

QSAR model by a LASSO-MLR regression

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Functions to calculate metrics of the model

The metrics that are going to be used are:

- Root mean square error of training set (RMSEC)
- Root mean square error of test set (RMSEP)
- Square of the correlation coefficient of training set (R^2_{tr}).
- Square of the correlation coefficient of test set (Also called Q2F2 coefficient).
- Q2F3 coefficient of Todeschini.
- Spearman correlation coefficient of test set (σ).
- Square of the Spearman correlation coefficient of test set (σ^2).
- Square of the correlation coefficient of cross validation leaving one outside (R^2_{LOO}).
- Root mean square error of cross validation leaving one outside (RMSELOO).

All the above metrics are rotinarius in QSAR modelling, in order to get some criteria about a good predictive or ranking model (our main objctive).

```
Metricsas <- function(obs_tr, pred_tr, obs_out, pred_out) {  
  
  ssr_tr <- sum((obs_tr - pred_tr)^2)  
  sst_tr <- sum((obs_tr - mean(obs_tr))^2)  
  
  ssr_out <- sum((obs_out - pred_out)^2)  
  sst_out <- sum((obs_out - mean(obs_out))^2)  
  
  n_tr <- 20  
  n_out <- 7  
  
  ## RMSEC  
  
  RMSEC <- sqrt(ssr_tr/(n_tr))  
  
  ## RMSEP  
  
  RMSEP <- sqrt(ssr_out/(n_out))  
  
  ## R2tr  
  
  R2tr <- (1 - (ssr_tr/sst_tr))  
  
  ## R2out/Q2F2/R2Tropsha  
  
  R2out <- (1 - (ssr_out/sst_out))
```

```

## Q2F3

Q2F3 <- (1 - ((ssr_out/n_out)/(sst_tr/n_tr)))

## Sigma

rho <- cor(obs_out, pred_out, method = c("spearman"))

## Sigma2

rho2 <- (rho)^2

## Salida

output <- list(RMSEC = RMSEC, RMSEP = RMSEP, R2tr = R2tr, R2out = R2out, Q2F3 = Q2F3,
              rho = rho, rho2 = rho2)
return(output)
}

## L00 Metrics

Metrica_L00 <- function(obs, pred) {

  ssr_L00 <- sum((obs - pred)^2)
  sst_L00 <- sum((obs - mean(obs))^2)
  n_L00 <- 20

  ## R2L00

  R2L00 <- (1 - (ssr_L00/sst_L00))

  ## RMSEL00

  RMSEL00 <- sqrt(ssr_L00/n_L00)

  output <- list(R2L00 = R2L00, RMSEL00 = RMSEL00)
  return(output)
}

```

Importing dataset

Now, the dataset previously prepared is upload (we concatenate the molecular descriptors with the biological activity):

```

Descriptores_I <- read.csv("Descriptores_Alvranner.csv", stringsAsFactors = FALSE)

Descriptores_II <- read.csv("Descriptores_MOPAC.csv", stringsAsFactors = FALSE)

Descriptores <- cbind(Descriptores_I, Descriptores_II)

## Biological activity

Actividad <- read.csv2("Actividad.csv", stringsAsFactors = FALSE)

```

```

## Joining molecular descriptors with activity

Dataset <- cbind(Descriptores, Actividad)

## Cleaning labels

Dataset$ID <- NULL
Dataset$IC50..uM. <- NULL

## Renaming biological activity

names(Dataset)[names(Dataset) == "IC50..M."] <- "pIC50"

```

Converting biological activity (EC50) into logarithmic scale, and then, calculating dimension of the dataframe

```

Dataset[, 2284] <- -log10(Dataset[, 2284])

dim(Dataset)

```

```
## [1] 27 2284
```

So, there are 27 molecules with 2283 molecular descriptors and a biological activity response.

Pretreatment of the dataset (cleaning)

Let's remove NA columns; columns with variance of zero (constant columns) and columns with more than half filled with zeros (Refer to the Manuscript to the criteria selected).

```

## Removing NA's
Dataset <- Dataset[, !apply(Dataset, 2, function(x) any(is.na(x)))]

## Removing columns with variance equal to zero.
Dataset <- Dataset[, apply(Dataset, 2, var, na.rm = TRUE) != 0]

## Removing columns with constant values
Dataset <- Dataset[, !apply(Dataset, 2, function(x) length(unique(x)) == 1)]

## Removing columns with more than half filled with zeros
Dataset <- Dataset[, colSums(Dataset != 0) > nrow(Dataset)/2]

dim(Dataset)

## [1] 27 365

```

Since the dataset is very high dimensional 27 X 365. Let's calculate a correlation matrix for all the descriptors, and then, let's remove the high correlated molecular descriptors (R^2 of Pearson > 0.99), with this, the multicollinearity between columns could be improved (a problem that could generate bias in our QSAR model)

```

## Removing high correlated descriptors
library(caret)

## Correlation matrix calculation
Dataset_Cor = cor(Dataset)

## Removing high correlated descriptors with a  $R^2 > 0.99$ 

```

```
hc = findCorrelation(Dataset_Cor, cutoff = 0.99)
hc = sort(hc)
```

```
## Non correlated descriptor matrix
```

```
Dataset_hc = Dataset[, -c(hc)]
```

```
## Dimension of the dataset
dim(Dataset_hc)
```

```
## [1] 27 275
```

So now, the dataset has a dimension of 27 X 275. The improvement of the descriptors is good, but the high dimensionality still appears ($n < p$, ie; more descriptors than observations)

