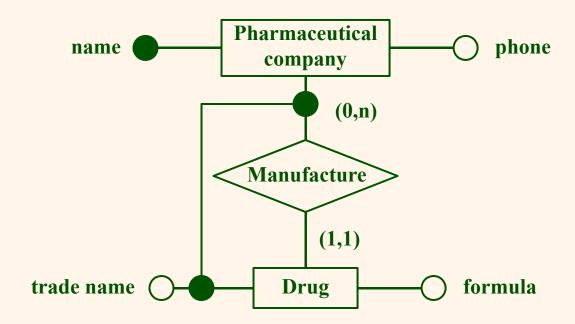
CS2102 Database Systems

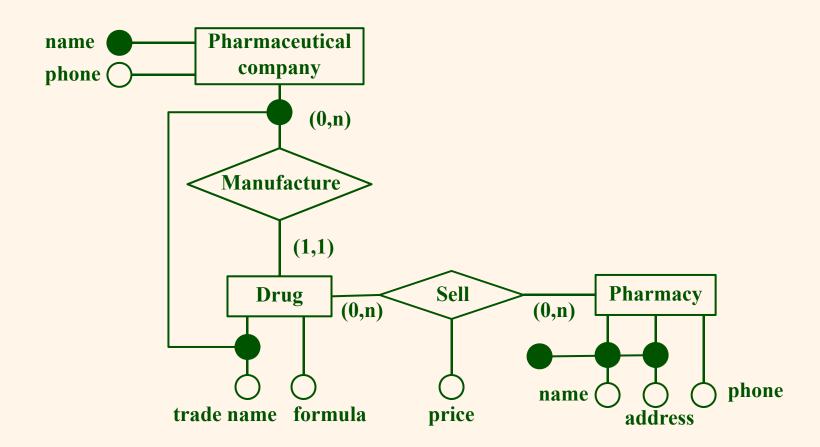
REVISION

ER Model

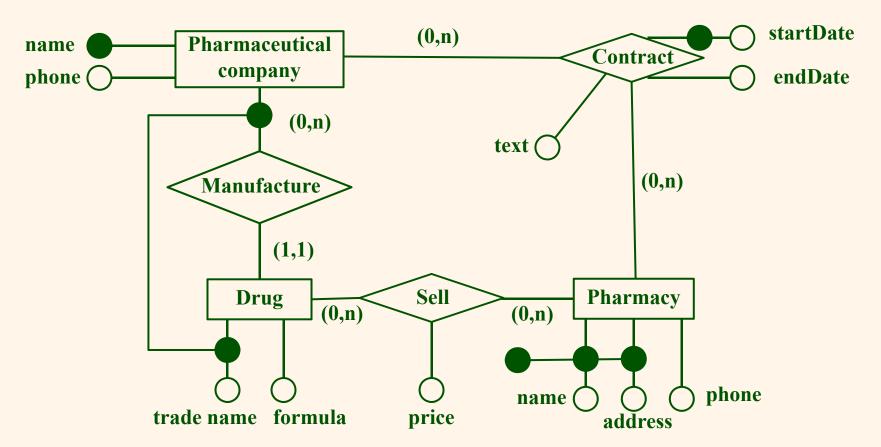
- Each pharmaceutical company is identified by name and has a phone number.
- * For each drug, the trade name and formula must be recorded. Each drug is manufactured by a pharmaceutical company, and the trade name identifies a drug uniquely from the other products of that company. If a pharmaceutical company is deleted, we need not keep track of its products any more.



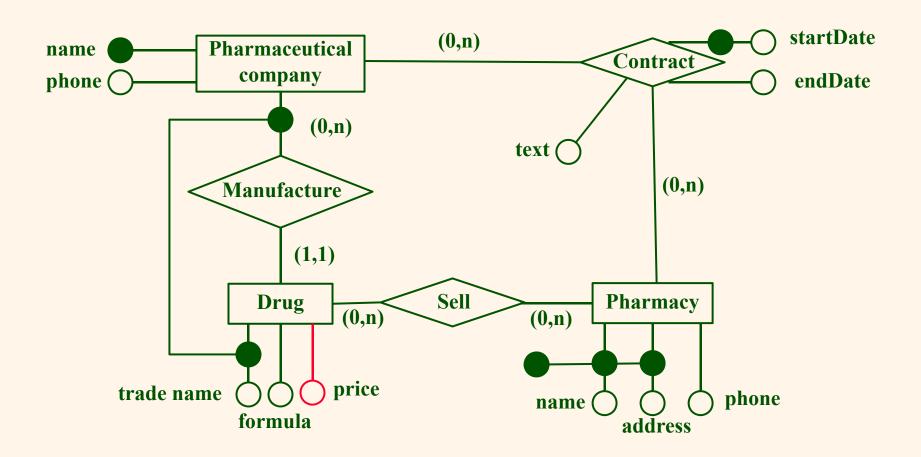
- Each pharmacy has a name, address and phone number.
- ❖ Each pharmacy sells several drugs and has a price for each. A drug could be sold at several pharmacies, and the price could vary from one pharmacy to another.



