## Applied Statistics in R

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Master's Program

Game Theory and Operations Research

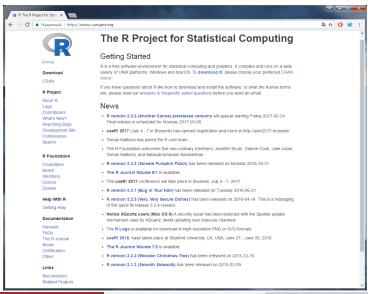
Saint Petersburg State University

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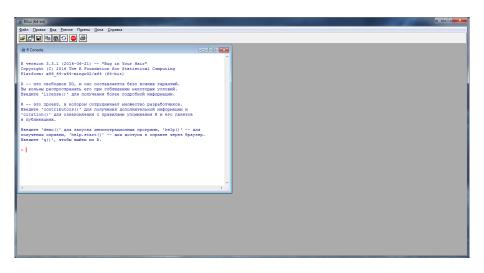
### References

- https://www.r-project.org/
- 2 Adler J., "R in a Nutshell: A Desktop Quick Reference", O'Reilly Media, 2010, 640 p.
- 3 Crawley M.J., "The R Book", Willey, 2007, 950 p.
- Marques de Sa, Joaquim P., "Applied Statistics Using SPSS, STATISTICA, MATLAB and R", Springer, 2007, 520 p.
- James G., Witten D., Hastie T., Tibshirani R., "An Introduction to Statistical Learning with Applications in R", Springer, 2013, 426 p.
- 6 Greene W.H., "Econometric Analysis", Prentice Hall, 7th edition, 2011, 1188 p.
- Maddala G.S., "Introduction to Econometrics", Macmillan Publishing Company, 2nd edition, 2007, 637 p.

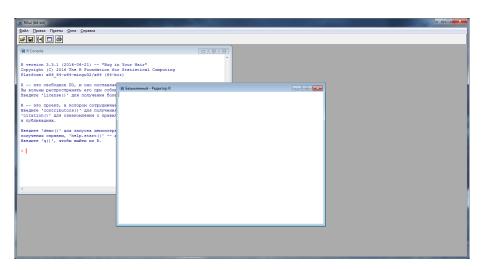
# R Project: http://www.r-project.org/



## **RGui**

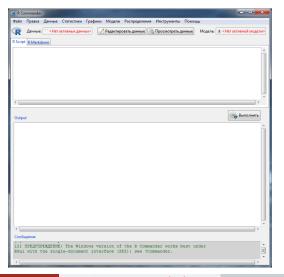


# New R script

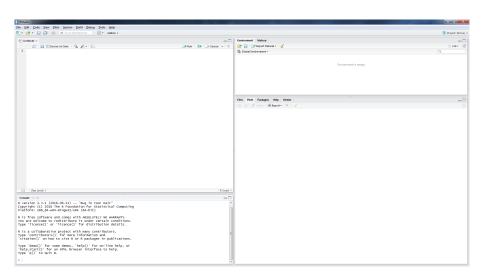


## R Commander

### library(Rcmdr);



# RStudio: https://www.rstudio.com



# R packages

- To load a package in R:
  - > library()
- To install a package in R:
  - > install.packages()
- To install several packages in R:
  - > install.packages(c("tree","maptree"))

# Basic operations in R

To combine a vector in R:

```
> c(1,2,3,4)
[1] 1 2 3 4
```

Operators with vectors:

```
> c(1,2,3,4)+c(10,20,30,40)
[1] 11 22 33 44
> c(1,2,3,4)*c(10,20,30,40)
[1] 10 40 90 160
> 1/c(1,2,3,4)
[1] 1.000 0.500 0.333 0.250
> c(1,2,3,4)+c(10,100)
[1] 11 102 13 104
```

## **Variables**

• To assign a value to a variable:

• To refer to a member of a vector:

```
> b <- c(1,2,3,4,5,6,7,8,9,10)
> b[7]
[1] 7
> b[1:6]
[1] 1 2 3 4 5 6
```

