

Capital Allocation. Optimal Capital Allocation using Maixum Utility

Capital Allocation > Asset Classes Allocation > Security Selection

Risky Pf (P) only	
rf: rate of return of risk-free asset	5%
E(Rp): expected return of risky pf	30.23%
p: SD of risky pf	14.96%

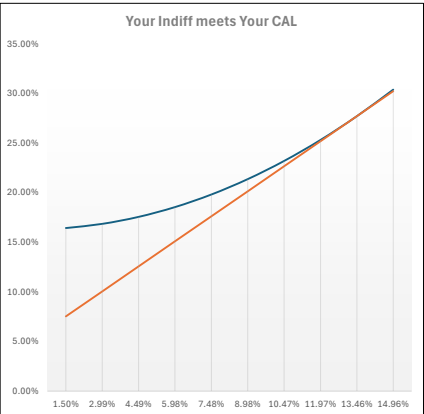
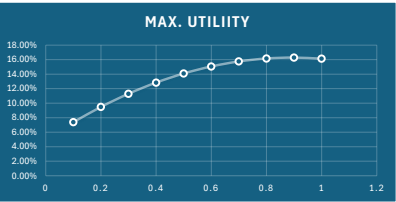
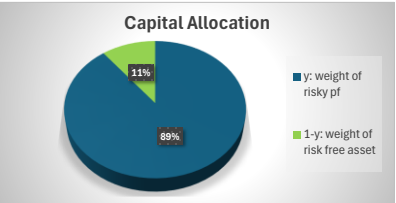
Complete Pf (C), Risk free + Risky Pf	
y: weight of risky pf	89.48%
1-y: weight of risk free asset	10.52%
E(rc): expected return of the Complete pf	27.58%
σ c: SD of Complete pf	13.39%
Slope: Capital Allocation Line (Sharpe)	1.6866
Risk Tolerance Score	64
Risk Aversion Index (A: 1-20)*	12.6
Utility at the risk aversion level	16.29%

*Bear (1-5), Normal (1-10), Bull (1-20)

$$\text{Max } U = E(r_C) - 1/2 A S_C^2 = r_f + y[E(r_p) - r_f] - 1/2 A y^2 S_p^2$$

W of risky pf: y	E(rc) on CAL	σ c	Utility	E(rc) on Indiff.
Max. U	27.58%	13.39%	16.29%	27.58%
0.1	7.52%	1.50%	7.38%	16.43%
0.2	10.05%	2.99%	9.48%	16.85%
0.3	12.57%	4.49%	11.30%	17.56%
0.4	15.09%	5.98%	12.84%	18.54%
0.5	17.62%	7.48%	14.09%	19.81%
0.6	20.14%	8.98%	15.06%	21.36%
0.7	22.66%	10.47%	15.75%	23.20%
0.8	25.19%	11.97%	16.16%	25.31%
0.9	27.71%	13.46%	16.29%	27.71%
1.0	30.23%	14.96%	16.13%	30.39%

$$y^* = \frac{E(r_p) - r_f}{A S_p^2}$$



RISK TOLERANCE QUESTIONNAIRE

The Risk Tolerance Questionnaire is designed to help you assess your client's risk tolerance and investment objective. These questions are assigned numerical weights to reflect each one's comparative importance in overall risk determination. These weights are identified in parentheses next to each answer choice. Completing the questionnaire in its entirety will allow you to better evaluate your client's profile.

Client Name: **Edvard Tsymbala Kupchynsky**
Registered Representative: **Edvard Tsymbala** Number: **35018153**
Statement of Investment Selection (SIS) Number (Optional):

1. For these funds, which of the following closely aligns with your current financial goal? Please select one.

- ☐ Sustaining current income and account preservation (0)
☐ Sustaining current income with possible growth opportunity (10)
☒ Growing account value, not tied to current income needs (20)
☐ Aggressive growth, maximizing accumulation (30)

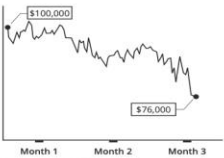
2. How long do you plan to keep these funds invested in order to achieve your financial goal?

