

Haskell - features Functional Programming

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Spring 2018



The Haskell type system

Data types

Type synonyms

Type Classes

Features

Functors

Maps

Monoids - Calculating

Folding

Monads - Side effects tamed



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data types



Elm: Union type

```
data Bool = False | True
```

```
data Maybe a = Nothing | Just a
```

Custom data types



```
data Shape = Circle Float Float Float
| Rectangle Float Float Float Float
```

```
data Person = { name :: String
    , age :: Int
    , email :: String
    } deriving (Show)
```

type Synonyms



Elm: type alias

```
type PhoneBook = [(String, String)]
phoneBook :: PhoneBook
phoneBook = [ ... ]
```

Build in Type Classes



- □ Ord ordered type, supporting <, >, ...
- ☐ Eq equatable type, supporting == and /=
- ☐ Enum enumeratable type, works with [1..10]
- Bounded types with minBound and maxBound
- Num numeral type including integer and real numbers
 - □ Integral integer numbers
 - Floating real numbers
- ☐ Show showable type, supporting show (toString) function
- □ Read showable type, supporting read (fromString) function



```
data Person = { name :: String
    , age :: Int
    , email :: String
    } deriving (Show, Eq)
```

```
ghci > kurt
Person {name = "Kurt", age = 25, email = "k@mail.dk"}

ghci > kurt == sonja
False
ghci > sonja == sonja
True
```

Defining type classes



```
class Eq a where
  (==) :: a -> a -> Bool
  (/=) :: a -> a -> Bool
  x == y = not (x /= y)
  x /= y = not (x == y)
```



```
class Eq a where

(==) :: a -> a -> Bool

(/=) :: a -> a -> Bool

x == y = not (x /= y)

x /= y = not (x == y)
```

```
instance Eq Semaphore where
Red == Red = True
(==) Yellow Yellow = True
Green == Green = True
_ == _ = False
```

Using defined type class



```
hgci> Red == Red
True
hgci> Red == Yellow
False
hgci> OutOfOrder == OutOfOrder
False
```

Exercise 1 - YesNo type class



Create a type class "YesNo" that defines the functions true a and false a both returning a Bool

Define instances of YesNo for lists, integers, Maybe's and booleans:

List Empty lists yields false other lists true

Integers 0 yields false other numbers true

Maybe Nothing yields false other Maybe's true

Bool false yields false true yields true



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Functors - mapping



```
class Functor f where
fmap :: (a -> b) -> f a -> f b
```

Functors - mapping



```
class Functor f where
  fmap :: (a -> b) -> f a -> f b
```

Remember map on Lists:

```
map :: (a -> b) -> [a] -> [b]
```

Lists are functors

```
instance Functor [] where
fmap = map
```



```
class Functor f where
  fmap :: (a -> b) -> f a -> f b
```

Remember map on Lists:

```
map :: (a -> b) -> [a] -> [b]
```

Lists are functors

```
instance Functor [] where
fmap = map
```

Maybe is also a functor:

```
instance Functor Maybe where
fmap f (Just x) = Just (f x)
fmap f Nothing = Nothing
```



Change the package.yaml file, add containers to dependencies:

```
dependencies:
- base >= 4.7 && < 5
- containers
```

```
hgci> import qualified Data.Map as Map
hgci> ns = Map.fromList [(1,"One"),(2,"Two"),(3,"Three")]
hgci> Map.lookup 2 ns
Just "Two"
hgci> Map.lookup 7 ns
Nothing
hgci> ns2 = Map.insert 7 "Seven" ns
hgci> Map.lookup 7 ns2
Just "Seven"
```



```
class Monoid m where
  mempty :: m
  mappend :: m -> m -> m
  mconcat :: [m] -> m
  mconcat = foldr mappend mempty
instance Monoid [a] where
  mempty = []
 mappend = (++)
instance Num a => Monoid (Sum a) where
  mempty = Sum 0
  mappend (Sum x) (Sum y) = Sum (x + y)
```



```
ghci> import Data.Monoid
ghci> [1, 2, 3] 'mappend' [7, 9, 13]
[1, 2, 3, 7, 9, 13]
ghci> mconcat ["Hello", "", "World", "!"]
"Hello_World!"
ghci> mappend (Sum 7) (Sum 17)
Sum {getSum = 24}
ghci> mconcat [(Product 7), (Product 9), (Product 13)]
Product {getProduct = 819}
```



Product is defined as¹:

```
newtype Product a = Product { getProduct :: a }
    deriving (Eq, Ord, Read, Show, Bounded)
```

Define it as an instance of Monoid

¹newtype works as data with one constructor with one argument



```
class Foldable t where
foldMap :: Monoid m => (a -> m) -> t a -> m
foldr :: (a -> b -> b) -> b -> t a -> b
...
foldl :: (b -> a -> b) -> b -> t a -> b
...
```

```
hgci > import Data.Monoid
hgci > foldMap Sum [1..100]
Sum {getSum = 5050}
hgci > foldr (\x acc -> x * 3 : acc) [] [1..5]
[3,6,9,12,15]
hgci > foldl (+) 0 [1..100]
5050
```



```
main = do
  line <- getLine
  if null line
    then return ()
  else do
    putStr $ map toUpper line
    putStrLn "_in_upper_case"
    main</pre>
```



```
print = putStrLn . show
```

```
ghci > mapM print [7, 9, 13]
7
9
13
```

```
main = do
  ideas <- forM [7, 9, 13] (\i -> do
    putStrLn "What_idea_associates_with"++ show i ++"?"
    getLine
    )
  putStr "The_ideas_was:_"
  mapM putStrLn ideas
```