Splitting dataset into training a test set

Since the dataset is very asymmetrical, and there are few observations, let's try to split the dataset in order to get a good balance between both groups (avoiding artifacts by asymmetrical splitting). The **caret** function from R allows to carry out this task. Also, the dataset will be scaled subtracting the mean and dividing by standard deviation of data. The ratio will be 70% training and 30% testing.

```
## Scaling
Mean <- apply(Dataset_hc, 2, mean)
SD <- apply(Dataset_hc, 2, sd)

Dataset_S <- as.matrix(scale(Dataset_hc, center = Mean, scale = SD))

centrado <- t(attr(Dataset_S, "scaled:center"))
escalado <- t(attr(Dataset_S, "scaled:scale"))

## Splitting the data in training and test (70% training and 30% test)

set.seed(101)
Muestra <- createDataPartition(Dataset_S[, 275], times = 1, p = 0.7, list = FALSE)

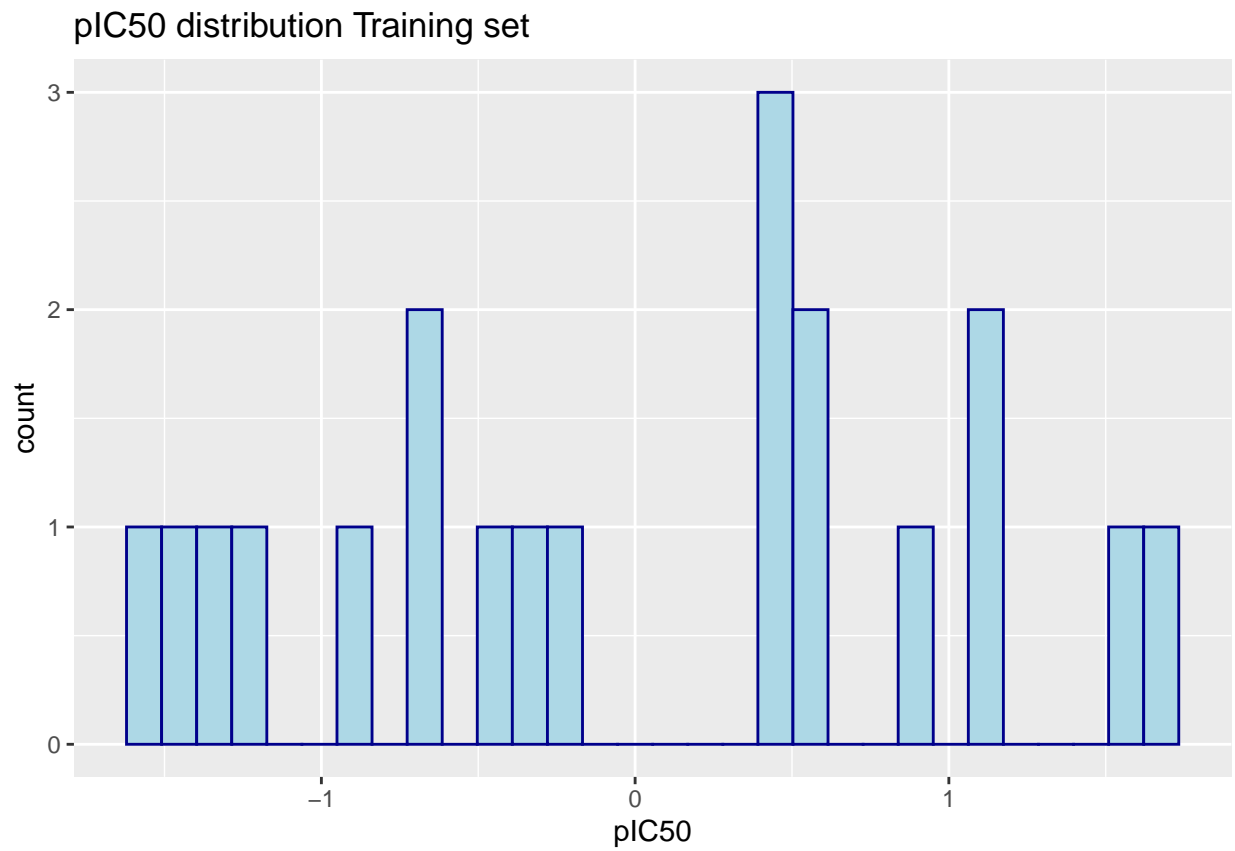
Modelamiento <- as.matrix(Dataset_S[Muestra, ])
Prueba <- as.matrix(Dataset_S[-Muestra, ])
```

Let's appreciate the distribution of the data in the training and test set

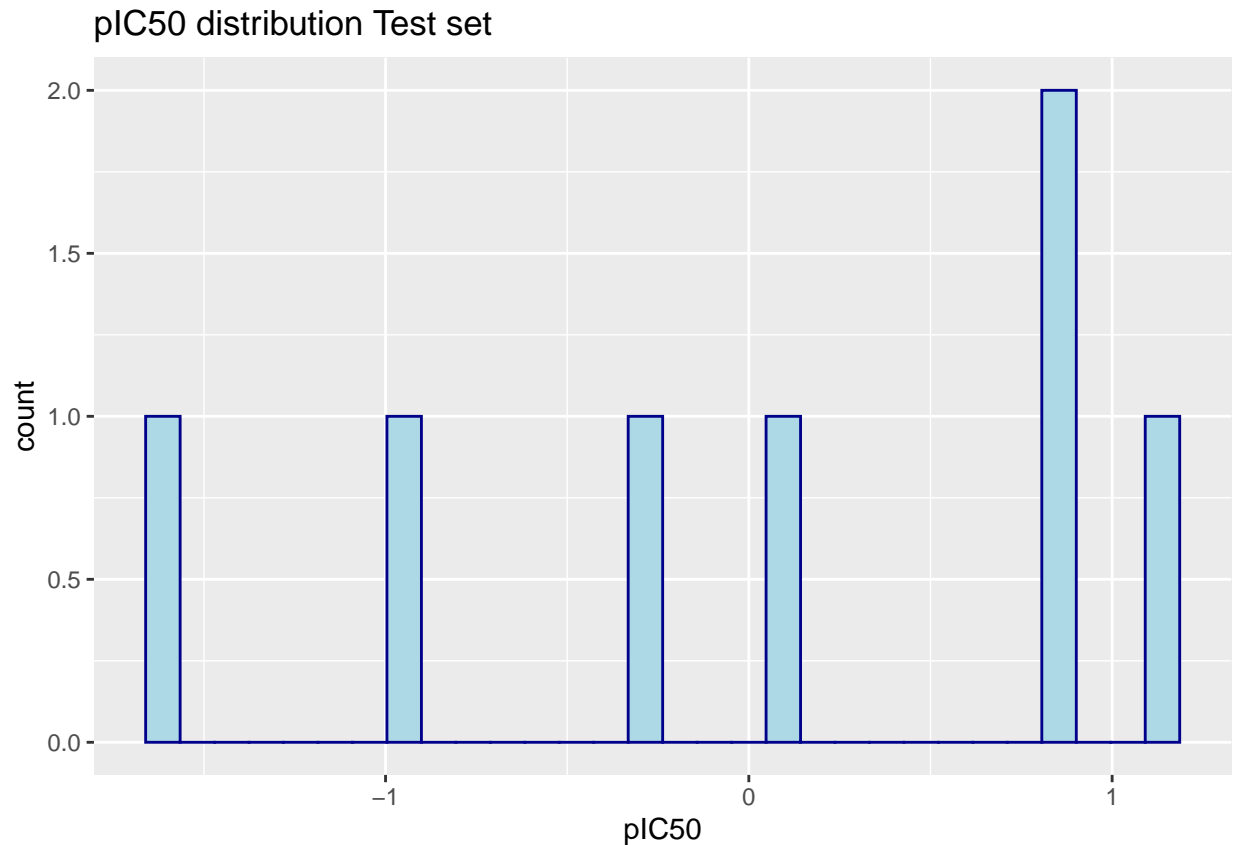
```
library(ggplot2)

## Basic histogram

ggplot(as.data.frame(Modelamiento), aes(x = pIC50)) + geom_histogram(color = "darkblue",
  fill = "lightblue") + ggtitle("pIC50 distribution Training set")
```



```
ggplot(as.data.frame(Prueba), aes(x = pIC50)) + geom_histogram(color = "darkblue",  
  fill = "lightblue") + ggtitle("pIC50 distribution Test set")
```



A Student-t statistical test will be carried out to get insight about the differences between groups. The null hypothesis states that the data comes from the same statistical distribution. The alternative hypothesis states that the data does not come from the same statistical distribution. The test will be carried out with a significance level of 95% (p-value = 0.05)

```
t.test(Modelamiento[, 275], Prueba[, 275])
```

```
##
## Welch Two Sample t-test
##
## data: Modelamiento[, 275] and Prueba[, 275]
## t = -0.019338, df = 10.475, p-value = 0.9849
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -1.0032746  0.9859042
## sample estimates:
## mean of x mean of y
## -0.002251715  0.006433471
```

Since p-value>0.05, then the null hypothesis is accepted, so both data distributions come from the same statistical distribution with a statistical significance level of 95%.

LASSO Regression for feature selection

The LASSO regression is a linear penalized regression technique that permits to obtain a linear correlation in a high dimensional system. The algorithm can function both as a feature selection technique and as a linear regression model with the same selected features/descriptors. Please refer to the manuscript to get more info about the algorithm.

