

Genetic Algorithms Assignment #1 (5%)

Instructor: Tian-Li Yu

1. Let's check how often deception occurs in a random function. The definition of deception can be found in the lecture slides.
 - (a) Consider the case with two genes. By assigning fitness values for $f(00)$, $f(01)$, $f(10)$, and $f(11)$, does deception ever occur? Prove it cannot happen if not, give an example if yes.
 - (b) Consider the case with three genes, randomly assign the fitness values for $f(000)$, $f(001)$, $f(010)$, $f(011)$, $f(100)$, $f(101)$, $f(110)$, and $f(111)$ with uniform distribution from 0 to 1. Repeat the experiments 10^6 times. What's the probability that 3-deception occurs?
 - For example, if $f(011)$ is the greatest, 3-deception occurs **iff** $f(1^{**}) > f(0^{**}); f(1^{*0*}) > f(1^{*1*}); f(1^{**0}) > f(1^{**1}); f(10^{*}) > f(00^{*}), f(01^{*}), f(11^{*}); f(1^{*0}) > f(0^{*0}), f(0^{*1}), f(1^{*1}); f(1^{*00}) > f(1^{*01}), f(1^{*10}), f(1^{*11})$.
 - (c) Repeat (b), but with 4 genes.
 - (d) For a problem with ell genes (problem size), the probability that k -deception does **NOT** occur among any k genes is roughly $(1 - p)^{C_k^{ell}}$, where p is what you recorded in (b) and (c). What's the problem size that makes 3-deception occur with probability 0.5? What's that for 4-deception? When does 3-deception occur more often than 4-deception or the other way around? Write a short essay of your finding.
2. Thierens' convergence-time model assumes perfect mixing. Let's verify the model with one-point XO, uniform XO, and population-wise shuffling. In population-wise shuffling, the set of genes at a particular position of offspring is a random shuffle of the set of genes at the same position of parents. (Use tournament selection of size 2 without replacement and no mutation.)
 - (a) Experiment these three XO's with a SGA on the OneMax problem with different sizes (ell) of 50, 100, 150, 200, 250, 300, 350, 400, 450, and 500. Plot the results on a figure with problem size versus convergence time. (You need to average over at least 30 independent runs to get stable results. Population size should be set at $4 * ell * \ln(ell)$.)
 - (b) What's the theoretical value of selection intensity? How does that compare with the selection intensity measured in your experiments? Is selection intensity really invariant with generation?
 - (c) How does Thierens' model compare with your results? Write a short essay of your finding.

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- You may use the SGA code released on ceiba. You'll need to implement population-wise shuffling. `MyRand::uniformArray()` may come in handy. To generate a random shuffle array of $0 \sim n-1$. Simply use the following code:

```
int *A = new int[n];  
myRand.uniformArray(A, n, 0, n-1);
```

Also be sure to check the following parts:

- (1) `Chromosome::getMaxFitness()` to return (length-1e-6);
- (2) `Chromosome::evaluate()` to return `oneMax()`;
- (3) `SGA::shouldTerminate()` to check if `population[0].getMaxFitness() <= stFitness.getMean()`;

Note:

- (1) Use any programming language as you like.
- (2) Do **NOT** hand in source codes.
- (3) Submit electronically on ceiba by the due date.