

DIP HW2 Report

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Low-luminosity Enhancement

1. Preprocessing

To avoid color shift in the image, I transfer the RGB channel to YCbCr channel to process the image, and I only do the enhancement on the luma channel Y.

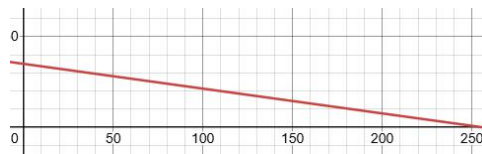
$$\begin{aligned} Y &= 0.299R + 0.587G + 0.114B & R &= Y + 1.371(Cr - 128) \\ Cb &= 0.568(B - Y) + 128 = -0.172R - 0.339G + 0.511B + 128 & G &= Y - 0.698(Cr - 128) - 0.336(Cb - 128) \\ Cr &= 0.713(R - Y) + 128 = 0.511R - 0.428G - 0.083B + 128 & B &= Y + 1.732(Cb - 128) \end{aligned}$$

The transferring steps involve multiplying the RGB value with a transfer matrix. To avoid overflow in the pixel value, I use a clamp function to limit the pixel value.

```
double IMAGE::Clamp(double d, double low, double high) {  
    if(d < low) return low;  
    if(d > high) return high;  
    return d;  
}
```

2. Linear-Scaled constant enhancement

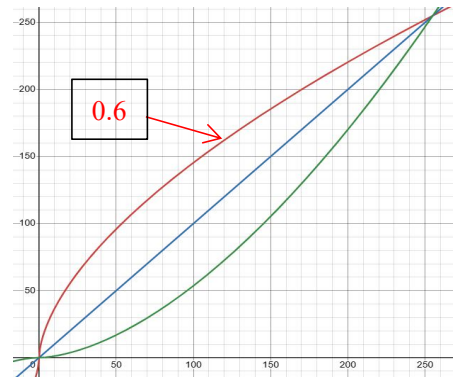
```
void IMAGE::EnhanceLuma() {  
    for(int i = 0; i < H; i++) {  
        for(int j = 0; j < W; j++) {  
            pixel[i][j].Y += 35 * (255 - pixel[i][j].Y) / 255;  
        }  
    }  
}
```



With the original pixel's Y adding $35 \cdot (255 - Y) / 255$ constant, the darker part will add more value, and the lighter part will add less value. The plot above shows the constant value from 0 to 255.

3. Gamma correction (gamma = 0.6)

```
void IMAGE::EnhanceLuma(double gamma) {  
    for(int i = 0; i < H; i++) {  
        for(int j = 0; j < W; j++) {  
            pixel[i][j].Y = 255 * pow(pixel[i][j].Y / 255, gamma);  
        }  
    }  
    To_RGB();  
}
```



With original $Y = 255 \cdot \text{pow}(Y/255, \text{gamma})$, the darker area will stretch to a lighter part, with lighter area suppressed.

Linear-Scaled constant Enhancement



Gamma correction (0.6)

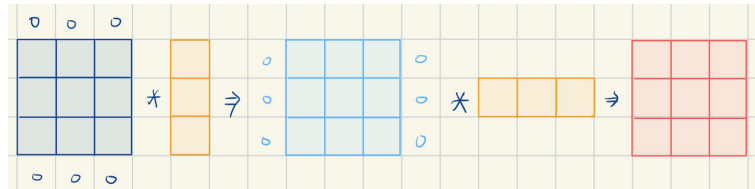


Gamma correction seems to enhance even better, so I choose gamma correction in the end.

Sharpness Enhancement



1. Low-pass filter: Gaussian smoothing

We can think of the image as a signal, after passing through LPF the high-frequency noise or transition in an image will be reduced. Since Gaussian smoothing is [separable](#), I implement it in 2 times 1D convolution with zero padding.



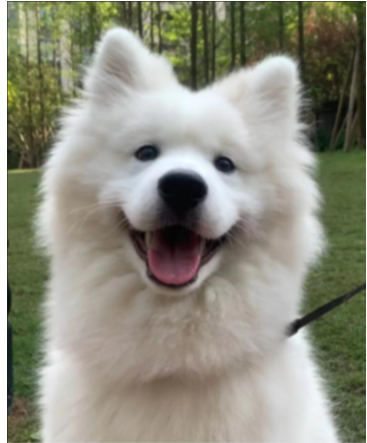


2. Obtain high-frequency element

We simply subtract the original image with LPF image. To observe the high frequency element in the photo, I scale the high frequency value below. We can clearly see [wherever a great intensity transition on the left hand side, the right hand side will show white lines indicate high frequency element exist there.](#)

Original Gray-Scale image	Image through HPF
	



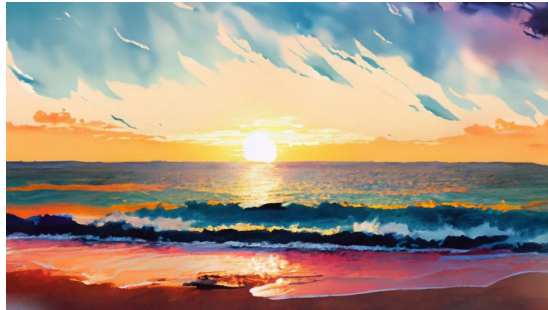
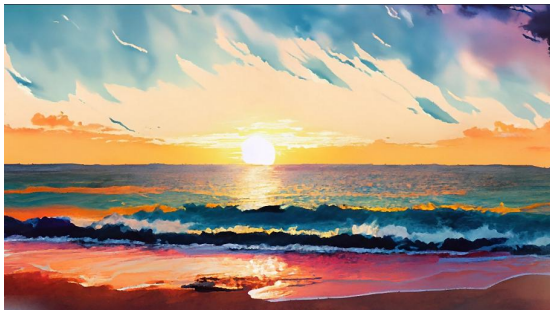
3. Add scaled high frequency details onto original image

With $Y = Y + \text{level} * (\text{High frequency element})$ formula, we can enhance the image overall sharpness. I pick level = 5 and 10 to showcase different level of sharpness enhancement below.