In this case, LASSO L1 regularization will be used as feature selection technique and after that, the selected descriptors will be fitted in a classical multiple linear regression (MLR)

Adjusting λ value

```
## Getting the best lambda parameter for the penalized function by a 5-fold cross
## validation of training set (values of lambda from 0 to 100)

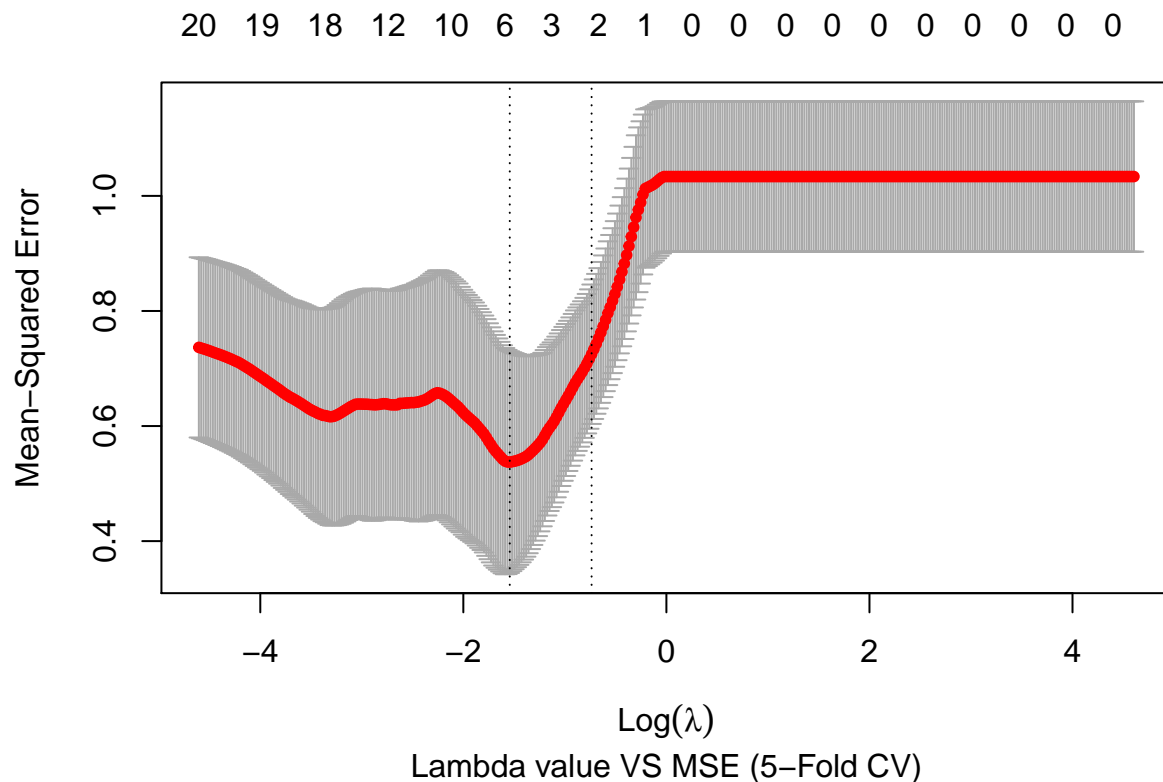
library(glmnet)
set.seed(1e+05)

nFolds <- 5
foldid <- sample(rep(seq(nFolds), length.out = nrow(Modelamiento)))

Modelo_Lasso <- cv.glmnet(Modelamiento[, 1:274], Modelamiento[, 275], alpha = 1,
  nfolds = nFolds, lambda = 10^seq(2, -2, by = -0.01), foldid = foldid, standardize = FALSE)

## Plotting lambda VS mean absolute error (MSE) to get the best lambda to tuning
## the model

plot(Modelo_Lasso, sub = "Lambda value VS MSE (5-Fold CV)")
```



```
## Best lambda value
Mejor_Lambda <- Modelo_Lasso$lambda.1se
print(Mejor_Lambda)
```

```
## [1] 0.4786301
```

Training the model

```
## Training the model with the best lambda value from the 5-fold cross validation
```

```
Mejor_Lasso <- glmnet(Modelamiento[, 1:274], Modelamiento[, 275], alpha = 1, lambda = Mejor_Lambda,  
  standardize = FALSE)
```

```
## Model info
```

```
print(Mejor_Lasso)
```

```
##
```

```
## Call: glmnet(x = Modelamiento[, 1:274], y = Modelamiento[, 275], alpha = 1, lambda = Mejor_Lambda)
```

```
##
```

```
## Df %Dev Lambda
```

```
## 1 2 46.66 0.4786
```

```
## Features selected by LASSO
```

```
Coef_Import = coef(Mejor_Lasso)[, 1]
```

```
Coef_Import = sort(abs(Coef_Import), decreasing = T)
```

```
Coef_Import <- as.matrix(Coef_Import)
```

```
print(Coef_Import[1:5, ])
```

```
## F04.C.S. B10.C.S. (Intercept) ALogPS_logP ALogPS_logS
```

```
## 0.28912994 0.06287162 0.01078790 0.00000000 0.00000000
```

The LASSO model selected two features from the 274: F04.C.S. & B10.C.S. So the equation looks like:

$$pIC_{50} = b_0(\text{F04.C.S.}) + b_1(\text{B10.C.S.}) + b_2(\text{Intercept}) \quad (1)$$

(2)

Fitting an ordinary least square multiple linear regression model with the selected descriptors by LASSO

Now, if the two descriptors are selected, it is possible to fit a OLS-MLR model with a system of 20 observations (training set molecules) and 2 regressors (the two molecular descriptors selected by LASSO). This fit is straightforward and the only assumption is that the square errors from the fitting are normally distributed.

```
library(dplyr)
```

```
## Selecting only the two descriptors generated by LASSO algorithm
```

```
Modelamiento_Lineal <- as.data.frame(Modelamiento)
```

```
Modelamiento_Lineal <- select(Modelamiento_Lineal, F04.C.S., B10.C.S., pIC50)
```

```
Prueba_Lineal <- as.data.frame(Prueba)
```

```
Prueba_Lineal <- select(Prueba_Lineal, F04.C.S., B10.C.S., pIC50)
```

```
## Fitting the training set into a OLS-MLR:
```

```
Lineal <- lm(pIC50 ~ ., data = Modelamiento_Lineal)
```

```
summary(Lineal)
```

```
##
```

```
## Call:
```

