Clear[L, a, phi, theta, m, k, w, yp] $f[\theta] := a \cos[\theta + \phi] + Sqrt[L^2 - (yp - a \sin[\theta + \phi])^2]$ $f'[\theta](*First derivative*)$ $f''[\theta](*Second derivative*)$ (*f[0], intial time, no time taking into account*) $deltax[\theta] := f[\theta] - f[0]$ (*Force of the Plancks*) $Fplanks[\theta] := -k * deltax[\theta] (*where k is an arbitrary constant*)$ $Fplanks[\theta]$ $Frodx[\theta] := m f''[\theta] + Fplanks[\theta]$ $Frodx[\theta] # FullSimplify$

Out[65]=

$$-a \operatorname{Sin}\left[\frac{7\pi}{60} + \theta\right] + \frac{a \operatorname{Cos}\left[\frac{7\pi}{60} + \theta\right] \left(\operatorname{yp} - a \operatorname{Sin}\left[\frac{7\pi}{60} + \theta\right]\right)}{\sqrt{L^2 - \left(\operatorname{yp} - a \operatorname{Sin}\left[\frac{7\pi}{60} + \theta\right]\right)^2}}$$

Out[66]=

$$-a \cos\left[\frac{7\pi}{60} + \theta\right] - \frac{a^2 \cos\left[\frac{7\pi}{60} + \theta\right]^2 \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}{\left(L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2\right)^{3/2}} - \frac{a^2 \cos\left[\frac{7\pi}{60} + \theta\right]}{\left(L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2\right)^{3/2}}$$

$$\frac{a^2 \cos\left[\frac{7\pi}{60} + \theta\right]^2}{\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}} - \frac{a \sin\left[\frac{7\pi}{60} + \theta\right] \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)}{\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}}$$

Out[69]=

$$-k\left(-a\cos\left[\frac{7\pi}{60}\right]+a\cos\left[\frac{7\pi}{60}+\theta\right]-\sqrt{L^2-\left(yp-a\sin\left[\frac{7\pi}{60}\right]\right)^2}+\sqrt{L^2-\left(yp-a\sin\left[\frac{7\pi}{60}+\theta\right]\right)^2}\right)$$

Out[71]=

\$Aborted

Out[50]=

$$\left(L\left[m\left[-a\cos\left(\frac{7\pi}{60}+\theta\right)\right]-\frac{a^2\cos\left(\frac{7\pi}{60}+\theta\right)^2\left(yp-a\sin\left(\frac{7\pi}{60}+\theta\right)\right)^2}{\left(L^2-\left(yp-a\sin\left(\frac{7\pi}{60}+\theta\right)\right)^2\right)^{3/2}}\right.$$

$$\frac{a^2 \cos\left[\frac{7\pi}{60} + \theta\right]^2}{\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}} - \frac{a \sin\left[\frac{7\pi}{60} + \theta\right] \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)}{\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}}\right) - \frac{a \sin\left[\frac{7\pi}{60} + \theta\right]}{\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}}$$

$$k \left(-a \cos\left[\frac{7\pi}{60}\right] + a \cos\left[\frac{7\pi}{60} + \theta\right] - \sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60}\right]\right)^2} + \sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2} \right) \right)$$

$$\left(\sqrt{L^2 - \left(yp - a \sin\left[\frac{7\pi}{60} + \theta\right]\right)^2}\right)$$

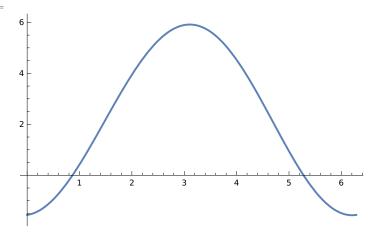
Out[51]=

\$Aborted

Out[52]=

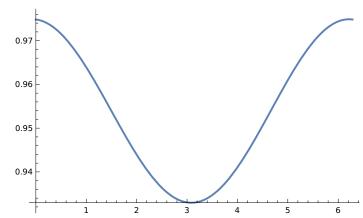
$$\left\{-5, 1, 0.02, 100, 0.3, 70, \frac{7\pi}{60}\right\}$$

Out[53]=



In[15]:= $Plot[f[\theta], \{\theta, 0, 2Pi\}]$

Out[15]=



In[72]:= (*Expression for the total force copied from 'try 2'*)

Clear[L, a, phi, theta, m, k, w, yp]

$$ftot = \left(L \left(a m w^{2} \left(-Cos[phi + theta] - \frac{a}{2}\right)\right)\right)$$