* Pharmaceutical companies have long term contracts with pharmacies. A pharmaceutical company can contract with several pharmacies, and a pharmacy can contract with several pharmaceutical companies. For each contract, you have to store a start date, an end date, and the text of the contract.



If drugs are sold at a fixed price by all pharmacies:



SQL DDL

```
PharmaCompany(cname, cphone)
Drug(cname, tname, formula)
Pharmacy (pname, address, phone)
CREATE TABLE PharmaCompany (
      cname VARCHAR(20) PRIMARY KEY,
      cphone VARCHAR(20))
CREATE TABLE Drug (
      cname VARCHAR(20),
      tname VARCHAR(20), formula VARCHAR(20),
      PRIMARY KEY (cname, tname),
      FOREIGN KEY (cname) REFERENCES PharmaCompany(cname))
CREATE TABLE Pharmacy (
      pname VARCHAR(20),
      address VARCHAR(50),
      phone VARCHAR(20),
      PRIMARY KEY (pname,address))
```

```
Sell (<u>cname</u>, <u>tname</u>, <u>pname</u>, <u>address</u>, <u>price</u>)
Contract (cname, pname, startDate, endDate,text)
CREATE TABLE Sell (
       cname VARCHAR(20), tname VARCHAR(20),
       pname VARCHAR(20), address VARCHAR(50),
       price NUMERIC,
       PRIMARY KEY (cname, tname, pname, address),
       FOREIGN KEY (cname, tname) REFERENCES Drug(cname, tname),
       FOREIGN KEY (pname, address) REFERENCES
                                          Pharmacy(pname,address))
CREATE TABLE Contract (
      cname VARCHAR(20),
       pname VARCHAR(20), address VARCHAR(50),
       startDate DATE, endDate DATE,
       text VARCHAR(200),
       PRIMARY KEY (cname, pname, address, startDate),
       FOREIGN KEY (cname) REFERENCES PharmaCompany(cname),
       FOREIGN KEY (pname, address) REFERENCES
                                          Pharmacy(pname,address))
```

Relational Model

```
Part (pno, pname, cost, sname)
ComplexPart (pno, laborCost)
SubPart (pno, subPartOf, qty)
CREATE TABLE Part ( pno NUMERIC PRIMARY KEY,
                    pname VARCHAR(20),
                    cost NUMERIC,
                    sname VARCHAR(20))
CREATE TABLE ComplexPart (
      pno NUMERIC PRIMARY KEY REFERENCES Part(pno),
      laborCost NUMERIC )
CREATE TABLE SubPart(pno NUMERIC,
      subPartOf NUMERIC, qty NUMERIC,
      PRIMARY KEY (pno, subPartOf),
      FOREIGN KEY (pno) REFERENCES Part(pno),
      FOREIGN KEY (subPartOf) REFERENCES Part(pno))
```

SQL

```
Part (<u>pno</u>, pname, cost, sname)
ComplexPart (<u>pno</u>, laborCost)
SubPart (<u>pno</u>, subPartOf, qty)
```

Q1. List the part numbers and part names of all basic parts whose cost is more than \$10.

SELECT pno, pname
FROM Part
WHERE cost > 10
AND pno NOT IN (SELECT pno FROM ComplexPart);

Part (pno, pname, cost, sname) ComplexPart (pno, laborCost) SubPart (pno, subPartOf, qty)

Q2. Find all the pairs of complex parts that have the same labor cost.

SELECT P1.pno, P2.pno
FROM ComplexPart P1, ComplexPart P2
WHERE P1.pno <> P2.pno
AND P1.laborCost = P2.laborCost

Q3. Find the names of the suppliers that supplies at least two parts, with the average cost of these parts.