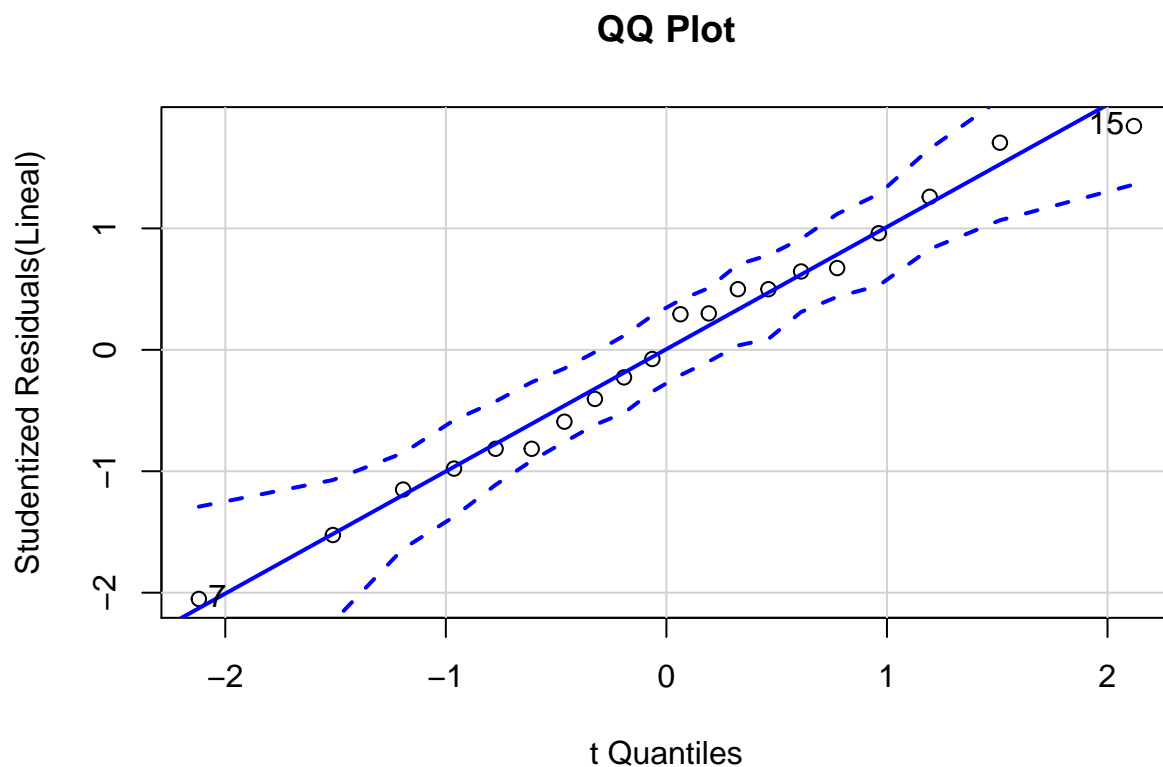
```
## lm(formula = pIC50 ~ ., data = Modelamiento_Lineal)
```



```
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -1.00341 -0.43898  0.06192  0.36306  0.95301
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -0.007769   0.129616  -0.060   0.9529
## F04.C.S.     0.494193   0.236944   2.086   0.0524 .
## B10.C.S.     0.368976   0.244262   1.511   0.1493
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.5749 on 17 degrees of freedom
## Multiple R-squared:  0.7149, Adjusted R-squared:  0.6813
## F-statistic: 21.31 on 2 and 17 DF,  p-value: 2.332e-05
```

Since this is a typical linear regression fitting, it is possible to get from the output the coefficient values for the regressors, the standard errors, the p-value for statistical significance of each coefficient and the confidence intervals for the coefficients. First, let's plot the square error to check the normality and after that, let's get the confidence intervals for the coefficients.

```
## Getting QQ-Plot (checking squared error normal distribution)
library(car)
qqPlot(Lineal, main = "QQ Plot")
```



```
## [1] 7 15
```

```
## Confidence intervals for each coefficient
```

```
confint(Lineal, level = 0.95)
```

```
##           2.5 %    97.5 %  
## (Intercept) -0.281233845 0.2656958  
## F04.C.S.    -0.005715959 0.9941014  
## B10.C.S.    -0.146371073 0.8843239
```

Predicting the training dataset with the model (Internal):

```
Predicho_tr <- predict(Lineal, newdata = Modelamiento_Lineal)
```

```
Observado_tr <- Modelamiento_Lineal$pIC50
```

Predicting the test dataset with the model (External):

```
Predicho_out <- predict(Lineal, newdata = Prueba_Lineal)
```

```
Observado_out <- Prueba_Lineal$pIC50
```

Unscaling data

```
## Function to unscaling
```

```
Desescalar <- function(X) {  
  X_desescalada <- (X * escalado[, 275] + centrado[, 275])  
}
```

```
## Internal prediction
```

```
Predicho_tr <- Desescalar(Predicho_tr)  
Observado_tr <- Desescalar(Observado_tr)
```

```
Obs_df <- as.data.frame(cbind(Observado_tr, Predicho_tr))  
colnames(Obs_df) <- c("Observed", "Predicted")  
rownames(Obs_df) <- Muestra[1:20]
```

```
## External prediction
```

```
Predicho_out <- Desescalar(Predicho_out)  
Observado_out <- Desescalar(Observado_out)
```

```
Pred_df <- as.data.frame(cbind(Observado_out, Predicho_out))  
colnames(Pred_df) <- c("Observed", "Predicted")  
rownames(Pred_df) <- c("4", "5", "10", "15", "16", "19", "26")
```

Statistical metrics and plotting of the model

```
Metricas_MLR <- Metricas(Observado_tr, Predicho_tr, Observado_out, Predicho_out)
```

```

Metricas_MLR <- (do.call(rbind, Metricas_MLR))
rownames(Metricas_MLR) <- c("RMSEC", "RMSEP", "R2tr", "R2out", "Q2F3", "rho", "rho2")
Metricas_MLR <- round(Metricas_MLR, 1)
print(Metricas_MLR)

```

```

##      [,1]
## RMSEC  0.5
## RMSEP  0.6
## R2tr   0.7
## R2out  0.6
## Q2F3   0.6
## rho    0.8
## rho2   0.6

```

```
library(ggplot2)
```

```
# Basic scatter plot Training
```

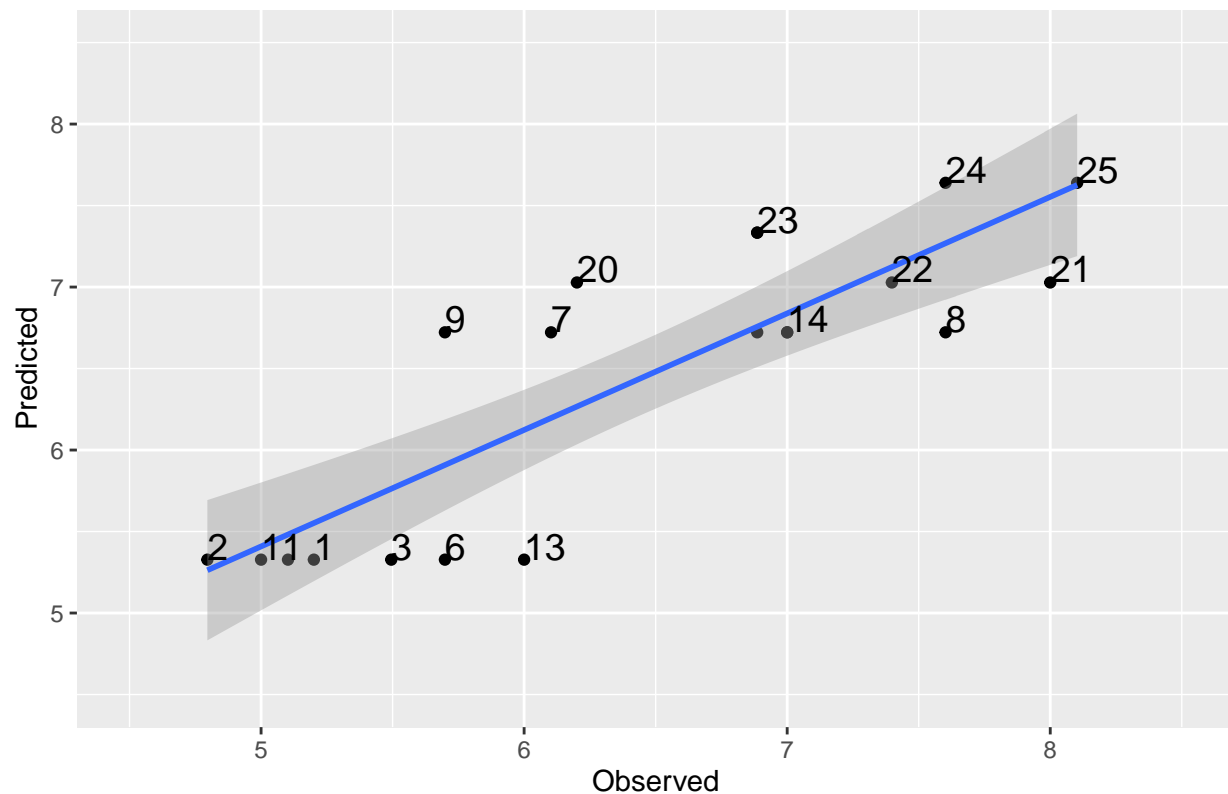
```

ggplot(Obs_df, aes(x = Observed, y = Predicted)) + geom_point() + geom_smooth(method = lm) +
  ggtitle("Observed VS predicted (Internal prediction)") + geom_text(size = 5,
    aes(label = rownames(Obs_df)), hjust = 0, vjust = 0, check_overlap = TRUE) +
  coord_cartesian(xlim = c(4.5, 8.5), ylim = c(4.5, 8.5))

