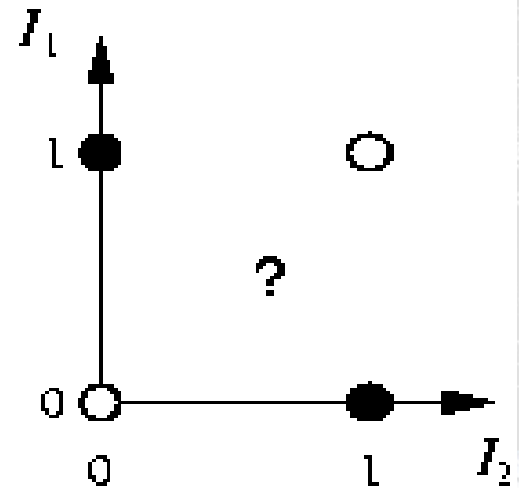
# AND/OR/ XOR



(a)  $I_1$  and  $I_2$



(b)  $I_1$  or  $I_2$



(c)  $I_1$  xor  $I_2$

**The First AI Winter  
1974-1980**

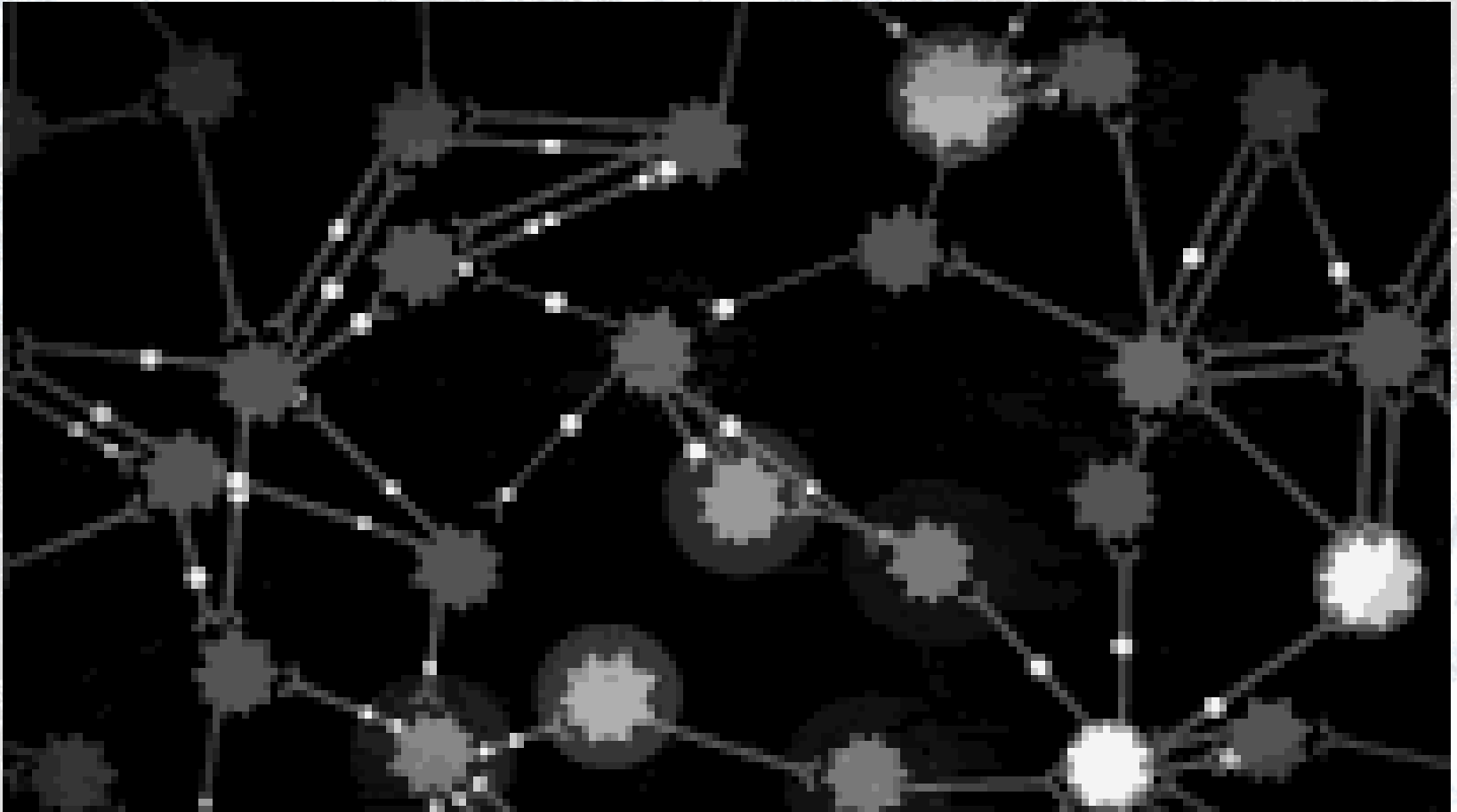


# AI Failure's

- 1969: Non linear problems.
- 1966:Machine Translation
- 1971-1975: Speech Understanding
- James Lighthill paper “**Artificial Intelligence: A General Survey**”