## Lists in R

 A list is a generic vector containing other objects. For example, the following variable x is a list containing copies of three vectors n, s, b, and a numeric value 3:

```
> n = c(2, 3, 5)
> s = c("aa", "bb", "cc", "dd", "ee")
> b = c(TRUE, FALSE, TRUE, FALSE, FALSE)
> x = list(n, s, b, 3) # x contains copies of n, s, b
```

To access an item in the list:

```
> x[2]
[1] "aa" "bb" "cc" "dd" "ee"
```

## Lists in R

 In order to reference a list member directly, use the double square bracket "[[]]" operator. The following object x[[2]] is the second member of x. In other words, x[[2]] is a copy of s, but is not a slice containing s or its copy:

```
> x[[2]]
[1] "aa" "bb" "cc" "dd" "ee"
```

## Named lists in R

```
• > v = list(bob=c(2, 3, 5), john=c("aa", "bb"))
> v
$bob
[1] 2 3 5
$john
[1] "aa" "bb"
```

 In order to reference a list member directly, use the double square bracket "[[]]" operator. The following references a member of v by name:

```
> v[["bob"]]
[1] 2 3 5
```

 A named list member can also be referenced directly with the "\$" operator in lieu of the double square bracket operator:

```
> v$bob
```

### Data frame

Data frame is a list that contains multiple named vectors that are the same length. Data frame is a lot like a database table. For example, there is a data frame with win/loss results in the National League (NL) East in 2008:

```
> teams <- c("PHI","NYM","FLA","ATL","WSN")</pre>
> w < -c(92, 89, 94, 72, 59)
> 1 <- c(70, 73, 77, 90, 102)
> nleast <- data.frame(teams,w,1)</pre>
> nleast
    teams
          W
     PHI 92
                70
    NYM
          89
              73
    FLA 94
               77
4
    ATI 72
                90
 5
    WSN
           59
               102
```

### Data frame

To refer the components of a data frame use "\$" operator:

```
> nleast$w
[1] 92 89 94 72 59
```

 Suppose you want to find the number of losses by Florida Marlins (FLA). You can calculate it like this:

```
> nleast$teams=="FLA"
[1] FALSE FALSE TRUE FALSE FALSE
```

 Then you can use this vector to refer to the right element in the losses vector:

```
> nleast$1[nleast$teams=="FLA"]
[1] 77
```

# Data input

XLS-file:

```
library(gdata)
data <- read.xls("C:/noname.xls", sheet = 1, header =
TRUE)</pre>
```

XLSX-file:

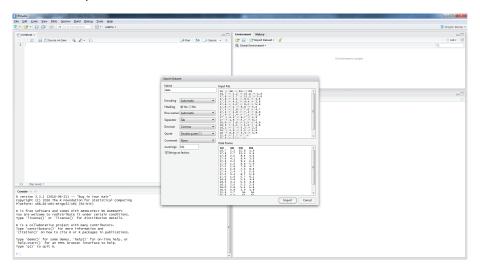
```
library(readx1)
data <- read_excel("C:/haemolytic.xlsx", sheet = 1,
col_names = TRUE)</pre>
```

TXT-file:

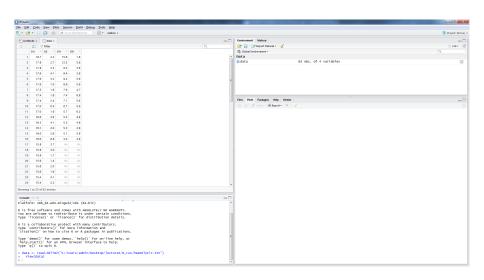
```
data <- read.table("C:/noname.txt", header=TRUE,
sep="\t", na.strings="NA", dec=",")</pre>
```

# Data input (RStudio)

Tools  $\rightarrow$  Import Dataset  $\rightarrow$  From Local File. . .



