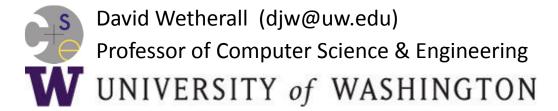
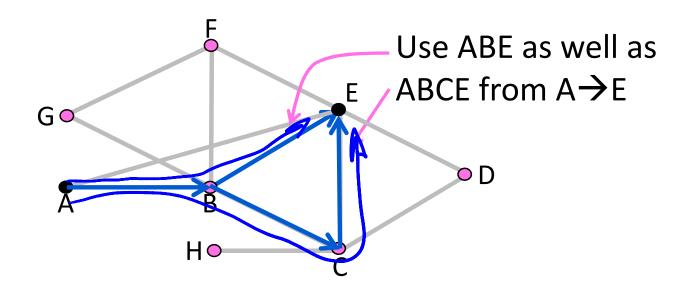
#### Computer Networks

Equal-Cost Multi-Path Routing (§5.2.1, 5.6.6)



#### Topic

- More on shortest path routes
  - Allow multiple shortest paths



# Multipath Routing

- Allow multiple routing paths from node to destination be used at once
  - Topology has them for redundancy
  - Using them can improve performance
- Questions:
  - How do we find multiple paths?
  - How do we send traffic along them?

### **Equal-Cost Multipath Routes**

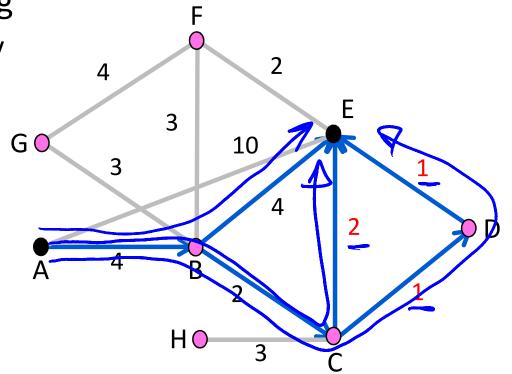
- One form of multipath routing
  - Extends shortest path model by keeping set if there are ties
- Consider A→E

$$-$$
 ABE = 4 + 4 = 8

$$-$$
 ABCE = 4 + 2 + 2 = 8

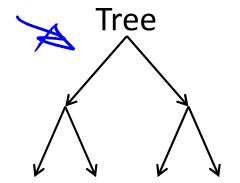
$$-$$
 ABCDE = 4 + 2 + 1 + 1 = 8

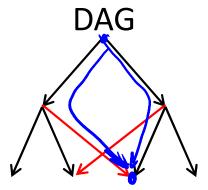
Use them all!



#### Source "Trees"

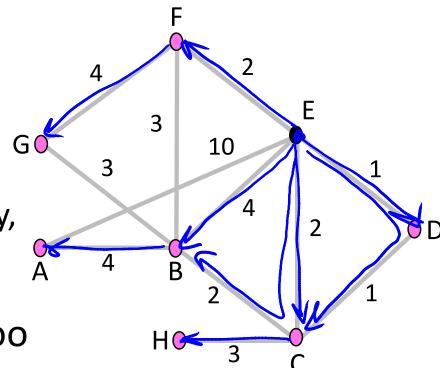
- With ECMP, source/sink "tree" is a directed acyclic graph (DAG)
  - Each node has set of next hops
  - Still a compact representation





## Source "Trees" (2)

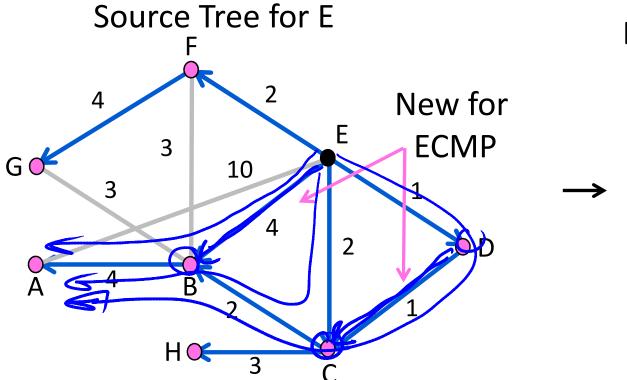
- Find the source "tree" for E
  - Procedure is Dijkstra, simply remember set of next hops
  - Compile forwarding table similarly, may have set of next hops
- Straightforward to extend DV too
  - Just remember set of neighbors



**Computer Networks** 

6

# Source "Trees" (3)



#### E's Forwarding Table

Node	Next hops	
Α	B, C, D	
В	B, C, D	
С	C, D	
D	D	
E		
F	F	
G	F	
Н	C, D	

**Computer Networks** 

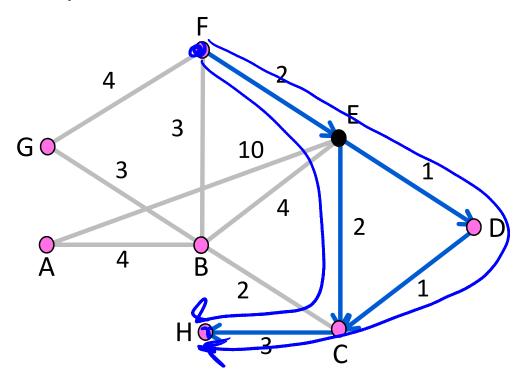
7

### Forwarding with ECMP

- Could randomly pick a next hop for each packet based on destination
  - Balances load, but adds jitter
- Instead, try to send packets from a given source/destination pair on the same path
  - Source/destination pair is called a <u>flow</u>
  - Map flow identifier to single next hop
  - No jitter within flow, but less balanced

### Forwarding with ECMP (2)

Multipath routes from F/E to C/H E's Forwarding Choices



Flow	Possible next hops	Example choice
$F \rightarrow H$	C, D	D
$F \rightarrow C$	C, D	D
$E \rightarrow H$	C, D	С
$E \rightarrow C$	C, D	C

Use both paths to get to one destination

#### **END**

#### © 2013 D. Wetherall

Slide material from: TANENBAUM, ANDREW S.; WETHERALL, DAVID J., COMPUTER NETWORKS, 5th Edition, © 2011. Electronically reproduced by permission of Pearson Education, Inc., Upper Saddle River, New Jersey