SELECT sname, AVG(cost)
FROM Part
GROUP BY sname

HAVING Count (*) \geq 2;

Relational Algebra

Part (pno, pname, cost, sname)

ComplexPart (pno, laborCost)

SubPart (pno, subPartOf, qty)

Q4. List the names of suppliers who supply all complex parts whose labor cost is more than \$100.

$$\pi_{\text{sname, pno}}(\text{Part}) / \pi_{\text{pno}}(\sigma_{\text{laborCost}} > 100}(\text{ComplexPart}))$$

Q5. List the names of suppliers who supply at least two parts.

```
ρ (R1, Part)
```

$$\pi_{R1.sname}(\sigma_{R1.sname = R2.sname \land R1.pno} \Leftrightarrow R2.pno (R1 x R2))$$

Relational Calculus

```
Part (<u>Pno</u>, Pname, Cost, Sname)
ComplexPart (<u>Pno</u>, LaborCost)
SubPart (<u>Pno</u>, SubPartOf, Qty)
```

Q6. Find the name of the cheapest part.

```
TRC:  \{T \mid \exists P1 \in Part (\neg (\exists P2 \in Part (P2.Cost < P1.Cost)) \land T.Pname = P1.Pname) \} 
 DRC: \\ \{ < X > \mid \exists P, C, S (< P, X, C, S > \in Part \land ) \}
```

 $\neg (\exists P2, X2, C2, S2 (< P2, X2, C2, S2 > \in Part \land C2 < C))) \}$

```
Part (<u>Pno</u>, Pname, Cost, Sname)
ComplexPart (<u>Pno</u>, LaborCost)
SubPart (<u>Pno</u>, SubPartOf, Qty)
```

Q7. Find the name of the cheapest basic part.

```
TRC:

{ T | ∃ P1 ∈ Part (¬(∃ P2 ∈ Part (P2.Cost < P1.Cost)) ∧

¬(∃ P3 ∈ ComplexPart (P3.Pno = P1.Pno)) ∧

T.Pname = P1.Pname)}

DRC:

{ <X> | ∃ P, C, S (<P, X, C, S> ∈ Part ∧

¬(∃ P2, X2, C2, S2 (<P2, X2, C2, S2> ∈ Part ∧ C2 < C)) ∧

¬(∃ P3, X3, C3, S3 (<P3, X3, C3, S3> ∈ ComplexPart ∧ P3 = P))) }
```

```
Part (<u>Pno</u>, Pname, Cost, Sname)
ComplexPart (<u>Pno</u>, LaborCost)
SubPart (<u>Pno</u>, SubPartOf, Qty)
```

Q8. List the part numbers that are first and second level subparts of part number p200.

TRC:

```
{ T | (∃ P1 ∈ SubPart (P1.SubPartOf = 'p200') \land T.pno = P1.pno) \lor (∃ P2 ∈ SubPart ∃ P3 ∈ SubPart (P2.SubPartOf = P3.Pno \land P3.SubPartOf = 'p200') \land T.pno = P2.pno)}
```

DRC:

```
\{<X> \mid \exists \ Q \ (<X, 'p200', Q> \in SubPart) \lor \exists P, Q1, Q2 \ (<X, P, Q1> \in SubPart \land <P, 'p200', Q2> \in SubPart) \}
```

Schema Refinement

 $AB \rightarrow C$, $C \rightarrow A$, $BC \rightarrow D$, $ACD \rightarrow B$, $D \rightarrow E$, $D \rightarrow G$, $BE \rightarrow G$, $CG \rightarrow B$, $CG \rightarrow D$, $CE \rightarrow A$, $CE \rightarrow G$

Q1. Find all the candidate keys of R

$A^+ = \mathbf{A}$	$AB^+ = ABCDEG$	$DE^+= DEG$	ADE+= ADEG
$B_+ = B$	$AC^+ = AC$	$DG^+=DEG$	ADG+= ADEG
$C^+=AC$	$AD^+ = ADEG$	$EG^+= EG$	AEG+= AEG
$D^+= DEG$	$AE^+= AE$		DEG+= DEG

$$E^+= E$$
 $AG^+=AG$

$$G^+=G$$
 $BC^+=ABCDEG$ $ADEG^+=ADEG$

$$BG^+=BG$$

$$CD^+=$$
 ABCDEG

Step 1. Simplify the right hand side

N.A.