  - AI researchers had failed to address the issue of combinatorial explosion when solving problems within real world domains.
  - That is, the report states that AI techniques may work within the scope of small problem domains, but the techniques would not scale up well to solve more realistic problems.
  - The report represents a pessimistic view of AI that began after early excitement in the field.

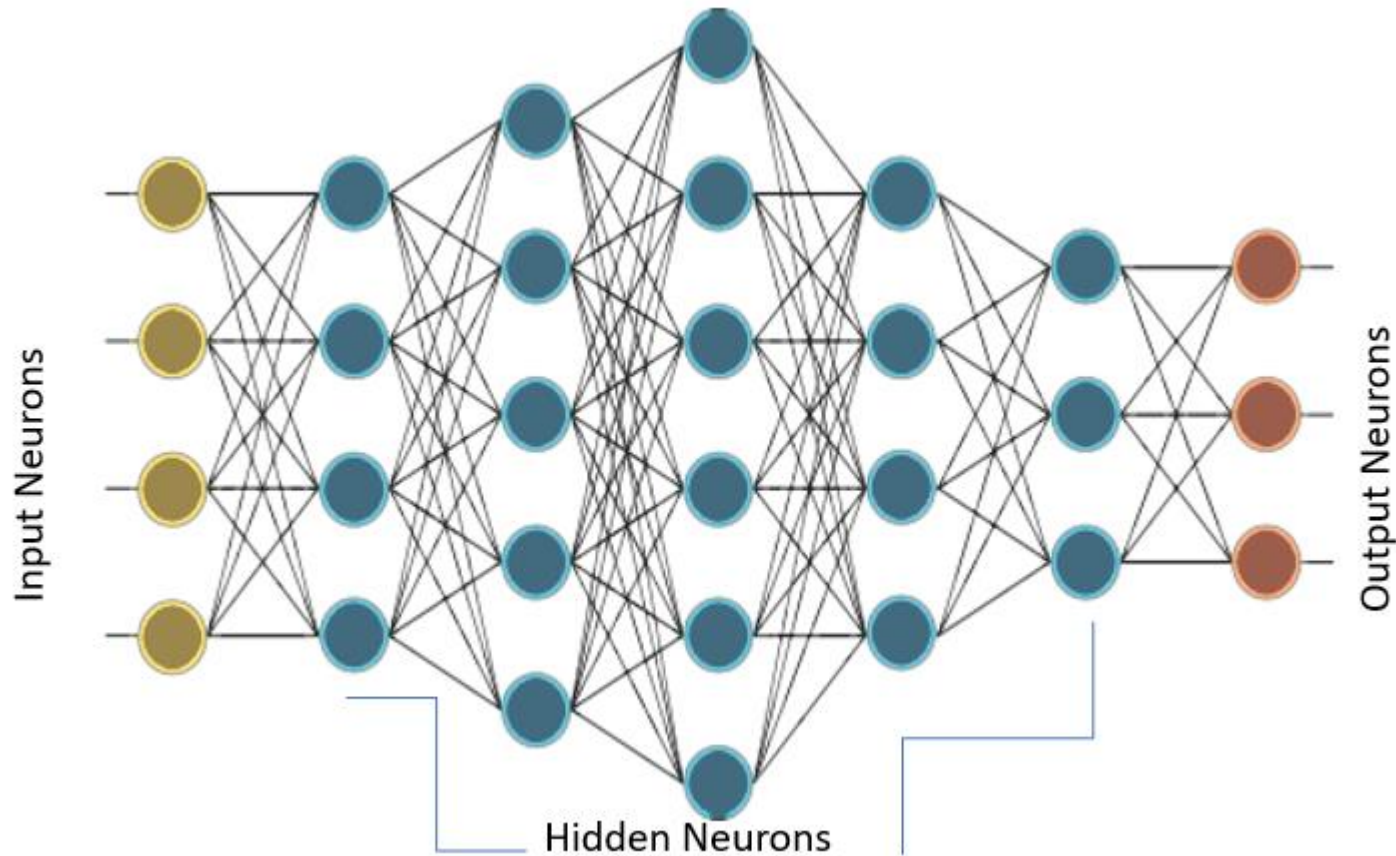
**What if we connect many such artificial neurons?**

