

CS 270 - Lab 2

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1 Introduction

You may work in teams of **one** or **two** students. Submit one copy for the entire group.

Write your answers on this lab sheet. Only what is written on this lab sheet will be graded.

This lab is due at the end of the class period. You may not continue to work on it once class has ended.

This lab contains 4 questions.

Grading

- 25 points - Putting everyone's names on this page
- 20 points - Earned for each correct question (Answer is fully correct)
- 5 points - Earned for **partial credit** any question

No additional point amounts can be earned. You cannot earn 7 points on a question for example.

The maximum score for a lab is 100. If you get everything correct, that adds up to 105 points but will be reduced to 100.

A question will be marked correct as long as it covers all requirements of the question. It does not need to be perfect, but must be fully correct. A single typo or very minor issue where the intention is clear and all requirements are met would still earn full points.

We want you to complete questions fully, not try to earn partial credit on multiple questions. You may ask your Professor/Course assistant questions during lab.

Labs must be done in the presence of an instructor and/or course assistant or credit will not be given.

Partners should alternate each class day which person is physically typing and submitting the lab.

Do not split up the problems or you risk not finishing on time due to the cumulative nature of the questions.

Enter the name of the student in the group

Member 1 (submitter): Elan Rubin

Member 2: Joshua Koo

Question 1 :

Translate the following English sentences into formal logic. The correct logic symbols must be used.

- (a) The vice president shall become the new president in the event that the president resigns.

Let V = "the vice president assumes the office of the presidency"

Let R = "the president resigns"

$$(R \Rightarrow V)$$

- (b) Students who get perfect scores on all in class assessments (labs and tests) and also perfect scores on all homework assignments will get a passing grade in the class.

Let C = "perfect scores on all in-class assessments (labs and tests)"

Let H = "perfect scores on all homework assignments"

Let P = "passing grade in the class"

$$(C \wedge H) \Rightarrow P$$

Question 2 :

Prove the following using **Proof by Deduction**. You **must** write out your proof as the answer to this question. **Only** what is written on this paper is graded.

You may use <https://proofs.openlogicproject.org> to help solve the proof and verify your correctness. Nothing done in the Proof Checker is graded, only what you write on this lab sheet.

You may only use **Basic Rules**. Any **Derived Rules** are forbidden.

Prove: $(A \vee B) \vee A \therefore (B \vee A)$

Proof:

Construct a proof for the argument: $(A \vee B) \vee A \therefore B \vee A$

1	$(A \vee B) \vee A$	
2	A	
3	$B \vee A$	$\vee I 2$
4	$(A \vee B)$	
5	A	
6	$B \vee A$	$\vee I 5$
7	B	
8	$B \vee A$	$\vee I 7$
9	$B \vee A$	$\vee E 4, 5-6, 7-8$
10	$B \vee A$	$\vee E 1, 2-3, 4-9$

NEW LINE

NEW SUBPROOF

😊 Congratulations! This proof is correct.

CHECK PROOF

START OVER

Question 3 :

Prove the following using **Proof by Deduction**. You **must** write out your proof as the answer to this question. **Only** what is written on this paper is graded.

You may use <https://proofs.openlogicproject.org> to help solve the proof and verify your correctness. Nothing done in the Proof Checker is graded, only what you write on this lab sheet.

You may only use **Basic Rules**. Any **Derived Rules** are forbidden.

Prove: $(Z \wedge K) \vee (K \wedge M), K \implies D \therefore D$

Proof:

Construct a proof for the argument: $(Z \wedge K) \vee (K \wedge M), K \rightarrow D \therefore D$

1		$(Z \wedge K) \vee (K \wedge M)$	
2		$K \rightarrow D$	
3			$(Z \wedge K)$
4			Z $\wedge E$ 3
5			K $\wedge E$ 3
6			D $\rightarrow E$ 2, 5
7			$(K \wedge M)$
8			K $\wedge E$ 7
9			D $\rightarrow E$ 2, 8
10		D	$\vee E$ 1, 3–6, 7–9

NEW LINE

NEW SUBPROOF

😊 Congratulations! This proof is correct.

CHECK PROOF

START OVER

Question 4 :

Prove the following using **Proof by Deduction**. You **must** write out your proof as the answer to this question. **Only** what is written on this paper is graded.

You may use <https://proofs.openlogicproject.org> to help solve the proof and verify your correctness. Nothing done in the Proof Checker is graded, only what you write on this lab sheet.

You may only use **Basic Rules**. Any **Derived Rules** are forbidden.

Prove: $(A \vee B), (X \wedge Y), (A \wedge X) \Rightarrow Q, (B \wedge Y) \Rightarrow Q \therefore Q$

Construct a proof for the argument: $A \vee B, X \wedge Y, (A \wedge X) \rightarrow Q, (B \wedge Y) \rightarrow Q \therefore Q$

1		$A \vee B$	
2		$X \wedge Y$	
3		$(A \wedge X) \rightarrow Q$	
4		$(B \wedge Y) \rightarrow Q$	
5			A
6			$A \vee B$ $\vee I$ 5
7			X $\wedge E$ 2
8			$A \wedge X$ $\wedge I$ 5, 7
9			Q $\rightarrow E$ 3, 8
10			B
11			$A \vee B$ $\vee I$ 10
12			Y $\wedge E$ 2
13			$B \wedge Y$ $\wedge I$ 10, 12
14			Q $\rightarrow E$ 4, 13
15			Q $\vee E$ 1, 5-9, 10-14

NEW LINE

NEW SUBPROOF

😊 Congratulations! This proof is correct.

CHECK PROOF

START OVER