Sin[phi + theta]

$$\frac{\text{a L}^2 \operatorname{Cos[phi + theta]}^2}{\left(\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2\right)^{3/2}} + \frac{\operatorname{Sin[phi + theta]}\left(-\text{yp + a Sin[phi + theta]}\right)}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}}\right) + \frac{\text{Sin[phi + theta]}\left(-\text{yp - a Sin[phi + theta]}\right)^2}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}}$$

$$k\left(a \cos[phi] - a \cos[phi + theta] + \sqrt{L^2 - (yp - a \sin[phi])^2}\right)$$

$$\sqrt{L^2 - (yp - a Sin[phi + theta])^2}$$
) $/(\sqrt{L^2 - (yp - a Sin[phi + theta])^2})$

(*Expresion for xp*)

$$xp = a Cos[theta + phi] + Sqrt[L^2 - (yp - a Sin[theta + phi])^2]$$

Out[73]=

$$\left(L\left(a\,m\,w^2\left(-\text{Cos[phi+theta]}\right.\right)\right)$$

$$\frac{\text{a L}^2 \operatorname{Cos[phi + theta]}^2}{\left(\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2\right)^{3/2}} + \frac{\operatorname{Sin[phi + theta]}\left(-\text{yp + a Sin[phi + theta]}\right)}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}}\right) + \frac{\text{Sin[phi + theta]}\left(-\text{yp - a Sin[phi + theta]}\right)^2}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}}$$

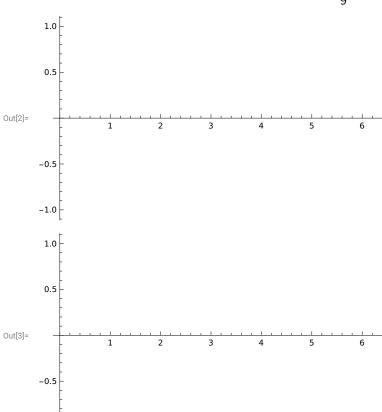
$$k\left(a \, \mathsf{Cos[phi]} - a \, \mathsf{Cos[phi} + \mathsf{theta]} + \sqrt{\mathsf{L}^2 - \left(\mathsf{yp} - a \, \mathsf{Sin[phi]}\right)^2} - \sqrt{\mathsf{L}^2 - \left(\mathsf{yp} - a \, \mathsf{Sin[phi]} + \mathsf{theta]}\right)^2}\right)\right) / 2$$

$$\left(\sqrt{L^2 - (yp - a Sin[phi + theta])^2}\right)$$

Out[74]=

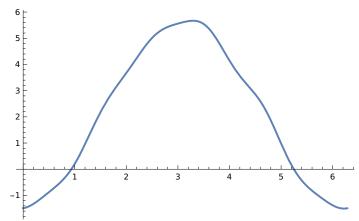
a Cos[phi + theta] +
$$\sqrt{L^2 - (yp - a Sin[phi + theta])^2}$$