# Data input (RStudio)



# Missing values: NA

```
To check if there are NA entries in data: is.na(data$DH)
```

```
To produce a vector without NA entries: data$DH[! is.na(data$DH)]
```

### **Vectors**

```
x \leftarrow c(1,3,0,2,1,4,2,1,5,0)
x < - seq(-4,4,0.01)
length(x)
table(x)
summary(x)
x[4]
x[c(2,3,6)]
x[1:3]
x[-1]
x[-length(x)]
```

- max(x): maximum value in x
- min(x): minimum value in x
- sum(x): total of all the values in x
- mean(x): arithmetic average of the values in x
- median(x): median value in x
- range(x): vector of min(x) and max(x)
- var(x): sample variance of x
- sd: sample standard deviation of x
- cor(x,y): correlation between vectors x and y
- sort(x): a sorted version of x
- rank(x): vector of the ranks of the values in x
- quantile(x): vector containing the minimum, lower quartile, median, upper quartile, and maximum of x
- cumsum(x): vector containing the sum of all of the elements up to that point
- cumprod(x): vector containing the product of all of the elements up to that point

# Generating random samples

```
rnorm(n,m,sd);
runif(n,a,b);
 rweibull(n, shape, scale);
rpois(n,lambda);
rgamma(n,shape,scale);
 rbinom(n,size,prob);
 rchisq(n,df);
rexp(n,rate);
rf(n,df1,df2);
rt(n,df).
```

# PDF, CDF, quantiles

```
PDF: replace r with d curve(dnorm(x,m=10,sd=2),from=0,to=20,main="Probability density function N(10,4)")
```

CDF: replace r with p curve(pnorm(x,m=10,sd=2),from=0,to=20,main="Cumulative distribution function N(10,4)")

Quantiles: replace r with q.

## Plot

```
hist(x): histogram of x;
boxplot(x): boxplot of x;
ecdf(x): empirical cdf of x:
plot(ecdf(x))
plot(x, y): x-y plotting
plot(ecdf(x), lty=1)
lines(ecdf(rnorm(10000, 0, .5)), lty=2)
lines: add connected line segments to a plot
points(x): add points to a plot
curve(pnorm(x, 0, 1), -4, 4)
curve(pnorm(x, 0, 0.5), add=TRUE)
curve(expr): draw function plots
```

# Data for seminar 1. Dataset "Babyboom"

- NAME: Time of Birth, Sex, and Birth Weight of 44 Babies
- TYPE: Observational
- SIZE: 44 observations, 4 variables

### **DESCRIPTIVE ABSTRACT:**

The dataset contains the time of birth, sex, and birth weight for each of 44 babies born in one 24-hour period at a Brisbane, Australia, hospital. Also included is the number of minutes since midnight for each birth.

### SOURCE:

The data appeared in the Brisbane newspaper "The Sunday Mail" on December 21, 1997.

### REFERENCE:

Steele, S. (December 21, 1997), "Babies by the Dozen for Christmas: 24-Hour Baby Boom," "The Sunday Mail" (Brisbane), p. 7.

# Data for seminar 1. Dataset "Babyboom"

### **VARIABLE DESCRIPTIONS:**

### Columns

- 1 8 Time of birth recorded on the 24-hour clock
- 9 16 Sex of the child (1 = girl, 2 = boy)
- 17 24 Birth weight in grams
- 25 32 Number of minutes after midnight of each birth

Values are aligned and delimited by blanks. There are no missing values.

# Data for seminar 1. Dataset "Babyboom"

### STORY BEHIND THE DATA:

Forty-four babies – a new record – were born in one 24-hour period at the Mater Mothers' Hospital in Brisbane, Queensland, Australia, on December 18, 1997. For each of the 44 babies, "The Sunday Mail" recorded the time of birth, the sex of the child, and the birth weight in grams.

