20. Reinforcement Learning 2

Toxonomies of RL

- Methods based on value functions
 - $V^{\pi}(x)$ is expected long term reward of starting at x and executing policy π
 - Policy Search methods; Actor-critic Methods
 - Policy-Gradient method ⊂ Policy Search
 - PPO, is Actor-critic method
 - Policy gradient as optimizer
- Topic 2
- Topic 3

Today's Topic outline

- Reinforce ⊂ Policy Gradient
 - $\circ \quad min_{lpha}E[f(x)], x \propto p_{lpha}(x)$, distribution of x, $N(lpha, \sigma(fixed))$
 - o write a distribution over possible x's and minimize the expected value
 - delta-like funciton is the goal, highest possibility at lowest value
 - o potimize of gradient descent: $\frac{\partial}{\partial \alpha} E[f(x)] = E[f(x) \frac{\partial}{\partial \alpha} ln P_{\alpha}(x)]$, log-likelihood method (or policy gradient "trick")
- Reinforce with additive Gaussian noise
 - $\circ \quad x \sim P_{lpha} \sim N(lpha, \sigma^2)$
 - $\circ \quad x = lpha + eta$, $\,eta \sim N(0,\sigma^2)$
 - $\circ P_{lpha}(x)=Ce^{rac{-(x-lpha)^T(x-lpha)}{2\sigma^2}}$, probability density funciton of gaussian
 - $\circ \quad lnP_{lpha}(x)=rac{-(x-lpha)^T(x-lpha)}{2\sigma^2}+...$ terms that do not depend on $\,lpha$
 - $\circ \quad rac{\partial}{\partial lpha} ln P_lpha(x) = rac{1}{\sigma^2} (lpha x)^T = rac{1}{\sigma^2} eta^T$
 - $\circ \quad f(x)rac{\partial}{\partial lpha}lnP_lpha(x)=rac{1}{\sigma^2}f(lpha+eta)eta^T$
 - $\Delta lpha = -\eta rac{1}{\sigma^2} f(lpha + eta) eta^T$, η : learning rate

• given a small perturbation:

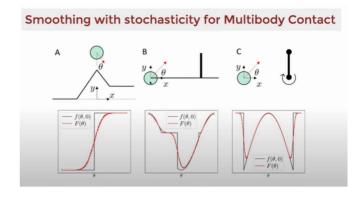
$$\circ \quad \Delta lpha = -\eta rac{1}{\sigma^2} [f(lpha + eta) - f(lpha)] eta^T$$

- if $f(\alpha + \beta) > f(\alpha)$, move $-\beta$ direction
- if $f(\alpha + \beta) < f(\alpha)$, move $+\beta$ direction
- If you have gradients, why not use them? (from AutoDiff)
 - the answer is subtle!
 - \circ scienrio: a wsg gripper try to grip a brick, z_{height}
 - controller: descend until z_{close} ,close gripper,raise hand
 - rewards:height of brick at time = 5 sec
 - plot reward in Y vs z_{close} in X, very discontinuous loss landscapes
 - gradient descent on discontinuous landscapes in general doesn't work very well
 - but adding probability density function, the smoothing effect works well
- The idea of Non-smooth optimization
 - is "randomized smoothing"
 - new interpretation that, policy gradient in RL is sort of 1 to 1 mapping Randomized
 Smoothing
 - example, $min |x|_1$, l1 norm
- In RL the randomriztion comes from
 - $\circ \quad P_lpha(x)$, exploration
 - Random initial conditions
 - Domain randomrization
 - the Smoothing effect helps convergence and optimization

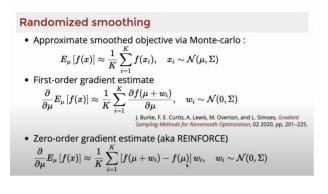
1. Good papers on RL

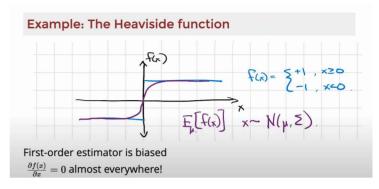
- Do Differentiable Simulators Give Better Policy Gradients?
- Do Differentiable Simulators Give Better Policy Gradients.pdf

Smoothing with stochasticity $\min_{ heta} f(heta)$ vs $\min_{ heta} E_w \left[f(heta, w) ight]$ $w \sim N(0, \Sigma)$



Do Differentiable Simulators give better policy gradients? the answer is subtle





- Is
- 0

2. What does policy gradient look like for control? (open question)

• linear Gaussian dynamics + quadratic cost

3. Examples