```

```
## `geom_smooth()` using formula 'y ~ x'
```

Observed VS predicted (Internal prediction)



```
ggsave("lassomlrinternal.png")
```

```
## Saving 6.5 x 4.5 in image
```

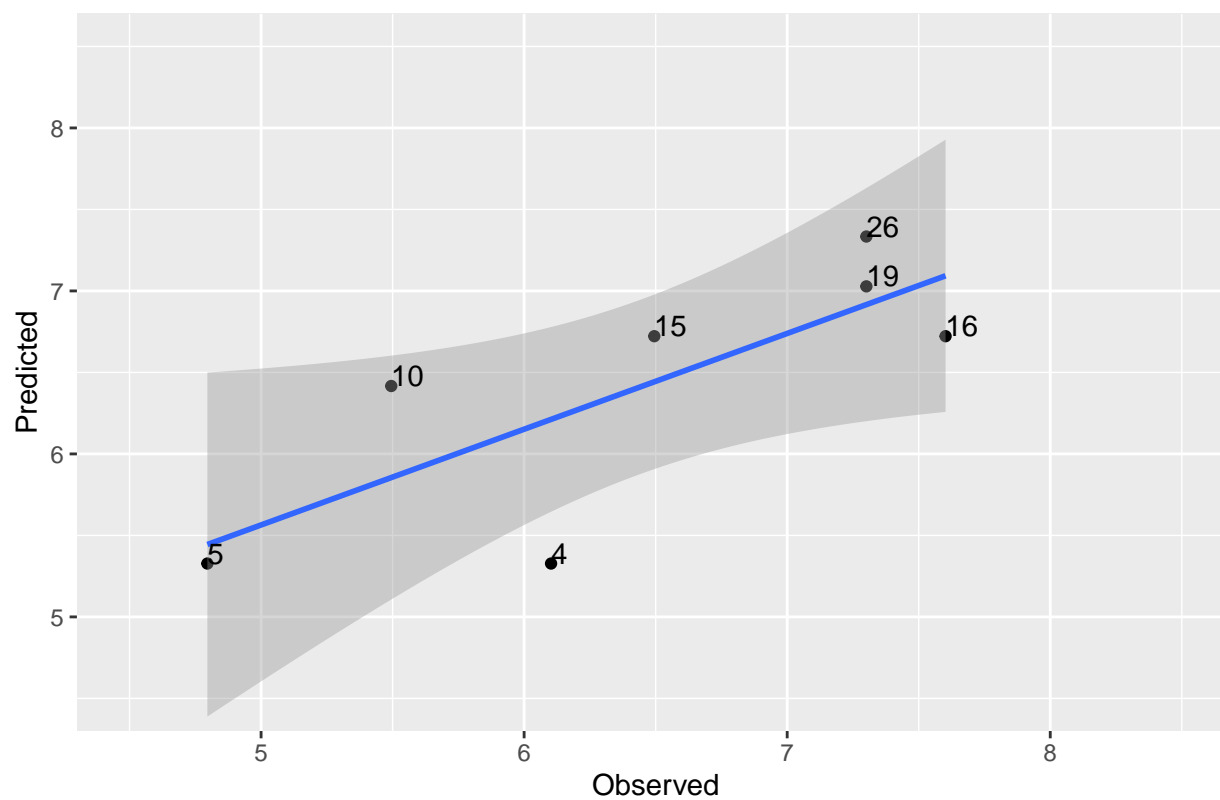
```
## `geom_smooth()` using formula 'y ~ x'
```

```
# Basic scatter plot Test
```

```
ggplot(Pred_df, aes(x = Observed, y = Predicted)) + geom_point() + geom_smooth(method = lm) +  
  ggtitle("Observed VS predicted (External prediction)") + geom_text(aes(label = rownames(Pred_df)),  
    check_overlap = TRUE, hjust = 0, vjust = 0) + coord_cartesian(xlim = c(4.5, 8.5),  
    ylim = c(4.5, 8.5))
```

```
## `geom_smooth()` using formula 'y ~ x'
```

Observed VS predicted (External prediction)



```
ggsave("lassomlexternal.png")
```

```
## Saving 6.5 x 4.5 in image
```

```
## `geom_smooth()` using formula 'y ~ x'
```

Leaving one out cross-validation (LOO-CV) of the data

A statistical metric that is common in QSAR modeling is the RMSE and R² of the LOO-CV. Let's estimate these parameters

```
## Storing matrix for the cycle
```

```
Pred_CV = matrix()
```

```
Modelo_i = list()
```

```
## Training set
```

```
Modelamiento_CV <- as.data.frame(Modelamiento_Lineal)
```

```

set.seed(1e+05)

for (i in 1:nrow(Modelamiento_CV)) {

  ## Removing i row from 1 to the number of rows of the dataset (each cycle left one out)

  Calibracion_CV <- Modelamiento_CV[-i, ]
  Prueba_CV <- Modelamiento_CV[i, ]

  ## Training the model

  Modelo_Lineal_CV <- lm(pIC50 ~ ., data = Calibracion_CV)

  ## Predicting the i-row

  Pred_CV_model = predict(Modelo_Lineal_CV, newdata = Prueba_CV)

  ## Predicted values for each i-row
  Pred_CV[i] <- Pred_CV_model

  ## Model for each i-row
  Modelo_i[[i]] <- Modelo_Lineal_CV

}