## **Neural Networks**

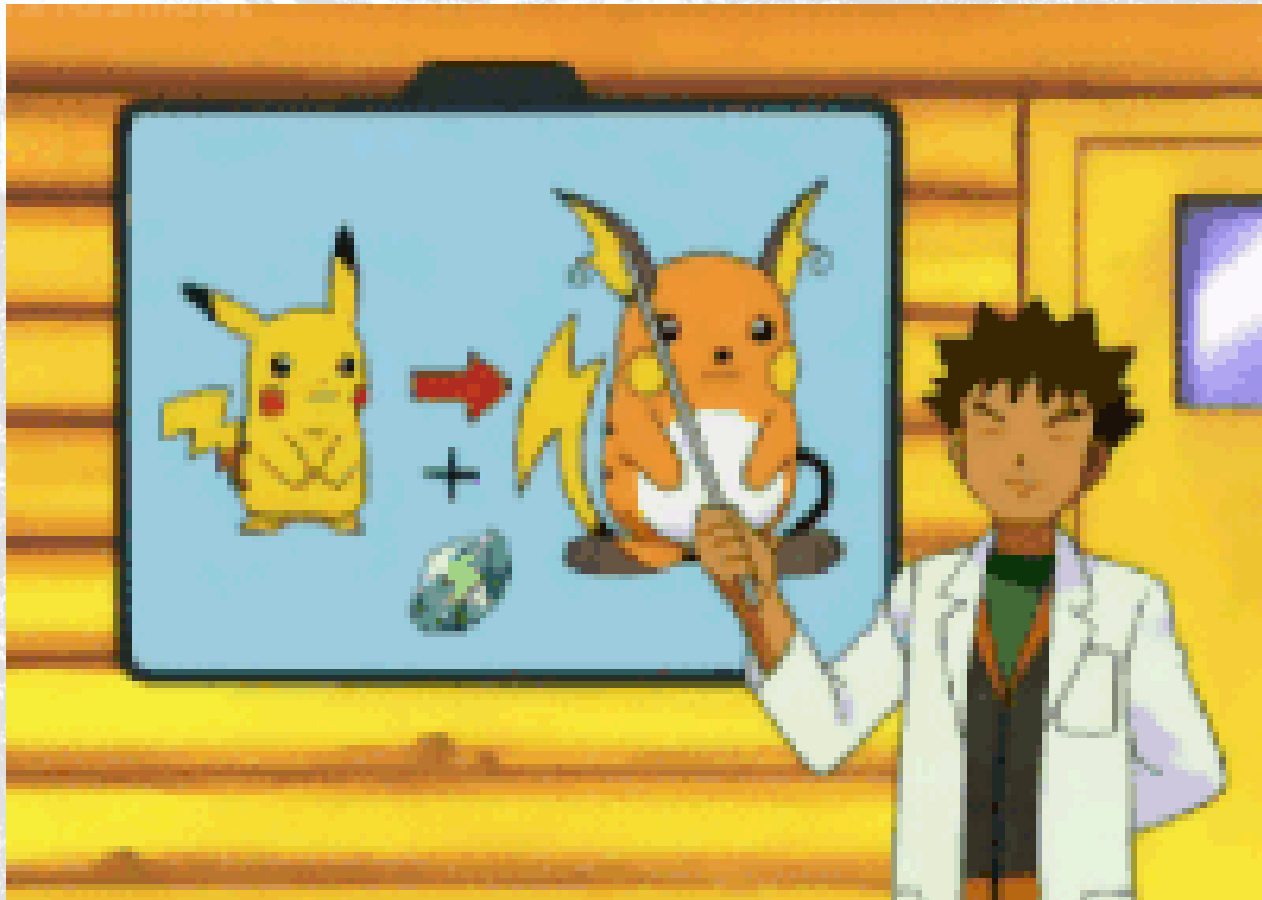




# Multilayer Perceptron (MLP)



➤ But then how will we train them?





# Back Propagation Algorithm



David Rumelhart



Geoffrey Hinton



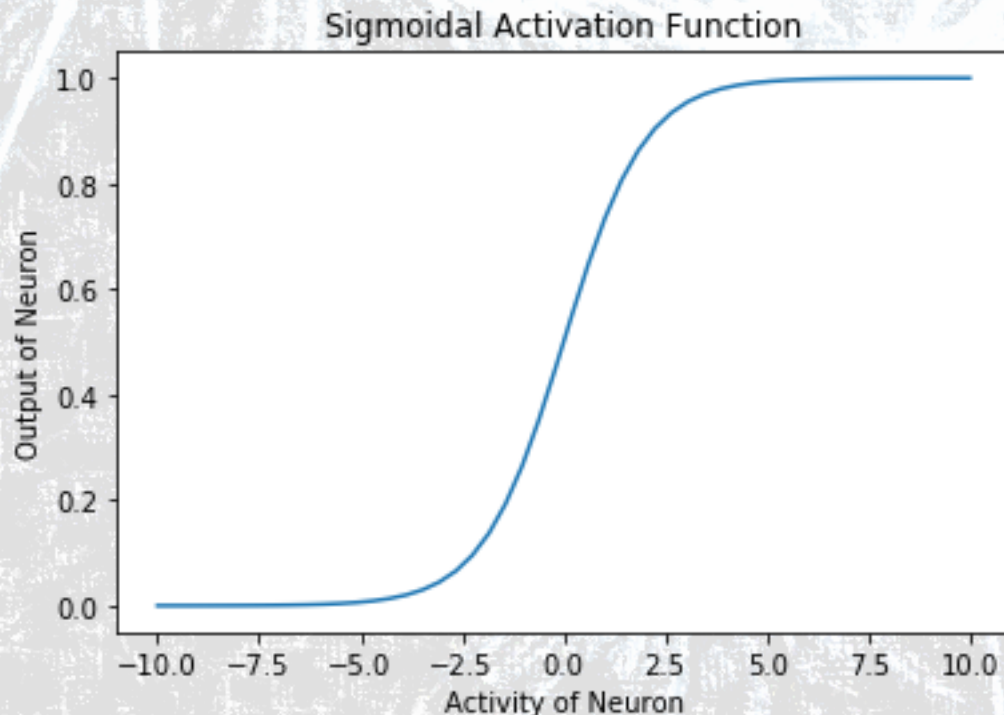
Ronald Williams

- BPA was derived in 1960 by Henry J Kelley for Control theory
- In 1986 Rumelhart, Hinton and Williams showed experimentally that BPA can generate useful internal representation of incoming data in hidden layers.