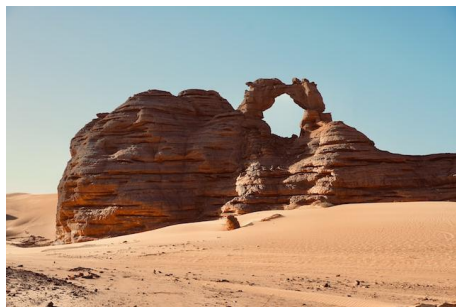

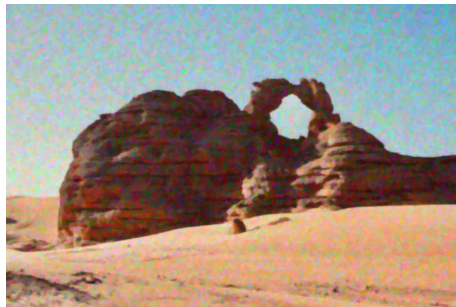

Original Image	Enhance with level = 5	Enhance with level = 10
		

Denoise Salt-and-pepper noise / Gaussian noise

For the first image, I use [median filter\(3*3\)](#) to remove salt and pepper noise. The overall logic is to sort out pixel value in a region, then pick the median to avoid extreme value of the pixel. Furthermore, with a little bit of [sharpness enhancement](#), the SSIM value will increase.

Ground truth	Noisy image
	
Median filter (SSIM 0.947512)	Median w/ sharpness (SSIM 0.948055)
	

For the Gaussian noise image, I use the [Gaussian smoothing filter](#) on it, with the [target being only Y channel or separately on the RGB channel](#). After applying Gaussian smoothing filter, I [add two additional median filter \(3*3\)](#) for higher SSIM. We'll discuss the image quality next page.

Ground truth	Noisy image
	
Gaussian smooth on Y (SSIM 0.77242)	Gaussian smooth on RGB (SSIM 0.77236)
	

Further Discussion

SSIM evaluation

Since we evaluate image only on Gray scale channel, the implementation is as such:

Get the [mean](#), [variance](#), and [covariance](#) of the channel pixel. Then simply use the given formula.

```
double C1 = 6.5025, C2 = 58.5225;

double mean1 = computeMean(img1, x, y, patchSize);
double mean2 = computeMean(img2, x, y, patchSize);

double variance1 = computeVariance(img1, x, y, patchSize, mean1);
double variance2 = computeVariance(img2, x, y, patchSize, mean2);

double covariance = computeCovariance(img1, img2, x, y, patchSize, mean1, mean2);

return ((2 * mean1 * mean2 + C1) * (2 * covariance + C2)) /
        ((mean1 * mean1 + mean2 * mean2 + C1) * (variance1 + variance2 + C2));

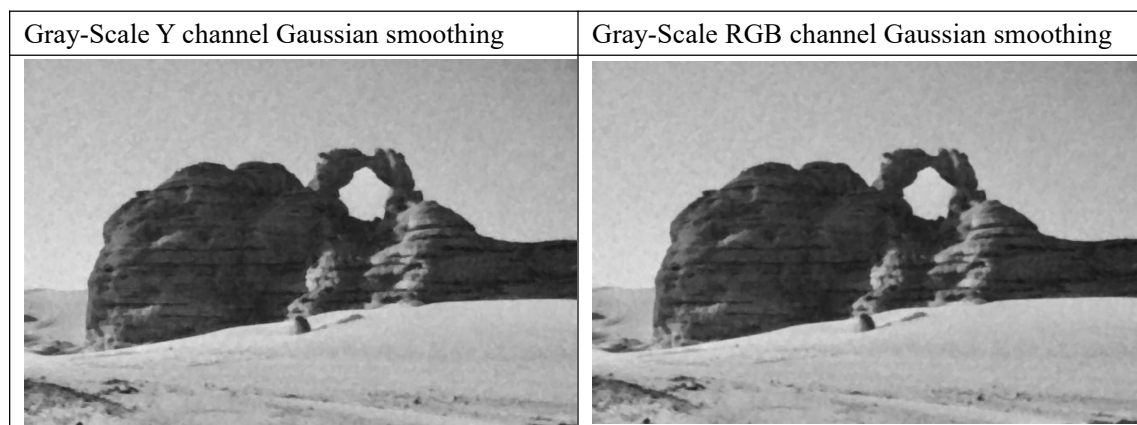
// Slide the window over the image
for (int y = 0; y <= H - patchSize; y += patchSize) {
    for (int x = 0; x <= W - patchSize; x += patchSize) {
        // Calculate SSIM for Y channel and sum up
        ssimSum += calculateSSIMForY(pixel, origin, x, y, patchSize);
        ++numPatches;
    }
}

// Average SSIM for Y channel
double ssimY = ssimSum / numPatches;

// Output SSIM score
std::cout << "-- SSIM Score (Y channel): " << ssimY << std::endl;
```

Color blob in Y-channel only Gaussian smoothing

In the denoise section, we can see the image quality of applying Gaussian filter only on Y channel (case1) is worse than apply it to RGB channel separately (case2). The reason is the [noise in RGB channels are independent](#). In the Luma channel where we evaluate the SSIM score, [we can see that case1 is indeed smooth out in the Y channel with better contrast than case2](#).



If we use SSIM evaluate on RGB channel the result will be different, with the case1 worse than case2. Since [case2 treated noise in RGB channel independently](#).