- ☐ Less than 1 year (0)
☐ 1 to 2 years (3)
☐ 3 to 5 years (8)
☒ 6 to 10 years (15)
☐ 11 to 20 years (23)
☐ Greater than 20 years (30)

3. Every investment has an opportunity for both risk and reward. The chart below represents a one-year hypothetical risk and reward scenario for five portfolios with incremental levels of risk and reward for a hypothetical initial investment of \$100,000. Select the option with which you are most comfortable.
Note: These numbers are not representative of your potential target portfolios. Please select one.



4. How would you react to a significant fall in the value of the stock market?



If your hypothetical investment of \$100,000 experienced a sudden and unexpected drop of 24% over a three-month period, what would your reaction be?

- ☐ Sell All, Avoid Further Risk (0)
☐ Sell Some, Reduce Exposure to Risk (3)
☐ Sell Nothing, Remain Invested (7)
☒ Buy More, Opportunity is Present (10)

5. How soon would you need these funds to recover after experiencing a sudden meaningful loss in value?

- ☐ 0 to 6 months (0)
☐ 6 months to 1 year (3)
☒ 1 to 3 years (7)
☐ 3 years or more (10)

6. How would you respond to the following statement: I am comfortable investing during times of uncertainty.

- ☐ Strongly disagree (0)
☐ Disagree (3)
☒ Agree (7)
☐ Strongly agree (10)

YOUR SCORE

64

POINT SCALE

0 THROUGH 20
21 THROUGH 40
41 THROUGH 60
61 THROUGH 80
81 THROUGH 100

RISK TOLERANCE

CONSERVATIVE
MODERATELY CONSERVATIVE
MODERATE
MODERATELY AGGRESSIVE
AGGRESSIVE

Investing involves risk including the potential loss of principal. No investment strategy can guarantee a profit or protect against loss. Risk and reward figures are for illustrative purposes only and are not indicative of any specific investment product or portfolio.

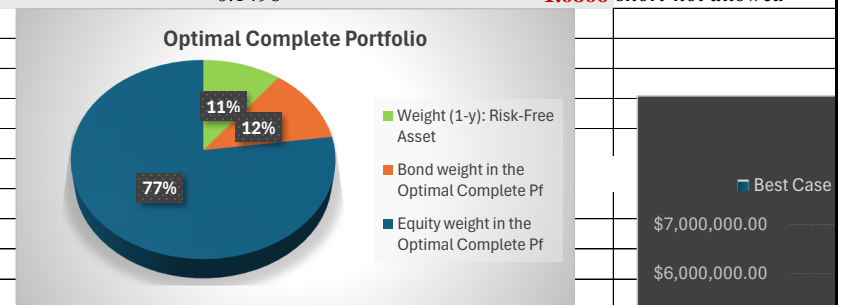
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Asset Classes Allocation