# Changes for BPA

- The activation function should be differentiable

- Sigmoid function  $g(x) = \frac{1}{1 + e^{-x}}$   $g'(x) = g(x)(1 - g(x))$



$$\begin{aligned} &= \frac{d}{dx} \left[ \frac{1}{1 + e^{-x}} \right] \\ &= \frac{d}{dx} (1 + e^{-x})^{-1} \\ &= -(1 + e^{-x})^{-2} (-e^{-x}) \\ &= \frac{e^{-x}}{(1 + e^{-x})^2} \\ &= \frac{1}{1 + e^{-x}} \cdot \frac{e^{-x}}{1 + e^{-x}} \\ &= \frac{1}{1 + e^{-x}} \cdot \frac{(1 + e^{-x}) - 1}{1 + e^{-x}} \\ &= \frac{1}{1 + e^{-x}} \cdot \left( \frac{1 + e^{-x}}{1 + e^{-x}} - \frac{1}{1 + e^{-x}} \right) \\ &= \frac{1}{1 + e^{-x}} \cdot \left( 1 - \frac{1}{1 + e^{-x}} \right) \end{aligned}$$

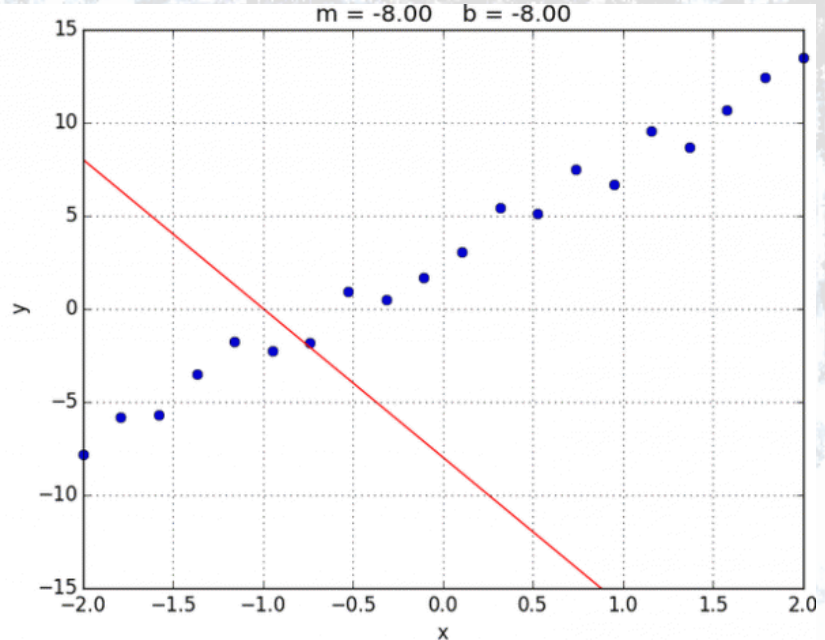
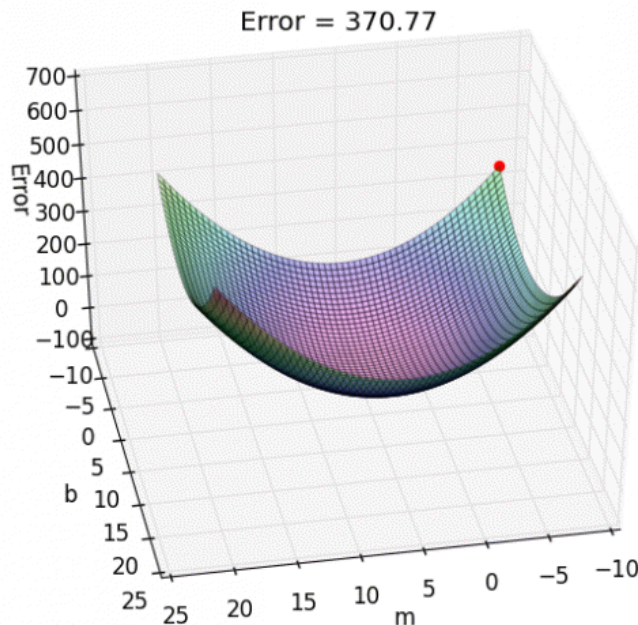