```

Calculating the metrics and plotting the results

```

## Unscaling observed and predicted data

Observado_L00 <- Observado_tr
Predicho_L00 <- Desescalar(Pred_CV)

L00_df <- as.data.frame(cbind(Observado_L00, Predicho_L00))
rownames(L00_df) <- Muestra[1:20]

## Metric calculation
L00_M <- Metrica_L00(Observado_L00, Predicho_L00)

L00_M <- (do.call(rbind, L00_M))
L00_M <- round(L00_M, 1)
print(L00_M)

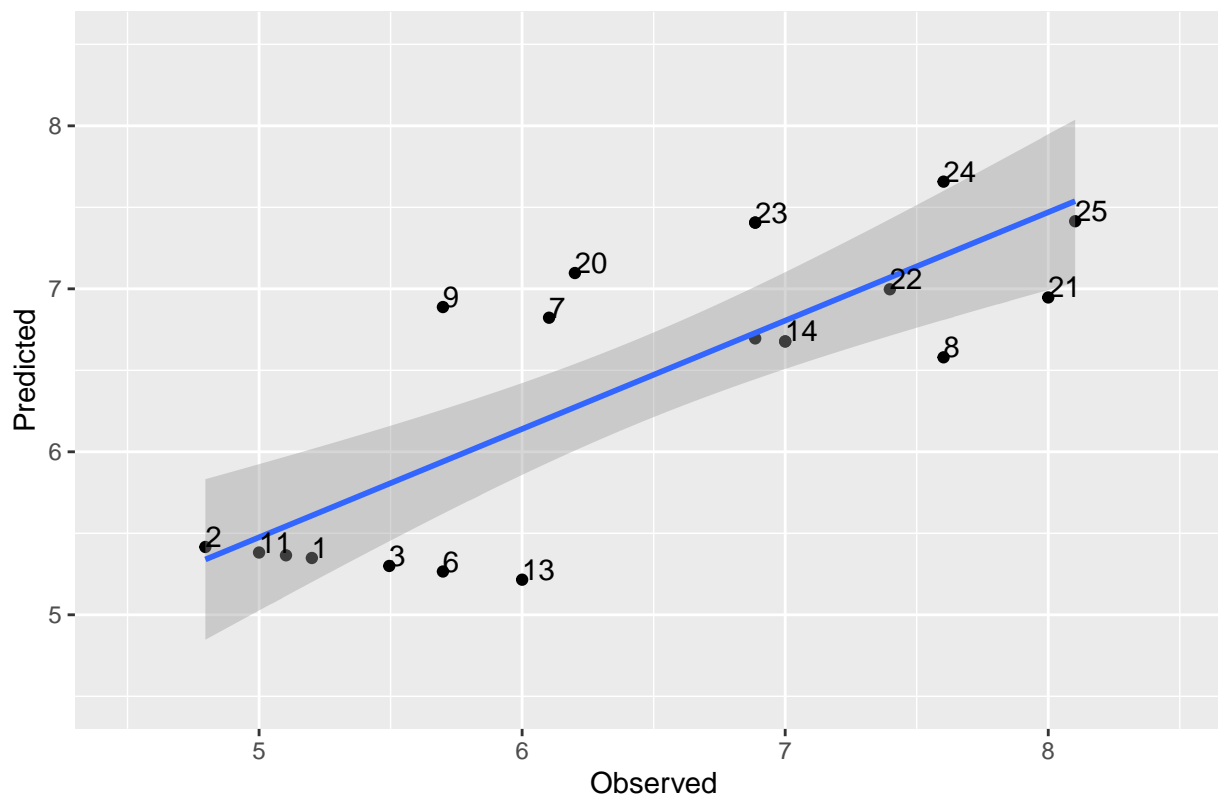
##           [,1]
## R2L00      0.6
## RMSEL00    0.6

# Basic scatter plot L00-CV
ggplot(L00_df, aes(x = Observado_L00, y = Predicho_L00)) + geom_point() + geom_smooth(method = lm) +
  ggtitle("Observed VS predicted (L00-CV)") + xlab("Observed") + ylab("Predicted") +
  geom_text(aes(label = rownames(L00_df)), check_overlap = TRUE, hjust = 0, vjust = 0) +
  coord_cartesian(xlim = c(4.5, 8.5), ylim = c(4.5, 8.5))

## `geom_smooth()` using formula 'y ~ x'

```

Observed VS predicted (LOO-CV)



```
ggsave("lassomlrloo.png")
```

```
## Saving 6.5 x 4.5 in image
## `geom_smooth()` using formula 'y ~ x'
```

Y-randomization test for LASSO-MLR model

Another statistical test to get insight about the reliability of the QSAR model is the Y-randomization. In this algorithm, the outcome variable ($Y = \text{pIC}_{50}$) is randomized, and in each iteration a new model is built. The R^2 for all the random models should be worse than the R^2 from the constructed model. This test tries to prove that the model build does not come from random chance.

```
## 50-fold loop for Y-randomization

## Empty list for store the data that comes from the loop

Score_Y <- list()
set.seed(1e+05)

for (i in 1:50) {

  ## Shuffling the outcome (pIC50), and building training and test sets with this
  ## randomized dataset
  Dataset_Y_shuffle <- as.data.frame(Dataset_S)
  Y_shuffle <- sample(Dataset_S[, 275], replace = FALSE)
  Dataset_Y_shuffle[, 275] <- Y_shuffle
}
```

```

Modelado_shuffle <- Dataset_Y_shuffle[Muestra, ]
Prueba_shuffle <- Dataset_Y_shuffle[-Muestra, ]

Modelado_shuffle <- select(Modelado_shuffle, F04.C.S., B10.C.S., pIC50)
Prueba_shuffle <- select(Prueba_shuffle, F04.C.S., B10.C.S., pIC50)

## Training the model with randomized outcome data

Modelo_Lineal_Y <- lm(pIC50 ~ ., data = Modelado_shuffle)

## Predicting test set with randomized outcome data

Pred_Y = predict(Modelo_Lineal_Y, newdata = Prueba_shuffle)

## Unscaling data

Observado_Y <- Desescalar(Prueba_shuffle$pIC50)
Predicho_Y <- Desescalar(Pred_Y)

## Model metrics
Score_Y[[i]] <- Metrica_L00(Observado_Y, Predicho_Y)
}

## Extracting metrics from the loop
Resul_Y_Random <- as.data.frame(t(unlist(Score_Y)))

par_indexes <- seq(2, 100, 2)
impar_indexes <- seq(1, 99, 2)

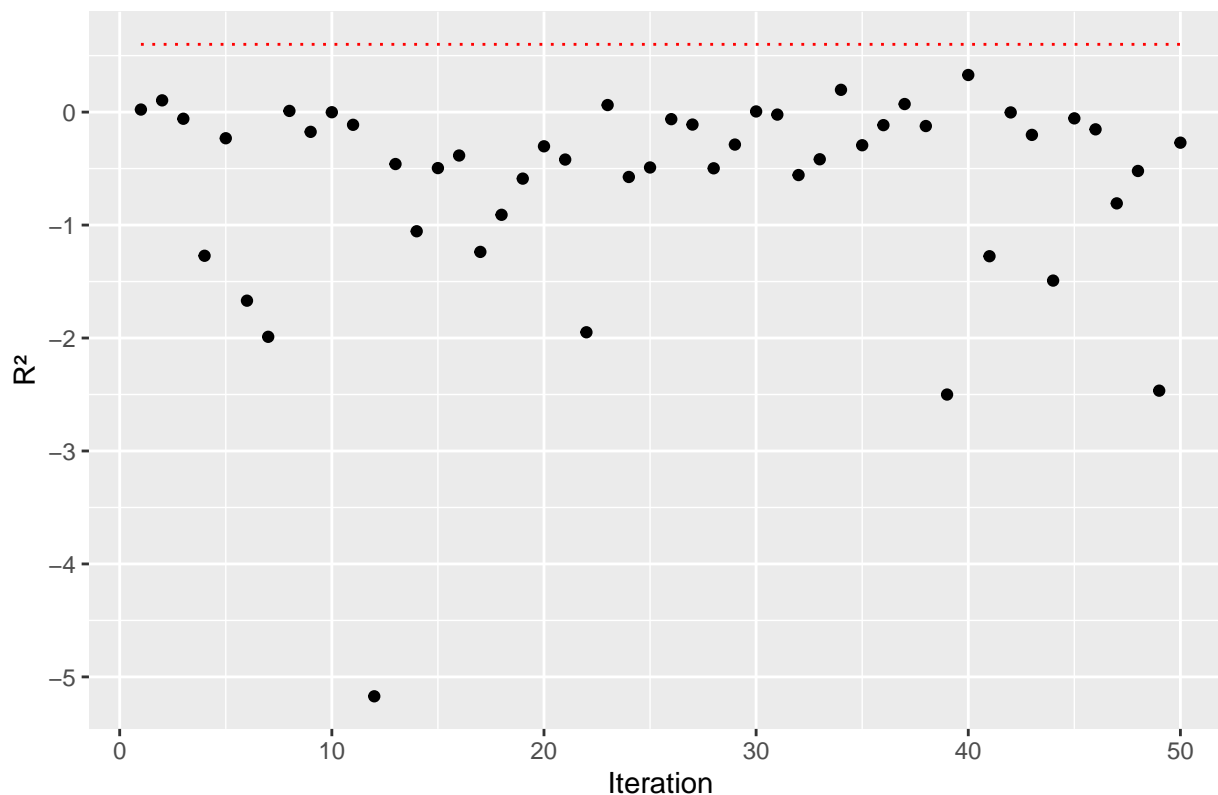
RMSEY <- Resul_Y_Random[, par_indexes]
Q2Y <- Resul_Y_Random[, impar_indexes]
Q2Y <- as.data.frame(t(Q2Y))
colnames(Q2Y) <- "R2"
rownames(Q2Y) <- c(1:50)
Q2Y$Iteration <- c(1:50)

library(ggplot2)

# Basic scatter plot Y-randomization
ggplot(Q2Y, aes(x = Iteration, y = R2)) + geom_point() + geom_line(aes(y = 0.6),
  linetype = "dotted", color = "red") + ggtitle("Y-randomization test (R²=0.6)") +
  ylab("R²")