Step 2. Eliminate redundant attributes

$AB \rightarrow C$	$AB \rightarrow C$	Can we replace $AB \rightarrow C$ with $A \rightarrow C$
$BC \rightarrow D$	$BC \rightarrow D$	or $B \rightarrow C$?
$ACD \rightarrow B$	$CD \rightarrow B$	No, since $A^+=\{A\}$ and $B^+=\{B\}$
$BE \rightarrow G$	$BE \rightarrow G$	(2)
$CG \rightarrow B$	CG→B	Can we replace $CE \rightarrow A$ with $C \rightarrow A$
$CG \rightarrow D$	$CG \rightarrow D$	or $E \rightarrow A$?
$CE \rightarrow A$	$\mathbf{C} \rightarrow \mathbf{A}$	Voc. since we have C \ \
CE→G	$CE \rightarrow G$	Yes, since we have $C \rightarrow A$
$D \rightarrow E$	$D \rightarrow E$	
$D \rightarrow G$	$D \rightarrow G$	Can we replace $ACD \rightarrow B$ with
$C \rightarrow A$		$AC \rightarrow B \text{ or } AD \rightarrow B \text{ or } CD \rightarrow B$
		or $A \rightarrow B$ or $C \rightarrow B$ or $D \rightarrow B$?
		Yes, since CD+={ABCDEG}

Step 3. Eliminate redundant functional dependencies

 $AB \rightarrow C$

 $BC \rightarrow D$

 $CD \rightarrow B$

 $BE \rightarrow G$

 $CG \rightarrow B$

 $CG \rightarrow D$

 $C \rightarrow A$

 $CE \rightarrow G$

 $D \rightarrow E$

 $D \rightarrow G$

Can we eliminate $AB \rightarrow C$?

Compute AB⁺ by using the other FDs

 $AB^+=\{AB\}$

Does not contain C. NO!

Step 3. Eliminate redundant functional dependencies

 $AB \rightarrow C$

 $BC \rightarrow D$

 $CD \rightarrow B$

 $BE \rightarrow G$

 $CG \rightarrow B$

 $CG \rightarrow D$

 $C \rightarrow A$

 $CE \rightarrow G$

 $D \rightarrow E$

 $D \rightarrow G$

Can we eliminate $CD \rightarrow B$?

Compute CD⁺ by using the other FDs

CD⁺={ABCDEG}

CD⁺ contains B. YES!

Step 3. Eliminate redundant functional dependencies

 $AB \rightarrow C$

 $BC \rightarrow D$

 $CD \rightarrow B$

 $BE \rightarrow G$

 $CG \rightarrow B$

 $CG \rightarrow D$

 $C \rightarrow A$

 $CE \rightarrow G$

 $D \rightarrow E$

 $D \rightarrow G$

Can we eliminate $CG \rightarrow D$?

Compute CG⁺ by using the other FDs

CG⁺={ABCDEG}

CG⁺ contains D. **YES!**

Step 3. Eliminate redundant functional dependencies

$AB \rightarrow C$	$AB \rightarrow C$
$BC \rightarrow D$	$BC \rightarrow D$
$CD \rightarrow B$	$BE \rightarrow G$
$BE \rightarrow G$	$CG \rightarrow B$
CG→B	$C \rightarrow A$
$CG \rightarrow D$	$CE \rightarrow G$
$C \rightarrow A$	$D \rightarrow E$
$CE \rightarrow G$	$D \rightarrow G$
$D \rightarrow E$	
$D \rightarrow G$	Minimal Cover

Step 4. Group all dependencies with the same left hand side into one

$AB \rightarrow C$	$AB \rightarrow C$
$BC \rightarrow D$	$BC \rightarrow D$
$BE \rightarrow G$	$BE \rightarrow G$
CG→B	CG→B
$C \rightarrow A$	$C \rightarrow A$
CE→G	$CE \rightarrow G$
$\mathbf{D} \rightarrow \mathbf{E}$	$D \rightarrow EG$
$\mathbf{D} \rightarrow \mathbf{G}$	

Extended Minimal Cover

Q3. Is R in BCNF?

```
AB\rightarrowC Super key
BC\rightarrowD Super key
BE\rightarrowG Super key
CG\rightarrowB Super key
C\rightarrowA ??? Violate BCNF
CE\rightarrowG
D\rightarrowE
D\rightarrowG
```

The candidate keys are: R is not in BCNF. AB, BC, BD, BE, CD, CE, CG

Q4. Is R in 3NF?

 $AB \rightarrow C$ Super key $BC \rightarrow D$ Super key $BE \rightarrow G$ Super key $CG \rightarrow B$ Super key $C \rightarrow A$ A is part of candidate key $CE \rightarrow G$ Super key $D \rightarrow E$ E is part of candidate key $D \rightarrow G$ G is part of candidate key

The candidate keys are:

R is in 3NF.

AB, BC, BD, BE, CD, CE, CG