## Machine Learning Hw4

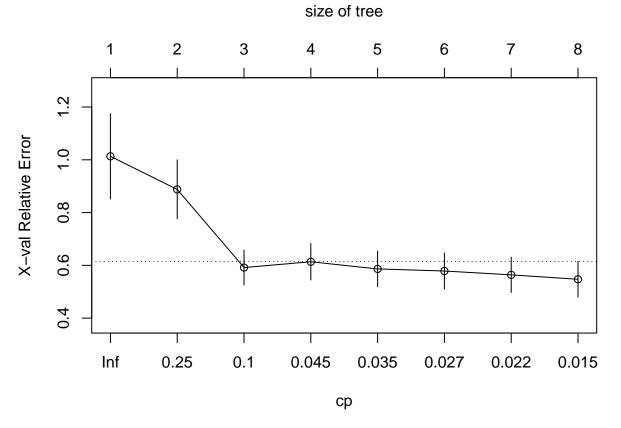
Ekta Chaudhary 20/04/2020

```
library(ISLR)
library(caret)
library(rpart)
library(rpart.plot)
library(party)
library(partykit)
library(randomForest)
library(ranger)
library(gbm)
library(plotmo)
library(pdp)
library(lime)
```

(a) Fit a regression tree with lpsa as the response and the other variables as predictors. Use cross-validation to determine the optimal tree size. Which tree size corresponds to the lowest cross-validation error? Is this the same as the tree size obtained using the 1 SE rule?

```
set.seed(1)
data("Prostate")
ctrl <- trainControl(method = "cv")</pre>
set.seed(1)
tree <- rpart(formula = lpsa~., data = Prostate,</pre>
               control = rpart.control(cp = 0.01))
cpTable <- printcp(tree)</pre>
##
## Regression tree:
## rpart(formula = lpsa ~ ., data = Prostate, control = rpart.control(cp = 0.01))
## Variables actually used in tree construction:
## [1] lcavol lweight pgg45
##
## Root node error: 127.92/97 = 1.3187
##
## n= 97
##
##
          CP nsplit rel error xerror
## 1 0.347108
                  0 1.00000 1.01323 0.162162
## 2 0.184647
                  1 0.65289 0.88779 0.111915
## 3 0.059316
                 2 0.46824 0.59168 0.066102
## 4 0.034756
                 3 0.40893 0.61359 0.069269
## 5 0.034609
                 4 0.37417 0.58640 0.067630
                 5 0.33956 0.57853 0.068772
## 6 0.021564
## 7 0.021470
                 6 0.31800 0.56398 0.067155
## 8 0.010000
                 7 0.29653 0.54721 0.068034
```

## plotcp(tree)



```
minErr <- which.min(cpTable[,4])
minErr</pre>
```

## 8 ## 8

The tree size 8 corresponds to the lowest cross-validation error.

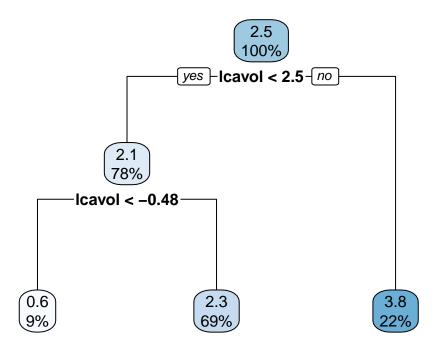
```
cpTable[cpTable[,4] < cpTable[minErr,4] + cpTable[minErr,5],1][1]</pre>
```

## 3 ## 0.05931585

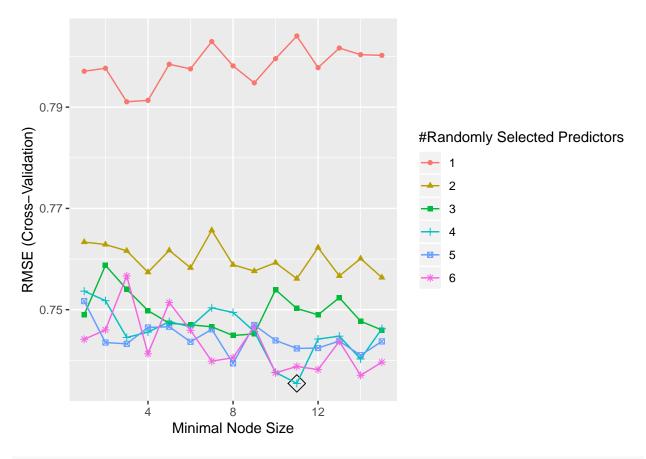
The tree size obtained using the 1 SE rule is 3.