Out[1]= $\left\{-5, 1, 0.02, 100, 0.3 - 0.05 \sin[5 \text{ theta}], 70, \frac{\pi}{9}\right\}$



```
In[154]:=
                               Clear[L, a, phi, theta, m, k, w, yp]
                                f[theta_] := a Cos[theta + phi] + Sqrt[L^2 - (yp - a Sin[theta + phi])^2]
                                f'[theta](*First derivative*)
                                f''[theta](*Second derivative*)
                              (*f[0], intial time, no time taking into account*)
                                deltax[theta_] := f[theta] - f[0]
                              (*Force of the Plancks*)
                                Fplanks[theta_]:= -k * deltax[theta] (*where k is an arbitrary constant*)
                                Fplanks[theta]
                                Fx[theta] := m f''[theta] + Fplanks[theta]
                                Fx[theta] // FullSimplify
                              \{w2 = -5, L = 1, a = 0.02, k = 100, yp = .3 + 0.05 Sin[w2 * theta], m = 70, phi = 20 (Pi / 180)\}
                                Plot[Fx[theta], {theta, 0, 2 Pi}](*Plotting the total force over theta*)
Out[156]=
                                                                                                                       a Cos[phi + theta] (yp - a Sin[phi + theta])
                              -a Sin[phi + theta] + -
                                                                                                                                   \sqrt{L^2 - (yp - a Sin[phi + theta])^2}
Out[157]=
                              -a \, \text{Cos[phi+theta]} - \frac{a^2 \, \text{Cos[phi+theta]}^2 \left(\text{yp-a Sin[phi+theta]}\right)^2}{\left(\text{L}^2 - \left(\text{yp-a Sin[phi+theta]}\right)^2\right)^{3/2}} \, - \frac{a^2 \, \text{Cos[phi+theta]}^2}{\left(\text{L}^2 - \left(\text{L}^2 - 
                                      \frac{\text{a}^2 \, \text{Cos[phi + theta]}^2}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}} \, - \, \frac{\text{a} \, \text{Sin[phi + theta]} \left(\text{yp - a Sin[phi + theta]}\right)}{\sqrt{\text{L}^2 - \left(\text{yp - a Sin[phi + theta]}\right)^2}}
                              -k\left(-a \cos[phi] + a \cos[phi + theta] - \sqrt{L^2 - (yp - a \sin[phi])^2} + \sqrt{L^2 - (yp - a \sin[phi + theta])^2}\right)
Out[162]=
                             a\,m\left[-\text{Cos[phi+theta]} - \frac{\text{a}\,L^2\,\text{Cos[phi+theta]}^2}{\left(L^2-\left(\text{yp-a}\,\text{Sin[phi+theta]}\right)^2\right)^{3/2}} + \frac{\text{Sin[phi+theta]}\left(-\text{yp+a}\,\text{Sin[phi+theta]}\right)}{\sqrt{L^2-\left(\text{yp-a}\,\text{Sin[phi+theta]}\right)^2}}\right] + \frac{\text{Sin[phi+theta]}\left(-\text{yp+a}\,\text{Sin[phi+theta]}\right)^2}{\sqrt{L^2-\left(\text{yp-a}\,\text{Sin[phi+theta]}\right)^2}}
                                    k\left(a \cos[phi] - a \cos[phi + theta] + \sqrt{L^2 - \left(yp - a \sin[phi]\right)^2} - \sqrt{L^2 - \left(yp - a \sin[phi + theta]\right)^2}\right)
Out[163]=
                              \left\{-5, 1, 0.02, 100, 0.3 - 0.05 \sin[5 \text{ theta}], 70, \frac{\pi}{9}\right\}
```

Out[164]=



In[282]:=

ftot =
$$\left(L \left(a \text{ m w}^2 \left(-\text{Cos[phi + theta]} - \right) \right) \right)$$

$$\frac{\text{a L}^2 \operatorname{Cos[phi+theta]}^2}{\left(\text{L}^2 - \left(\text{yp-a Sin[phi+theta]}\right)^2\right)^{3/2}} + \frac{\operatorname{Sin[phi+theta]}\left(-\text{yp+a Sin[phi+theta]}\right)}{\sqrt{\text{L}^2 - \left(\text{yp-a Sin[phi+theta]}\right)^2}}\right) + \\ \text{k}\left(\operatorname{a Cos[phi] - a Cos[phi+theta]} + \sqrt{\text{L}^2 - \left(\text{yp-a Sin[phi]}\right)^2} - \right)$$

(a Cos[pn1] - a Cos[pn1 + tneta] +
$$\sqrt{L^2 - (yp - a \sin[pn1])}$$
 -

$$\sqrt{L^2 - (yp - a Sin[phi + theta])^2})$$
 / $\left(\sqrt{L^2 - (yp - a Sin[phi + theta])^2}\right)$

(*Finding the torque*)

$$\{w = -5, w2 = -5, L = 1, a = 0.02, k = 100,$$

$$yp = .3 + 0.0 Sin[w2 * theta], m = 70, phi = 0 (Pi / 180)$$

x = a Cos[theta + phi]

y = a Sin[theta+phi]

Fy = ftot*((yp - y)/L)

torque = Fx[theta] * y + Fy * x

 $Plot[-Fx[theta]*y-Fy*x, \{theta, 0, Pi\}](*Plotting the total force over theta*)$