	B	C	D	E	F	G
2	Asset Classes Allocation Analysis: Optimal Complete Pf Model					
3	Capital Allocation > Asset Classes Allocation > Security Selection					
4						
5	Securities	Expected Return	Standard Deviation	Corr. Coefficient B,E	Covariance B,E	
6	Bond Pf (B)	9.74%	7.72%	0.2998	0.0039	
7	Equity Pf (E)	33.50%	16.93%			
8	T-Bill	5.00%	0.00%			
9						
10	Risky Asset Portfolio: Weights				Reward to Variability	
11	Bond weight	Equity weight	Expected Return	Standard Deviation	(Sharpe ratio)	
12	1.0	0.0	0.0974	0.0772	0.6133	
13	0.9	0.1	0.1211	0.0763	0.9321	
14	0.8	0.2	0.1449	0.0788	1.2033	
15	0.7	0.3	0.1686	0.0845	1.4032	
16	0.6	0.4	0.1924	0.0928	1.5341	
17	0.5	0.5	0.2162	0.1031	1.6124	
18	0.4	0.6	0.2399	0.1147	1.6556	
19	0.3	0.7	0.2637	0.1274	1.6770	
20	0.2	0.8	0.2874	0.1409	1.6854	
21	0.1	0.9	0.3112	0.1549	1.6863	
22	0.0	1.0	0.3350	0.1693	1.6827	
23	A. Minimum Variance Portfolio of Risky Assets		Expected Return	Min. Standard Deviation	Sharpe Ratio	
24	1.00	0.00	0.0974	0.0772	0.6133	<i>short-not allowed</i>
25	B. Optimal Risky Portfolio. Maximum of Sharpe ratio		Expected Return	Standard Deviation	Max. of Sharpe Ratio	
26	0.14	0.86	0.3023	0.1496	1.6866	<i>short-not allowed</i>
27						
28	C. Optimal Complete Portfolio with U w/ Risk-Free Asset					
29	Weight y: Optimal Risky Portfolio		89.48%			
30	Weight (1-y): Risk-Free Asset		10.52%			
31	Bond weight in the Optimal Complete Pf		12.29%			
32	Equity weight in the Optimal Complete Pf		77.18%			
33	E(rc): expected return of the Overall Complete pf		0.2758			
34	σ c: SD of Overall Complete pf		0.1339			
35	Sharpe Ratio (Max. Slope of CAL)		1.6866			
36						
37	D. Optimal Complete Portfolio Investment Allocation					
38	Total Investment	\$	1,000,000.00			\$7,000,000.00
39	Risk-Free Asset Investment	\$	105,221.50			\$4,000,000.00
40	Bond Pf Investment	\$	122,949.63			\$3,000,000.00



Index Portfolio Model. SPDR + Active Portfolio (Large Growth)

Panel A. Risk Parameters of Pt A (annualized)	RXI	DHI	TJX	NVR	CMG	HD
Beta	1.0000	-0.1097	0.0561	0.9606	-0.3610	0.8453
SD of Excess Return	0.2217	0.4081	0.2383	0.2855	0.3392	0.2529
SD of Residual (e), Firm specific Component	0.0000	0.4074	0.2380	0.2887	0.3297	0.1699
SD of Systematic Component	0.2217	-0.0243	0.0124	0.2129	-0.0800	0.1874
Correlation with the Market Index	1.0000	-0.0596	0.0522	0.7459	-0.2359	0.7408

Panel B. Correlation Matrix	RXI	DHI	TJX	NVR	CMG	HD
RXI	1.0000					
DHI	-0.0596	1.0000				
TJX	0.0522	-0.0031	1.0000			
NVR	0.7459	-0.0445	0.0389	1.0000		
CMG	-0.2359	0.0141	-0.0123	-0.1760	1.0000	
HD	0.7408	-0.0442	0.0387	0.5526	-0.1748	1.0000

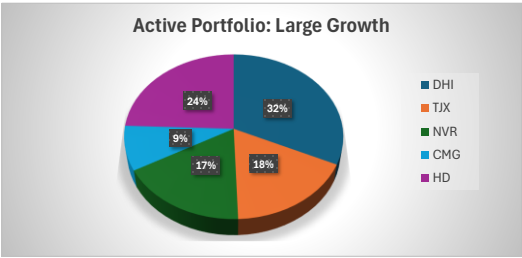
Panel C. The Index Model Covariance Matrix	RXI	DHI	TJX	NVR	CMG	HD
RXI	0.0491					
DHI	-0.0054	0.1665				
TJX	0.0028	-0.0003	0.0568			
NVR	0.0472	-0.0052	0.0026	0.0815		
CMG	-0.0177	0.0019	-0.0010	-0.0177	0.1151	
HD	0.0415	-0.0046	0.0023	0.0399	-0.0150	0.0640

Panel D. Correlation of Residuals in Pt A	RXI	DHI	TJX	NVR	CMG	HD
RXI						
DHI		1.0000				
TJX		0.5984	1.0000			
NVR		(0.0530)	0.1087	1.0000		
CMG		0.6455	0.3944	(0.0384)	1.0000	
HD		0.0852	0.2326	0.2908	(0.0888)	1.0000