(b) Create a plot of the final tree you choose. Pick one of the terminal nodes, and interpret the information displayed.

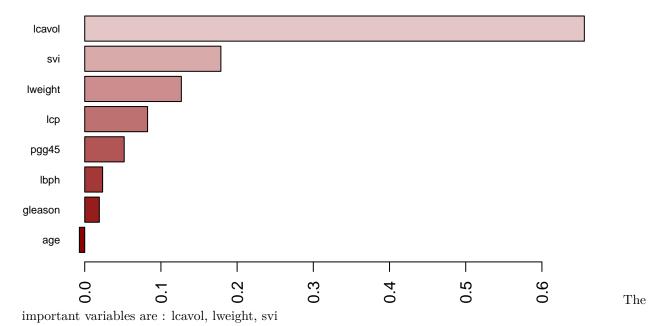
```
tree_a = prune(tree, cp = cpTable[cpTable[,4] < cpTable[minErr,4] + cpTable[minErr,5], 1][1])
rpart.plot(tree_a)</pre>
```



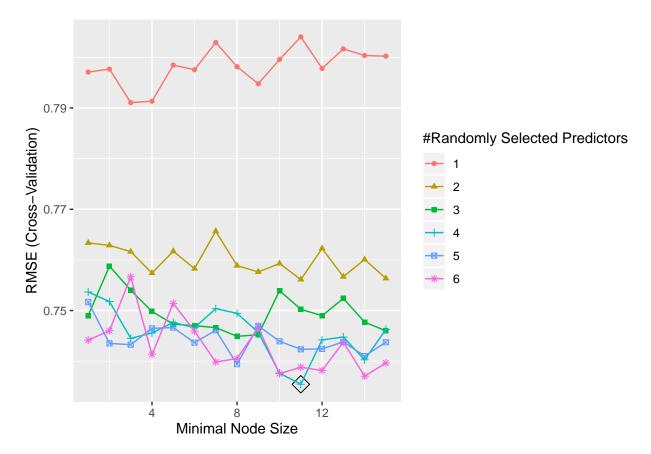
(c) Perform bagging and report the variable importance



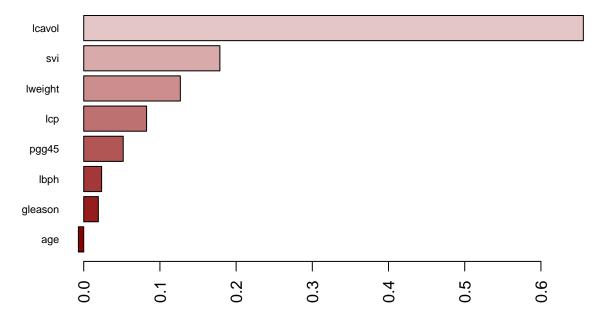
```
barplot(sort(ranger::importance(bagging$finalModel), decreasing = FALSE),
    las = 2, horiz = TRUE, cex.names = 0.7,
    col = colorRampPalette(colors = c("darkred","white","darkblue"))(19))
```



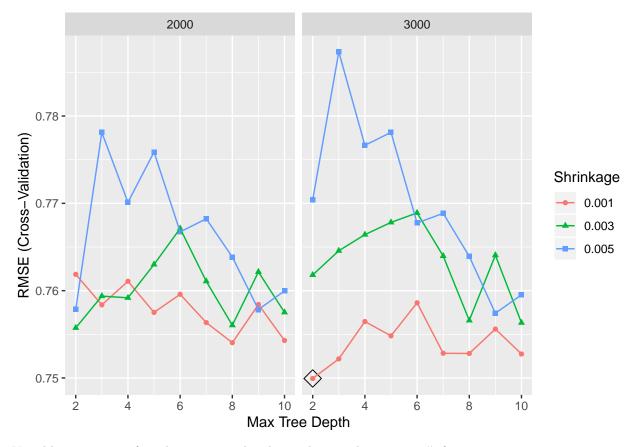
(d) Perform random forests and report the variable importance.