```

Y-randomization test ($R^2=0.6$)



```
ggsave("lassomlryrandom.png")
```

Saving 6.5 x 4.5 in image

Since none of the randomized models had a better performance than the constructed model ($R^2=0.6$), the QSAR is reliable.

Applicability domain (AD) of the QSAR model

The last step for the development of this QSAR model is the determination of the chemical space gives by the molecular descriptors used to construct the regression. The AD permits to interpolate in a chemical region with reliable results. Finally, the AD also detects possible outliers that are being extrapolated from the model. For more information about AD theory, please refer to the Manuscript.

```
### For training set
```

```
## Getting leverages from the model
```

```
hi <- hatvalues(Lineal) ##Leverages
```

```
## Getting standardized residuals from the model
```

```
Stand_Residuales <- rstandard(Lineal)
```

```
## Estimating warning leverage (every molecule that relies outside this limit,  
## can't be interpolated and its predicted value is not trustworthy)
```

```
K <- 20
```



```

h_asterisco <- (3 * (2 + 1))/K ##Two regressors and 20 observations h*=3(p+1)/n

### For test set

## Getting X matrix from training and testing

X_AD <- as.matrix(Modelamiento_Lineal)
X_test <- as.matrix(Prueba_Lineal)

## Mathematical calculation of leverages
H_test <- X_test %*% solve(t(X_AD) %*% X_AD) %*% t(X_test) ##Hat matrix for test
hi_test <- diag(H_test) ##Leverages

## Mathematical calculation of standardized residuals from test prediction

obs_test <- Prueba_Lineal$PIC50
pred_test <- predict(Lineal, newdata = Prueba_Lineal)

Residuales_test <- (obs_test - pred_test)
Stand_Residuales_test <- Residuales_test/sd(Residuales_test)

## Dataframes for training and test set of leverages and standardized residuals

Will_training <- as.data.frame(cbind(hi, Stand_Residuales))
colnames(Will_training) <- c("Leverages", "Standardized_residuals")
rownames(Will_training) <- Muestra[1:20]

Will_test <- as.data.frame(cbind(hi_test, Stand_Residuales_test))
colnames(Will_test) <- c("Leverages", "Standardized_residuals")
rownames(Will_test) <- c("4", "5", "10", "15", "16", "19", "26")

library(ggplot2)

Will_training$cat <- "Training"
Will_test$cat <- "Test"

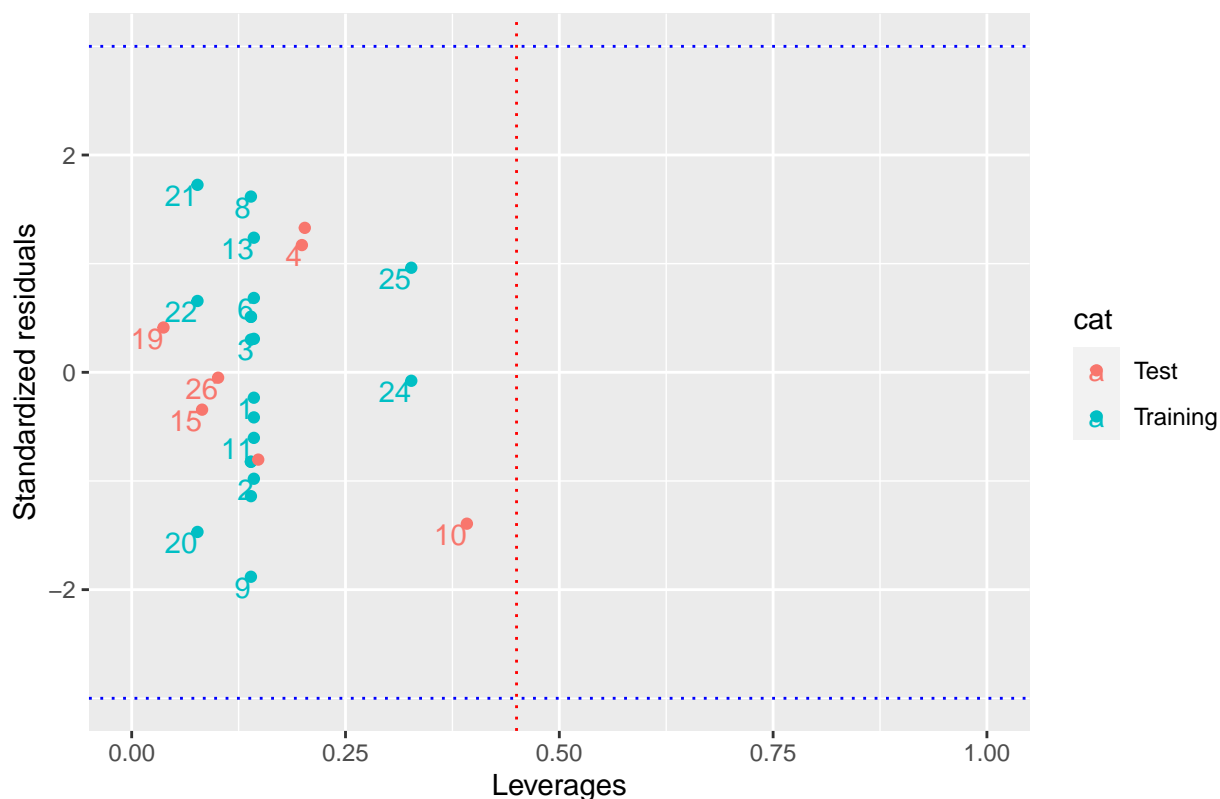
ggplot_William <- rbind(Will_training, Will_test)

# Basic scatter plot Williams plot

ggplot(ggplot_William, aes(x = Leverages, y = Standardized_residuals, color = cat)) +
  geom_point() + xlim(0, 1) + geom_text(label = rownames(ggplot_William), check_overlap = TRUE,
  hjust = 1, vjust = 1) + geom_vline(xintercept = 0.45, linetype = "dotted", color = "red") +
  geom_hline(yintercept = c(-3, 3), linetype = "dotted", color = "blue") + ggtitle("Williams plot (Ap")
  ylab("Standardized residuals")

```

Williams plot (Applicability domain of LASSO regression)



```
ggsave("lassomlrad.png")
```

With the Williams plot, the AD of the model is determined, and apparently all the training and test molecules are correctly interpolated into the chemical space defined by the molecular descriptors selected.