 ${\sf Plot}[-{\sf Fx[theta]}*{\sf y}+{\sf Fy}*{\sf x},\ \big\{{\sf theta},\ {\sf Pi},\ 2\,{\sf Pi}\big\}\big]$

$$\left(L \left(a \, \text{m} \, \text{w}^2 \left(-\text{Cos[phi+theta]} - \frac{a \, L^2 \, \text{Cos[phi+theta]}^2}{\left(L^2 - \left(\text{yp - a Sin[phi+theta]} \right)^2 \right)^{3/2}} + \frac{\text{Sin[phi+theta]} \left(-\text{yp + a Sin[phi+theta]} \right)}{\sqrt{L^2 - \left(\text{yp - a Sin[phi+theta]} \right)^2}} \right) + \frac{k \left(a \, \text{Cos[phi] - a Cos[phi+theta]} + \sqrt{L^2 - \left(\text{yp - a Sin[phi]} \right)^2} - \sqrt{L^2 - \left(\text{yp - a Sin[phi+theta]} \right)^2} \right) \right) }{\left(\sqrt{L^2 - \left(\text{yp - a Sin[phi+theta]} \right)^2} \right)}$$

$$\left(\sqrt{L^2 - \left(\text{yp - a Sin[phi+theta]} \right)^2} \right)$$

$$\left(-5, -5, 1, 0.02, 100, 0.3, 70, 0 \right)$$

$$0.02 \, \text{Cos[theta]}$$

$$0.02 \, \text{Cos[theta]}$$

$$0.02 \, \text{Sin[theta]}$$

$$0.02 \, \text{Sin[theta]}$$

$$\left(\left(0.3 - 0.02 \, \text{Sin[theta]} \right) \left(100 \left(0.973939 - 0.02 \, \text{Cos[theta]} - \sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2} \right) + \frac{\left(-0.3 + 0.02 \, \text{Sin[theta]} \right) \text{Sin[theta]}}{\sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2}} \right) \right)$$

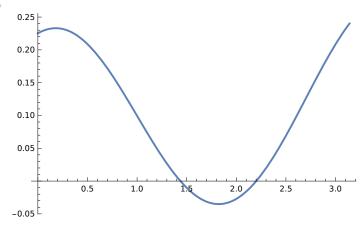
$$\left(\sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2} \right)$$

Out[288]=

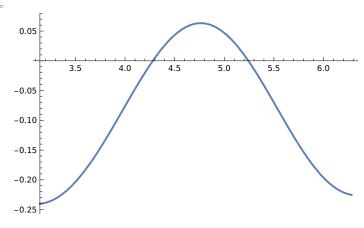
$$0.02 \, \text{Sin[theta]} \left(100 \left(0.973939 - 0.02 \, \text{Cos[theta]} - \sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2} \right) + \\ 1.4 \left(-\text{Cos[theta]} - \frac{0.02 \, \text{Cos[theta]}^2}{\left(1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2 \right)^{3/2}} + \frac{\left(-0.3 + 0.02 \, \text{Sin[theta]} \right) \, \text{Sin[theta]}}{\sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2}} \right) \right) + \\ \left(0.02 \, \text{Cos[theta]} \left(0.3 - 0.02 \, \text{Sin[theta]} \right) \right) \left(100 \left(0.973939 - 0.02 \, \text{Cos[theta]} - \sqrt{1 - \left(0.3 - 0.02 \, \text{Sin[theta]} \right)^2} \right) + \right) \right) \right)$$

$$35. \left(-\cos[\text{theta}] - \frac{0.02 \cos[\text{theta}]^2}{\left(1 - \left(0.3 - 0.02 \sin[\text{theta}]\right)^2\right)^{3/2}} + \frac{\left(-0.3 + 0.02 \sin[\text{theta}]\right) \sin[\text{theta}]}{\sqrt{1 - \left(0.3 - 0.02 \sin[\text{theta}]\right)^2}} \right) \right) / \left(\sqrt{1 - \left(0.3 - 0.02 \sin[\text{theta}]\right)^2} \right)$$

Out[289]=



Out[290]=



Out[151]=

```
(*Going back for "t"*)
Clear[L, a, \phi, t, m, k, w, w2, yp]
f[t_] := a Cos[wt + \phi] + Sqrt[L^2 - (yp - a Sin[wt + \phi])^2]
(*Solve for the first and second derivative for xp*)
f'[t](*First derivative*)
f''[t](*Second derivative*)
delta[t] = f[t] - f[0]
Fplanks[t_] := -k *delta[t]
Fx[t_] := m f ' '[t] + Fplanks[t]
Fx[t] // FullSimplify
xr[t_] := a Cos[w t + \phi]
yr[t_] := a Sin[wt + \phi]
Ftot = Fx[t]/((f[t] - xr[t])/L)
Fy = Ftot*((yp - yr[t])/L)
torque = Fx[t] * yr[t] + Fy * xr[t]
(*Give values for the variables*)
\{w = 5, L = 1, a = 0.02, k = 100, yp = 0.2, m = 70, \phi = 21(Pi/180)\}
Plot[-Fx[t]*yr[t]-Fy*xr[t], \{t, 0, Pi\}, Axes \rightarrow True, AxesLabel \rightarrow \{t, Torque\}]
(*Plotting the torque over time*)
 Plot[-Fx[t]*yr[t]+Fy*xr[t], \{t, Pi, 2Pi\}, Axes \rightarrow True, AxesLabel \rightarrow \{t, Torque\}] 
-a \cos[\phi] + a \cos[\mathsf{t} \, \mathsf{w} + \phi] - \sqrt{\mathsf{L}^2 - \big(\mathsf{yp} - a \, \mathsf{Sin}[\phi]\big)^2} + \sqrt{\mathsf{L}^2 - \big(\mathsf{yp} - a \, \mathsf{Sin}[\mathsf{t} \, \mathsf{w} + \phi]\big)^2}
```