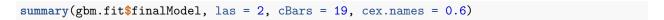
```
barplot(sort(ranger::importance(rf.fit$finalModel), decreasing = FALSE),
    las = 2, horiz = TRUE, cex.names = 0.7,
    col = colorRampPalette(colors = c("darkred","white","darkblue"))(19))
```

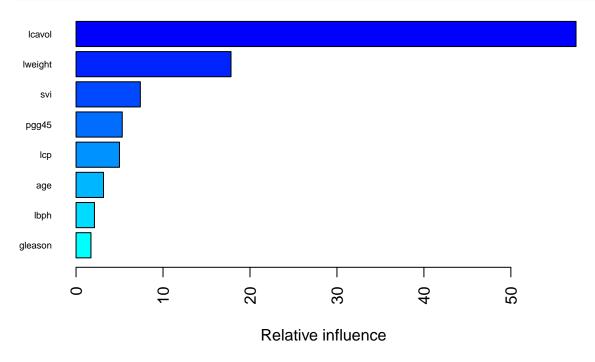


(e) Perform boosting and report the variable importance.



Variable importance from boosting can be obtained using the summary() function.





## var rel.inf

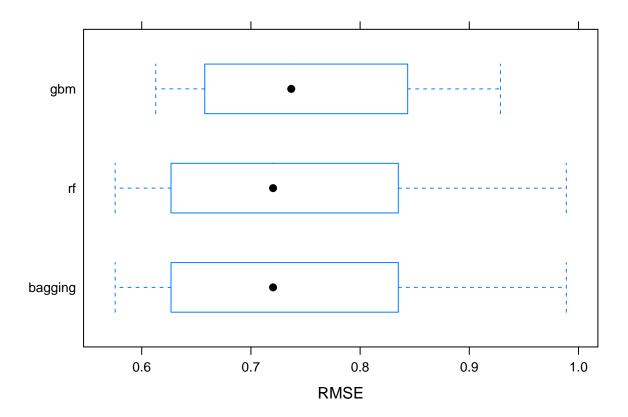
```
## lcavol lcavol 57.494112
## lweight lweight 17.818879
## svi svi 7.392286
## pgg45 pgg45 5.312763
## lcp lcp 4.994192
## age age 3.157564
## lbph lbph 2.115772
## gleason gleason 1.714432
```

(f) Which of the above models will you select to predict PSA level? Explain.

```
resamp <- resamples(list(bagging = bagging, rf = rf.fit, gbm = gbm.fit))
summary(resamp)</pre>
```

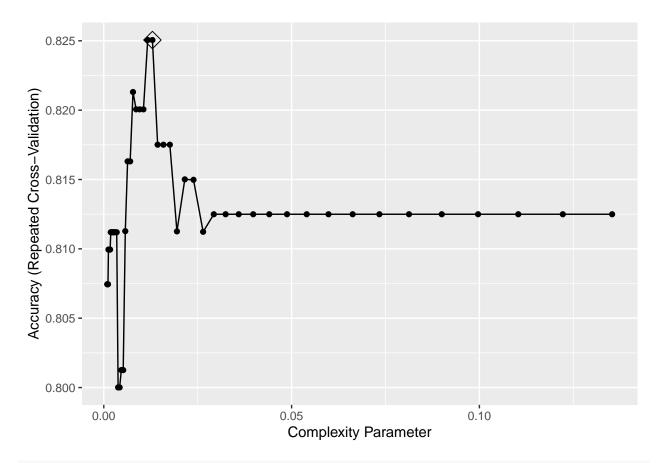
```
##
## Call:
## summary.resamples(object = resamp)
##
## Models: bagging, rf, gbm
## Number of resamples: 10
##
## MAE
                        1st Qu.
                                   Median
                                                Mean
                                                       3rd Qu.
                Min.
## bagging 0.4794948 0.5357349 0.6115087 0.5980269 0.6632726 0.7001466
## rf
           0.4794948 0.5357349 0.6115087 0.5980269 0.6632726 0.7001466
                                                                             0
## gbm
           0.4988605 \ 0.5382599 \ 0.6238535 \ 0.6060614 \ 0.6541746 \ 0.7189084
##
## RMSE
##
                        1st Qu.
                                   Median
                                                       3rd Qu.
                                                                     Max. NA's
                Min.
                                                Mean
## bagging 0.5756510 0.6319992 0.7202955 0.7354396 0.8235912 0.9888492
                                                                             0
           0.5756510\ 0.6319992\ 0.7202955\ 0.7354396\ 0.8235912\ 0.9888492
                                                                             0
##
           0.6127814 0.6613586 0.7369285 0.7499428 0.8330904 0.9285269
                                                                             0
  gbm
##
## Rsquared
##
                        1st Qu.
                                                       3rd Qu.
                                                                     Max. NA's
                Min.
                                   Median
                                                Mean
## bagging 0.3250728 0.5203503 0.6199793 0.6083602 0.7499733 0.7763990
           0.3250728 0.5203503 0.6199793 0.6083602 0.7499733 0.7763990
                                                                             0
           0.3912307 0.4940316 0.6253058 0.6103438 0.7211938 0.8171347
## gbm
                                                                             0
```

```
bwplot(resamp, metric = "RMSE")
```

