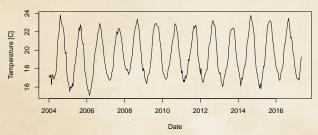


Implementing BSTS Forecasting

Andrew Bates, Josh Gloyd, Tyler Tucker



SST of Gilbralter region





These three lines of code are setting up the model as

$$y_t = \mu_t + \tau_t + \epsilon_t$$

where μ_t is a local linear component, τ_t is a seasonal component, and ϵ_t is a white noise process centered about zero and with standard deviation σ^2 .

```
nseasons = 30
ss <- list()
ss <- AddLocalLinearTrend(ss, gilT)
ss <- AddSeasonal(ss, gilT, nseasons=nseasons)</pre>
```



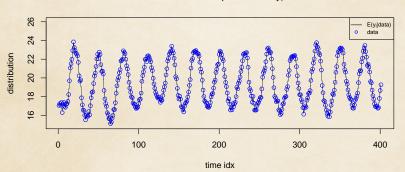
Implement the bsts function with time series, state specification object, and number of iterations runs the MCMC and fits the parameters.



```
plot(modelGilT,
    main=TeX('Conditional Expectation of $y_i$'),
    xlab='time idx', ylab='distribution',
    ylim=c(15, 26))
legend("topright",
    legend=c(TeX('$E(y_i|data)$'), "data"),
    col=c("black", "blue"),
    lty=c(1,NA), pch=c(NA, 1), cex=.7)
```



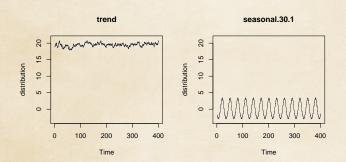
Conditional Expectation of yi





Trend and Season plots are available too

plot(modelGilT, "components")





From here we can perform forecasting 12 time steps in the future (144 days) with the following code. Green dotted line is the 97.5 % prediction interval, the blue line is the 2.5 % PI

pred1 <- predict(modelGilT, horizon = 12)
plot(pred1, plot.original = 156)</pre>