$$-a \cos[\phi] + a \cos[t w + \phi] - \sqrt{L^2 - (yp - a \sin[\phi])^2} + \sqrt{L^2 - (yp - a \sin[t w + \phi])^2}$$

$$out[154] = a m w^2 \left(-\cos[t w + \phi] - \frac{a L^2 \cos[t w + \phi]^2}{\left(L^2 - (yp - a \sin[t w + \phi])^2\right)^{3/2}} + \frac{\sin[t w + \phi] (-yp + a \sin[t w + \phi])}{\sqrt{L^2 - (yp - a \sin[t w + \phi])^2}} \right) + k \left(a \cos[\phi] - a \cos[t w + \phi] + \sqrt{L^2 - (yp - a \sin[\phi])^2} - \sqrt{L^2 - (yp - a \sin[t w + \phi])^2} \right)$$

$$\int L \left(m \left(-a w^2 \cos[t w + \phi] - \frac{a^2 w^2 \cos[t w + \phi]^2 (yp - a \sin[t w + \phi])^2}{\left(L^2 - (yp - a \sin[t w + \phi])^2\right)^{3/2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - (yp - a \sin[t w + \phi])^2}} - \frac{a w^2 \sin[t w + \phi] (yp - a \sin[t w + \phi])}{\sqrt{L^2 - (yp - a \sin[t w + \phi])^2}} \right) - k \left(-a \cos[\phi] + a \cos[t w + \phi] - \sqrt{L^2 - (yp - a \sin[t w + \phi])^2} + \sqrt{L^2 - (yp - a \sin[t w + \phi])^2} \right) \right) \right)$$

 $\left(\sqrt{L^2 - (yp - a Sin[tw + \phi])^2}\right)$

$$\left(yp - a \sin[t w + \phi] \right)$$

$$\left(m \left(-a w^2 \cos[t w + \phi] - \frac{a^2 w^2 \cos[t w + \phi]^2 \left(yp - a \sin[t w + \phi] \right)^2}{\left(L^2 - \left(yp - a \sin[t w + \phi] \right)^2 \right)^{3/2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \sin[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \sin[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \sin[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a w^2 \sin[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}} - \frac{a^2 w^2 \cos[t w + \phi]^2}{\sqrt{L^2 - \left(yp - a \sin[t w + \phi] \right)^2}}$$

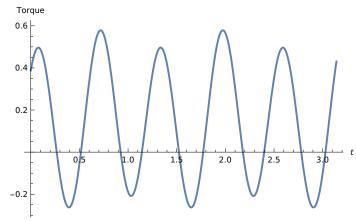
Out[159]=

$$a \, Sin[t\,w\,+\,\phi] \left(m \left(-a \, w^2 \, Cos[t\,w\,+\,\phi] - \frac{a^2 \, w^2 \, Cos[t\,w\,+\,\phi]^2 \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}{\left(L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2 \right)^{3/2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} \right) - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} \right) - \left(a \, Cos[\phi] + a \, Cos[t\,w\,+\,\phi] - \sqrt{L^2 - (yp\,-\,a\, Sin[\phi])^2} + \sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2} \right) + \left(a \, Cos[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi]) \right) - \frac{a^2 \, w^2 \, Cos[t\,w\,+\,\phi]^2 \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}{\left(L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2 \right)} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,\phi])}{\sqrt{L^2 - (yp\,-\,a\, Sin[t\,w\,+\,\phi])^2}} - \frac{a \, w^2 \, Sin[t\,w\,+\,\phi] \, (yp\,-\,a\, Sin[t\,w\,+\,$$

Out[160]=

$$\left\{5, 1, 0.02, 100, 0.2, 70, \frac{7\pi}{60}\right\}$$

Out[161]=



Out[162]=