### PEDAGOGICAL NOTES:

The data can be used to demonstrate fitting the binomial distribution (the number of boys/girls born out of 44 births), the geometric distribution (the number of births until a boy or girl is born), the Poisson distribution (births per hour for each hour), and the exponential distribution (times between births). The normal distribution is found to be unsuitable for modeling the birth weights, but better results are obtained when birth weights are separated by sex. The dataset can also be used to illustrate hypothesis tests about proportions, comparisons of birth weights by gender, the runs test of randomness of gender, and skewed data.

# Data for seminar 1. Dataset "Airport"

**NAME: US AIRPORT STATISTICS** 

**TYPE:** Census (sort of)

**SIZE:** 135 observations, 7 variables (5 numeric, 2 character)

### **DESCRIPTIVE ABSTRACT:**

This dataset consists of all 135 large and medium sized air hubs in the United States as defined by the Federal Aviation Administration.

### SOURCE:

U.S. Federal Aviation Administration and Research and Special Programs Administration, 'Airport Activity Statistics' (1990).

### SPECIAL NOTES:

These are the only cities provided in this source. Although, it is not a census of all air hubs, it is a census of all medium and large hubs as classified by FAA.

### STORY BEHIND THE DATA:

Author, who is very interested in maps, geography, and U.S.

## Data for seminar 1. Dataset "Airport"

transportation system entered this as part of a 'U.S. infrastructure series' (along with highway and others) this summer.

### **VARIABLE DESCRIPTIONS:**

Airport	Columns 1-21
City	Columns 22-43
Scheduled departures	Columns 44-49
Performed departures	Columns 51-56
Enplaned passengers	Columns 58-65
Enplaned revenue tons of freight	Columns 67-75
Enplaned revenue tons of mail	Columns 77-85

### **PEDAGOGICAL NOTES:**

It does allow a teacher to use some actual data when teaching concepts of descriptive statistics, such as graphical and numeric descriptions of a set of measurements.

# Data for seminar 1. Dataset "Euroweight"

**NAME:** The Weight of Euro Coins **TYPE:** Fitting distributions to data **SIZE:** 2000 observations, 3 variables

### **DESCRIPTIVE ABSTRACT:**

In many statistical models the normal distribution of the response is an essential assumption. This paper uses a dataset of 2000 euro coins with information (up to the milligram) about the weight of each coin. As the physical coin production process is subject to a multitude of (very small) variability sources, it seems reasonable to expect that the empirical distribution of the weight of euro coins does agree with the normal distribution. Goodness of fit tests however show that this is not the case. Moreover, some outliers complicate the analysis. Mixtures of normal distributions and skew normal distributions are fitted to the data, revealing that the normality assumption might not hold for those weights.

## Data for seminar 1. Dataset "Euroweight"

### SOURCE:

The data were collected by Herman Callaert at Hasselt University in Belgium. The euro coins were "borrowed" at a local bank. Two assistants, Sofie Bogaerts and Saskia Litiere weighted the coins one by one, in laboratory conditions on a weighing scale of the type Sartorius BP 310s.

### VARIABLE DESCRIPTIONS:

Columns

1 - 8 ID this is the case number

9 - 16 weight weight of the euro coin in grams

17 batch number of the package

Values are aligned and tab-delimited. There are no missing values

# Data for seminar 1. Dataset "Euroweight"

### STORY BEHIND THE DATA:

Curriculum reform in Flanders (the Flemish part of Belgium) resulted in a significant increase of statistical topics in grades 8-12. A group of university professors and high school teachers took this opportunity for reshaping statistics education towards "more concepts and more real data". In Belgium, as in many countries in Europe, the introduction of the Euro has had a major impact on the life of people. That's why it was decided to study a characteristic (the weight) of the "Belgian 1 Euro" coin, and use this dataset in schools.

#### PEDAGOGICAL NOTES:

Graphical methods can be used, perhaps in conjunction with a simple goodness of fit test. Also the story behind the data gathering process, and the lesson to be learned here, is crucial in any real life statistical experiment. A first year college course could delve a bit deeper, while a full analysis (introducing mixtures and the skew normal) can be revealing in a second course in statistics.