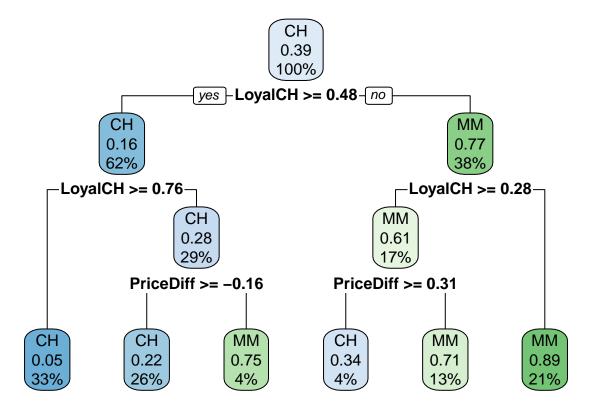


2. This problem involves the OJ data in the ISLR package. The data contains 1070 purchases where the customers either purchased Citrus Hill or Minute Maid Orange Juice. A number of characteristics of customers and products are recorded. Create a training set containing a random sample of 800 observations, and a test set containing the remaining observations. Use set.seed() for reproducible results.

(a) Fit a classification tree to the training set, with Purchase as the response and the other variables as predictors. Use cross-validation to determine the tree size and create a plot of the final tree. Predict the response on the test data. What is the test classification error rate?



rpart.plot(rpart.class\$finalModel)

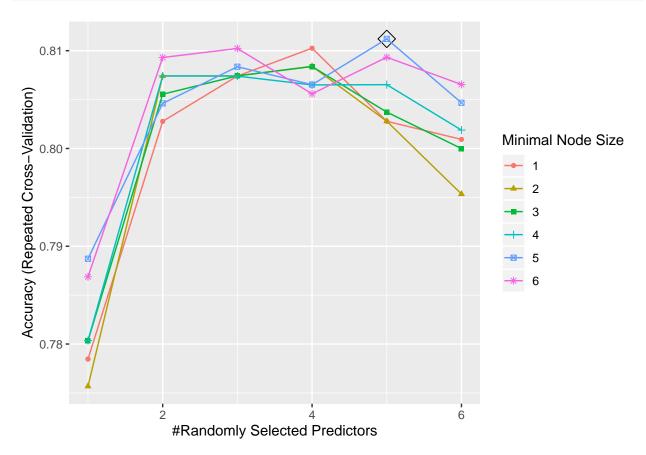


```
rpart.class$bestTune
##
## 27 0.01294638
rpart.pred <- predict(rpart.class, newdata = OJ[-rowTrain,])</pre>
confusionMatrix(rpart.pred,
               reference = OJ$Purchase[-rowTrain])
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction CH MM
##
           CH 142 24
           MM 23 81
##
##
##
                  Accuracy : 0.8259
##
                    95% CI: (0.7753, 0.8692)
       No Information Rate: 0.6111
##
       P-Value [Acc > NIR] : 1.626e-14
##
##
##
                     Kappa: 0.6331
##
   Mcnemar's Test P-Value : 1
##
##
##
               Sensitivity: 0.8606
               Specificity: 0.7714
##
##
            Pos Pred Value: 0.8554
            Neg Pred Value: 0.7788
##
##
                Prevalence: 0.6111
##
            Detection Rate: 0.5259
      Detection Prevalence: 0.6148
##
##
         Balanced Accuracy: 0.8160
##
##
          'Positive' Class : CH
##
# Error rate
error_rate = mean(rpart.pred != OJ$Purchase[-rowTrain]) * 100
cat(c("The error rate for the classification tree is", error_rate, '%'))
```

## The error rate for the classification tree is 17.4074074074074074 %

(b) Perform random forests on the training set and report variable importance. What is the test error rate?

```
method = "ranger",
    tuneGrid = rf.grid1,
    trControl = ctrl,
    importance = 'permutation')
ggplot(rf.fit1, highlight = TRUE)
```



```
barplot(sort(ranger::importance(rf.fit1$finalModel), decreasing = FALSE),
    las = 2, horiz = TRUE, cex.names = 0.7,
    col = colorRampPalette(colors = c("darkred","white","darkblue"))(19))
```