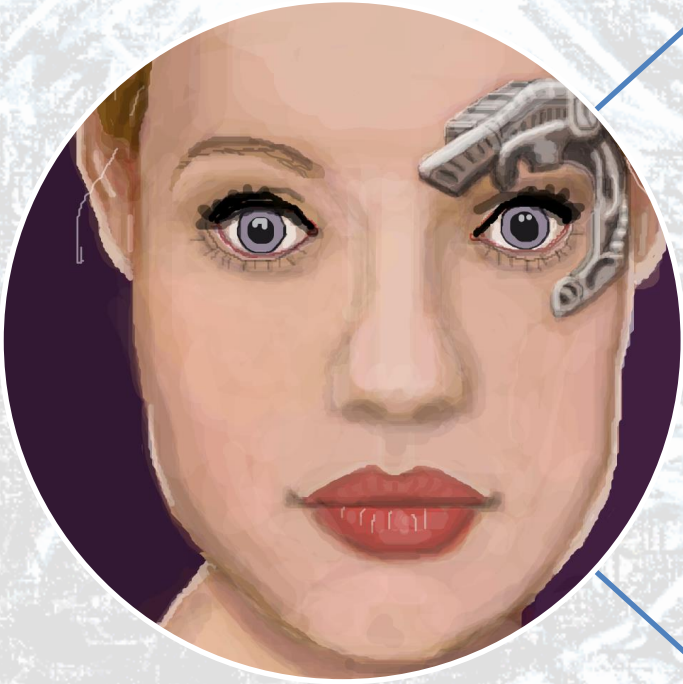
# Gradient Descent Algorithm

$$E = \frac{1}{2N} \sum_x \|y(x) - y'(x)\|^2$$

$$\Delta w_{ij} = -\eta \frac{\partial E}{\partial w_{ij}} = -\eta o_i \delta_j$$

$$\delta_j = \frac{\partial E}{\partial o_j} \frac{\partial o_j}{\partial \text{net}_j} = \begin{cases} (o_j - t_j) o_j (1 - o_j) & \text{if } j \text{ is an output neuron,} \\ (\sum_{\ell \in L} \delta_\ell w_{j\ell}) o_j (1 - o_j) & \text{if } j \text{ is an inner neuron.} \end{cases}$$





Supervised  
Learning:  
Classification  
/Regression

- Multilayered Perceptrons (MLP)
- Convolutional Neural Networks (CNN)
- Recurrent Neural Networks (RNN)
- Deep Belief Networks