Panel E. Macro Forecast and Forecasts of Alpha	RXI	DHI	TJX	NVR	CMG	HD
Adjusted Alpha	0.0000	0.6000	0.1122	0.1649	0.1075	0.0797
Beta	1.0000	-0.1097	0.0561	0.9606	-0.3610	0.8453
Total Equity Risk Premium $E(R)$	0.0509	0.5944	0.1150	0.2138	0.0891	0.1228
Adjusted Market risk premium =	0.0509					

Panel F. Active Portfolio			Active Pf	DHI	TJX	NVR	CMG	HD
Residual Variance of each security	$\sigma^2(e)$			0.1659	0.0566	0.0834	0.1087	0.0289
Initial position of each security	$w_i(0) = \alpha_i / \sigma^2(e)$		11.3262	3.6158	1.9806	1.9777	0.9887	2.7634
Scaled initial position of each security	w_i		1.0000	0.3192	0.1749	0.1746	0.0873	0.2440
Squared scaled initial position of each security	$[w_i(0)]^2$			0.1019	0.0306	0.0305	0.0076	0.0595
Alpha of the Active Pf	α_A		0.2688	$w_A^* = \frac{w_A^0}{1 + (1 - b_A) \times w_A^0}$				
Residual Variance of Active Pf	$\sigma^2(e_A)$		0.0237					
Active Pf information ratio (APIR)	$\alpha_A / \sigma^2(e_A)$		11.3262					
Index Pf information ratio (IPIR)	$E(R_M) / \sigma^2(M)$		1.0369					
Initial position in Active Pf (APIR/IPIR)	$w_A(0)$		10.9237					
Beta of the Active Pf	β_A		0.3172					

Panel G. Optimal Risky Portfolios	Overall Risky Pf	RXI	Active Pf	DHI	TJX	NVR	CMG	HD
w*(Optimal PD): Short not allowed	1.0000	0.0000	1.0000	0.3192	0.1749	0.1746	0.0873	0.2440
Beta	0.3172	1.0000	0.3172					
Risk Premium	0.2850	0.0509	0.2850					
Standard Deviation	0.1693	0.2217	0.1693					
Sharpe Ratio	1.6827	0.2298	1.6827					
Performance Measures								
Treynor Measure (T)	0.8982	0.0509	0.8982					
Jensen Measure (a)	0.2688	0.0000	0.2688					
Information Ratio Measure (IR)	1.3819	0.0000	1.3819					
Overall Performance	0.2850	0.0509	0.2850					
CAPM	0.0662	0.1009	0.0662					
Ratio of total risk (σ_P / σ_M)	0.7640	1.0000	0.7640					
CML	0.0889	0.1009	0.0889					
Selectivity (%)	0.2688	0.0000	0.2688					
Diversification Effect (%)	-0.0228	0.0000	-0.0228					
Net Selectivity (%)	0.2916	0.0000	0.2916					
net Risk Premium of Pf	0.0162	0.0509	0.0162					



Calculate the approximate price change for a BOND Pf using only its D* and using D* and Convexity

LQD has the following characteristics:

Maturity	8.47
Coupon (\$100 par)	2.75%
Yield to maturity	4.31%
Coupon (frequency)	Semiannual

Convexity (C) **0.62**

Current Bond Price **\$89.03** =PV(C7/2,C5*2,-C6/2*100,-100)

Modified Duration (D*) **6.40063** =MDURATION(DATE(2000,1,1),DATE(2007,4,3),C6,C7,2)

Changes in YTM **-1%**

with D* only **6.4006%** =-C11*-1%

Bond Price change **94.7260** =C10*(1+C14)

with D* and Convexity **6.4037%** =C14+1/2*C9*-1%^2

Bond Price change **94.7288** =C10*(1+C16)

$$\frac{\Delta P}{P} = -D^* \Delta y$$

$$\frac{\Delta P}{P} = -D^* \Delta y + \frac{1}{2} \times \text{Convexity} \times (\Delta y)^2$$

