

# Heterogeneous Network Representation Learning: A Unified Framework with Survey and Benchmark

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## 1 GOALS

- we aim to provide a unified framework to **deeply summarize and evaluate existing research** on heterogeneous network embedding (HNE)
  - we first formulate a unified yet flexible mathematical paradigm of HNE algorithms
  - we propose a generic objective function of *network smoothness*, and reformulate all existing models into this uniform paradigm while highlighting their individual novel contributions
- we provide a generic paradigm for the **systematic categorization and analysis over the merits** of various existing HNE algorithms
- we **create four benchmark datasets** with various properties regarding scale, structure, attribute/label availability, and etc. from different sources, towards handy and fair evaluations of HNE algorithms
- we carefully refactor and amend the implementations and **create friendly interfaces for 13 popular HNE algorithms**

## 2 PRELIMINARIES

- HNE: Heterogenous network embedding
- **Hadamard product**: element-wise product

## 3 CHALLENGES

- real-world objects and interactions are often multi-modal and multi-typed

## 4 PREVIOUS WORK / CITATIONS

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- **This Work**: ...

## 5 DEFINITIONS

- **Heterogeneous network**:  $H = \{V, E, X, R, \phi, \psi\}$ 
  - $v_i \in V$ : vertices,  $e_{ij} \in E$ : edges
  - $\phi(v_i)$ : Node type,  $\psi(e_{ij})$ : Link type
  - $X_i^o$ : Node attribute,  $U_{ij}^o$ : Link attribute
- **Meta-Path**: Path  $o_1 \xrightarrow{l_1} o_2 \xrightarrow{l_2} \dots o_m \xrightarrow{l_{m+1}} o_{m+1}$ 
  - Where  $o$  and  $l$  are node/link types
  - Carries semantics (composed relation)
  - Allows computing **multi-modal proximity**
- **Network embedding**:  $\Phi : V \rightarrow \mathbb{R}^{|V| \times d}$
- **Heterogenous network embedding**:  $\{\Phi_k : V \rightarrow \mathbb{R}^{|V_k| \times d}\}_{k=1}^K$ 
  - where  $K$  is number of node types
- **Smoothness Objective**:  $\mathcal{J} = \sum_{u,v \in V} w_{uv} d(\mathbf{e}_u, \mathbf{e}_v) + \mathcal{J}_R$ 
  - Where  $\mathbf{e}_u, \mathbf{e}_v$  are node embeddings

- $w_{vw}$ : proximity weight
- $d(\cdot, \cdot)$ : distance function

## 6 OUTLINE / STRUCTURE

### 6.1 Taxonomy

#### 6.1.1 Proximity-Preserving Methods.

- Goal of network embedding is to capture network topological information
- Preserving different types of proximity among nodes
- Approaches:
  - **Random Walk Approaches** (DeepWalk [29])
    - \* metapath2vec: randomwalk -> skipgram (context based) (negative sampling)
    - \* hin2vec: max likelihood based on path count/probability approximation (but employs a negative sampling like approach)
  - **First/Second-order Proximity** (LINE [30])
    - \* PTE: Split into multiple bipartite networks. Per network maximize the co-occurrence objective (skipgram)
      - Instead of co-occurrence counts, edge weight is used (based on different type edge counts)
    - \* HEER:
      - each edge type has embedding  $\mu_l$
      - each edge has embedding  $g_{uw}$
      - assume:
 
$$\mu_l^T g_{uv} = e_u^T A_l e_v$$
      - Again max likelihood across bi networks
  - considered as **shallow network embedding**, due to their essential single-layer decomposition

#### 6.1.2 Message Passing Methods.

- aim to learn node embeddings  $e_u$  based on  $x_u$  by aggregating the information from  $u$ 's neighbors.
- Considered as **deep network embedding** due to multiple layers of learnable projection functions
- **In unsupervised setting**: objective is link prediction
- Meta path based neighborhood:  $\mathcal{N}_{\mathcal{M}}(u) = \{v | v \text{ connects with } u \text{ via meta-path } \mathcal{M}\}$
- $a_{uv}^{\mathcal{M}}$ : Learned weight of neighbors
- $\beta_{\mathcal{M}}$ : Meta path weight

#### 6.1.3 Relation-Learning Methods.

- Knowledge Graphs are a special case of heterogeneous networks
- Explicitly model the **relation types** of edges via **parametric algebraic operators**
- Focus on the designs of triplet based scoring functions
  - learn a scoring function  $s_l(u, v)$  which evaluates an arbitrary triplet (where  $l$  is relation type)
- Usually margin based ranking loss is used + regularizer
  - Which has very similar form to negative sampling loss (!)
- Works:
  - **TransE**: assume  $e_u + e_l \approx e_v$  when relation  $l$  holds (translation of embedding)
    - \* Optimizes by maximizing margin between related and unrelated pairs

- Dismult: exploits similarity based scoring (usually  $e_u^T A_I e_v$ ) (aka the alignment score with some diagonal matrix inbetween)
- ComplEx: utilizes complex valued representations which allows capturing asymmetric relations

## 7 EVALUATIONS

- Tested: Classification and Link prediction
- Proximity-preserving algorithms: **often perform well** on both tasks under the unsupervised unattributed HNE setting
- Message-passing methods: perform poorly except for HGT, especially on node classification. But are known to excel due to their integration of node attributes, link structures, and training labels (which are not available).
- Relation learning methods: perform well on link predictions (when there are a lot of link types)

## 8 CODE

- <https://github.com/yangji9181/HNE>

## 9 RESOURCES

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## 10 NOTE (TO SELF)

- Read more about transformers and check out [85]