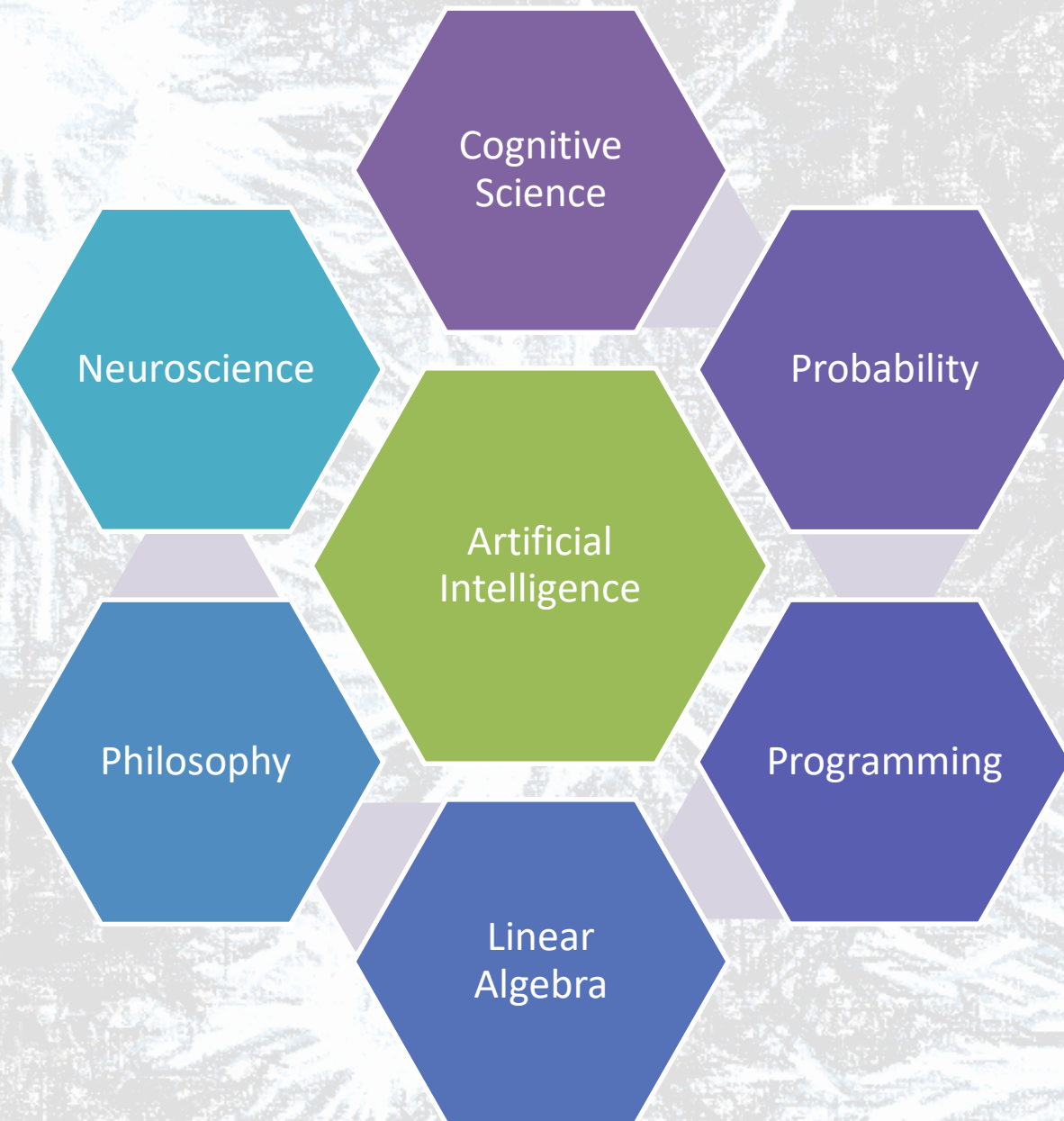
Unsupervised  
Learning:  
Dimensionality  
Reduction/  
Generating Data

- Self Organized Maps (SOM)
- Restricted Boltzmann Machines (RBM)
- Autoencoders
- Generative Adversarial Networks (GANs)
- Deep Belief Networks

Reinforcement  
Learning:  
Robotics/  
Inventory  
Management

- Q- learning
- Monte Carlo Methods
- Temporal Difference Methods





## Probability

- [https://courses.edx.org/courses/course-v1:MITx+6.041x\\_4+1T2017/course/](https://courses.edx.org/courses/course-v1:MITx+6.041x_4+1T2017/course/)
- <https://www.coursera.org/specializations/probabilistic-graphical-models>

## Linear Algebra

- <https://www.khanacademy.org/math/linear-algebra>
- <https://classroom.udacity.com/courses/ud953>

## Python

- <https://www.coursera.org/specializations/python>
- <http://www.datasciencecentral.com/profiles/blogs/learn-python-in-3-days-step-by-step-guide>