Final parameters of the linear model:

```
library(knitr)

Mol_Descriptor <- c("F04.C.S.", "B10.C.S.", "Intercept")
Error <- as.numeric(c(0.129616, 0.236944, 0.244262))
CImin <- as.numeric(c(-0.005715959, -0.146371073, -0.281233845))
CImax <- as.numeric(c(0.9941014, 0.8843239, 0.2656958))
Coefficient <- as.numeric(c(0.494193, 0.368976, -0.007769))

Final_parameters_Lineal <- as.data.frame(cbind(Error, CImax, CImin, Coefficient))

Final_parameters_Lineal <- cbind(Mol_Descriptor, Final_parameters_Lineal)

round(Final_parameters_Lineal[, 2:5], 3)

##   Error CImax CImin Coefficient
## 1 0.130 0.994 -0.006      0.494
## 2 0.237 0.884 -0.146      0.369
## 3 0.244 0.266 -0.281     -0.008
```

```
kable(Final_parameters_Lineal)
```

Mol_Descriptor	Error	CImax	CImin	Coefficient
F04.C.S.	0.129616	0.9941014	-0.0057160	0.494193
B10.C.S.	0.236944	0.8843239	-0.1463711	0.368976
Intercept	0.244262	0.2656958	-0.2812338	-0.007769

Now, the QSAR model is finished.

Virtual screening

After the development of the QSAR model; two databases of molecules were taken from **PubChem** and **ZINC**. These molecules were filtered by two parameters: **Glucosamine-like molecules** and **Lipinski rule of five**.

The *Lipinski rule of five* is an empirical rule for druglikeness of molecules, the physicochemical parameters for this rule are:

- No more than 5 hydrogen bond donors.
- No more than 10 hydrogen bond acceptors.
- A molecular mass less than 500 g/mol.
- An octanol-water partition coefficient (Log P) that does not exceed 5.

The *glucosamine-like molecules* are mandatory to keep into the databases since the QSAR was developed under glucosamine derivative molecules, and the chemical space is defined or interpolated under this scaffold.

After the filtering we got 155 unique molecules in SMILES format. The correct protonation state for each molecule was carried out by **Gypsum-DL software** with a pH between 7.0 and 7.2. The tautomer and isomer distribution for each molecule was carried out by the same software, and for each molecule was generated two (310) and three (465) possible tautomer/conformer and protonated states in order to get a better insight of all the chemical states on the dataset.

Finally, the datasets were uploaded into OCHEM web platform in order to calculate mechanistic interpretable 2D and 3D molecular descriptors (the same molecular descriptors used for the QSAR development).

Two variants

```
## Invoking datasets
library(dplyr)

## Alvadescrptors
alvdesc_2 <- read.csv("alvdesc-2.csv", stringsAsFactors = FALSE)

## MOPAC
mopac_2 <- read.csv("mopac-2.csv", stringsAsFactors = FALSE)

## Joining both molecular descriptor datasets

mopac_2$SMILES <- NULL

VS_db <- cbind(alvdesc_2, mopac_2)
SMILES <- VS_db$SMILES
```

Cleaning datasets

```
## Converting to numeric
VS_db <- apply(VS_db, 2, as.numeric)
VS_db <- as.data.frame(VS_db)
VS_db$SMILES <- NULL

## Scaling data
Mean_VS <- as.data.frame(t(Mean))
SD_VS <- as.data.frame(t(SD))
Mean_VS$pIC50 <- NULL
SD_VS$pIC50 <- NULL

VS_db <- select(VS_db, names(Mean_VS))

VS_db <- as.matrix(VS_db)
VS_db_S <- scale(VS_db, center = Mean_VS, scale = SD_VS)
```

Predicting activities

```
Predicho_out_VS <- predict(Lineal, newdata = as.data.frame(VS_db_S))
Predicho_out_VS <- Desescalar(Predicho_out_VS)
ID <- c(1:310)

Predicho_out_VS <- cbind(ID, Predicho_out_VS)

colnames(Predicho_out_VS) <- c("Index", "pIC50")

## Prediction
Predicho_out_VS <- as.data.frame(Predicho_out_VS)
class(Predicho_out_VS)

## [1] "data.frame"

write.csv(Predicho_out_VS[order(Predicho_out_VS$pIC50, decreasing = TRUE), ], file = "VS_MLRLASSO-2.csv",
          row.names = FALSE)
head(Predicho_out_VS)

##   Index    pIC50
## 1     1 5.327533
## 2     2 5.327533
## 3     3 5.327533
## 4     4 5.327533
## 5     5 5.327533
## 6     6 5.327533
```

Three variants

```
## Invoking datasets
library(dplyr)

## Alvadescrptors
alvdesc_3 <- read.csv("alvdesc-3.csv", stringsAsFactors = FALSE)
```

```
## MOPAC
mopac_3 <- read.csv("mopac-3.csv", stringsAsFactors = FALSE)

## Joining both molecular descriptor datasets

mopac_3$SMILES <- NULL

VS_db3 <- cbind(alvdesc_3, mopac_3)
SMILES3 <- VS_db3$SMILES
```

Cleaning datasets

```
## Converting to numeric
VS_db3 <- apply(VS_db3, 2, as.numeric)
VS_db3 <- as.data.frame(VS_db3)
VS_db3$SMILES <- NULL

## Scaling data
Mean_VS <- as.data.frame(t(Mean))
SD_VS <- as.data.frame(t(SD))
Mean_VS$pIC50 <- NULL
SD_VS$pIC50 <- NULL

VS_db3 <- select(VS_db3, names(Mean_VS))

VS_db3 <- as.matrix(VS_db3)
VS_db3_S <- scale(VS_db3, center = Mean_VS, scale = SD_VS)
```

Predicting activities

```
Predicho_out_VS3 <- predict(Lineal, newdata = as.data.frame(VS_db3_S))
Predicho_out_VS3 <- Desescalar(Predicho_out_VS3)
ID <- c(1:465)
```

```
Predicho_out_VS3 <- cbind(ID, Predicho_out_VS3)

colnames(Predicho_out_VS3) <- c("Index", "pIC50")
```

```
## Prediction
Predicho_out_VS3 <- as.data.frame(Predicho_out_VS3)
class(Predicho_out_VS3)
```

```
## [1] "data.frame"
```

```
write.csv(Predicho_out_VS3[order(Predicho_out_VS3$pIC50, decreasing = TRUE), ], file = "VS_MLRLASSO-3.csv",
          row.names = FALSE)
head(Predicho_out_VS3)
```

```
##   Index    pIC50
## 1     1 5.327533
## 2     2 5.327533
## 3     3 5.327533
## 4     4 5.327533
## 5     5 5.327533
```

6 6 5.327533